1. Linear Search

	A. O(1)
	B. O(n)
	C. O(log n)
	D. O(n^2)
	Answer: A
2.	What is the worst-case time complexity of Linear Search?
	A. O(1)
	B. O(n)
	C. O(log n)
	D. O(n^2)
	Answer: B
3.	Linear Search works on:
	A. Sorted arrays only
	B. Unsorted arrays only
	C. Both sorted and unsorted arrays
	D. None of the above
	Answer: C
4.	Which of the following is a limitation of Linear Search?
	A. Requires a sorted array
	B. Inefficient for large datasets
	C. Cannot find duplicate elements
	D. None of the above
	Answer: B
5.	What is the space complexity of Linear Search?
	A. O(n)
	B. O(log n)
	C. O(1)
	D. O(n^2)
	Answer: C
6.	Which of the following is true about Linear Search?
	A. It is a greedy algorithm
	B. It works by dividing the array
	C. It sequentially checks each element
	D. It requires additional memory
	Answer: C
7.	, , , , , , , , , , , , , , , , , , ,
	A. O(n)
	B. O(n/2)
	C. O(log n)

1. What is the best-case time complexity of Linear Search?

D. O(1)
Answer: A

- 8. In Linear Search, how many comparisons are needed in the worst case for an array of size 10?
 - A. 1
 - B. 5
 - C. 10
 - D. 20

Answer: C

- 9. Linear Search is not preferred for large datasets because:
 - A. It has high time complexity
 - B. It requires additional space
 - C. It works only for integers
 - D. None of the above

Answer: A

- 10. Linear Search is also known as:
 - A. Binary Search
 - B. Sequential Search
 - C. Divide and Conquer Search
 - D. Greedy Search

Answer: B

2. Binary Search

- 1. What is the prerequisite for Binary Search?
 - A. The array must be unsorted
 - B. The array must be sorted
 - C. The array must contain only unique elements
 - D. None of the above

Answer: B

- 2. What is the time complexity of Binary Search in the worst case?
 - A. O(1)
 - B. O(log n)
 - C. O(n)
 - D. O(n log n)

Answer: B

- 3. What is the space complexity of Binary Search using recursion?
 - A. O(1)
 - B. O(n)
 - C. O(log n)
 - D. O(n²)

Answer: C

 4. What happens when Binary Search is applied to an unsorted array? A. It works fine B. It gives incorrect results C. It may work sometimes D. None of the above Answer: B 5. What is the best-case time complexity of Binary Search? A. O(1) B. O(log n) C. O(n) D. O(n log n) Answer: A 6. Which of the following is true about Binary Search? A. It uses a Greedy Algorithm B. It uses Divide and Conquer C. It works on unsorted data D. It has O(n) time complexity in the worst case Answer: B 7. How many comparisons does Binary Search need in the worst case for an array of size 16? A. 4 B. 8 C. 16 D. 2 Answer: A 8. What is the recurrence relation for Binary Search? A. T(n) = T(n/2) + O(log n) C. T(n) = T(n/2) + O(log n) C. T(n) = T(n/2) + O(n) Answer: A 9. If the array size is doubled, the number of steps in Binary Search: A. Doubles B. Increases linearly C. Increases linearly C. Increases logarithmically D. Remains the same Answer: C 10. Binary Search is faster than Linear Search for large datasets because: A. It scans the entire array B. It reduces the search space by half in each step 		
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A. It scans the entire array	10	
•	. 5	
		•

C. It uses dynamic programming

D. None of the above

3. Ternary Search

1. What is the key difference between Binary Search and Ternary Search?

- A. Binary Search divides into 3 parts, Ternary Search into 2
- B. Ternary Search divides into 3 parts, Binary Search into 2
- C. Ternary Search uses dynamic programming
- D. None of the above

Answer: B

2. What is the time complexity of Ternary Search in the worst case?

- A. O(1)
- B. O(log n base 2)
- C. O(log n base 3)
- D. O(n)

Answer: C

3. What is the best-case time complexity of Ternary Search?

- A. O(1)
- B. O(log n base 2)
- C. O(log n base 3)
- D. O(n)

Answer: A

4. Ternary Search is most suitable for:

- A. Unsorted arrays
- B. Functions with a single peak or valley
- C. Large unsorted datasets
- D. None of the above

