# Walmart's Weekly Sales Analysis and Prediction



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# 1. Introduction

Sales analysis and forecasting are essential tools for businesses to understand and improve their sales performance and make informed decisions about their future sales goals (B2B International, 2018). By analyzing past sales data, businesses can identify trends and patterns that can help them understand what is driving their sales and where they may need to focus their efforts to improve (Small Business Administration, 2021). Forecasting allows businesses to project future sales based on these trends and patterns, helping them to set realistic goals and allocate resources appropriately (Business News Daily, 2021).

The importance of sales analysis and forecasting extends beyond just understanding sales performance. It is also crucial for budgeting and financial planning. By understanding their expected sales, businesses can better plan for expenses and allocate resources to meet their financial goals (Small Business Administration, 2021).

Additionally, sales analysis and forecasting can help businesses identify opportunities for growth and new areas for expansion (B2B International, 2018).

In this project, we will analyze Walmart's weekly sales data across 45 different stores to gain insights into their sales performance and identify trends and patterns. We will then use this data to forecast future sales, which can assist Walmart in making informed strategic decisions. This analysis will provide Walmart with valuable information on how to optimize their sales and allocate resources effectively. Additionally, by understanding how sales vary across different stores, Walmart can identify areas for improvement and potential opportunities for growth. Overall, this project will enable Walmart to gain a deeper understanding of their sales performance and make data-driven decisions to drive future success.

# 1.1 Dataset description

The file Walmart.csv was obtained from Kaggle website. It consists of Walmart's weekly sales from 2010-02-05 to 2012-11-01. The file has the following columns:

Store: the store number

Date: the week of sales

Weekly\_Sales : sales for the given store

- Holiday\_Flag: whether the week is a special holiday week 1 Holiday week 0 Non-holiday week
- Temperature: Temperature on the day of sale
- Fuel\_Price : Cost of fuel in the region
- CPI : Prevailing consumer price index
- Unemployment : Prevailing unemployment rate in percentage

### **Holiday Events** include:

- Super Bowl: 12-Feb-10, 11-Feb-11, 10-Feb-12, 8-Feb-13
- Labour Day: 10-Sep-10, 9-Sep-11, 7-Sep-12, 6-Sep-13
- Thanksgiving: 26-Nov-10, 25-Nov-11, 23-Nov-12, 29-Nov-13
- Christmas: 31-Dec-10, 30-Dec-11, 28-Dec-12, 27-Dec-13

# 1.2 Importing dependencies

The following packages are essential to running this project successfully: numpy, pandas, matplotlib, seaborn, and sklearn.

```
In [2]: # importing data analysis libraries
import numpy as np
import pandas as pd

# importing visualization libraries
import matplotlib.pyplot as plt
%matplotlib inline

import seaborn as sns
# overriding matplotlib
sns.set()

# import datetime
import datetime as dt

# import the preprocessing classes
from sklearn.preprocessing import StandardScaler
```

```
from sklearn.preprocessing import MinMaxScaler
# import train/test split module
from sklearn.model selection import train test split
# import the regressors
from sklearn.linear model import LinearRegression
from sklearn.preprocessing import PolynomialFeatures
from sklearn.pipeline import Pipeline
from sklearn.linear model import Ridge
from sklearn.linear model import Lasso
from sklearn.linear model import ElasticNet
from sklearn.tree import DecisionTreeRegressor
from sklearn.ensemble import RandomForestRegressor
from sklearn.ensemble import GradientBoostingRegressor
from sklearn.neural network import MLPRegressor
from sklearn.svm import SVR
from sklearn.neighbors import KNeighborsRegressor
from sklearn.pipeline import make pipeline
# import metrics
from sklearn.metrics import mean squared error
# import warnings
import warnings
warnings.filterwarnings('ignore')
```

# 1.3 Loading the dataset

```
In [4]: # load the dataset
sales = pd.read_csv('walmart.csv')
sales.head(3)
```

| Out[4]: |   | Store | Date       | Weekly_Sales | Holiday_Flag | Temperature | Fuel_Price | СРІ        | Unemployment |
|---------|---|-------|------------|--------------|--------------|-------------|------------|------------|--------------|
|         | 0 | 1     | 05-02-2010 | 1643690.90   | 0            | 42.31       | 2.572      | 211.096358 | 8.106        |
|         | 1 | 1     | 12-02-2010 | 1641957.44   | 1            | 38.51       | 2.548      | 211.242170 | 8.106        |
|         | 2 | 1     | 19-02-2010 | 1611968.17   | 0            | 39.93       | 2.514      | 211.289143 | 8.106        |

# 2. Data Wrangling

In this section, we will identify and address any errors, inconsistencies, missing values, or duplicate entries in the dataset. This will ensure that the dataset is accurate, consistent, and complete, and will make it more suitable for analysis.

Thus we will address the following questions to ensure the quality and reliability of the dataset:

- 1. Are there any missing values in the dataset, and if so, what is their extent and data type?
- 2. Are there any duplicate entries in the dataset?
- 3. Are there any outliers in the dataset that may impact the analysis?
- 4. Does the dataset require any feature engineering to better support the analysis goals?

