

ML Report Lab Test 1

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1. Implement and demonstrate the FIND-S algorithm for finding the most specific hypothesis based on a given set of training data samples

```
import csv

a=[]

with open('data.csv') as dataset:

    for x in csv.reader(dataset):

        a.append(x)

a.remove(a[0])

msh = ['0']*(len(a[0])-1)

for x in a:

    if x[len(x)-1]=='yes' or x[len(x)-1]=='Yes':

        for i in range(0,len(msh)):

            if msh[i]=='0' or msh[i]==x[i]:

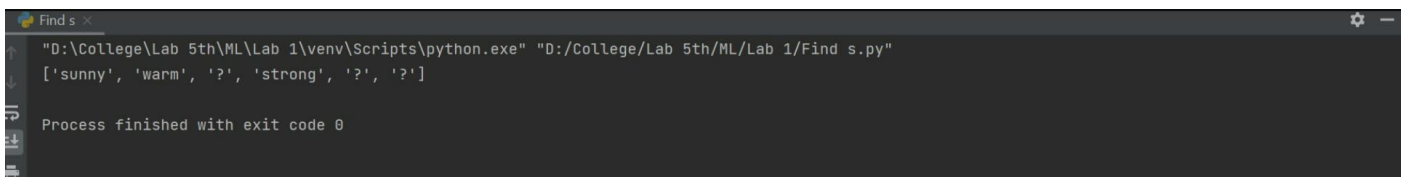
                msh[i]=x[i]

            else:

                msh[i]='?'

print(msh)
```

Output:



```
Find s
"D:\College\Lab 5th\ML\Lab 1\venv\Scripts\python.exe" "D:\College\Lab 5th\ML\Lab 1\Find s.py"
['sunny', 'warm', '?', 'strong', '?', '?']

Process finished with exit code 0
```

2. For a given set of training data examples stored in a .CSV file, implement and demonstrate the Candidate-Elimination algorithm to output a description of the set of all hypotheses consistent with the training examples

```
import numpy as np
import pandas as pd

# Reading the data from CSV file
data = pd.read_csv('data.csv')
concepts = np.array(data.iloc[:, :-1])
print("\nInstances are:\n", concepts)
target = np.array(data.iloc[:, -1])
print("\nTarget Values are: ", target)

def train(concepts, target):

    # Initializing general and specific hypothesis
    specific_h = concepts[0].copy()
    print("\nInitialization of specific hypothesis and general hypothesis")
    print("\nSpecific Boundary: ", specific_h)
    general_h = [["?" for i in range(len(specific_h))] for i in range(len(specific_h))]
    print("\nGeneric Boundary: ", general_h)

    for i, val in enumerate(concepts):
        print("\nInstance", i+1, "is ", val)
        #positive example
        if target[i] == "yes":
            print("Instance is Positive ")
            for x in range(len(specific_h)):
                if val[x] != specific_h[x]:
                    specific_h[x] = '?'
```

```
general_h[x][x] = '?'
```

```
#negative example
```

```
if target[i] == "no":
```

```
    print("Instance is Negative ")
```

```
    for x in range(len(specific_h)):
```

```
        if val[x] != specific_h[x]:
```

```
            general_h[x][x] = specific_h[x]
```

```
        else:
```

```
            general_h[x][x] = '?'
```

```
print("Specific Boundary after ", i+1, "Instance is ", specific_h)
```

```
print("Generic Boundary after ", i+1, "Instance is ", general_h)
```

```
print("\n")
```

```
indices = [i for i, val in enumerate(general_h) if val == ['?', '?', '?', '?', '?', '?']]
```

```
for i in indices:
```

```
    general_h.remove(['?', '?', '?', '?', '?', '?'])
```

```
return specific_h, general_h
```

```
s_final, g_final = train(concepts, target)
```

```
# displaying Specific_hypothesis
```

```
print("Final Specific_h: ", s_final, sep="\n")
```

```
# displaying Generalized_Hypothesis
```

```
print("Final General_h: ", g_final, sep="\n")
```

