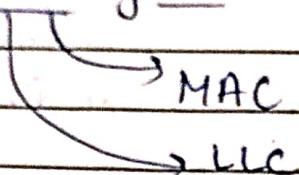


Date.....

## Unit - 4

### \* Datalink layer



#### • ALOHA → Access Protocol

- framing
- error control
- flow control
- Access control

#### • Error Detection

#### • Error Correction

#### • CRC

#### • Checksum

#### • Parity Check

#### • Hamming Code

Error  
control.

- HDLC } General Protocols
- ATM }

### \* Multiple Access Control

(NOT in Syllabus)

#### Random Access

- ALOHA
- CSMA/
- CSMA/CA
- CSMA/CD

#### Controlled Access

- Token Passing (<sup>Not in Syllabus</sup>)
- Reservation

#### channelization

- FDMA
- TDMA
- CDMA

### \* ALOHA → It is the most elegant protocol.

Pure Slotted. → It was the first to be developed.

→ Rules - ① Any station can transmit data to a channel at any time.

② It does not require any carrier sensing.

③ Collision of data frames may be lost during transmission.

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④ No collision detection.

⑤ It requires re-transmission after some random amount of time.

→ It was designed for radio [wireless lan] in 1970.

→ Vulnerable time - In which there is possibility of collision. We assume stations sent fixed length with each frame taking  $T_{fr}$ ,  $\delta$ , to send.

↓ Frame  
Transmission  
time.

$$V_T = \alpha \times T_T$$

$$\eta = G \times e^{-2G}$$

efficiency → Maximum throughput.

$$e = 2.71$$

$$\frac{d\eta}{dG} = G \times e^{-2G} (-2) + e^{-2G} \times (1)$$

$$= e^{-2G} (-2G + 1)$$

$$= -2G + 1 = 0$$

$$G = \frac{1}{2}$$

$$\eta = \frac{1}{2} \times e^{-2(\frac{1}{2})}$$

$$= \frac{1}{2} \times e^{-1}$$

$$T_T = \frac{M}{BW}$$

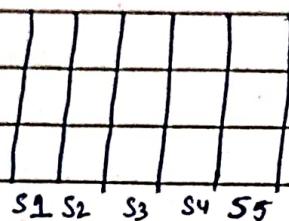
$$0.184 \approx \left[ \eta = \frac{1}{2} \times \frac{1}{e} \right]$$

$M \rightarrow$  Message (in frames)

$BW \rightarrow$  Bandwidth (Mbps)

Spiral

### \* Slotted ALOHA



$$V_T = T_E$$

$$\eta = G \times e^{-G}$$

$$\begin{aligned} \frac{\partial \eta}{\partial G} &= G \times e^{-G} (-1) + e^{-G} \times (1) \\ &= e^{-G} (-G + 1) \\ &= -G + 1 = 0 \end{aligned}$$

$$G = 1$$

$$\eta = e^{-1} \times 1$$

$$\eta = \frac{1}{e} \approx 0.368$$

\* CSMA  $\rightarrow$  Persistent methods -

- (1) 1-Persistent
- (2) Non-persistent
- (3) p-persistent

- (1) After station finds line idle, it ~~sends~~ its frame immediately with prob = 1 - line.
- (2)  $\rightarrow$  Station has frame to send, it senses ~~light~~.
- (3)  $\rightarrow$  If line is idle, it sends immediately. If not it waits random amount of time & then again ~~senses~~ <sup>Spiral</sup> line.

③ If station finds line idle, it follows these steps -

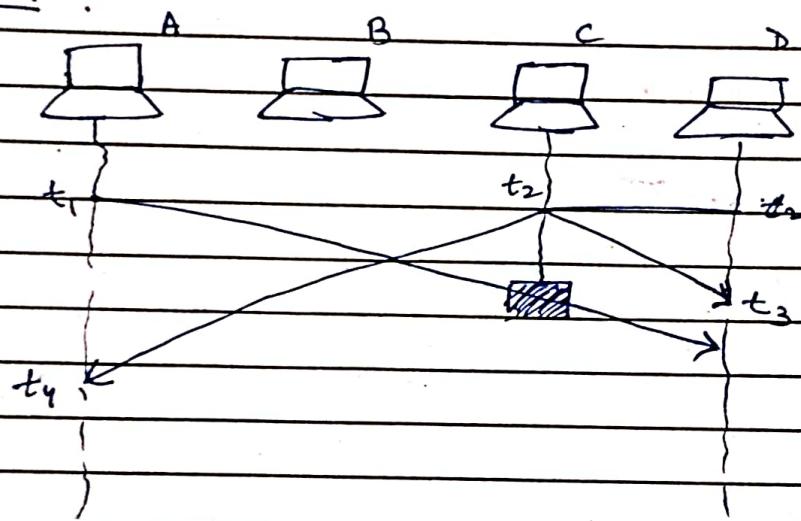
Step 1 - With probability  $p$ , the station sends its frame.