# 1. Are there any missing values in the dataset, and if so, what is their extent and data type?

In [5]: # get the concise summary of the dataset

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 6435 entries, 0 to 6434
Data columns (total 8 columns):
# Column Non-Null Count Dtype
                -----
0 Store
               6435 non-null int64
              6435 non-null object
1 Date
2 Weekly Sales 6435 non-null float64
3 Holiday Flag 6435 non-null int64
4 Temperature 6435 non-null float64
5 Fuel Price 6435 non-null float64
   CPI
                6435 non-null float64
   Unemployment 6435 non-null float64
7
dtypes: float64(5), int64(2), object(1)
memory usage: 402.3+ KB
```

sales.info()

We can see that the dataset contains 6435 rows and 8 columns. All of the columns are in the appropriate numeric data types, with the exception of the 'Date' column, which needs to be converted to a datetime type. In addition, the feature names will be converted to lowercase for consistency. This information helps us understand the structure and content of the dataset, and identify any necessary data type conversions or formatting changes.

## • Convert Date column data type to date-time

```
In [6]:
       # convert Date column data type to date-time
       sales['Date'] = pd.to datetime(sales.Date)
In [7]:
       # check
       sales.info()
      <class 'pandas.core.frame.DataFrame'>
      RangeIndex: 6435 entries, 0 to 6434
      Data columns (total 8 columns):
       # Column Non-Null Count Dtype
       ___
                      _____
       0 Store
                      6435 non-null int64
          Date 6435 non-null datetime64[ns]
       1
       2 Weekly Sales 6435 non-null float64
       3 Holiday Flag 6435 non-null int64
       4 Temperature 6435 non-null float64
       5 Fuel_Price 6435 non-null float64
         CPI
                      6435 non-null float64
         Unemployment 6435 non-null float64
      dtypes: datetime64[ns](1), float64(5), int64(2)
      memory usage: 402.3 KB
```

The Date has been converted to date-time data type.

### Convert column names to lower case

dtype='object')

All column names are now in lower case.

## 2. Are there any duplicate entries in the dataset?

### • Check duplicate entries

```
In [10]: # check duplicates
sales[sales.duplicated()]
Out[10]: store date weekly sales holiday flag temperature fuel price cpi unemployment
```

The dataset is free from duplicate entires.

## 3. Are there any outliers in the dataset that may impact the analysis?

Outliers, or data points that are significantly different from the rest of the data, can affect the accuracy and reliability of statistical measures such as the mean and standard deviation. To ensure that these measures accurately represent the data, it is necessary to identify and properly handle outliers. To address this issue, we will develop two functions: one to detect outliers and another to count them. These functions will help us identify and understand the impact of outliers on our data, and allow us to make informed decisions about how to handle them.

### Create find\_outlier\_rows function

```
In [1]:
        def find outlier rows(df, col, level='both'):
            Finds the rows with outliers in a given column of a dataframe.
            This function takes a dataframe and a column as input, and returns the rows
            with outliers in the given column. Outliers are identified using the
            interquartile range (IQR) formula. The optional level parameter allows the
            caller to specify the level of outliers to return, i.e., lower, upper, or both.
            Args:
                df: The input dataframe.
                col: The name of the column to search for outliers.
                level: The level of outliers to return, i.e., 'lower', 'upper', or 'both'.
                        Defaults to 'both'.
            Returns:
                A dataframe containing the rows with outliers in the given column.
             # compute the interquartile range
            iqr = df[col].quantile(0.75) - df[col].quantile(0.25)
             # compute the upper and lower bounds for identifying outliers
            lower bound = df[col].quantile(0.25) - 1.5 * iqr
            upper bound = df[col].quantile(0.75) + 1.5 * iqr
             # filter the rows based on the level of outliers to return
            if level == 'lower':
                return df[df[col] < lower bound]</pre>
            elif level == 'upper':
                return df[df[col] > upper bound]
            else:
                return df[(df[col] > upper bound) | (df[col] < lower bound)]</pre>
```

• Create count\_outliers function

```
In [ ]:
        def count outliers(df):
            11 11 11
            This function takes in a DataFrame and returns a DataFrame containing the count and
            percentage of outliers in each numeric column of the original DataFrame.
            Input:
                df: a Pandas DataFrame containing numeric columns
            Output:
                a Pandas DataFrame containing two columns:
                'outlier counts': the number of outliers in each numeric column
                 'outlier percent': the percentage of outliers in each numeric column
             # select numeric columns
            df numeric = df.select dtypes(include=['int', 'float'])
            # get column names
            columns = df numeric.columns
             # find the name of all columns with outliers
            outlier cols = [col for col in columns if len(find outlier rows(df numeric, col)) != (
            # dataframe to store the results
            outliers df = pd.DataFrame(columns=['outlier counts', 'outlier percent'])
            # count the outliers and compute the percentage of outliers for each column
            for col in outlier cols:
                outlier count = len(find outlier rows(df numeric, col))
                all entries = len(df[col])
                outlier percent = round(outlier count * 100 / all entries, 2)
                # store the results in the dataframe
                outliers df.loc[col] = [outlier count, outlier percent]
            # return the resulting dataframe
            return outliers df
```

#### • Count the outliers in the columns of the sales dataframe

```
In [13]:  # count the outliers in sales dataframe
    count_outliers(sales).sort_values('outlier_counts', ascending=False)
```

| Out[13]: |              | outlier_counts | outlier_percent |
|----------|--------------|----------------|-----------------|
|          | unemployment | 481.0          | 7.47            |
|          | holiday_flag | 450.0          | 6.99            |
|          | weekly_sales | 34.0           | 0.53            |
|          | temperature  | 3.0            | 0.05            |

The above dataframe shows that weekly\_sales, holiday\_flag, temperature and unemployment columns all have outliers with unemployment having the largest outlier percentage, 7%. Let's examine the outliers in each column to decide on how to handle them.

Examine the unemployment outliers

