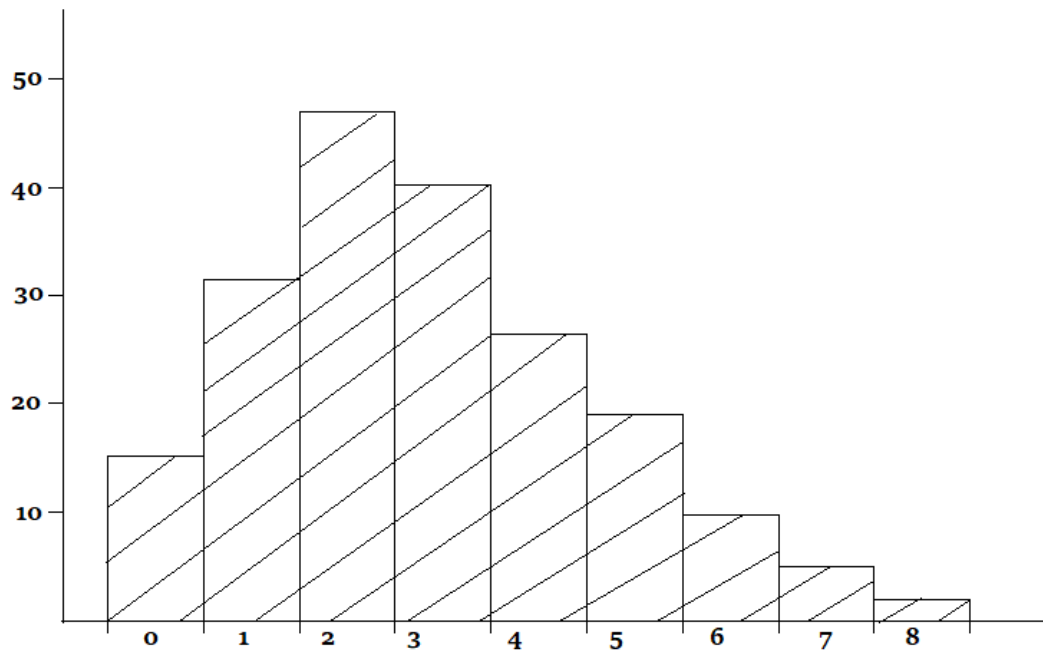


Question One

Large numbers are characterized by errors, deviations, and differences. At the same time, statistics is based on large numbers. Therefore, large numbers make statistics non-intuitive. They make it difficult to trust statistics due to frequent changes and existing differences.

Question Two

a.



- b. The histogram has a right tail indicating the data is skewed to the right. It is not symmetrical. Therefore, central tendency cannot be easily determined using the chart.

Question Three

X	$(x - \bar{x})$	$(x - \bar{x})^2$
25	7.1111	50.56774
18	0.1111	0.012343
23	5.1111	26.12334
16	-1.8889	3.567943
16	-1.8889	3.567943

14	-3.8889	15.12354
22	4.1111	16.90114
17	-0.8889	0.790143
10	-7.8889	62.23474
161		178.8889

a. Mean

$$\Sigma x_i / n$$

$$= 161/9$$

$$= \mathbf{17.8889}$$

b. Variance

$$= \Sigma (x_i - \bar{x})^2 / n - 1$$

$$= 178.8889 / 8$$

$$= \mathbf{22.3611}$$

c. Standard deviation

$$\sqrt{22.3611}$$

$$= \mathbf{4.7288}$$

Question Four

X	(x - \bar{x})	(x - \bar{x})²
10.3	0.4600	0.2116
11.1	1.2600	1.5876
9.6	-0.2400	0.0576
9.0	-0.8400	0.7056
14.5	4.6600	21.7156
13.0	3.1600	9.9856
6.7	-3.1400	9.8596
11.0	1.1600	1.3456
8.4	-1.4400	2.0736
10.3	0.4600	0.2116
8.0	-1.8400	3.3856
11.2	1.3600	1.8496

7.3	-2.5400	6.4516
5.3	-4.5400	20.6116
12.5	2.6600	7.0756
8.0	-1.8400	3.3856
11.8	1.9600	3.8416
8.7	-1.1400	1.2996
10.6	0.7600	0.5776
9.5	-0.3400	0.1156
$\Sigma = 196.8$		$\Sigma = 96.348$

