

## Assignment – Inventory Management

### Question 1

A retailer faces demand of 800 units per month for a product. Ordering cost  $S = ₹200$  per order. Unit cost  $C = ₹100$  and holding cost is 20% of unit cost. Find EOQ and show how EOQ changes if holding cost increases by 50% and ordering cost decreases by 50%.

Step 1 – Convert to annual terms:

Monthly demand = 800 units → Annual demand  $D = 800 \times 12 = 9,600$  units/year.

Ordering cost per order  $S = ₹200$ .

Unit cost  $C = ₹100$ . Holding rate = 20% → Annual holding cost per unit  $H = ₹20$  per unit per year.

Step 2 – EOQ Formula:  $EOQ = \sqrt{2DS/H}$

$$EOQ = \sqrt{2 \times 9600 \times 200 / 20} = \sqrt{192,000} \approx 438.53 \rightarrow EOQ \approx 439 \text{ units.}$$

EOQ (Economic Order Quantity) is the order size that minimizes total cost of ordering and holding inventory. Larger orders reduce ordering cost but increase carrying cost; EOQ finds the balance.

Impact of changes:

1. Holding cost +50% →  $H = ₹30$  →  $EOQ = \sqrt{2 \times 9600 \times 200 / 30} = \sqrt{128,000} \approx 358$  units.

2. Ordering cost -50% →  $S = ₹100$  →  $EOQ = \sqrt{2 \times 9600 \times 100 / 20} = \sqrt{96,000} \approx 310$  units.

3. Both changes →  $EOQ = \sqrt{2 \times 9600 \times 100 / 30} = \sqrt{64,000} \approx 253$  units.

Interpretation: Higher holding costs or lower ordering costs both reduce EOQ, meaning smaller and more frequent orders.

### Question 2

A bookstore sells 5,000 copies per year of a bestseller. Ordering cost  $S = ₹100$  per order, and carrying cost per book  $H = ₹5$  per year. Find the optimal order quantity.

$$EOQ = \sqrt{2DS/H} = \sqrt{2 \times 5000 \times 100 / 5} = \sqrt{200,000} \approx 447 \text{ units.}$$

Hence, the bookstore should order approximately 447 copies per order to minimize total inventory cost.

Explanation: Ordering around 447 copies each time balances ordering and carrying costs, reducing overall annual cost.

### **Question 3**

A retailer sells a seasonal product at a selling price of \$20 per unit and a cost of \$12 per unit, with a salvage value of \$5 per unit. Find the critical ratio and interpret its meaning.

Underage cost ( $C_u$ ) =  $20 - 12 = \$8$ ; Overage cost ( $C_o$ ) =  $12 - 5 = \$7$ .

Critical ratio =  $C_u / (C_u + C_o) = 8 / (8 + 7) = 0.533$  or 53.3%.

Interpretation: The optimal service level is 53.3%, meaning the retailer should stock enough inventory to satisfy demand in 53.3% of demand scenarios. Since understocking cost is slightly higher, it's better to order a little more than the median forecast.