```
# view the summary statistics of unemployment rate
In [14]:
         find outlier rows(sales, 'unemployment')['unemployment'].describe()
        count 481.000000
Out[14]:
        mean
                 11.447480
                  3.891387
        std
        min
                  3.879000
        25%
                 11.627000
        50%
                 13.503000
        75%
                  14.021000
                  14.313000
        max
        Name: unemployment, dtype: float64
```

The minimum and maximum values of these outliers are 3.89% and 14.31% respectively. Majority, greater or equal to 75%, are more than or equal to 11.6% These values are obtainable in reality and will be left intact for the analysis. Thus, median, which rubust to outliers, will be used to measure the centre of the unemployment rate distribution.

# Examine the **holiday\_flag** outliers

```
In [15]:
         find outlier rows(sales, 'holiday flag')['holiday flag'].describe()
                  450.0
         count
Out[15]:
         mean
                    1.0
         std
                   0.0
                   1.0
         min
         25%
                    1.0
         50%
                    1.0
         75%
                    1.0
                    1.0
        max
        Name: holiday flag, dtype: float64
```

We can see that all special holiday weeks form the outliers. This is as a result of the fact that most of the weeks, 93%, are non-special holiday weeks. This will also be left intact.

## Examine the weekly\_sales outliers

```
In [16]: # find the outliers in weekly sales
find_outlier_rows(sales, 'weekly_sales')
```

| Out[16]: |      | store | date       | weekly_sales | holiday_flag | temperature | fuel_price | срі        | unemployment |
|----------|------|-------|------------|--------------|--------------|-------------|------------|------------|--------------|
|          | 189  | 2     | 2010-12-24 | 3436007.68   | 0            | 49.97       | 2.886      | 211.064660 | 8.163        |
|          | 241  | 2     | 2011-12-23 | 3224369.80   | 0            | 46.66       | 3.112      | 218.999550 | 7.441        |
|          | 471  | 4     | 2010-11-26 | 2789469.45   | 1            | 48.08       | 2.752      | 126.669267 | 7.127        |
|          | 474  | 4     | 2010-12-17 | 2740057.14   | 0            | 46.57       | 2.884      | 126.879484 | 7.127        |
|          | 475  | 4     | 2010-12-24 | 3526713.39   | 0            | 43.21       | 2.887      | 126.983581 | 7.127        |
|          | 523  | 4     | 2011-11-25 | 3004702.33   | 1            | 47.96       | 3.225      | 129.836400 | 5.143        |
|          | 526  | 4     | 2011-12-16 | 2771397.17   | 0            | 36.44       | 3.149      | 129.898065 | 5.143        |
|          | 527  | 4     | 2011-12-23 | 3676388.98   | 0            | 35.92       | 3.103      | 129.984548 | 5.143        |
|          | 761  | 6     | 2010-12-24 | 2727575.18   | 0            | 55.07       | 2.886      | 212.916508 | 7.007        |
|          | 1329 | 10    | 2010-11-26 | 2939946.38   | 1            | 55.33       | 3.162      | 126.669267 | 9.003        |
|          | 1332 | 10    | 2010-12-17 | 2811646.85   | 0            | 59.15       | 3.125      | 126.879484 | 9.003        |

|      | store | date       | weekly_sales | holiday_flag | temperature | fuel_price | срі        | unemployment |
|------|-------|------------|--------------|--------------|-------------|------------|------------|--------------|
| 1333 | 10    | 2010-12-24 | 3749057.69   | 0            | 57.06       | 3.236      | 126.983581 | 9.003        |
| 1381 | 10    | 2011-11-25 | 2950198.64   | 1            | 60.68       | 3.760      | 129.836400 | 7.874        |
| 1385 | 10    | 2011-12-23 | 3487986.89   | 0            | 48.36       | 3.541      | 129.984548 | 7.874        |
| 1758 | 13    | 2010-11-26 | 2766400.05   | 1            | 28.22       | 2.830      | 126.669267 | 7.795        |
| 1761 | 13    | 2010-12-17 | 2771646.81   | 0            | 35.21       | 2.842      | 126.879484 | 7.795        |
| 1762 | 13    | 2010-12-24 | 3595903.20   | 0            | 34.90       | 2.846      | 126.983581 | 7.795        |
| 1810 | 13    | 2011-11-25 | 2864170.61   | 1            | 38.89       | 3.445      | 129.836400 | 6.392        |
| 1813 | 13    | 2011-12-16 | 2760346.71   | 0            | 27.85       | 3.282      | 129.898065 | 6.392        |
| 1814 | 13    | 2011-12-23 | 3556766.03   | 0            | 24.76       | 3.186      | 129.984548 | 6.392        |
| 1901 | 14    | 2010-11-26 | 2921709.71   | 1            | 46.15       | 3.039      | 182.783277 | 8.724        |
| 1904 | 14    | 2010-12-17 | 2762861.41   | 0            | 30.51       | 3.140      | 182.517732 | 8.724        |
| 1905 | 14    | 2010-12-24 | 3818686.45   | 0            | 30.59       | 3.141      | 182.544590 | 8.724        |
| 1957 | 14    | 2011-12-23 | 3369068.99   | 0            | 42.27       | 3.389      | 188.929975 | 8.523        |
| 2759 | 20    | 2010-11-26 | 2811634.04   | 1            | 46.66       | 3.039      | 204.962100 | 7.484        |
| 2761 | 20    | 2010-10-12 | 2752122.08   | 0            | 24.27       | 3.109      | 204.687738 | 7.484        |
| 2762 | 20    | 2010-12-17 | 2819193.17   | 0            | 24.07       | 3.140      | 204.632119 | 7.484        |
| 2763 | 20    | 2010-12-24 | 3766687.43   | 0            | 25.17       | 3.141      | 204.637673 | 7.484        |
| 2811 | 20    | 2011-11-25 | 2906233.25   | 1            | 46.38       | 3.492      | 211.412076 | 7.082        |
| 2814 | 20    | 2011-12-16 | 2762816.65   | 0            | 37.16       | 3.413      | 212.068504 | 7.082        |
| 2815 | 20    | 2011-12-23 | 3555371.03   | 0            | 40.19       | 3.389      | 212.236040 | 7.082        |
| 3192 | 23    | 2010-12-24 | 2734277.10   | 0            | 22.96       | 3.150      | 132.747742 | 5.287        |
| 3764 | 27    | 2010-12-24 | 3078162.08   | 0            | 31.34       | 3.309      | 136.597273 | 8.021        |
| 3816 | 27    | 2011-12-23 | 2739019.75   | 0            | 41.59       | 3.587      | 140.528765 | 7.906        |

We can note that all the weekly\_sales outliers occur either in November or December with one outlier of the outliers that occur in October.

# 4. Does the dataset require any feature engineering to better support the analysis goals?

Employment rate may be correlated with weekly sales. This will be created from the unemployment rate. Also the date column will be split into three so that we can analyse the data by year, month or day.