Output:

```
Instances are:
[['sunny' 'warm' 'normal' 'strong' 'warm' 'same']
 ['sunny' 'warm' 'high' 'strong' 'warm' 'same']
 ['rainy' 'cold' 'high' 'strong' 'warm' 'change']
 ['sunny' 'warm' 'high' 'strong' 'cool' 'change']]

Target Values are: ['yes' 'yes' 'no' 'yes']

Initialization of specific hypothesis and general hypothesis

Specific Boundary: ['sunny' 'warm' 'normal' 'strong' 'warm' 'same']

Generic Boundary: [['?', '?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?']]

Instance 1 is ['sunny' 'warm' 'normal' 'strong' 'warm' 'same']
Instance is Positive
Specific Boundary after 1 Instance is ['sunny' 'warm' 'normal' 'strong' 'warm' 'same']
Generic Boundary after 1 Instance is [['?', '?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?']]

Instance 2 is ['sunny' 'warm' 'high' 'strong' 'warm' 'same']
Instance is Positive
Specific Boundary after 2 Instance is ['sunny' 'warm' '?' 'strong' 'warm' 'same']
Generic Boundary after 2 Instance is [['?', '?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?']]

Instance 3 is ['rainy' 'cold' 'high' 'strong' 'warm' 'change']
Instance is Negative
Specific Boundary after 3 Instance is ['sunny' 'warm' '?' 'strong' 'warm' 'same']
Generic Boundary after 3 Instance is [['sunny', '?', '?', '?', '?', '?'], ['?', 'warm', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', 'same']]

Instance 4 is ['sunny' 'warm' 'high' 'strong' 'cool' 'change']
Instance is Positive
Specific Boundary after 4 Instance is ['sunny' 'warm' '?' 'strong' '?' '?']
Generic Boundary after 4 Instance is [['sunny', '?', '?', '?', '?', '?'], ['?', 'warm', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?']]

Final Specific_h:
['sunny' 'warm' '?' 'strong' '?' '?']
Final General_h:
[['sunny', '?', '?', '?', '?', '?'], ['?', 'warm', '?', '?', '?', '?']]
```

3. Write a program to demonstrate the working of the decision tree based ID3 algorithm. Use an appropriate data set for building the decision tree and apply this knowledge to classify a new sample.

```
import pandas as pd
import numpy as np
import math

data=pd.read_csv('/content/data set-1.csv');

attributes=[feat for feat in data]
attributes.remove('answer')
# print(features)

class Node:
    def __init__(self):
        self.children=[];
        self.isLeaf=False;
        self.value="";
        self.pred="";

def main():
    res=ID3(data,attributes)
    printTree(res)

def printTree(root: Node, depth=0):
    for i in range(depth):
        print("\t", end="")

    print(root.value, end="")

    if root.isLeaf:
        print(" ->", root.pred)
```

```
print()
```

```
for child in root.children:
```

```
    printTree(child, depth + 1)
```

```
# This function creates the decision tree recursively
```

```
def ID3(data_set, attributes):
```

```
    root=Node()
```

```
    max_gain=0.0;
```

```
    max_feat="";
```

```
    # Comparitively find out which attribute gives us the maximum information
```

```
    for attribute in attributes:
```

```
        gain=info_gain(data_set, attribute)
```

```
        if gain>max_gain:
```

```
            max_gain=gain
```

```
            max_feat=attribute
```

```
    # once we find the max gain, that will be the attribute which we use.
```

```
    root.value=max_feat
```

```
    # All types of a particular attribute. Ex: In outlook, we have sunny,rain,overcast
```

```
    types=np.unique(data_set[max_feat])
```

```
    for t in types:
```

```
        # Get all instances which match a particular type
```

```
        subdata=data_set[data_set[max_feat]==t]
```

```
    # In case we find instances where we have only one type of data result (yes/no). Entropy will be zero (Obviously!!)
```

```
    if entropy(subdata)==0.0:
```

```
        newNode=Node()
```

```
        newNode.isLeaf=True
```

```
        newNode.value=t
```

```
        newNode.pred=np.unique(subdata["answer"])
```

```
        root.children.append(newNode)
```

else:

If even one instance has different type of data result, we still cannot come to conclusion,

hence go to the next attribute and create the node and apply the same algorithm on the next attribute.

dummyNode=Node()

dummyNode.value=t

new_attr=attributes.copy()

We can remove the current attribute, only when we have come to a conclusion

that we cannot decide with this attribute, we have gone to the next attribute. Hence we don't want to come back.

