LAB-6 REPORT

Subject: Embedded Hardware Design

Subject Code: EL203

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Problem Statement

Approximate the sine function using its Taylor expansion given by the following equation:

$$\sin x = x - \frac{x^3}{3!} + \frac{x^5}{5!} - \frac{x^7}{7!}$$

Environment Setup

In the IDE, install the Keil::STM32F4xx DFP Package from Pack Manager.

- 1) Create a new Project and rename it using the appropriate nomenclature.
 - 1.1.1.1. Set STM32F407VGTx as the target device under the device header
 - 1.1.1.2. Modify the options for the target device:



- 1.2. Create a new group under the project
- 1.3. Make modifications for the following additional options for the target device:
 - 1.3.1. Set ARM compiler version 6 under the Target -> Code Generation header
 - 1.3.2. Select the Simulator radio button and load the KEIL_STM.ini file as an initialization file under the Debug header
- 1.4. Add the main.c and sinewave.c file under the created group in the project with the relevant header file (#include "stm32f4xx hal.h",#include "arm math.h")

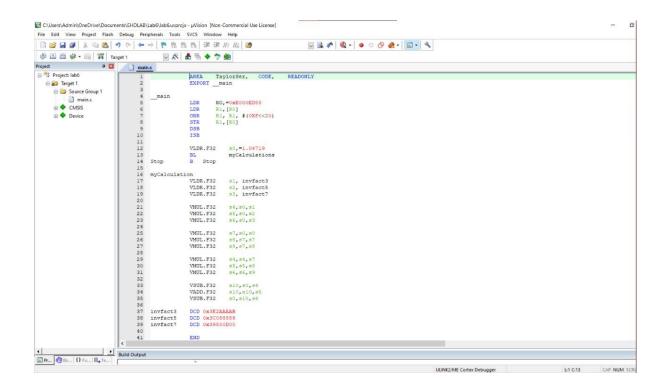
Running the Simulation

- **1** To run the code, first we have to compile the main.c file. This is done by clicking on the build button in Keil IDE.
- **2** Once the build is complete, we are prompted with errors and we need to fix them.
- **3** After fixing the bugs we move to the debug section and run the code to get the results.
- **4** To see the results, we can either see the result value or check out the graph for the simulation.
- **5** We can see the values of the variables directly by clicking on the variable and then on 'add to watch'.
- **6** In order to get the graph, we select the variable and click on 'analyze'.
- **7** After checking the output, we will have to close the debug session to make further changes in the code. Then follow the steps mentioned above again to see the new output.

CODE:

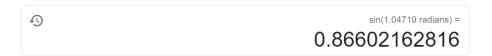
```
//main.s
     AREA TaylorSer, CODE, READONLY
     EXPORT main
 main
          LDR R0, =0xE000ED88
          LDR R1, [R0]
          ORR R1, R1, #(0xF<<20)
          STR R1, [R0]
          DSB
          ISB
          VLDR.F32 s0, =1.04719
          BL
                     myCalculation
Stop B
          Stop
myCalculation
                VLDR.F32 s1, invfact3
                VLDR.F32 s2, invfact5
                VLDR.F32 s3, invfact7
```

```
VMUL.F32 s4, s0, s1; compute x/3!
                VMUL.F32 s5, s0, s2; compute x/5!
                VMUL.F32 s6, s0, s3; compute x/7!
                VMUL.F32 s7, s0, s0 ; compute x^2
                VMUL.F32 s8, s7, s7; compute x^4
                VMUL.F32 s9, s7, s8 ; compute x^6
                VMUL.F32 s4, s4, s7; x^3/3!
                VMUL.F32 s5, s5, s8; x^5/5!
                VMUL.F32 s6, s6, s9 ;x^7/7!
                VSUB.F32 s10, s0, s4
                VADD.F32 s10, s10, s5
                VSUB.F32 s0, s10, s6
invfact3
               0x3E2AAAAB; = 1/3!
          DCD
invfact5
               0x3C088889; = 1/5!
          DCD
invfact7
          DCD
                0x39500D00 ; = 1/7!
           END
```



Conclusions/Observations:

- 1. The value that we get after executing the code is in hexadecimal format.
- 2. After this value is converted into the corresponding decimal value, it comes out to be equal to 0.86601.
- 3. This value is the sine of the value we had in the beginning, i.e. 1.04719.
- 4. The expected value which is the actual value is 0.86602 which is very close to our approximated value using the first 4 terms from the Taylor series of the sine function.



5. This formula works for all x in the range of [0, pi/2].