Answer: B

5. The recurrence relation for Ternary Search is:

- A. T(n) = T(n/3) + O(1)
- B. T(n) = T(2n/3) + O(1)
- C. T(n) = T(n/3) + O(n)
- D. T(n) = T(n/2) + O(1)

Answer: A

6. What is the space complexity of Ternary Search?

- A. O(1)
- B. O(log n base 3)
- C. O(n)
- D. O(log n base 2)

Answer: A

7. Ternary Search divides the array into:

- A. Two equal parts
- B. Three equal parts
- C. Four equal parts

	D. None of the above
0	Answer: B
8.	Ternary Search is primarily used for:
	A. Binary trees B. Optimizing unimodal functions
	C. Sorting algorithms
	D. Large-scale database queries
	Answer: B
9	If the array size is 81, how many comparisons are needed in the worst case using
0.	Ternary Search?
	A. 4
	B. 3
	C. 5
	D. 6
	Answer: C
10). Ternary Search is slower than Binary Search because:
	A. It has higher overhead in splitting the array
	B. It processes fewer elements per step
	C. It requires sorting
	D. None of the above
	Answer: A
4. Me	erge Sort
1.	Merge Sort is based on which algorithmic technique?
	A. Greedy
	B. Divide and Conquer
	C. Dynamic Programming
	D. Backtracking
	Answer: B
2.	What is the best-case time complexity of Merge Sort?
	A. O(n)
	B. O(n log n) C. O(log n)
	(. ()()()() ()
	D. O(n^2)
2	D. O(n^2) Answer: B
3.	D. O(n^2) Answer: B What is the worst-case time complexity of Merge Sort?
3.	D. O(n^2) Answer: B What is the worst-case time complexity of Merge Sort? A. O(n)
3.	D. O(n^2) Answer: B What is the worst-case time complexity of Merge Sort? A. O(n) B. O(n log n)
3.	D. O(n^2) Answer: B What is the worst-case time complexity of Merge Sort? A. O(n) B. O(n log n) C. O(log n)
3.	D. O(n^2) Answer: B What is the worst-case time complexity of Merge Sort? A. O(n) B. O(n log n) C. O(log n) D. O(n^2)
	D. O(n^2) Answer: B What is the worst-case time complexity of Merge Sort? A. O(n) B. O(n log n) C. O(log n)

	B. O(n)
	C. O(log n)
	D. O(n log n)
	Answer: B
5.	What is the main advantage of Merge Sort over Quick Sort?
	A. Better average-case complexity
	B. Works well with small datasets
	C. Stable sorting
	D. Less memory usage
	Answer: C
6.	Merge Sort is more efficient than Bubble Sort for:
	A. Small datasets
	B. Sorted datasets
	C. Large datasets
	D. None of the above
	Answer: C
7.	What is the recurrence relation for Merge Sort?
	A. $T(n) = 2T(n/2) + O(n)$
	B. $T(n) = T(n/2) + O(n)$
	C. $T(n) = T(n-1) + O(1)$
	D. T(n) = T(n) + O(n)
•	Answer: A
8.	In Merge Sort, merging two sorted arrays requires:
	A. O(1) time
	B. O(log n) time
	C. O(n) time
	D. O(n^2) time Answer: C
0	
9.	What type of problems is Merge Sort most suited for? A. In-place sorting
	B. Sorting linked lists
	C. Sorting small datasets
	D. Finding duplicates
	Answer: B
10	. If the input size is 32, how many levels will the recursion tree of Merge Sort have?
	A. 4
	B. 5
	C. 6
	D 8

5. Quick Sort

Answer: A

1.	Quick Sort is based on which algorithmic technique? A. Dynamic Programming
	B. Divide and Conquer
	C. Backtracking
	D. Greedy
2	Answer: B
۷.	What is the best-case time complexity of Quick Sort?
	A. O(n)
	B. O(n log n) C. O(n^2)
	D. O(log n)
	Answer: B
3	What is the worst-case time complexity of Quick Sort?
J.	A. O(n log n)
	B. O(n)
	C. O(log n)
	D. O(n^2)
	Answer: D
4.	What is the average-case time complexity of Quick Sort?
•	A. O(n)
	B. O(n log n)
	C. O(log n)
	D. O(n^2)
	Answer: B
5.	What is the space complexity of Quick Sort for in-place sorting?
	A. O(1)
	B. O(n)
	C. O(log n)
	D. O(n log n)
	Answer: C
6.	Which element is typically chosen as the pivot in Quick Sort?
	A. The first element
	B. The last element
	C. The middle element
	D. Any of the above
	Answer: D
7.	Quick Sort is preferred over Merge Sort when:
	A. Memory is limited
	B. Stability is required
	C. The dataset is linked
	D. None of the above