```
In [17]:
        # calculate the employment rate
         sales['employment'] = 100 - sales['unemployment']
         # split the date column
         sales['year']= sales['date'].dt.year
         sales['month'] = sales['date'].dt.month
         sales['day'] = sales['date'].dt.day
         sales.head(3)
```

|   | store | date           | weekly_sales | holiday_flag | temperature | fuel_price | срі        | unemployment | employment | year |
|---|-------|----------------|--------------|--------------|-------------|------------|------------|--------------|------------|------|
| 0 | 1     | 2010-<br>05-02 | 1643690.90   | 0            | 42.31       | 2.572      | 211.096358 | 8.106        | 91.894     | 2010 |
| 1 | 1     | 2010-<br>12-02 | 1641957.44   | 1            | 38.51       | 2.548      | 211.242170 | 8.106        | 91.894     | 2010 |
| 2 | 1     | 2010-<br>02-19 | 1611968.17   | 0            | 39.93       | 2.514      | 211.289143 | 8.106        | 91.894     | 2010 |

# 3. Exploratory Data Analysis

This section explores the dataset in order to extract useful information.

# 1. What are the summary statistics of the dataset?

```
In [18]: # get the summary statisitcs of the datset
     sales.describe()
```

| Out[18]: |       | store       | weekly_sales | holiday_flag | temperature | fuel_price  | срі         | unemployment | employmen   |
|----------|-------|-------------|--------------|--------------|-------------|-------------|-------------|--------------|-------------|
|          | count | 6435.000000 | 6.435000e+03 | 6435.000000  | 6435.000000 | 6435.000000 | 6435.000000 | 6435.000000  | 6435.000000 |
|          | mean  | 23.000000   | 1.046965e+06 | 0.069930     | 60.663782   | 3.358607    | 171.578394  | 7.999151     | 92.000849   |
|          | std   | 12.988182   | 5.643666e+05 | 0.255049     | 18.444933   | 0.459020    | 39.356712   | 1.875885     | 1.87588!    |
|          | min   | 1.000000    | 2.099862e+05 | 0.000000     | -2.060000   | 2.472000    | 126.064000  | 3.879000     | 85.687000   |
|          | 25%   | 12.000000   | 5.533501e+05 | 0.000000     | 47.460000   | 2.933000    | 131.735000  | 6.891000     | 91.378000   |
|          | 50%   | 23.000000   | 9.607460e+05 | 0.000000     | 62.670000   | 3.445000    | 182.616521  | 7.874000     | 92.126000   |
|          | 75%   | 34.000000   | 1.420159e+06 | 0.000000     | 74.940000   | 3.735000    | 212.743293  | 8.622000     | 93.109000   |
|          | max   | 45.000000   | 3.818686e+06 | 1.000000     | 100.140000  | 4.468000    | 227.232807  | 14.313000    | 96.121000   |

The weekly transactions occured over the period of three-year (2010-2012) in 45 stores. The maximum weekly sales is \$3.8 million and the hottest day was 100°F.

# 2. What is the distribution of the features of the dataset?

```
In [19]: # histograms
    sales.hist(figsize=(30,20));
```



From the above histograms, we can understand that:

- the number of transactions occurred almost evenly across various stores and years.
- The distribution of weekly\_sales right-skewed. Only a few of the weekly sales are above 2 million USD.
- The distribution of temperature is approximately normal.
- The distribution of fuel\_price is bi-modal.
- CPI formed two clusters.
- unemployment rate is near normally distributed.
- Four consecutive months November-February recorded the highest sales.

## 3. What is the overall trend in sales over time?

Sales trend analysis involves examining the historical sales data of a business or product over time to understand patterns, trends, and changes in sales performance. It is an important tool for businesses to identify opportunities for growth, understand their customers' behaviour, optimise resources, and make informed decisions about future sales.

We will aggregate the average weekly sales by months for the three year and visualise the trend using a line plot.