a. Mean

$$\Sigma x_i / n$$

$$= 196.8/20$$

$$= \mathbf{9.84}$$

b. Variance

$$= \Sigma (x_i - \bar{x})^2 / n - 1$$

$$= 96.348/19$$

$$= \mathbf{5.0709}$$

c. Standard deviation

$$\sqrt{5.0709}$$

$$= \mathbf{2.2519}$$

d. Histogram

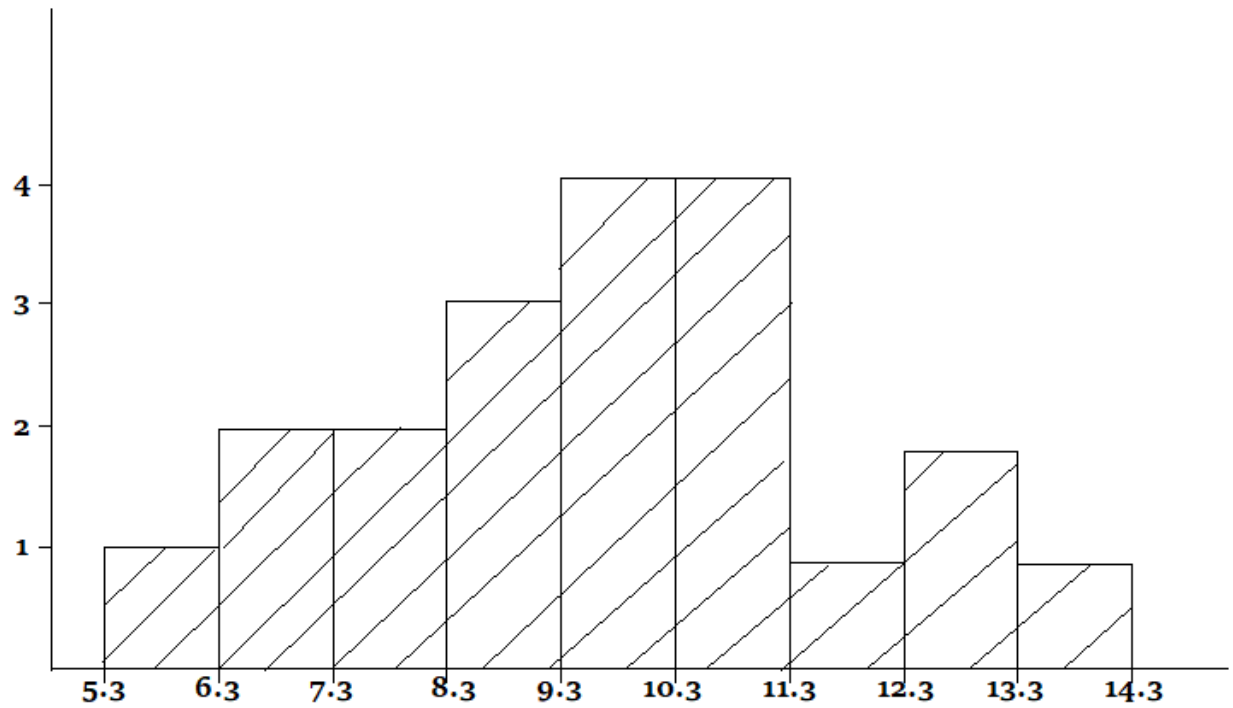
i. Order

ii. Range: $5.3 - 14.5$

iii. Width: $14.5 - 5.3 = 9.2$

iv. Boxes: 9

v. Size of boxes: $9.2/9 = 1.0$



Question Five

x	y	$(x - \bar{x})$	$(y - \bar{y})$	$(x - \bar{x})^2$	$(y - \bar{y})^2$	$(y - \bar{y})(x - \bar{x})$
3	-1.5	2	-4.54	4	20.6116	-9.08
2	1.2	1	-1.84	1	3.3856	-1.84
1	3.1	0	0.06	0	0.0036	0
-1	7.4	-2	4.36	4	19.0096	-8.72
0	5.0	-1	1.96	1	3.8416	-1.96
$\Sigma = 5$	$\Sigma = 15.2$	$\Sigma = 0$	$\Sigma = 0$	$\Sigma = 10$	$\Sigma = 46.852$	$\Sigma = -21.6$

- a. Mean

$$\Sigma x_i / n$$

$$5/5 = \mathbf{1}$$

$$\Sigma y_i / n$$

$$15.2/5 = \mathbf{3.04}$$

- a. Fill in the chart
- b. Standard deviation

$$\text{Variance } x = 10/4 = 2.5$$

$$\text{SD } x = \sqrt{2.5} = \mathbf{1.5811}$$

$$\text{Variance } y = 46.852/4 = 11.713$$

$$\text{SD } y = \sqrt{11.713} = \mathbf{3.4224}$$

- c. Covariance

$$\text{Cov } (X, Y) = [\Sigma (y - \bar{y}) (x - \bar{x})] / n - 1$$

$$= -21.6/4$$

$$= \mathbf{-5.4} \text{ (x and y tend to move in opposite directions)}$$

- d. Correlation

$$= \text{Cov } (X, Y) / S_x S_y$$

$$= -5.4 / (1.5811 * 3.4224)$$

$$= \mathbf{-0.9979}$$

Therefore, x and y are negatively correlated. Correlation coefficient shows that x and y have a strong negative linear relationship. Basically, as x increases y decreases.

