

## Relational Query Languages

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- Query languages: Allow manipulation and **retrieval of data** from a database.
- Relational model supports simple, powerful QLs:
  - ▣ Formal foundation based on logic.
  - ▣ Allows for optimization.
- Query Languages **!=** programming languages!
  - ▣ QLs not intended to be used for complex calculations.
  - ▣ QLs support easy, efficient access to large data sets.

Credit: R. Ramakrishnan, J. Gehrke

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## DBMS Architecture

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How does a SQL engine work ?

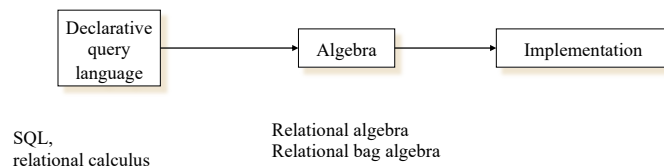
- SQL query → relational algebra plan
- Relational algebra plan → Optimized plan
- Execute each operator of the plan

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## Relational Algebra

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- Formalism for creating new relations from existing ones
- Its place in the big picture:



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## Formal Relational Query Languages

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Two mathematical Query Languages form the basis for SQL, and for implementation:

- Relational Algebra: More **operational**, very useful for representing execution plans.
- Relational Calculus: Lets users describe what they want, rather than how to compute it. (**Non-operational, declarative.**)

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## What is an “Algebra”

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- Mathematical system consisting of:
  - ▣ **Operands** --- variables or values from which new values can be constructed.
  - ▣ **Operators** --- symbols denoting procedures that construct new values from given values.

Credit: Renee J. Miller

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## What is Relational Algebra?

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- An algebra whose operands are relations or variables that represent relations.
- Operators are designed to do the most common things that we need to do with relations in a database.
  - ▣ The result is an algebra that can be used as a **query language** for relations.

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## Core Relational Algebra

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- **Union, intersection, and difference.**
  - ▣ Usual operations, but *both operands must have the same relation schema.*
- **Selection:** picking certain rows.
- **Projection:** picking certain columns.
- **Products and joins:** compositions of relations.
- **Renaming** of relations and attributes.

Since each operation returns a relation, *operations can be composed*

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## Selection

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- $R1 := \sigma_C(R2)$ 
  - ▣ C is a condition (as in “if” statements) that refers to attributes of R2.
  - ▣ R1 is all those tuples of R2 that satisfy C.

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## Example: Selection

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Relation Sells:

bar	beer	price
Joe's	Bud	2.50
Joe's	Miller	2.75
Sue's	Bud	2.50
Sue's	Miller	3.00

JoeMenu :=  $\sigma_{\text{bar}=\text{"Joe's"}}(\text{Sells})$ :

bar	beer	price
Joe's	Bud	2.50
Joe's	Miller	2.75

- Selects rows that satisfy *selection condition*.
- *Schema* of result identical to schema of (only) input relation.
- *Result relation* can be the *input* for another relational algebra operation. (Operator composition.)

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## Projection

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□  $R1 := \pi_L(R2)$ 

- $L$  is a list of attributes from the schema of  $R2$ .
- $R1$  is constructed by looking at each tuple of  $R2$ , extracting the attributes on list  $L$ , in the order specified, and creating from those components a tuple for  $R1$ .

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## Example: Projection

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Relation Sells:

bar	beer	price
Joe's	Bud	2.50
Joe's	Miller	2.75
Sue's	Bud	2.50
Sue's	Miller	3.00

Prices :=  $\pi_{\text{beer}, \text{price}}(\text{Sells})$ :

beer	price
Bud	2.50
Bud	2.50
Miller	2.75
Miller	3.00

*Schema* of result contains exactly the fields in the projection list, with the same names that they had in the (only) input relation.

