

Lab Project

16 August 2017

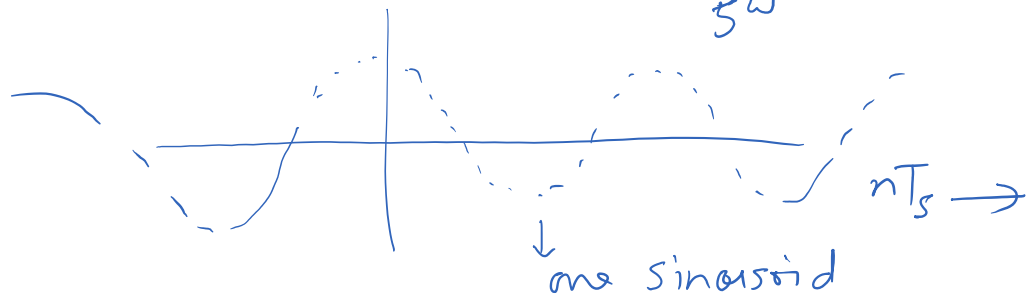
10:07

1. Generate a signal

$$x(t) = A \cos \omega_1 t + B \cos \omega_2 t$$

as $x(n)$ by sampling it at $\frac{1}{5}$ times ^{rate} $\max(\omega_1, \omega_2)$.

$$T_s = \frac{2\pi}{5\omega} \times \frac{1}{5}$$



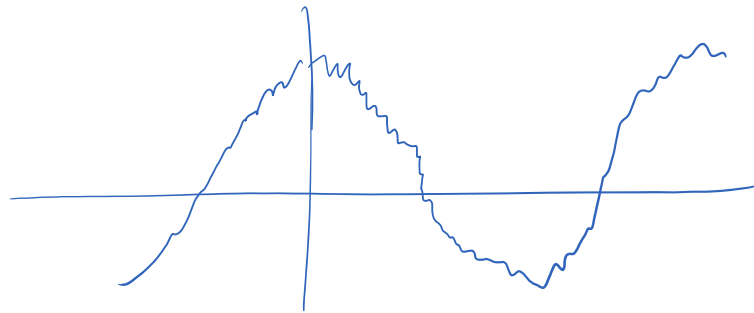
$$N = \text{Total data size} = 10 \text{ cycles}$$

2. Add some noise to $x(n)$.

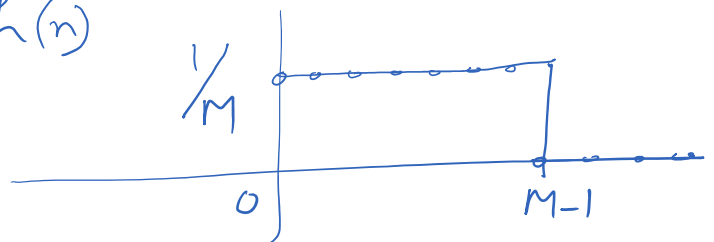
$$\hat{x}(n) = x(n) + \sigma \times \text{rand}(-\frac{1}{2}, \frac{1}{2})$$

noise power

$$\text{select } \sigma \ll |A| \text{ or } |B|$$



3. Do filtering $h(n)$



4. observe & comment

- a) Repeat filtering by varying 'M'.
- b) Repeat experiment by varying σ also

c) Replace $h(n)$ by



and change M and compare the results with that of $f(n)$.

d) Replace $h(n)$ by

$$\begin{aligned} h(n) &= \delta(n) + p(\delta(n) - \delta(n-1)) \\ &= (1+p)\delta(n) - p\delta(n-1) \\ &\quad 0 < p < 1 \end{aligned}$$

observe what happens by varying p .

5. { Collect your speech signal for 16 sec.
Then use the above filters and
play back the sound. Explain what
you observe.

(or)

Take a picture (good quality);
and repeat (5).