```
annot.set_visible(False)
plt.show()
```



The line plot reveals that weekly sales at Walmart generally remain stable throughout the year, with the exception of November and December, which experience a significant increase in sales. This trend is likely due to the holiday season, when consumers typically make more purchases and retailers offer promotions and discounts. To capitalize on this behavior, Walmart could consider offering seasonal discounts and promotions, as well as ensuring a seamless and enjoyable shopping experience through their mobile and web outlets during festive periods. By doing so, they can encourage more customers to make purchases and potentially drive up sales.

## 4. Are there any seasonality trends in the dataset?

Seasonality trends analysis can be extremely valuable for businesses, as it allows us to better forecast future sales, make more informed decisions about inventory and staffing, and understand the drivers of customer demand leading to improved efficiency and profitability.

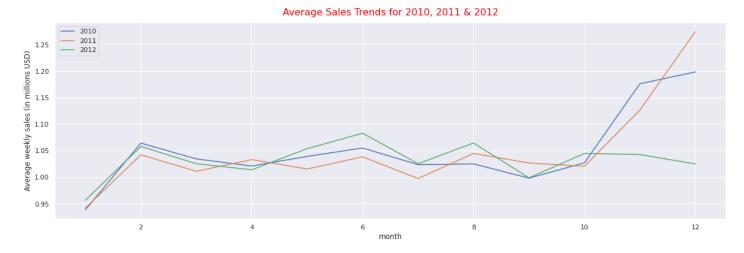
We will create a pivot table to group the data by month and year and calculate the average sales for each period. We will then plot the average sales of the table using line chart for the three years. This will allow us to see if there are any patterns in the data that repeat at regular intervals.

```
In [21]:  # create the pivot table
  pivot_table = sales.pivot_table(index='month', columns='year', values='weekly_sales')
  # display the pivot table
  pivot_table
```

| Out[21]: | year  | 2010         | 2011         | 2012         |
|----------|-------|--------------|--------------|--------------|
|          | month |              |              |              |
|          | 1     | 9.386639e+05 | 9.420697e+05 | 9.567817e+05 |
|          | 2     | 1.064372e+06 | 1.042273e+06 | 1.057997e+06 |
|          | 3     | 1.034590e+06 | 1.011263e+06 | 1.025510e+06 |
|          | 4     | 1.021177e+06 | 1.033220e+06 | 1.014127e+06 |
|          | 5     | 1.039303e+06 | 1.015565e+06 | 1.053948e+06 |
|          | 6     | 1.055082e+06 | 1.038471e+06 | 1.082920e+06 |
|          | 7     | 1.023702e+06 | 9.976049e+05 | 1.025480e+06 |
|          | 8     | 1.025212e+06 | 1.044895e+06 | 1.064514e+06 |
|          | 9     | 9.983559e+05 | 1.026810e+06 | 9.988663e+05 |
|          |       |              |              |              |

| year  | 2010         | 2011         | 2012         |
|-------|--------------|--------------|--------------|
| month |              |              |              |
| 10    | 1.027201e+06 | 1.020663e+06 | 1.044885e+06 |
| 11    | 1.176097e+06 | 1.126535e+06 | 1.042797e+06 |
| 12    | 1.198413e+06 | 1.274311e+06 | 1.025078e+06 |

plt.show()



We can observe that the line charts for the three years for the month of January to October simultaneously follow a sawtooth shape with big rises experienced in November and December due to holidays. This indicates seasonality trends as months do have consistencies in bigger or smaller sales for the three years. We can also observe that although 2011 performed worst than 2010 in terms of average sales for Walmart, the trend was reversed for the year 2012 which performed better than 2010. However, the data for 2012 ends in October, which may explain the significant drop in sales for November."

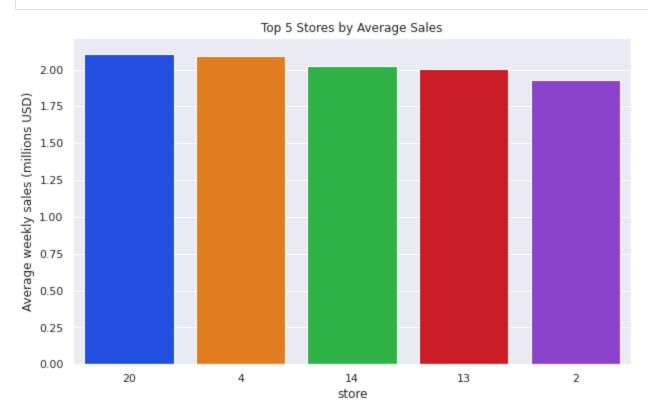
## 5. Which stores had the highest and lowest average revenues over the years?

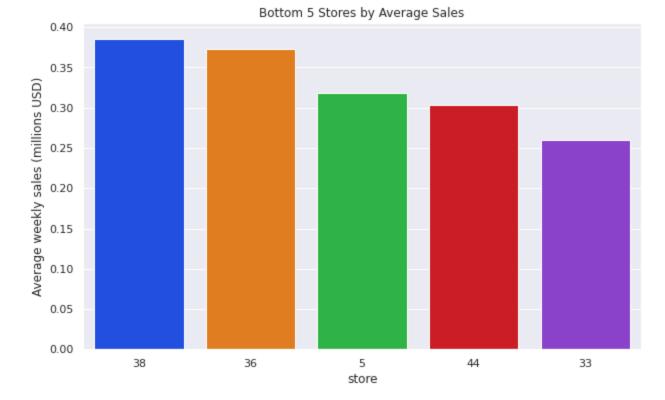
Identifying the top performing and lo performing stores or products in sales analysis can be useful for a variety of purposes. By analysing the sales data for different stores, businesses can identify opportunities for growth, understand customer preferences, optimise inventory levels, and identify potential problems or areas for improvement. Understanding the performance of different stores can inform product development and marketing efforts, as well as help businesses allocate resources more effectively and make more informed business decisions.

We will create a function that takes a dataframe as input and generates two plots showing the top and bottom performing stores in terms of average sales.