+ we may get stuck in cycle.

new_attr.remove(max_feat)

Apply the algorithm on the next attribute with same current attributes which have been deleted.

child=ID3(subdata,new_attr)

dummyNode.children.append(child)

root.children.append(dummyNode)

return root

def info_gain(data_set,feature):

types=np.unique(data_set[feature])

We are trying to get the entropy for the entire data_set we have taken into consideration.

gain=entropy(data_set)

for u in types:

subdata=data_set[data_set[feature]==u]

sub_e=entropy(subdata)

gain-=(float(len(subdata))/float(len(data_set))*sub_e)

return gain

def entropy(data):

pos=0

neg=0

For the formula of entropy we need to see for how many of the +ve samples (yes) we have and how many -ve samples(no).

```
for _, row in data.iterrows():
    if row['answer'] == "yes":
        pos += 1
    else:
        neg += 1
if pos==0.0 or neg==0.0:
    return 0.0
p=pos/(pos+neg)
n=neg/(pos+neg)
return -(p*math.log(p,2)+n*math.log(n,2))
main()
```

Output:

```
outlook
  overcast -> ['yes']
  rain
    wind
      strong -> ['no']
      weak -> ['yes']
  sunny
    humidity
      high -> ['no']
      normal -> ['yes']
```


4. Write a program to implement the naïve Bayesian classifier for a sample training data set stored as a .CSV file. Compute the accuracy of the classifier, considering few test data set

```
import math

import csv

import random

# This make sures that the dataset is in an ordered format. If we have some arbirary names in that column it
difficult to deal with that.

def encode_class(dataset):

    classes=[]

    for i in range(len(dataset)):

        if dataset[i][-1] not in classes:

            classes.append(dataset[i][-1])

    # Looping across the classes which we have derived above.This will make sure that we have definitive
    classes (numeric) and not arbitrary

    for i in range(len(classes)):

        # Looping across all rows of dataset

        for j in range(len(dataset)):

            if dataset[j][-1] == classes[i]:

                dataset[j][-1]=i

    return dataset

# Splitting the data between training set and testing set. Normally its a general understanding the
training:testing=7:3

def train_test_split(dataset,ratio):

    test_num=int(ratio*len(dataset))

    train=list(dataset)

    test=[]

    for i in range(test_num):

        rand=random.randrange(len(train))

        test.append(train.pop(rand))
```

```
return train,test
```

Now depending on resultant value (last column values), we need to group the rows. It will be useful for calculating mean and std_dev

```
def groupUnderClass(train):
```

```
    dict={ }
```

```
    for row in train:
```

```
        if row[-1] not in dict:
```

```
            dict[row[-1]]=[]
```

```
            dict[row[-1]].append(row)
```

```
    return dict
```

Standard formulae (just by-heart)

```
def mean(val):
```

```
    return sum(val)/float(len(val)) #Obvious
```

```
def stdDev(val):
```

```
    avg=mean(val)
```

```
    variance=sum([pow(x-avg,2) for x in val])/float(len(val)-1) # Especially this one
```

```
    return math.sqrt(variance)
```

We will calculate the mean and std dev with respect to each attribute. Important while calculating gaussian probability

```
def meanStdDev(instances):
```

```
    info=[(mean(x),stdDev(x)) for x in zip(*instances)] # Here we are taking complete column's values of all instances.
```

```
    del info[-1]
```

```
    return info
```

