# Assignment 3

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## Introduction

I'll be using data from the EIA to predict wind generation in Texas using prices. Theory would indicate that higher prices will incentivize more electricity production. Because wind turbines are relatively cheap to build and Texas' unique electricity market enables a wide number of suppliers to join the market, it would make sense for prices to be a predictor of wind turbine generation.

One source of volatility that could diminish this relation would be the variation of wind. I was unable to find wind data for Texas, but an alternative data series that could fit is capacity factor. This is defined as  $\frac{AverageMWh}{TotalCapacity}$ . When prices are positive (and above marginal cost  $\approx$  0), wind turbines will generate as long as there is wind. Thus while a drop in capacity factor could be due to negative pricing, it is much more likely to be from a decrease in wind.

```
knitr::opts_chunk$set(
    echo = TRUE,
    message = FALSE,
    warning = FALSE
)

library(tidyverse)
library(fpp3)
library(fredr)
library(scales)
library(jsonlite)
library(zoo)

theme_set(theme_bw())

if(!str_detect(basename(getwd()), "Time Series") & str_detect(dirname(getwd()), "Time Series")
    repeat{
        setwd("../")
```

```
if(str_detect(basename(getwd()), "Time Series")){
    break
  }
}

if(basename(getwd()) != "Assignment 3") setwd(file.path(getwd(), "Assignments", "Assignments")
```

#### **Get Data**

```
eia.key <- Sys.getenv("EIA_API_KEY")</pre>
fn_query_eia <- function( api_url = NULL,</pre>
   the_series_id, the_source = "steo", the_frequency = "monthly", the_facet = "seriesId",
   the_offset = 0, the_length = 5000, the_eia_key = eia.key){
   if(is.null(api_url)){
     the_url = "https://api.eia.gov/v2/"
     # Query must be no more than 5,000
     if(the_length > 5000) break
     get_call <- paste0(the_url, the_source, "/data/?", paste(</pre>
       paste0("frequency=", the_frequency),
       "data[0]=value",
       paste0("facets[", the_facet, "][]=", the_series_id),
       "sort[0][column]=period",
       "sort[0][direction]=desc",
       paste0("offset=", the_offset),
       paste0("length=", the_length),
       sep = "&"
     ))
     eia_list <- fromJSON(str_c(get_call, "&api_key=", the_eia_key))
     eia_data <- eia_list$response$data
     eia_data %>%
       as_tibble() %>%
```

```
return()
}
else{
    eia_list <- fromJSON(str_c(api_url, "&api_key=", the_eia_key))
    eia_data <- eia_list$response$data
    eia_data %>%
        as_tibble() %>%
        return()

}
url.wind <- "https://api.eia.gov/v2/electricity/electric-power-operational-data/data/?freqdata.wind.gen <- fn_query_eia(api_url = url.wind)
data.price <- fn_query_eia(the_series_id = "ELWHU_TX", the_source = "steo", the_facet = "sdata.wind.cf <- fn_query_eia(api_url = "https://api.eia.gov/v2/total-energy/data/?frequence</pre>
```

