

## Pin, Valgrind, Perf, gprof Tools

### Instructions:

1. This is a team assignment - not more than 2 in a team.
2. Submit your code+report archive to co460.nitk@gmail.com by 18 - Jan - 2020, 9AM.

### Assignment Questions:

Q1. Profile and analyze a family of 4 or more similar programs using the Intel PIN tool (<https://software.intel.com/en-us/articles/pin-a-binary-instrumentation-tool-downloads>).

Example families: sorting programs, single (or all) source shortest path programs, tree traversal programs, compression/encryption programs, any other family of your current/past projects.

- a) Collect instruction count, Instruction Address Trace, Memory Reference Trace.
- b) Instruction mix must be collected with the total number of dynamic instructions, integer, floating point, load, store, branch.
- c) Collect details on the total branches that are taken and total forward branches that are taken.
- d) Collect Read-After-Write(RAW), Write-After-Write(WAW) and Write-After-Read(WAR) distribution in the dynamic instruction stream.

### Help:

Launch and instrument an application

### \$ pin -t pintool -- application

pin - instrumentation engine(provided in the kit)

pintool - instrumentation tool(Write your own, or use one provided in the kit)

application - your benchmarks(binary file)

Q2. Write a program to find the largest eigenvalue of an NxN real symmetric matrix using the Power Iteration algorithm, then analyze the cache and branch prediction using **Valgrind**.

### The Program

Given matrix  $M$ , a unit eigenvector  $v$  and its eigenvalue  $\lambda$  are defined by

$$M \hat{v} = b = \lambda \hat{v}$$

Initialize the matrix  $M$  with random values between 0 and 1. Since  $M$  should be symmetric, you only need to fill in half, using  $M[x][y] = M[y][x]$  to fill in the other half.

For the power iteration algorithm to find the largest eigenvalue and its eigenvector, you first initialize a vector,  $b$ , with random values. For each iteration, the current approximate eigenvalue is the length of  $b$ , and the current approximate eigenvector is  $b$  normalized to unit length:

$$\lambda_i = \|b_i\|$$

$$v_i = b_i / \lambda_i$$

The next approximation for  $b$  is the matrix multiplication of  $M$  with the current eigenvector:

$$b_{i+1} = M \hat{v}_i$$

Stop if the eigenvalue in any iteration is within  $10^{-6}$  of the value in the previous iteration.

## Valgrind

A few tutorials are: <http://pages.cs.wisc.edu/~bart/537/valgrind.html>,  
<http://cs.ecs.baylor.edu/~donahoo/tools/valgrind/>,  
<https://valgrind.org/docs/manual/quick-start.html>.

Compile the program, run using a command similar to:

```
$ valgrind --tool=cachegrind --cache-sim=yes --branch-sim=yes program(binary file)
```

There are two ways you could implement a matrix multiply for a symmetric matrix:

1.  $b[x] += M[x][y] * v[y]$
2.  $b[x] += M[y][x] * v[y]$

Report the cache and branch statistics for both, using a matrix size of  $N=1000$ . Reason the cache hit/miss behaviour in both the variants. Profile the code timewise and identify the hotspots using Valgrind/Pin/Combination of both.

### Q3. Matrix Chain Multiplication

Matrix multiplication satisfies Associative law. i.e.,  $(ABCD) = A(BCD) = (AB)(CD) = (ABC)D = \dots$

The number of arithmetic operations required for producing the product depends on how the matrices have been parenthesised.

Let, A is  $5 \times 10$  matrix, B is a  $10 \times 15$  matrix and C is a  $15 \times 20$  matrix.

The number of arithmetic operations needed for the following multiplication are as follows:

$(AB)C = 5*10*15 + 5*15*20 = 2250$

$A(BC) = 10*15*20 + 5*10*20 = 4000$

First arrangement of matrices requires lesser number of multiplications.

Write a program using i) recursion, and ii) dynamic programming techniques to find the minimum number of multiplications needed to multiply a chain of matrices. Report the Performance counter stats for both the programs using the **perf** profiler. Explain the behaviour of the I/D cache hits/misses, and other interesting stats from the perf tool.

Input: An array  $A[] = \{5,10,15,20,30\}$  meaning, there are four arrays of dimensions  $5 \times 10$ ,  $10 \times 15$ ,  $15 \times 20$  and  $20 \times 30$ .

Output: The minimum number of matrix multiplications required.

### Perf tool

Install the perf package on the machine. Run the object file of your compiled program using the command below:

```
perf stat -e task-clock,cycles,instructions,cache-references,cache-misses ./hello
```

Q4. Write a program to solve travelling salesman problem using recursive functions. Profile the program using "**gprof**" tool to analyse the flat profile and call graphs of the functions used.

gprof usage: Install the gprof profiler.

1) compile the code with the below options:

```
gcc -Wall -pg test.c -o test
```

2) execute the program

```
./test
```

3) profile the program using gprof profiler

```
gprof test gmon.out > prof_output
```