As explained earlier why we need to group. We will be calculating the mean and std dev with respect each class.

```
def MeanAndStdDevForClass(train):
```

```
    info={ }
```

```
    dictionary=groupUnderClass(train)
```

```
    # print(dictionary)
```

```

for key,value in dictionary.items():

    # dictionary[key]=meanStdDev(value)

    info[key]=meanStdDev(value) #Here value stands for a complete group.

return info

# Its a formula by heart (no choice)


def calculateGaussianProbablity(x,mean,std_dev):

    expo = math.exp(-(math.pow(x - mean, 2) / (2 * math.pow(std_dev, 2))))

    return (1 / (math.sqrt(2 * math.pi) * std_dev)) * expo

# After calculating mean and std dev w.r.t training data now its time to check if the logic will work on
testing data


def calculateClassProbablities(info,ele):

    probablities={ }

    for key,summaries in info.items(): # Info contains the groupName (key) and list of (mean,std_dev) for each
attribute of that group

        probablities[key]=1

        for i in range(len(summaries)): #Loop across all attributes

            mean,std_dev=summaries[i]

            x=ele[i] # Testing data's one instance's attribute value.

            probablities[key] *= calculateGaussianProbablity(x, mean, std_dev)

    return probablities

def predict(info,ele):

    probablities=calculateClassProbablities(info,ele) # returns a dictionary of probablities for each group

    bestLabel,bestProb=None,-1

    # Consider group name whichever gives you the highest probablities for this instance of testing data

    for key,prob in probablities.items():

        if bestLabel==None or prob>bestProb:

            bestProb=prob

            bestLabel=key

    return bestLabel

# Loop across testing data and store the predicted result from our model in the list.

```

```

def getPredictions(info,test):
    predictions=[]
    for ele in test:
        result=predict(info,ele) # This will give you the group to which it will belong.
        predictions.append(result)
    return predictions

def check_accuracy(predictions,test):
    count=0
    for i in range(len(test)):
        if predictions[i]==test[i][-1]:
            count+=1
    return count/float(len(test))*100

filename="/content/bayes.csv"
dataset=csv.reader(open(filename))
dataset=list(dataset)
dataset=encode_class(dataset)
for i in range(len(dataset)):
    dataset[i]=[float(x) for x in dataset[i]]

ratio=0.3
print(len(dataset))
train,test=train_test_split(dataset,ratio)
info=MeanAndStdDevForClass(train)

predictions=getPredictions(info,test)
accuracy=check_accuracy(predictions,test)

accuracy

```

Output:

```

291
Out[ ]: 60.91954022988506

```

5. Implement the Linear Regression algorithm in order to fit data points. Select appropriate data set for your experiment and draw graphs

```
import csv

import math

def calculate(X,Y):

    sum_x=sum(X)

    sum_y=sum(Y)

    n=len(Y)

    sum_xy=0

    for i in range(len(X)):

        sum_xy+=X[i]*Y[i]

    sum_x2=sum([x**2 for x in X])

    denomin=float((n*sum_x2)-(sum_x**2))

    # y=y_intercept+slope*x

    y_intercept=float((sum_y*sum_x2)-(sum_x*sum_xy))/denomin

    slope=float((n*sum_xy)-(sum_x*sum_y))/denomin

    return slope,y_intercept

filename='/content/insurance.csv'

file=open(filename)

dataset=csv.reader(file)

dataset=list(dataset)

X=[]

Y=[]

for x in dataset:

    X.append(x[3])

    Y.append(x[len(x)-1])

print(dataset[0])

x_tag=str(X[0])

y_tag=str(Y[0])

X=X[1:200]

Y=Y[1:200]

X=[float(x) for x in X]
```

```
Y=[float(y) for y in Y]
```

```
# print(Y)
```

```
slope,y_intercept=calculate(X,Y)
```

```
print(slope,y_intercept)
```

```
['age', 'sex', 'bmi', 'children', 'smoker', 'region', 'charges']  
299.40712303629675 12768.55599860939
```

```
import matplotlib.pyplot as plt
```

```
plt.scatter(X,Y,marker='o')
```

```
plt.xlabel(x_tag)
```

```
plt.ylabel(y_tag)
```

```
plt.title('Simple Linear Regression')
```

```
y_pred=[slope*x+y_intercept for x in X]
```

```
plt.plot(X,y_pred,color='red')
```

```
plt.show()
```