Step 2 → With probability  $q = 1-p$ , the station waits for beginning of next time slot & checks line again.

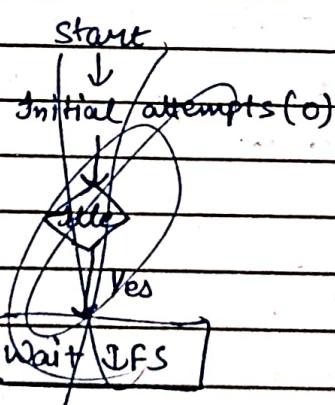
(a) If line is idle go to step 1.

(b) If line is busy, it acts as collision has occurred & uses the back off procedure.

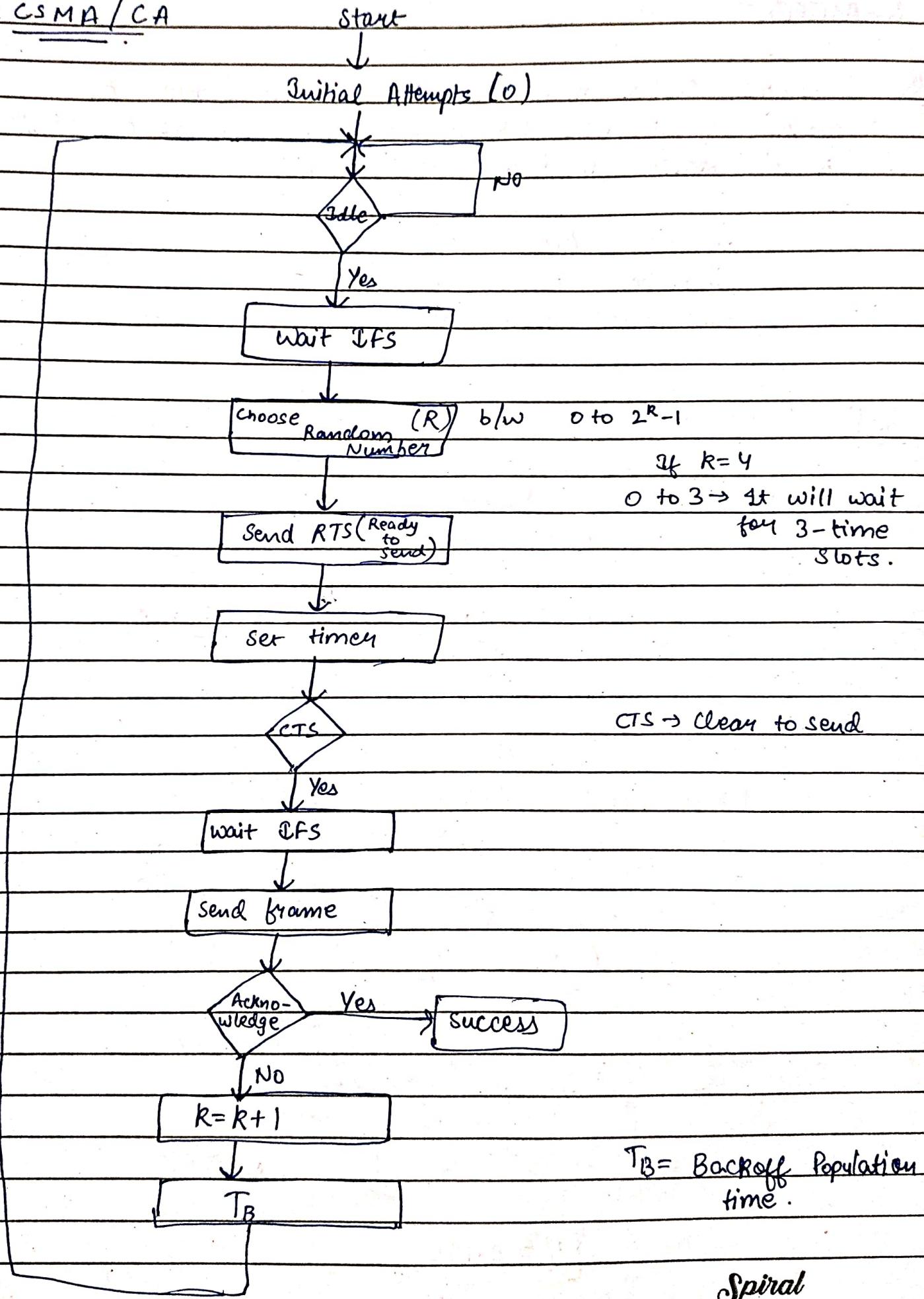
### \* CSMA/CD



### \* CSMA/CA



## \* CSMA / CA



\*Q&A\*

Q. A pure aloha n/w transmits 100 bit frames on a shared channel of 200 kbps. What is the throughput of a station [of all stations together] produces:-

- (i) 1000 frames per sec
- (ii) 500 frames per sec.
- (iii) 250 frames per sec.

Sol<sup>n</sup>. (i)  $\eta = G \times e^{-2G}$

Message = 200 bits

BW = 200 kbps

$$T_b = \frac{200}{200 \times 10^3} = \frac{1}{10^3} = 10^{-3} \text{ kbps}$$

$$1 \text{ sec} = 1000 \text{ fram}$$

$$1 \text{ milli sec} = \frac{1000}{10^3} = \frac{10^3}{10^3} = 1$$

$$G = 1$$

$$\eta = 1 \times e^{-2}$$

$$\eta = e^{-2} = \frac{1}{e^2} = 0.135$$

$$\boxed{\eta = 0.135}$$

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$$\text{Throughput} = 1000 \times 0.135 = 135 \text{ frames}$$

(ii) 500 frames/sec

$$1 \text{ sec} = 500$$

$$1 \text{ milli sec} = \frac{500}{10^3} = \frac{1}{2}$$

$$(G = \frac{1}{2})$$

$$\eta_b = \frac{1}{2} \times e^{-L(\frac{1}{2})}$$

$$\eta = \frac{1}{2} \times \frac{1}{e}$$

$$(\eta = 0.184)$$

$$\text{Throughput} = 500 \times 0.184$$