- 8. What is the recurrence relation for Quick Sort in the average case?
 - A. T(n) = T(n/2) + O(n)
 - B. T(n) = 2T(n/2) + O(n)
 - C. $T(n) = T(n/4) + O(n \log n)$
 - D. T(n) = T(n-1) + O(n)

Answer: A

- 9. The partitioning step in Quick Sort has a time complexity of:
 - A. O(1)
 - B. O(log n)
 - C. O(n)
 - D. O(n^2)

Answer: C

- 10. If Quick Sort is implemented with random pivot selection, the expected time complexity is:
 - A. O(n)
 - B. O(n log n)
 - C. O(n^2)
 - D. O(log n)

Answer: B

6. Longest Common Subsequence (LCS)

- 1. What is the time complexity of LCS using dynamic programming?
 - A. O(m+n)
 - B. O(m*n)
 - C. O(2ⁿ)
 - D. O(m² * n²)

Answer: B

- 2. What does LCS stand for?
 - A. Longest Common Substring
 - B. Longest Contiguous Subsequence
 - C. Longest Common Subsequence
 - D. Largest Consecutive Subset

Answer: C

- 3. LCS is useful for:
 - A. Finding the shortest path
 - B. Comparing two sequences
 - C. Sorting an array
 - D. None of the above

- 4. What is the base case in the DP solution for LCS?
 - A. When one string is empty
 - B. When both strings are of equal length
 - C. When both strings are identical

	D. None of the above
	Answer: A
5.	The space complexity of the iterative DP LCS implementation is:
	A. O(m + n)
	B. O(m * n)
	C. O(max(m, n))
	D. O(1)
	Answer: B
6.	Which property does LCS rely on to compute its solution?
	A. Divide and Conquer
	B. Overlapping Subproblems
	C. Greedy Strategy
	D. Backtracking
	Answer: B
7.	If the strings are "ABC" and "ABD," what is the length of their LCS?
	A. 2
	B. 3
	C. 1
	D. 0
_	Answer: A
8.	LCS can be used in which of the following applications?
	A. DNA sequence alignment
	B. Text comparison
	C. File difference checking
	D. All of the above
_	Answer: D
9.	The recurrence relation for LCS is:
	A. $LCS(i, j) = max(LCS(i-1, j), LCS(i, j-1))$
	B. $LCS(i, j) = LCS(i-1, j-1) + 1$ (if $x[i] == y[j]$)
	C. Both A and B
	D. None of the above
40	Answer: C
10.	. What happens when two strings have no common subsequence?
	A. The LCS length is -1
	B. The LCS length is 0
	C. The LCS length is 1
	D. None of the above
	Answer: B

7. 0/1 Knapsack Problem

- 1. What type of algorithmic technique is used to solve the 0/1 Knapsack problem optimally?
 - A. Greedy Algorithm
 - B. Dynamic Programming
 - C. Divide and Conquer
 - D. Backtracking

Answer: B

- 2. The 0/1 Knapsack problem is called so because:
 - A. Items can be partially included
 - B. Items can be completely included or excluded
 - C. It requires a binary search
 - D. None of the above

Answer: B

- 3. What is the time complexity of the 0/1 Knapsack problem using dynamic programming?
 - A. O(n log n)
 - B. O(nW)
 - C. O(2ⁿ)
 - D. O(n^2)

Answer: B

(where nnn is the number of items and WWW is the capacity of the knapsack)

- 4. What is the space complexity of the 0/1 Knapsack problem using a 2D DP table?
 - A. O(n)
 - B. O(W)
 - C. O(nW)
 - D. O(1)

Answer: C

- 5. What is the recurrence relation for solving the 0/1 Knapsack problem?
 - A. T(n)=T(n-1)+WT(n) = T(n-1) + WT(n)=T(n-1)+W
 - B. $dp[i][w]=max(dp[i-1][w],dp[i-1][w-wt[i]]+val[i])dp[i][w] = \max(dp[i-1][w],dp[i-1][w-wt[i]]$
 - + val[i])dp[i][w]=max(dp[i-1][w],dp[i-1][w-wt[i]]+val[i])
 - C. dp[i][w]=dp[i-1][w]+wt[i]dp[i][w] = dp[i-1][w] + wt[i]dp[i][w]=dp[i-1][w]+wt[i]
 - D. None of the above

