

Minimum Connected Component

Problem Statement

You are given N nodes. Nodes are numbered as $1, 2, 3, \dots, N$. The weight of i^{th} node is W_i . Initially, none of the nodes are connected by edges. You are given Q queries where each query is an Update-type query.

Each query contains two integers U and V . On executing a query, you have to add an edge between the nodes U and V . After the update you have to find the [connected component](#) that has *minimum total weight*. The total weight of a connected component is defined as the sum of weights of all the nodes in the connected component.

Constraints

- $1 \leq N \leq 2 \times 10^5$
- $1 \leq Q \leq 3 \times 10^5$
- $1 \leq W_i \leq 10^3$
- $1 \leq U, V \leq N$
- $U \neq V$

Input Format

First line contains two space separated integers N and Q . Second line contains N space separated integers, i^{th} integers denotes the value of W_i . Each of the next Q line contains two space separated integers U and V .

Output Format

Print the *minimum total weight* after each query in separate lines.

Sample Input

```
5 5
4 6 4 6 5
1 2
3 4
2 5
1 5
5 3
```

Sample Output

```
4
5
10
10
25
```

Explanation

In the given test case,

weight of node 1 is 4,
weight of node 2 is 6,
weight of node 3 is 4,
weight of node 4 is 6, and
weight of node 5 is 5.

1. connected components are $\{1, 2\}$, $\{3\}$, $\{4\}$ and $\{5\}$. Minimum total weight is for $\{3\} = 4$.
2. connected components are $\{1, 2\}$, $\{3, 4\}$ and $\{5\}$. Minimum total weight is for $\{5\} = 5$.
3. connected components are $\{1, 2, 5\}$ and $\{3, 4\}$. Minimum total weight is for $\{3, 4\} = 4 + 6 = 10$.
4. connected components are $\{1, 2, 5\}$ and $\{3, 4\}$. Minimum total weight is for $\{3, 4\} = 4 + 6 = 10$.
5. there is one connected component $\{1, 2, 3, 4, 5\}$. Minimum total weight is for $\{1, 2, 3, 4, 5\} = 4 + 6 + 4 + 6 + 5 = 25$.