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## Example

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Relation Sells:

bar	beer	price
Joe's	Bud	2.50
Joe's	Miller	2.75
Sue's	Bud	2.50
Sue's	Miller	3.00

JoePrices :=  $\pi_{\text{beer}, \text{price}}(\sigma_{\text{bar}=\text{"Joe's"}}(\text{Sells}))$ 

Beer	Price
Bud	2.50
Miller	2.75

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## Extended Projection

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- Using the same  $\Pi_L$  operator, we allow the list  $L$  to contain arbitrary expressions involving attributes:
  - Arithmetic on attributes, e.g.,  $A+B \rightarrow C$ .

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## Example: Extended Projection

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$R =$  (

A	B
1	2
3	4

)

$\Pi_{A+B \rightarrow C, A \rightarrow A1, A \rightarrow A2}(R) =$

C	A1	A2
3	1	1
7	3	3

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## Product

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- $R3 := R1 \times R2$ 
  - Pair each tuple  $t1$  of  $R1$  with each tuple  $t2$  of  $R2$ .
  - Concatenation  $t1t2$  is a tuple of  $R3$ .
  - Schema of  $R3$  is the attributes of  $R1$  and then  $R2$ , in order.
  - But beware attribute  $A$  of the same name in  $R1$  and  $R2$ :
    - In relational algebra use renaming to distinguish
    - in SQL use  $R1.A$  and  $R2.A$ .

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## Example: $R3 := R1 \times R2$

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$R1($

A	B
1	2
3	4

)

$R2($

B	C
5	6
7	8
9	10

)

$R3($

A,	R1.B,	R2.B,	C
1	2	5	6
1	2	7	8
1	2	9	10
3	4	5	6
3	4	7	8
3	4	9	10

)

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## Theta-Join

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- $R3 := R1 \bowtie_C R2$ 
  - ▣ Take the product  $R1 \times R2$ .
  - ▣ Then apply  $\sigma_C$  to the result.
- As for  $\sigma_C$  can be any boolean-valued condition.
  - ▣  $A \theta B$ , where  $\theta$  is  $=$ ,  $<$ , etc.; hence the name “theta-join.”

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## Example: Theta Join

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Sells( bar, beer, price )      Bars( name, addr )

Joe's	Bud	2.50
Joe's	Miller	2.75
Sue's	Bud	2.50
Sue's	Coors	3.00

Joe's	Maple St.
Sue's	River Rd.

BarInfo := Sells  $\bowtie_{\text{Sells.bar} = \text{Bars.name}}$  Bars

BarInfo( bar, beer, price, name, addr )

Joe's	Bud	2.50	Joe's	Maple St.
Joe's	Miller	2.75	Joe's	Maple St.
Sue's	Bud	2.50	Sue's	River Rd.
Sue's	Coors	3.00	Sue's	River Rd.

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## Natural Join

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- A useful join variant (*natural* join) connects two relations by:
  - ▣ Equating attributes of the same name, and
  - ▣ Projecting out one copy of each pair of equated attributes.
- Denoted  $R3 := R1 \bowtie R2$ .

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## Example: Natural Join

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Sells( bar, beer, price )      Bars( bar, addr )

Joe's	Bud	2.50
Joe's	Miller	2.75
Sue's	Bud	2.50
Sue's	Coors	3.00

Joe's	Maple St.
Sue's	River Rd.

BarInfo := Sells  $\bowtie$  Bars

Note: Bars.name has become Bars.bar to make the natural join non-trivial

BarInfo( bar, beer, price, addr )

Joe's	Bud	2.50	Maple St.
Joe's	Miller	2.75	Maple St.
Sue's	Bud	2.50	River Rd.
Sue's	Coors	3.00	River Rd.

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## Renaming

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- The  $\rho$  operator gives a new schema to a relation.
- $R1 := \rho_{R1(A1, \dots, An)}(R2)$  makes R1 be a relation with attributes  $A1, \dots, An$  and the same tuples as R2.
- Simplified notation:  $\rho(A1, \dots, An) := R2$ .

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## Example: Renaming

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Bars(

name,	addr
Joe's	Maple St.
Sue's	River Rd.

$R(\text{bar}, \text{addr}) := \text{Bars}$

R(

bar,	addr
Joe's	Maple St.
Sue's	River Rd.

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