The data is split into two datasets, a training and testing dataset. The testing set are the most recent 12 months, while the training set are the 48 months preceding that.

```
data <- left_join(
    x = data.price %>%
        select(period, value) %>%
        rename(date = period, price = value) %>%
        mutate(date = ym(date) %>% yearmonth()),
    y = data.wind.gen %>%
        select(period, generation) %>%
        rename(date = period) %>%
        mutate(date = ym(date) %>% yearmonth()),
    by = "date"
) %>%
    left_join(
    y = data.wind.cf %>%
        select(period, value) %>%
```

```
rename(date = period, capacity.factor = value) %>%
    mutate(date = ym(date) %>% yearmonth()),
  by = "date"
  ) %>%
  arrange(date) %>%
  mutate(
    price_lag12 = lag(price, n = 12),
    price_lag18 = lag(price, n = 18),
    price_lag24 = lag(price, n = 24),
    price_{lag30} = lag(price, n = 30),
    price_{lag36} = lag(price, n = 36),
    price_{lag48} = lag(price, n = 48),
    price_lag60 = lag(price, n = 60),
    price_{lag72} = lag(price, n = 72),
    price_lag12_ma = rollmean(price, k = 12, fill = NA, align = "right") %>% lag(n = 12),
    price_lag24_ma = rollmean(price, k = 24, fill = NA, align = "right") %>% lag(n = 24),
    price_lag36_ma = rollmean(price, k = 36, fill = NA, align = "right") %>% lag(n = 36),
    price_lag48_ma = rollmean(price, k = 48, fill = NA, align = "right") %>% lag(n = 48)
  ) %>%
  drop_na()
avg.capacity <- data %>%
  mutate(month = month(date)) %>%
  group_by(month) %>%
  summarize(capacity.factor = mean(capacity.factor)) %>%
  ungroup()
test <- data %>%
  select(-capacity.factor) %>%
  slice_max(order_by = date, n = 12) %>%
  mutate(date = yearmonth(date), month = month(date)) %>%
  left_join(avg.capacity, by = "month") %>%
  select(-month) %>%
  tsibble()
train <- data %>%
  slice_max(order_by = date, n = 12*10) %>%
  mutate(date = yearmonth(date)) %>%
  anti_join(y = test, by = "date") %>%
  tsibble()
```

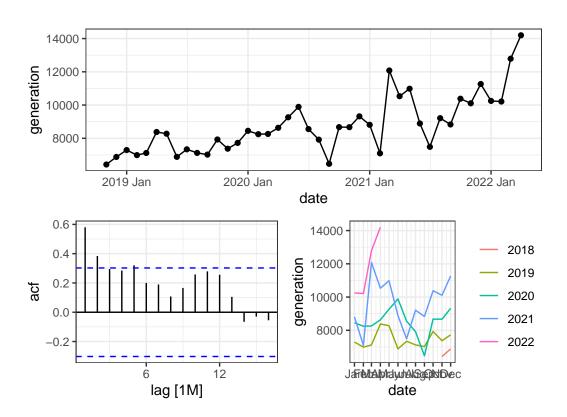
```
data <- data %>%
  tsibble(index = date)
```

# **Preliminary Analysis**

# **Data Exploration**

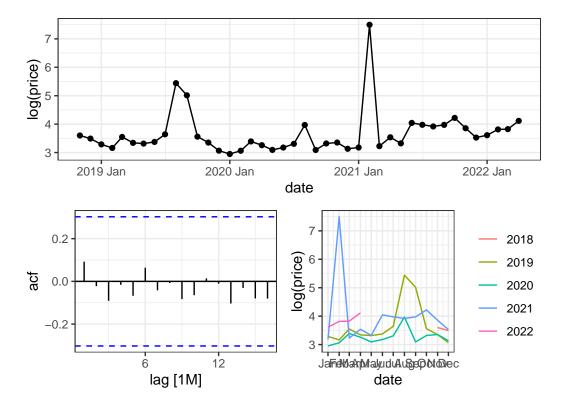
# Monthly Wind Generation in Texas

```
train %>%
   gg_tsdisplay(generation)
```



## Monthly Average Wholesale Electricity Price in Texas (log scale)

```
train %>%
   gg_tsdisplay(log(price))
```



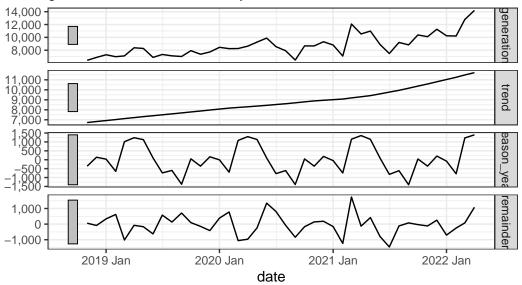
## Decomposition

The STL Decomposition breaks out the data into the trend, season, and remainder components. The seasonality will largely be driven by wind though I would suspect repairs in the shoulder months playing a role. The trend will show the general increase in supply over time. The remainder will contain wind deviations from normal, unexpected turbine outages, and other unforeseeable factors.

```
train %>%
  model(STL(generation)) %>%
  components() %>%
  autoplot() +
  scale_y_continuous(labels = label_comma())
```