Answer: B

- 6. Which of the following is true about the 0/1 Knapsack problem?
 - A. It can always be solved using a greedy approach
 - B. It cannot be solved using recursion
 - C. It can be solved using dynamic programming or recursion
 - D. It is faster than Fractional Knapsack

Answer: C

- 7. In the 0/1 Knapsack problem, if the capacity W=0W = 0W=0, the maximum profit is:
 - A. Infinity

- B. 0
- C. Sum of item values
- D. Not defined **Answer: B**

8. The solution to the 0/1 Knapsack problem involves:

- A. Selecting items with the highest value-to-weight ratio first
- B. Considering each item for inclusion or exclusion
- C. Dividing the items into two subsets
- D. Sorting items by value

Answer: B

9. What is the output of the 0/1 Knapsack problem?

- A. A list of selected items only
- B. The maximum possible profit only
- C. Both selected items and maximum profit
- D. Total weight of the selected items

Answer: C

10. Which of the following problems is closely related to the 0/1 Knapsack problem?

- A. Longest Common Subsequence
- B. Subset Sum Problem
- C. Fractional Knapsack Problem
- D. Shortest Path Problem

Answer: B

11. Which data structure is most commonly used to implement the dynamic programming solution for the 0/1 Knapsack problem?

- A. Stack
- B. Queue
- C. 2D Array
- D. Binary Tree

Answer: C

12. In the 0/1 Knapsack problem, the greedy approach fails when:

- A. All items have the same weight
- B. All items have the same value
- C. The item with the highest value-to-weight ratio is not part of the optimal solution
- D. The knapsack capacity is greater than the sum of weights

Answer: C

13. The optimal substructure property of the 0/1 Knapsack problem means:

- A. It can be solved using divide and conquer
- B. The solution of a subproblem is part of the solution of the overall problem
- C. It cannot be solved using recursion
- D. The problem has overlapping subproblems

Answer: B

14. How can the space complexity of the 0/1 Knapsack problem be reduced from O(nW)O(nW)O(nW)?

A. By using a greedy approach

15	B. By using a 1D DP array C. By pre-sorting the items D. By using binary search Answer: B If there are 5 items and the capacity of the knapsack is 10, the size of the DP table in a dynamic programming solution will be: A. 5 x 10 B. 6 x 11 C. 5 x 11
	D. 6 x 10
	Answer: B
8. Fa	ctorial
2.	What is the time complexity of the iterative approach to calculate factorial? A. O(n!) B. O(log n) C. O(n) D. O(1) Answer: C Which of the following is the base case in recursive factorial implementation? A. n == 1 B. n == 0 C. Both A and B D. None of the above Answer: C Which data structure is used to maintain function calls during recursion? A. Stack B. Queue C. Linked List D. Heap Answer: A What happens if the factorial function is called with a negative number?
7.	A. It returns a positive value B. It throws an error C. It results in infinite recursion D. None of the above Answer: C
5.	Factorial of 0 is: A. Undefined B. 1 C. 0 D. Infinite Answer: B

1	6.	Factorial grows at which rate? A. Linear B. Polynomial C. Exponential D. Logarithmic Answer: C
	7.	What is the result of 5! (5 factorial)? A. 100 B. 120 C. 150 D. 110 Answer: B
	8.	Which of the following applications uses factorial? A. Graph Traversal B. Permutations and Combinations C. Sorting D. Searching Answer: B
,	9.	Which is true for the space complexity of a recursive factorial function? A. O(1) B. O(n) C. O(log n) D. O(n^2) Answer: B
	10.	What is the factorial of 1? A. 1 B. 0 C. Undefined D. None of the above Answer: A
9. F	₹ib	onacci
	1.	The time complexity of naive recursion for Fibonacci is: A. O(n) B. O(2^n) C. O(log n) D. O(n^2)
:	2.	Answer: B Dynamic Programming reduces Fibonacci time complexity to: A. O(n) B. O(log n) C. O(2^n)

