

### Quiz No.1

**True or false:**

1- Using higher precision arithmetic will make an ill-conditioned problem well conditioned.

False

2-  $\frac{e^x-1}{x}$  gives more accurate solution than  $\frac{e^x-1}{\ln(x)}$  if  $x$  is small.

False

3- Let  $x_k$  be a monotonically decreasing, finite sequence of positive numbers.

To minimize rounding error, the sequence should be summed in decreasing order.

True

3- If a matrix is singular then it can not have an LU factorization.

False

If a linear system is well-conditioned then pivoting is unnecessary in Gaussian

Elimination.

False

## Quiz No.2

1.

Consider the normalized floating point number system  $\mathcal{F}$  defined by  $(t, \beta, L, U) = (4, 8, -3, 3)$  containing numbers of the form  $[\pm 0.d_1 d_2 d_3 d_4]_{\beta} \times \beta^p$ , where  $d_i \in \{0, 1, \dots, 7\}$ ,  $p \in \{-3, -2, -1, 0, 1, 2, 3\}$  and  $d_1 \neq 0$  (except when all  $d_i = 0$ , representing a value of 0). What is the smallest positive number in  $\mathcal{F}$ ?

2.

True or false:

If two real numbers are exactly representable as floating-point numbers, then the result of a real arithmetic operation on them will also be representable as a floating-point number.

3.

In a floating-point system with precision  $p = 6$  decimal digits, let  $x = 1.23456$  and  $y = 1.23579$ . If the floating-point system is normalized, what is the minimum exponent range for which  $x$ ,  $y$ , and  $y - x$  are all exactly representable?

4.

Given the three data points  $(-1, 1)$ ,  $(0, 0)$ ,  $(1, 1)$ , determine the interpolating polynomial of degree two Using the Lagrange basis