# STL decomposition

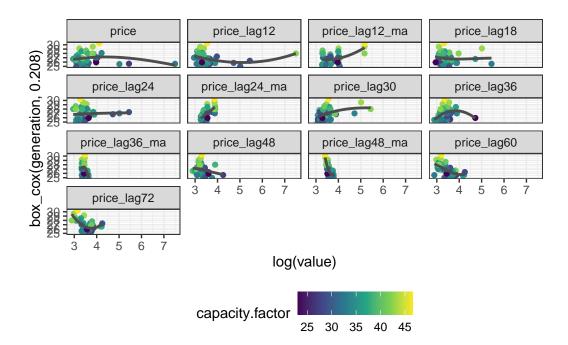
generation = trend + season\_year + remainder



### Correlations

The 30-month lag appears to be the most correlated.

```
train %>%
  pivot_longer(-c(date, generation, capacity.factor), names_to = "lag", values_to = "values
  ggplot(aes(
    x = log(value),
    \# x = value,
    y = box_cox(generation, .208),
    # y = generation,
    color = capacity.factor
  )) +
  geom_point() +
  geom_smooth(se = F, scales = "free", span = 2, color = "gray30") +
  facet_wrap(lag ~ .) +
  scale_color_viridis_c() +
  theme(
    legend.position = "bottom"
  )
```



# Modeling

#### **Estimation**

Four models will be estimated: an ETS, an auto-ARIMA, and an ARIMAX using gas and diesel prices as regressors. The fourth model will be a simple average of the others.

```
(fit <- train %>%
model(
   "ets" = ETS(box_cox(generation, .208)),
   "arima" = ARIMA(box_cox(generation, .208) ~ log(price_lag12_ma) + log(price_lag24_ma)
   "nn2" = NNETAR(
   box_cox(generation, .208) ~ log(price_lag24_ma) + log(price_lag36_ma) + (capacity.fa
        # price_lag18 + price_lag24 +
        # AR(P = 1),
        n_nodes = 2, scale_inputs = TRUE
),
   "nn5" = NNETAR(
   box_cox(generation, .208) ~ log(price_lag24_ma) + log(price_lag36_ma) + (capacity.fa
        price_lag30, # + price_lag24, #+
        # AR(P = 1),
        n_nodes = 5, scale_inputs = TRUE
```

#### **Forecast**

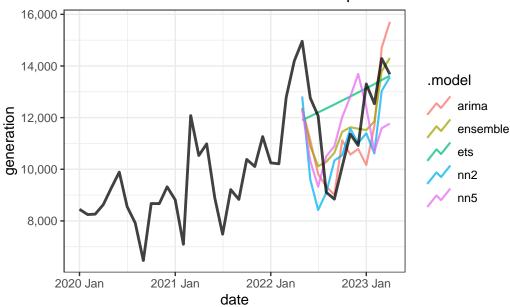
The models were trained on data prior to 2022-05-01. The forecast period is the interval 2022-05-01 UTC-2023-04-01 UTC.