	D. O(n^2)
	Answer: A
3.	What is the Fibonacci number at position 0?
	A. 1
	B. 0
	C. Undefined
	D. None of the above
	Answer: B
4.	What is the Fibonacci number at position 1?
	A. 0
	B. 1
	C. 2
	D. None of the above
	Answer: B
5.	Which formula represents the Fibonacci sequence?
	A. $F(n) = F(n-1) + F(n-2)$
	B. $F(n) = F(n+1) + F(n-1)$
	C. $F(n) = 2 * F(n-1)$
	D. $F(n) = n * F(n-1)$
	Answer: A
6.	Space complexity of dynamic programming implementation for Fibonacci is:
	A. O(1)
	B. O(n)
	C. O(log n)
	D. O(n^2)
_	Answer: B
7.	How can Fibonacci be optimized further than O(n)?
	A. Using matrix exponentiation
	B. Using recursion
	C. Using backtracking
	D. It cannot be optimized further
•	Answer: A
8.	Fibonacci sequence grows at what rate?
	A. Linearly
	B. Exponentially
	C. Quadratically
	D. Logarithmically Answer: B
0	
9.	Which approach is most efficient for large Fibonacci numbers? A. Iterative
	B. Recursive
	C. Dynamic Programming
	D. Matrix Exponentiation
	Answer: D
	Allower D

- 10. The 5th Fibonacci number is:
 - A. 3
 - B. 5
 - C. 8
 - D. 13

Answer: B

10. Fractional Knapsack

1. Fractional Knapsack is different from 0/1 Knapsack because:

- A. Items can be taken partially
- B. It is solved using dynamic programming
- C. It uses the Divide and Conquer approach
- D. None of the above

Answer: A

2. The time complexity of the Fractional Knapsack algorithm is:

- A. O(n log n)
- B. O(n^2)
- C. O(2ⁿ)
- D. O(log n)

Answer: A

3. Fractional Knapsack is solved using which approach?

- A. Dynamic Programming
- B. Backtracking
- C. Greedy Algorithm
- D. Divide and Conquer

Answer: C

4. The property used to maximize profit in Fractional Knapsack is:

- A. Maximum weight
- B. Maximum profit
- C. Maximum profit-to-weight ratio
- D. Minimum weight

Answer: C

5. If the capacity of the knapsack is exceeded, the item is:

- A. Ignored
- B. Partially included
- C. Fully included
- D. None of the above

Answer: B

6. Which of the following applications uses Fractional Knapsack?

- A. Resource Allocation
- B. Task Scheduling
- C. Investment Planning

- D. All of the above Answer: D 7. Which is true about the Fractional Knapsack algorithm? A. It always gives an optimal solution B. It does not always guarantee an optimal solution C. It works only for integer weights D. None of the above Answer: A profit-to-weight ratio is: A. 2 B. 50
- 8. In Fractional Knapsack, if an item has a profit of 100 and weight of 50, its

 - C. 0.5
 - D. 100

Answer: A

- 9. Which sorting criterion is used in Fractional Knapsack?
 - A. Profit
 - B. Weight
 - C. Profit-to-weight ratio
 - D. None of the above

Answer: C

- 10. What happens when the knapsack is completely filled?
 - A. Remaining items are ignored
 - B. Remaining items are partially considered
 - C. Remaining items are fully included
 - D. None of the above

Answer: A

11. Coin Change

- 1. The time complexity of the Coin Change problem using dynamic programming is:
 - A. O(amount * n)
 - B. O(2ⁿ)
 - C. O(n^2)
 - D. O(amount log n)

Answer: A

- 2. What is the minimum value returned when no combination of coins can make up the amount?
 - A. -1
 - B. Infinity
 - C. 0
 - D. None of the above

Answer: A

•	
3.	Which paradigm is used in the Coin Change problem?
	A. Greedy Algorithm
	B. Divide and Conquer
	C. Dynamic Programming
	D. Backtracking
	Answer: C
4.	What is the base case in the Coin Change problem?
	A. If amount = 0
	B. If no coins are left
	C. Both A and B
	D. None of the above
	Answer: A
5.	Which property does the DP solution for Coin Change rely on?
	A. Overlapping Subproblems
	B. Divide and Conquer
	C. Greedy Strategy
	D. Backtracking
	Answer: A
6.	If coins are {1, 2, 5} and the amount is 11, what is the minimum number of coins
	needed?
	A. 5
	B. 3
	C. 2
	D. 4
	Answer: B
7.	What is the time complexity of the Coin Change problem using a recursive
	solution?
	A. O(n^2)
	B. O(2^amount)
	C. O(n * amount)
	D. O(log n)
	Answer: B
8.	The greedy algorithm for Coin Change always works when:
	A. Coins are in any order
	B. Coins are divisible by each other
	C. The coin denominations are powers of 2
	D. Both B and C
	Answer: D
9.	In the Coin Change problem, if the denominations are {2, 3, 7} and the amount is
	12, what is the minimum number of coins required?
	A. 4
	B. 3
	C. 5