```
In [23]:
         def plot_top_and_bottom_stores(df, col):
             Plot the top and bottom 5 stores based on their average weekly sales.
             Parameters:
             df (pandas DataFrame): The dataframe containing the sales data.
             col (str): The name of the column to group the data by.
             Returns:
             None
             .....
             # Group the data by the specified column and sort it by sales in descending order
             df = df.groupby(col).mean().sort values(by='weekly sales', ascending=False)
             # Select the top 5 and bottom 5 products
             top stores = df.head(5)
             bottom stores = df.tail(5)
             # Set the color palette
             sns.set palette("bright")
             # Create a bar chart of the top 5 products
             fig, ax = plt.subplots(figsize=(10, 6))
             sns.barplot(x=top stores.index, y=top stores['weekly sales']/1e6, order=top stores.ind
             plt.title('Top 5 Stores by Average Sales')
             plt.ylabel('Average weekly sales (millions USD)')
             plt.show()
             # Create a bar chart of the bottom 5 products
             fig, ax = plt.subplots(figsize=(10, 6))
             sns.barplot(x=bottom stores.index, y=bottom stores['weekly sales']/1e6, order=bottom s
             plt.title('Bottom 5 Stores by Average Sales')
             plt.ylabel('Average weekly sales (millions USD)')
             plt.show()
```

In [24]: plot\_top\_and\_bottom\_stores(sales, 'store')





The graphs show that the top performing stores have relatively stable sales with an average of around \$2 million USD. Store 20 appears to be the top performer among these stores, with relatively little variation in sales compared to the other top performers.

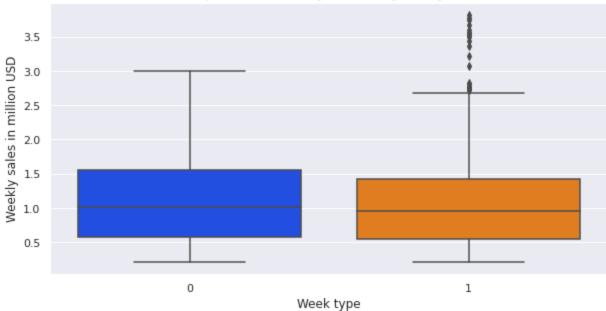
On the other hand, the lowest performing stores have higher variations in sales, with the highest sales at around \$0.38 million USD. This suggests that there may be more variability in the sales performance of these stores.

# 5. How does non-holiday weekly sales compared to holiday weekly sales?

```
In [25]: # filter out non-holiday and holiday weekly sales
    non_holiday_sales = sales[sales['holiday_flag'] == 0]
    holiday_sales = sales[sales['holiday_flag'] == 1]

In [26]: # plot box plots of non-holiday and holiday weekly sales
    fig, ax = plt.subplots(figsize=(10, 5))
    sns.boxplot(data=[holiday_sales['weekly_sales']/le6, non_holiday_sales['weekly_sales']/le6
    plt.ylabel('Weekly sales in million USD')
    plt.xlabel('Week type')
    plt.title('Box plots of non-holiday and holiday weekly sales')
    plt.show()
```

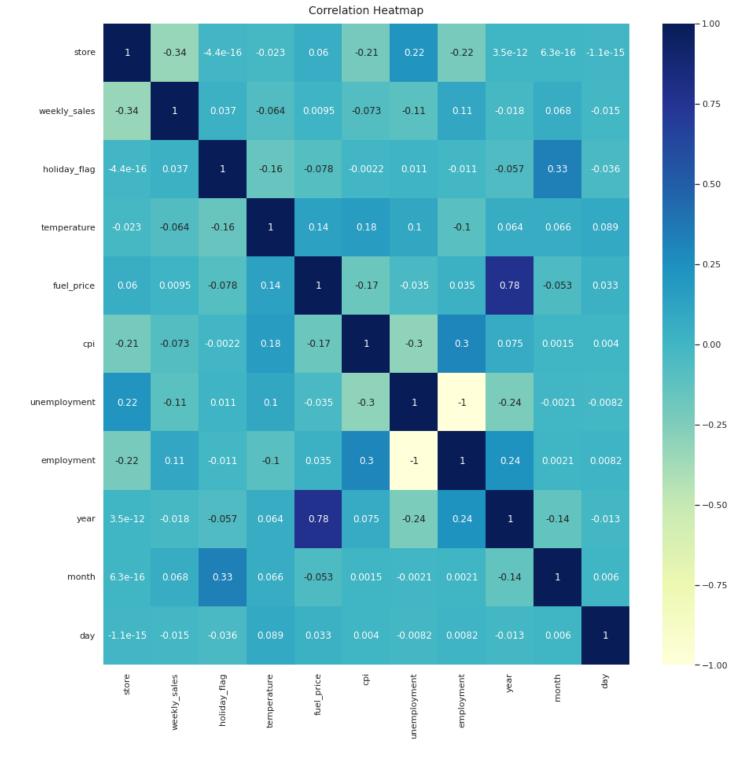
# Box plots of non-holiday and holiday weekly sales



We can see that both holiday and non-holiday weekly sales have similar spread. However, the bigger sales happen during the holiday weeks.

# 6. Are there correlations between the features of the dataset and weekly\_sales?