$$= 92 \text{ frames}$$

(iii) 250 frames/sec

$$1 \text{ sec} = 250$$

$$1 \text{ milli sec} = \frac{250}{1000}$$

$$(G = \frac{1}{4})$$

Date.....

$$\eta = \frac{1}{4} \times e^{-\lambda(4q)}$$

$$\eta = \frac{1}{4} \times$$

$$\boxed{\eta = 0.152}$$

$$\text{Throughput} = 250 \times 0.152$$

$$= 38 \text{ frames}$$

Q. A slotted aloha w/w transmits 200 bit frames using a shared channel with 200 kbps bandwidth. Find the throughput if the system [all station together] produces:

(a) 1000 frames per sec

(b) 500 ————— u —————

(c) 250 ————— u —————

Sol<sup>n</sup>:  $T_t = \frac{200}{200 \times 10^3} = \frac{1}{10^3} = 10^{-3}$

$$1 \text{ sec} = 1000 \text{ frames}$$

$$1 \text{ millisecond} = 1000 = 1 \\ 10^3$$

$$(G_1 = 1)$$

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(i)  $\eta = e^{-G} \times e^{-G}$

$$\eta = e^{-1} = 0.368$$

$$\begin{aligned}\text{Throughput} &= 1000 \times 0.368 \\ &= 368 \text{ frames.}\end{aligned}$$

(ii)  ~~$\eta = G =$~~   $G = \frac{500}{1000} = \frac{1}{2}$

$$\begin{aligned}\eta &= \frac{1}{2} \times e^{-1/2} \\ &= \dots\end{aligned}$$

$$\begin{aligned}\text{Throughput} &= 500 \times \\ &= \dots\end{aligned}$$

(iii)  $G = \frac{250}{1000} = \frac{1}{4}$

$$\eta = \frac{1}{4} \times e^{-1/4}$$

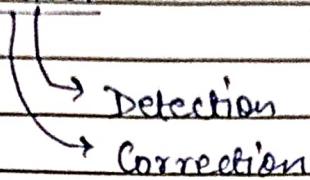
Help yourself

$$\text{Throughput} = 500 \times$$

\* LLC

Date.....