D. 2

Answer: B

10. Which of the following problems is similar to Coin Change?

- A. 0/1 Knapsack
- B. Fractional Knapsack
- C. Subset Sum Problem
- D. Longest Common Subsequence

Answer: C

12. Breadth-First Search (BFS)

- 1. BFS is based on which data structure?
 - A. Stack
 - B. Queue
 - C. Priority Queue
 - D. Linked List

Answer: B

- 2. What is the time complexity of BFS for a graph with VVV vertices and EEE edges?
 - A. O(V)
 - B. O(E)
 - C. O(V + E)
 - D. O(VE)

Answer: C

- 3. BFS is typically used for:
 - A. Finding shortest path in unweighted graphs
 - B. Topological sorting
 - C. Depth-first traversal
 - D. Minimum spanning tree

Answer: A

- 4. Which of the following applications can use BFS?
 - A. Solving mazes
 - B. Detecting cycles in undirected graphs
 - C. Finding connected components
 - D. All of the above

Answer: D

- 5. Which of the following is NOT a property of BFS?
 - A. BFS always finds the shortest path in an unweighted graph
 - B. BFS uses recursion
 - C. BFS requires a queue to track vertices
 - D. BFS visits all vertices at the same depth level before going deeper

6. How does BFS handle disconnected graphs?

- A. By marking visited nodes
- B. By starting BFS from each unvisited node
- C. By ignoring disconnected components
- D. By running DFS instead

Answer: B

7. What is the space complexity of BFS?

- A. O(V)
- B. O(E)
- C. O(V + E)
- D. O(V²)

Answer: A

8. If BFS is applied on a tree, it is also known as:

- A. Depth-first traversal
- B. Level-order traversal
- C. Pre-order traversal
- D. Post-order traversal

Answer: B

9. Which of the following statements is true about BFS?

- A. BFS works better with weighted graphs
- B. BFS requires backtracking
- C. BFS uses a FIFO queue
- D. BFS is a recursive algorithm

Answer: C

10. If a graph has VVV vertices and no edges, BFS will:

- A. Visit all vertices
- B. Visit no vertices
- C. Visit only the start vertex
- D. Result in an error

Answer: A

13. Depth-First Search (DFS)

1. DFS is based on which data structure?

- A. Queue
- B. Stack
- C. Priority Queue
- D. Linked List

Answer: B

2. What is the time complexity of DFS for a graph with VVV vertices and EEE edges?

- A. O(V)
- B. O(E)
- C. O(V + E)

D. O(VE)
Answer: C

3. **DFS** is typically used for:

- A. Finding shortest paths in unweighted graphs
- B. Detecting cycles in a graph
- C. Finding the minimum spanning tree
- D. Breadth-first traversal

Answer: B

4. Which of the following problems can DFS solve efficiently?

- A. Topological sorting
- B. Strongly connected components
- C. Path existence
- D. All of the above

Answer: D

5. DFS can be implemented using:

- A. Recursion
- B. Iteration with a stack
- C. Both A and B
- D. Neither A nor B

Answer: C

6. What is the space complexity of DFS in its recursive form?

- A. O(1)
- B. O(V)
- C. O(E)
- D. O(V + E)

Answer: B

7. If DFS is applied on a tree, it is equivalent to:

- A. Level-order traversal
- B. Pre-order, In-order, or Post-order traversal
- C. Random-order traversal
- D. None of the above

Answer: B

8. In DFS, the visited nodes are typically marked to:

- A. Avoid cycles
- B. Improve time complexity
- C. Avoid revisiting nodes
- D. All of the above

Answer: D

9. In a directed graph, DFS can be used to:

- A. Detect back edges
- B. Identify articulation points
- C. Detect strongly connected components
- D. All of the above

Answer: D

10. If DFS is applied to a graph with no edges, the number of connected components

is:

A. 0

B. 1

C. VVV

D. Undefined

Answer: C

14. Dijkstra's Algorithm

1. Dijkstra's algorithm is used to find:

- A. Minimum Spanning Tree
- B. Shortest Path in a graph
- C. Longest Path in a graph
- D. Strongly Connected Components

Answer: B

2. Dijkstra's algorithm works on which type of graph?

- A. Graphs with negative edge weights
- B. Graphs with positive edge weights only
- C. Undirected graphs
- D. Both B and C

Answer: D

3. The data structure commonly used to implement Dijkstra's algorithm is:

- A. Stack
- B. Queue
- C. Priority Queue
- D. Binary Search Tree

Answer: C

4. The time complexity of Dijkstra's algorithm with a priority queue and adjacency

list is:

- A. O(V^2)
- B. $O(V + E \log V)$
- C. O(V log E)
- D. O(E log V)

Answer: B

5. What is the initialization step in Dijkstra's algorithm?

- A. All distances are set to 0
- B. All distances are set to infinity except the source
- C. All nodes are marked as visited
- D. All edges are sorted by weight

Answer: B

6. Which property does Dijkstra's algorithm rely on?

- A. Greedy Strategy
- B. Dynamic Programming

- C. Divide and Conquer
- D. Backtracking

Answer: A

- 7. Dijkstra's algorithm can fail to give the correct solution if the graph contains:
 - A. Self-loops
 - B. Negative edge weights
 - C. Parallel edges
 - D. None of the above

Answer: B

- 8. What is the stopping condition for Dijkstra's algorithm?
 - A. All nodes are visited
 - B. All edges are processed
 - C. The shortest path to the destination node is found
 - D. Both A and C

Answer: D

- 9. What is the primary difference between Dijkstra's and Bellman-Ford algorithms?
 - A. Dijkstra's works with negative weights, Bellman-Ford does not
 - B. Bellman-Ford works with negative weights, Dijkstra's does not
 - C. Dijkstra's is slower than Bellman-Ford
 - D. Bellman-Ford uses a priority queue

Answer: B

- 10. If there are V vertices and E edges, the space complexity of Dijkstra's algorithm is:
 - A. O(V^2)
 - B. O(V + E)
 - C. O(V log V)
 - D. O(VE)

Answer: B

15. Kruskal's Algorithm

- 1. Kruskal's algorithm is used to find:
 - A. Shortest Path
 - B. Minimum Spanning Tree
 - C. Longest Path
 - D. Strongly Connected Components

Answer: B

- 2. What type of graph does Kruskal's algorithm work on?
 - A. Directed Graphs
 - B. Undirected Graphs
 - C. Both A and B
 - D. None of the above

- 3. What is the time complexity of Kruskal's algorithm when using Union-Find?
 - A. O(V^2)

- B. O(E log E)
- C. O(E log V)
- D. O(V log E)

Answer: B

4. Which sorting algorithm is commonly used in Kruskal's algorithm?

- A. Bubble Sort
- B. Merge Sort
- C. Quick Sort
- D. Any efficient sorting algorithm

Answer: D

5. The Kruskal algorithm uses which data structure to detect cycles?

- A. Priority Queue
- B. Union-Find (Disjoint Set)
- C. Adjacency Matrix
- D. Graph Coloring

Answer: B

6. The first step in Kruskal's algorithm is to:

- A. Sort all edges by their weight
- B. Pick the heaviest edge
- C. Initialize a single vertex
- D. Use DFS to explore the graph

Answer: A

7. In Kruskal's algorithm, how are edges added to the MST?

- A. Randomly
- B. Based on weight (smallest first)
- C. Based on vertex order
- D. None of the above

Answer: B

8. Kruskal's algorithm terminates when:

- A. All vertices are connected
- B. All edges are processed
- C. Cycle detection fails
- D. A specific weight is reached

Answer: A

9. What is the main difference between Kruskal's and Prim's algorithms?

- A. Kruskal's uses adjacency matrix
- B. Kruskal's works edge by edge, Prim's works vertex by vertex
- C. Kruskal's is for directed graphs only
- D. Prim's does not guarantee an MST

Answer: B

10. What type of approach does Kruskal's algorithm follow?

- A. Dynamic Programming
- B. Greedy Algorithm
- C. Divide and Conquer

D. Backtracking