```
fig, ax = plt.subplots(figsize=(15,15))
heatmap = sns.heatmap(sales.corr(), vmin=-1, vmax=1, annot=True, cmap ="YlGnBu")
heatmap.set_title('Correlation Heatmap', fontdict={'fontsize':14}, pad=12);
```



Of all the weaker correlations, employment is the strongest with 0.11 correlation coefficient.

# 4. Model Selection and Evaluation

In this section, we will evaluate the performance of several different regressors on our data. We will use root mean squared error (RMSE) as our evaluation metric. RMSE is a measure of the difference between the predicted values and the true values. It is calculated as the square root of the mean squared error (MSE), where MSE is the average of the squared differences between the predicted and true values. Lower values of RMSE indicate better performance.

We will fit and evaluate the following regressors:

Linear Regression

- Decision Tree Regressor
- Random Forest Regressor

In [28]:

Support Vector Regressor, etc.

# make a copy of the dataset
sales copy = sales.copy()

We will fit each of these regressors to our training data and make predictions on the test set. Then, we will calculate the RMSE of the predictions and compare the results to choose the best regressor.

To ensure that the original dataset is not modified during the modeling process and to facilitate debugging if needed, we will create a copy of the preprocessed dataset before fitting our various models. This will help to preserve the integrity of the original data and allow us to refer to it if any issues arise during the modeling process.

```
In [29]:
           # drop the date and unemployment columns
           sales copy.drop(['date', 'unemployment'], axis=1, inplace=True)
           # check
           sales copy.head()
             store weekly_sales holiday_flag temperature fuel_price
                                                                                                        day
Out[29]:
                                                                          cpi employment year month
          0
                                                                                                          2
                     1643690.90
                                         0
                                                  42.31
                                                             2.572 211.096358
                                                                                    91.894
                                                                                          2010
                                                                                                     5
                                                                                   91.894
          1
                    1641957.44
                                                  38.51
                                                             2.548 211.242170
                                                                                          2010
                                                                                                          2
                                         1
                                                                                                    12
          2
                    1611968.17
                                         0
                                                  39.93
                                                             2.514 211.289143
                                                                                   91.894
                                                                                          2010
                                                                                                     2
                                                                                                         19
                                                             2.561 211.319643
          3
                    1409727.59
                                         0
                                                  46.63
                                                                                   91.894
                                                                                          2010
                                                                                                     2
                                                                                                         26
                    1554806.68
                                         0
                                                  46.50
                                                             2.625 211.350143
                                                                                   91.894 2010
                                                                                                     5
                                                                                                          3
                1
```

```
In [30]: X = sales_copy.drop('weekly_sales', axis=1)
y = sales_copy['weekly_sales']
```

### Scaling the features

Scaling is a preprocessing step that transforms the features of a dataset so that they have a similar scale and can improve the performance of some regression algorithms and facilitate comparison of the model's coefficients. In this project we will use standard scaler to standardize the features of the dataset.

```
In [31]: # scale the features
    scaler = StandardScaler()
    X_scaled = scaler.fit_transform(X)
```

## **Spltting the dataset**

To properly evaluate the performance of our dataset and prevent overfitting, we can use cross-validation techniques. One such technique is to split the dataset into a training set and a testing set. The training set is used to train the model, while the testing set is used to evaluate the model's performance. This can help us determine how well the model generalizes to unseen data and can identify any issues with overfitting. It is important to randomly shuffle the data before splitting it into the train and test sets, as this can help ensure that the data is representative of the overall population and not biased in any way.

```
In [32]: # split the dataset into train and test sets
    X_train, X_test, y_train, y_test = train_test_split(X_scaled, y, test_size=0.2, random_statest)
```

# Model training and evaluation

In this subsection, we will create a function that will train multiple regressors and compare their performance using the root mean square error (RMSE) metric. We will use the RMSE values to compare the performance of the various regressors and determine which model has the lowest error and is therefore the best fit for our data.