\* Flow Control & Error Control



→ Two types of error → Single bit  
→ burst error.

→ Error is detected with help of redundant bits.

→ 3 methods to check error → Parity bit  
→ CRC (Cyclic Redundancy Check)  
→ Checksum

\* Parity bit

→ We add a single bit at the end of the message.

→ Two types of parity → even (No. of 1's should be even)  
odd &

⇒ ODD Parity → Total no. of 1's in code, including parity bit should be odd.

⇒ Even Parity → Total no. of 1's in code, including parity bit should be even.

1	1	0	0	1	0	1
1	0	1	1	0	0	1

1	1	0	1	0	1	1
---	---	---	---	---	---	---

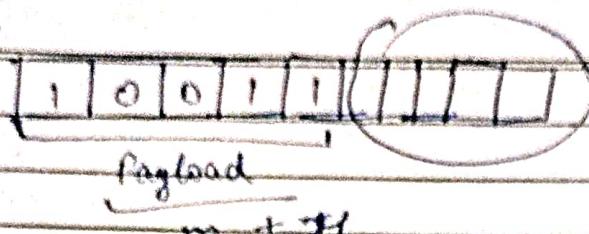
→ Suitable for single bit.

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Note.

Redundant

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$$D + R = \text{Code word.}$$

### \* CRC

→ It is based on binary division.

→ It detects all errors which include single bit & burst error of ~~length~~ length equal to polynomial degree.

→ Total bits equal to  $m + r$ , where

$m$  = no. of bits in message.

$r$  = number no. of redundant bits.

→ To divide we use XOR.

→ In question, it may be - in binary or in polynomial eqn.

→ Eg:- 11001. divisor

1010101010 dividend.

$$\bullet 1 \cdot n^3 + 1 \cdot n^2 + 1 \cdot n + 1$$

1111

$$\bullet n^5 + n^3 + n^2$$

1011

Total bits  
in divisor

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Eg:- 11001 divisor

$$5 - 1 = 4$$

↳ 4 bit append kiji

10101010, dividend

0000

hai dividend ke  
saath.

Data word.

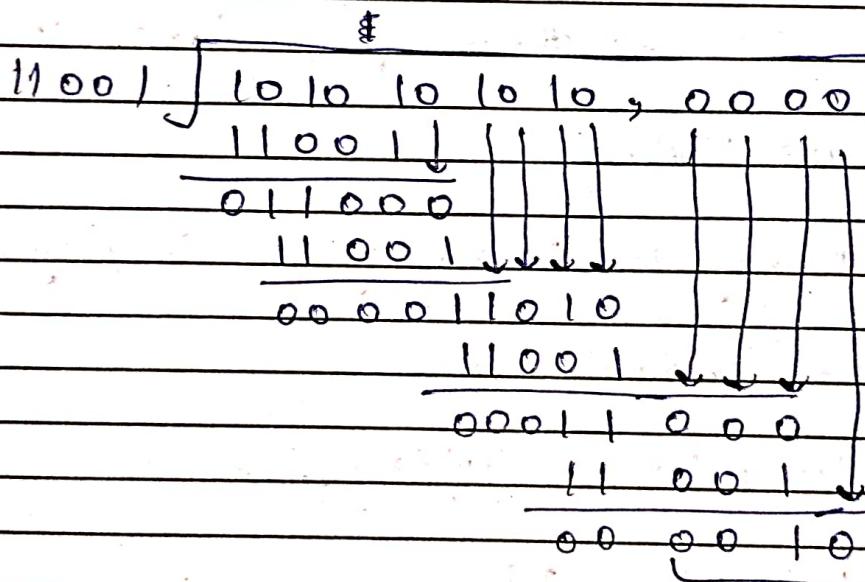
In polynomial highest degree ~~make it the 0 odd~~  
~~one hai.~~

Step 1:

- In first step of CRC, we need to append at the sender's side.
- If remainder is zero, then no error. If at least one 1 then error found.