For the forecast period, the average capacity factor by month will be used along with lagged transformations of price. Two neural net models are included, one with 2 nodes and the other with 5.

```
fx <- fit %>%
    forecast(test, times = 50)

fx %>%
    autoplot(
        level = NULL, size = .75, alpha = .75
      ) +
    autolayer(
        data %>% tsibble() %>% filter(year(date)>=2020), generation, size = 1, alpha = .75#, linetype = "dashed"
    ) +
    ggtitle("Texas Wind Generation Out-of-Sample Forecast") +
    scale_y_continuous(labels = label_comma()); fx %>%
    accuracy(test, measures = point_accuracy_measures) %>%
    arrange(RMSE)
```

## Texas Wind Generation Out-of-Sample Forecast



```
# A tibble: 5 x 10
  .model
           .type
                    ME RMSE
                                MAE
                                       MPE
                                           MAPE
                                                  MASE RMSSE ACF1
  <chr>
           <chr> <dbl> <dbl> <dbl>
                                     <dbl> <dbl> <dbl> <dbl> <dbl> <
1 ensemble Test
                  291. 1446. 1267.
                                     0.910 10.8
                                                    NaN
                                                          NaN 0.446
2 arima
                  630. 1612. 1274.
                                     4.61
                                            9.98
                                                          NaN 0.220
           Test
                                                    NaN
                  993. 1807. 1364.
3 nn2
           Test
                                     7.07
                                           11.0
                                                    NaN
                                                          NaN 0.529
4 ets
                 -754. 1999. 1556. -8.97
                                           14.5
                                                          NaN 0.478
           Test
                                                    NaN
                  467. 2144. 2062.
                                     1.53
5 nn5
           Test
                                          17.4
                                                    NaN
                                                          NaN 0.599
```

The ensemble model outperforms the rest, likely a result of the forecasts not being biased one way or the other in comparison to the actual generation. The ARIMA is next and the remaining neural nets and ETS clustered at the bottom.

```
fx %>%
   accuracy(test, measures = list(point_accuracy_measures, distribution_accuracy_measures))
   arrange(RMSE)
# A tibble: 5 x 12
```

```
.model .type
                   ME
                       RMSE
                                MAE
                                       \mathtt{MPE}
                                           \mathtt{MAPE}
                                                  MASE RMSSE
                                                                ACF1 percentile CRPS
                                                                            <dbl> <dbl>
  <chr> <chr> <dbl> <dbl> <dbl>
                                     <dbl> <dbl> <dbl> <dbl> <dbl> <
1 ensem~ Test
                 291. 1446. 1267.
                                     0.910 10.8
                                                     NaN
                                                           NaN 0.446
                                                                            1267. 1267.
```

```
630. 1612. 1274.
                                  4.61
                                          9.98
                                                        NaN 0.220
                                                                       1019. 1011.
2 arima
        Test
                                                 NaN
                993. 1807. 1364.
3 nn2
         Test
                                   7.07
                                         11.0
                                                 NaN
                                                        NaN 0.529
                                                                       1214. 1210.
4 ets
         Test
              -754. 1999. 1556. -8.97
                                         14.5
                                                        NaN 0.478
                                                                       1172. 1162.
                                                 NaN
5 nn5
                467. 2144. 2062. 1.53 17.4
                                                        NaN 0.599
                                                                       2035. 2034.
         Test
                                                 NaN
```

