

The Integrand in 3 Dimensions:

In[1]:= $x[k_ , l_] := k * l$

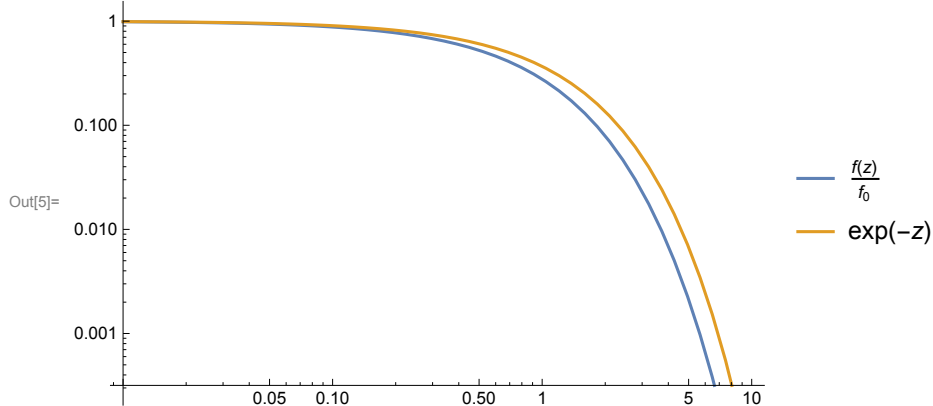
In[2]:= $R_{x_}[\theta_] := \left((1.334 * E^{(-x / \cos[\theta])} * \cos[\theta]) / (1 - 1.334^2 * (\sin[\theta])^2)^{1/2} \right)$

In[3]:= $f[z_] := \text{NIntegrate}[2 * \text{Pi} * \sin[\theta] * R_z[\theta], \{\theta, 0, \text{ArcSin}[1 / 1.334]\}] / (2 * \text{Pi})$

In[4]:= $f_\theta = f[0]$

Out[4]= 0.749625

In[5]:= $\text{LogLogPlot}[\{f[z] / f_\theta, \text{Exp}[-z]\}, \{z, 0.01, 10\}, \text{PlotLegends} \rightarrow \text{"Expressions"}]$



Difference in normalized case:

In[12]:= $\text{dev}[z_] := (f[z] / f_\theta) / \text{Exp}[-z]$

In[13]:= $\text{dev}[2.3]$

Out[13]= 0.542567

In[14]:= $\text{dev}[4.6]$

Out[14]= 0.337781

Difference when not normalized :

In[15]:= $\text{dev}[z_] := (f[z]) / \text{Exp}[-z]$

In[16]:= $\text{dev}[2.3]$

Out[16]= 0.406722

In[17]:= $\text{dev}[4.6]$

Out[17]= 0.253209