~~1010101010, 0000~~

(XOR use kiya  
hai)



→ 4 bits odd kiji thi, toh remainder bhi 4 bits large.

1010101010, 0010

DW + R

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Step 2  $\rightarrow$   $11001 \overline{)1010101010, 0010}$

$$\begin{array}{r}
 11001 \downarrow \\
 011000 \\
 \hline
 11001 \\
 \hline
 000011010 \\
 11001 \downarrow \\
 \hline
 00011001 \\
 11001 \downarrow \\
 \hline
 000000
 \end{array}$$

$\therefore$  Hence, there is no error.

Q. Divisor has 10011 & dividend = 110101111.

### Hamming Code

- It is a error detection & error correction code.
- Data can be of any length
- No of parity bit is decided by,

$$2^r \geq m+r+1$$

→ eg:-  $m=1001$

$$2^3 \geq 4+3+1$$

3 PB

P<sub>1</sub>

P<sub>2</sub>

P<sub>3</sub>

D <sub>7</sub>	D <sub>6</sub>	D <sub>5</sub>	P <sub>4</sub>	P <sub>3</sub>	P <sub>2</sub>	P <sub>1</sub>
7	6	5	4	3	2	1

$$\alpha^0 = 1 \quad \checkmark$$

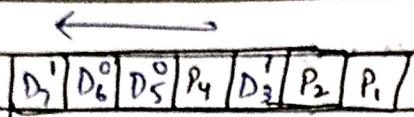
$$\alpha^1 = 2 \quad \checkmark$$

$$\alpha^2 = 4 \quad \checkmark$$

$$\alpha^3 = 8 \quad \checkmark$$

Date.....

Q. 1001 is to be transmitted. Construct even parity 7 bit Hamming code for this data.



- $P_1$  parity bit is deduced by checking all the bits with 1's in the least significant location.
- $P_2$  parity bit is deduced by checking all the bits with 1's in the second significant location.
- $P_4$  Parity bit is deduced by checking all the bits with 1's in the third significant location.
- $P_8$  parity bit is deduced by checking all bits with 1's in the most significant location.

				$P_4 \quad P_2 \quad P_1$
$= 0$	1 0 1	0		0 0 0
$P_1$	$D_2 \quad D_5 \quad D_7$	1		0 0 0
$P_2 = 0$	$D_1' \quad D_6' \quad D_7'$	2		0 1 0
$P_4$	$D_5 \quad D_6 \quad D_7$	3		0 1 1
$= 1$	0 0 1	4		1 0 0
		5		1 0 1
		6		1 1 0
		7		1 1 1

### Step 2 Error Detection

1 1 1 0 1 1 1 0 0  
 $D_7 \quad P_6 \quad D_5 \quad P_4 \quad D_3 \quad P_2 \quad P_1$