## **Cross Validation**

One issue with neural networks is selecting the appropriate number of nodes. One way this can be handled is through cross validation. By splitting the dataset into various components and training models on each of these, we can compare how each does over multiple out-of-sample forecasts. We'll split the training set into 9 different parts and train neural nets with 2, 3, 4, 5, 6, 7, and 8 nodes to determine which would perform best on average.

```
train.cv <- train %>%
    stretch_tsibble(.init = 18, .step = 3)
  train.cv$.id %>% max()
[1] 9
  (fit.cv <- train.cv %>%
    model(
      "nn2" = NNETAR(
        box_cox(generation, .208) ~ log(price_lag24_ma) + log(price_lag36_ma) + (capacity.fa
          # price_lag18 + price_lag24 +
          \# AR(P = 1),
        n_nodes = 2, scale_inputs = TRUE
      ),
       "nn3" = NNETAR(
        box_cox(generation, .208) ~ log(price_lag24_ma) + log(price_lag36_ma) + (capacity.fa
          # price_lag18 + price_lag24 +
          \# AR(P = 1),
        n_nodes = 3, scale_inputs = TRUE
      ),
       "nn4" = NNETAR(
        box_cox(generation, .208) ~ log(price_lag24_ma) + log(price_lag36_ma) + (capacity.fa
          # price_lag18 + price_lag24 +
          \# AR(P = 1),
        n_nodes = 4, scale_inputs = TRUE
       "nn5" = NNETAR(
```

```
box_cox(generation, .208) ~ log(price_lag24_ma) + log(price_lag36_ma) + (capacity.fa
          # price_lag18 + price_lag24 +
          \# AR(P = 1),
        n_nodes = 5, scale_inputs = TRUE
      ),
       "nn6" = NNETAR(
        box_cox(generation, .208) ~ log(price_lag24_ma) + log(price_lag36_ma) + (capacity.fa
          # price_lag18 + price_lag24 +
          \# AR(P = 1),
        n_nodes = 6, scale_inputs = TRUE
      ),
       "nn7" = NNETAR(
        box_cox(generation, .208) ~ log(price_lag24_ma) + log(price_lag36_ma) + (capacity.fa
          # price_lag18 + price_lag24 +
          # AR(P = 1),
        n_nodes = 7, scale_inputs = TRUE
      ),
        "nn8" = NNETAR(
        box_cox(generation, .208) ~ log(price_lag24_ma) + log(price_lag36_ma) + (capacity.fa
          # price_lag18 + price_lag24 +
          \# AR(P = 1),
        n nodes = 8, scale inputs = TRUE
      )
      )
    )
# A mable: 9 x 8
           .id [9]
# Key:
    .id
                      nn2
                                         nn3
                                                            nn4
                                                                              nn5
                  <model>
                                     <model>
                                                                          <model>
  <int>
                                                        <model>
      1 <NNAR(1,1,2)[12]> <NNAR(1,1,3)[12]> <NNAR(1,1,4)[12]> <NNAR(1,1,5)[12]>
1
2
      2 <NNAR(1,1,2)[12] > <NNAR(1,1,3)[12] > <NNAR(1,1,4)[12] > <NNAR(1,1,5)[12] >
      3 <NNAR(1,1,2)[12] > <NNAR(1,1,3)[12] > <NNAR(1,1,4)[12] > <NNAR(1,1,5)[12] >
3
      4 <NNAR(1,1,2)[12] > <NNAR(1,1,3)[12] > <NNAR(1,1,4)[12] > <NNAR(1,1,5)[12] >
4
      5 <NNAR(1,1,2)[12]> <NNAR(1,1,3)[12]> <NNAR(1,1,4)[12]> <NNAR(1,1,5)[12]>
5
6
      6 <NNAR(1,1,2)[12]> <NNAR(1,1,3)[12]> <NNAR(1,1,4)[12]> <NNAR(1,1,5)[12]>
7
      7 <NNAR(5,1,2)[12]> <NNAR(5,1,3)[12]> <NNAR(5,1,4)[12]> <NNAR(5,1,5)[12]>
      8 <NNAR(1,1,2)[12]> <NNAR(1,1,3)[12]> <NNAR(1,1,4)[12]> <NNAR(1,1,5)[12]>
8
      9 <NNAR(1,1,2)[12] > <NNAR(1,1,3)[12] > <NNAR(1,1,4)[12] > <NNAR(1,1,5)[12] >
# i 3 more variables: nn6 <model>, nn7 <model>, nn8 <model>
```

Cross validation suggests the simple 2-node network has a lower median RMSE than the

others.

```
fx.cv <- fit.cv %>%
  forecast(train.cv, times = 10)

fx.cv %>%
  mutate(.model = factor(.model, levels = paste("nn", c(2:8), sep = ""))) %>%
  accuracy(train.cv) %>%
  ggplot(aes(x = RMSE, y = .model)) +
  geom_boxplot()
```