```
In [ ]:
        def evaluate model(model, X train, y train, X test, y test):
            Evaluate a model on training and test data.
            Parameters
            _____
            model : object
               A scikit-learn estimator object.
            X train : array-like or pd.DataFrame
                Training data with shape (n samples, n features).
            y train : array-like
               Training labels with shape (n samples,).
            X test : array-like or pd.DataFrame
                Test data with shape (n_samples, n features).
            y test : array-like
                Test labels with shape (n samples,).
            Returns
            _____
            rmse : float
                Root mean squared error between the test labels and the predictions.
            # train
            model.fit(X train, y train)
            # predict
            y pred = model.predict(X test)
            # calculate MSE
            mse = mean squared error(y test, y pred)
            # calculate RMSE
            rmse = np.sqrt(mse)
            return rmse
```

```
rmses = [evaluate model(regressor, X train, y train, X test, y test) for regressor in
              # create a dictionary mapping the names of the regressors to their RMSE
             regressor rmses = dict(zip(regressor names, rmses))
              # convert the dictionary to a pandas dataframe
             df = pd.DataFrame.from dict(regressor rmses, orient='index')
             # reset the index of the dataframe
             df = df.reset index()
              # rename the columns of the dataframe
             df.columns = ['regressor name', 'rmse']
             # sort the dataframe by RMSE in ascending order
             return df.sort values('rmse', ignore index=True)
In [35]:
         # initialize the regressors
         linear regressor = LinearRegression()
         polynomial features = PolynomialFeatures(degree=2)
         polynomial regressor = Pipeline([("polynomial features", polynomial features),
         ("linear_regression", linear regressor)])
         ridge regressor = Ridge()
         lasso regressor = Lasso()
         elastic net regressor = ElasticNet()
         decision tree regressor = DecisionTreeRegressor()
         random forest regressor = RandomForestRegressor()
         boosted tree regressor = GradientBoostingRegressor()
         neural network regressor = MLPRegressor()
         support vector regressor = SVR()
         grad regressor = GradientBoostingRegressor(n estimators=100, learning rate=0.1, loss='ls')
         knn regressor = KNeighborsRegressor(n neighbors=5, weights='uniform')
         spline regressor = make pipeline(PolynomialFeatures(3), LinearRegression())
In [36]:
         # collect the list of regressors
         regressors = [linear regressor, polynomial regressor, ridge regressor, lasso regressor, el
                        decision tree regressor, random_forest_regressor, boosted_tree_regressor, ne
                        support vector regressor, knn regressor, spline regressor]
          # collect the names of regressors
         regressor names = ["Linear Regression", "Polynomial Regression", "Ridge Regression", "Lass
                             "Elastic Net Regression", "Decision Tree Regression", "Random Forest Re
                             "Boosted Tree Regression", "Neural Network Regression", "Support Vector
                             "K-Nearest Neighbour Regression", "Spline Regression"]
In [37]:
         print('\033[1m Table of regressors and their RMSEs')
         evaluate regressors rmses(regressors, regressor names, X train, Y train, X test, Y test)
          Table of regressors and their RMSEs
Out[37]:
                       regressor_name
                                           rmse
                Random Forest Regression 1.166314e+05
          1
                  Decision Tree Regression 1.574946e+05
```

2

3

5

Boosted Tree Regression 1.750082e+05

Polynomial Regression 4.786478e+05

**4** K-Nearest Neighbour Regression 4.606521e+05

Spline Regression 4.376419e+05

|    | regressor_name            | rmse         |
|----|---------------------------|--------------|
| 6  | Ridge Regression          | 5.209623e+05 |
| 7  | Lasso Regression          | 5.209627e+05 |
| 8  | Linear Regression         | 5.209628e+05 |
| 9  | Elastic Net Regression    | 5.258987e+05 |
| 10 | Support Vector Regression | 5.687996e+05 |
| 11 | Neural Network Regression | 1.185254e+06 |

## **Result interpretation**

Let's interprete the result by evaluating the rmse value of the best model, the Random Forest Regressor.

```
In [38]: # evaluate rmse for the regressors
    rmse = evaluate_regressors_rmses(regressors, regressor_names, X_train, y_train, X_test, y_

In [39]: # pick the best rmse
    best_rmse = rmse.iloc[0]['rmse']
    # compute the median of the weekly sales
    median_sale = sales['weekly_sales'].median()
    # compute percentage error
    percent_deviation = round((best_rmse*100/median_sale), 2)
    # print the result
    print('The model has average percentage error of {}%'.format(percent_deviation))
```

The model has average percentage error of 12.01%

The above table shows that Random Forest Regressor outperformed all the regressors with RMSE of 1.17e+05. This provide a good estimate for future sales as it has about 12% average error compared to the typical median sale.

# 5. Conclusions

Our analysis shows that sales during holiday weeks are significantly higher than during non-holiday weeks, with sales doubling on average. Additionally, there is a strong seasonal component to the sales data. The average sales of the top performing stores are up to 500% higher than the lowest performing stores.

The best model for predicting future sales is the Random Forest Regressor model, which achieved an RMSE of 1.17e+05. This is a good estimate as it is 88% close to the median sale of the data.

These findings have important implications for businesses as they can inform decisions about inventory, staffing, and marketing efforts. By understanding the factors that drive sales and using a reliable model to forecast future sales, businesses can better plan for the future and optimize their resources.

### **Future work**

- One area that future studies could explore is the relationship between festive sales and profit margins. By augmenting the dataset with expenses data, it would be possible to investigate whether larger festive sales always translate to larger profit margins. This can inform decisions about marketing and pricing strategies.
- The analysis showed a 500% difference in sales between the top performing and lowest performing stores, which is a significant difference. This suggests that there may be underlying factors contributing to the

performance of these stores. To better understand the reasons behind the performance of these stores, it is necessary to gather additional data and parameters that may be influencing the sales of the top selling products. -Hyperparameter tuning involves adjusting the parameters of a model in order to improve its performance on a given dataset. By iteratively adjusting the parameters of the best model, it is possible to achieve an even better model.

# 6. References

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