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Check

P<sub>1</sub>

0

D<sub>3</sub> D<sub>5</sub> D<sub>7</sub>

1

0

1

P<sub>4</sub> P<sub>2</sub> P<sub>1</sub>

1 1 0

P<sub>2</sub>

0

D<sub>3</sub> D<sub>5</sub> D<sub>7</sub>

1

1

1

= 6

P<sub>4</sub>

1

D<sub>5</sub> D<sub>6</sub> D<sub>7</sub>

0

1

1

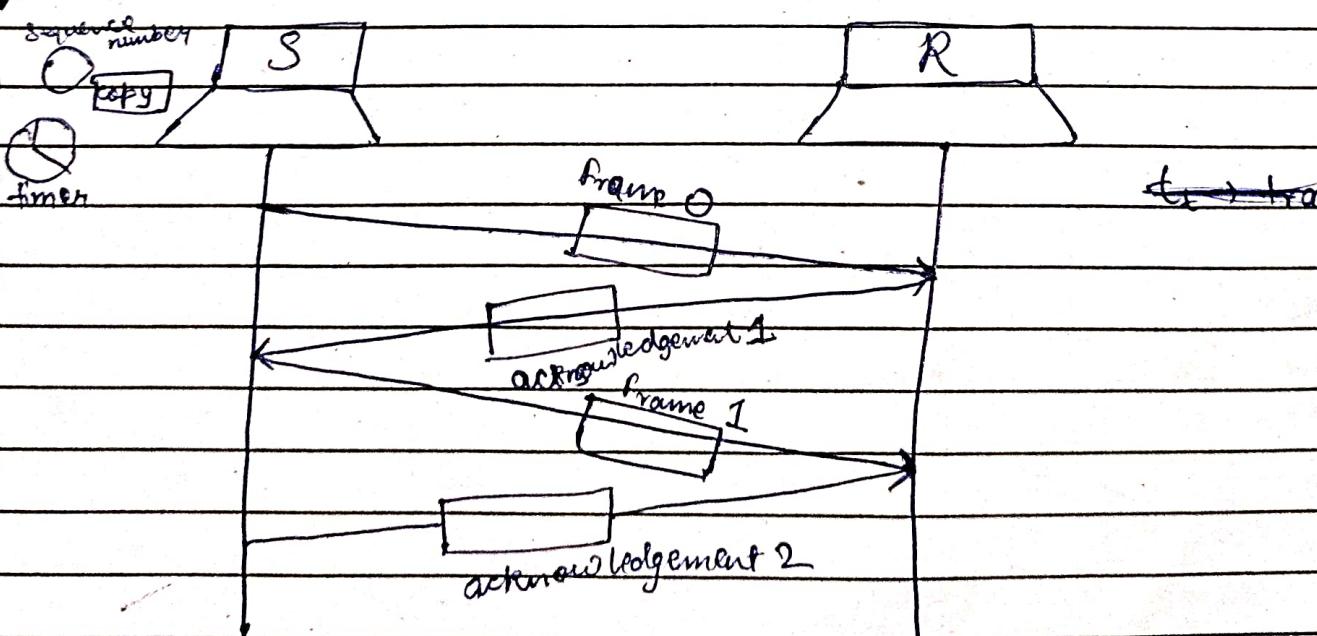
Correction

1 0 0 1 1 0 0

\* Flow Control.

- Sliding
- Stop & Wait
- Stop & Wait ARQ (Automatic Repeat Request)
- Go-back N
- Selective Repeat ARQ

⇒ Stop & Wait ARQ



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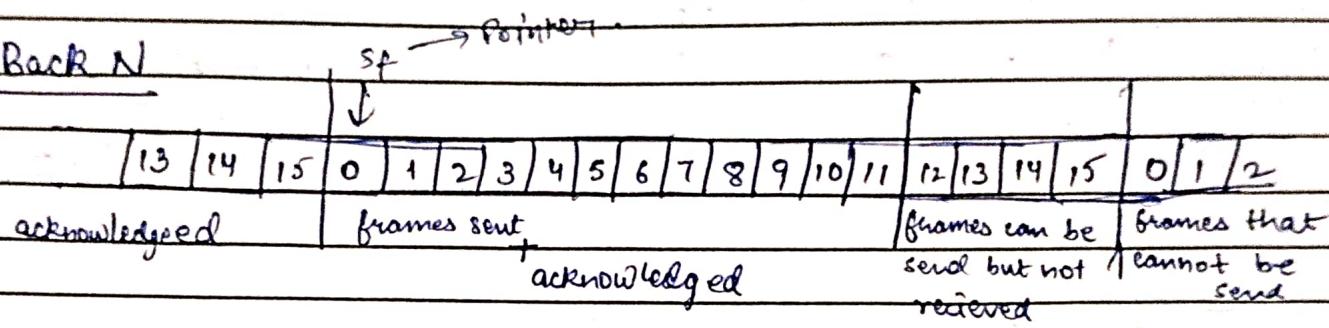
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$$\rightarrow \text{Total time} = T_f(\text{data}) + T_p(\text{data}) + T_t(\text{ack}) + T_p(\text{ack})$$

$$= T_f(\text{data}) + T_p(\text{data}) + T_p(\text{ack})$$

$$= T_f(\text{data}) + 2 \times T_p$$

→ GoBack N



Window Size

$$= 2^m = 2^4 = 16$$

$$= 0 \text{ to } 2^{m-1}$$

$$= 0 \text{ to } 15$$