

## Random-Walk Experiment

### 1. Conclusion about relationship between $d$ , $n$ and $l$

The drunken man walks distance of ' $d$ ', with number of steps ' $n$ ' and with uniform steps ' $l$ '. He can walk in any direction, i.e., North, south, east or west. Relation that is analyzed give us the following relationship.

$$d \leq \sqrt{n} * l$$

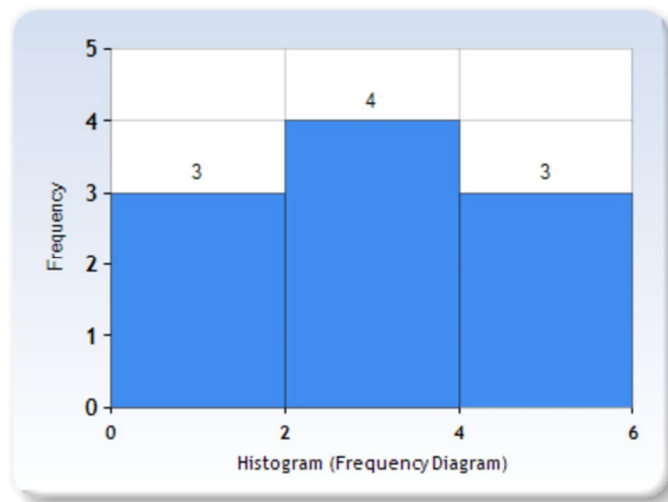
now, according to the question,  $l$  is constant as the length of each step is equal. So, that means  $d$  is directly proportionate to the square root of  $n$ .

Here is one notable thing that when the number of steps( $n$ ) are even the value of ' $d$ ' is minimum, when the number of steps( $n$ ) are odd, the value of ' $d$ ' is less than zero and for all other values of number of steps, the value of ' $d$ ' is greater than or equal to ' $n$ '.

### 2. Evidence to support the relationship

Frequency Table	
Class	Count
0-1.999999	3
2-3.999999	4
4-5.999999	3

Your Histogram	
Mean	2.52132
Standard Deviation (s)	1.43098
Lowest Score	0
Highest Score	4.242641
Distribution Range	4.24264
Total Number of Scores	10
Number of Distinct Scores	5
Lowest Class Value	0
Highest Class Value	5.999999
Number of Classes	3
Class Range	2



Above histogram shows the pattern that is analyzed above. The graph is generated by taking 10 values of ' $n$ ' where  $n=10$ . Average of the distance that is being covered is calculated which has been shown in the graph. The graph clearly shows how distance is directly proportionate to the sqrt of ' $n$ '.