

Loss

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Abstract

*This memo features brief explanation about different losses in training **II** of integral regression in this [repo](#), namely (1) **Adaptive II** (2) **Adaptive H1** (3) **Manual**.*

1. Introduction

Rule No.1 : We would like to eradicate the intervention of human labor *e.g.* tuning hyper parameters insofar as it's attainable.

2. Adaptive H1

With the accretion of depth dimension d_2 , the contribution ratio between *2D heatmap euclidean loss* and *3D heatmap euclidean loss* changes. Fig 1 shows usage of *Adaptive H1*. The four bottom blobs are

- 1 *flattend 2D heatmap prediction*
- 2 *flattend 2D heatmap ground truth*
- 3 *flattend 3D heatmap prediction*
- 4 *flattend 3D heatmap ground truth*

3. Adaptive I1

The only difference between *Adaptive H1* and *Adaptive I1* is that *Adaptive I1* takes into account the integral of *2D joint prediction* (dimension x, y) and *joint depth prediction* (dimension z). This is clearly manifest in Fig 2.

Therein *pred_joint_2d_s2_int* is *2D integral* from **3D heatmap prediction**, *pred_joint_2d_s1_int* is *2D integral* from **2D heatmap prediction**. As to annotation, *crop_gt_joint_2d* is 2D ground truth, while *annot_depth* is ground truth of joint depth (dimension z).

4. Manual

Manual tuning is introduced when at a depth dimension, say 16, making use of *Adaptive II* cannot compete with *H1*.

It cannot be ascertained that *Adaptive II* can always achieve best result. And so it's high time to train it in old-fashioned way. Fig 3 displays the *euclidean loss layer* of *2d heatmap* and *3d heatmap*. We see the ratio is 1.0 : 0.3.

Speaking of *loss weight*, below lists some related work [1] [2] [3].

One last thing, the performance of $d_2 = 32$, in my view can be further improved by *Manual*. And the performance gap between $d_2 = 32$ and $d_2 = 64$ is perhaps due, in large part to the same constant *heatmap2 init std*: 0.002 from $d_2 = 32 \rightarrow d_2 = 64$. In contrast, [the H1 repo](#) changes *heatmap2 init std* 0.001 \rightarrow 0.0003 while $d_2 = 32 \rightarrow d_2 = 64$. In a similar manner, *heatmap2 init std* can be changed $d_2 = 0.002 \rightarrow d_2 = 0.0006$ lifting $d_2 = 32 \rightarrow d_2 = 64$, which may bring advancement.

Note I have only tried *gaussian std* initialization due to some historical reasons. *MSRA* or *Xavier* would probably work also.

The reason I did not start with $d_1 = 1$, $d_2 = 64$ is because, I found that the *MPJPE* on training set is already too high to reveal any evidence of decreasing. Did not pan out. **JUST PERSONAL EXPERIENCE. DOES NOT MEAN ANYTHING.**

5. Conclusion

Good luck!

References

- [1] Z. Chen, V. Badrinarayanan, C.-Y. Lee, and A. Rabinovich. Gradnorm: Gradient normalization for adaptive loss balancing in deep multitask networks. *arXiv preprint arXiv:1711.02257*, 2017. 1
- [2] M. Guo, A. Haque, D.-A. Huang, S. Yeung, and L. Fei-Fei. Dynamic task prioritization for multitask learning. In *European Conference on Computer Vision*, pages 282–299. Springer, 2018. 1
- [3] A. W. Yu, L. Huang, Q. Lin, R. Salakhutdinov, and J. Carbonell. Block-normalized gradient method: An empirical study for training deep neural network. 2018. 1

```

24206 layer {
24207   bottom: "heatmap"
24208   top: "heatmap_flatten"
24209   name: "heatmap_flatten"
24210   type: "Flatten"
24211 }
24212
24213 layer {
24214   bottom: "heatmap2"
24215   top: "heatmap2_flatten"
24216   name: "heatmap2_flatten"
24217   type: "Flatten"
24218 }
24219
24220 layer {
24221   bottom: "label_2dhm"
24222   top: "label_2dhm_flatten"
24223   name: "label_2dhm_flatten"
24224   type: "Flatten"
24225 }
24226
24227 layer {
24228   bottom: "label_3dhm"
24229   top: "label_3dhm_flatten"
24230   name: "label_3dhm_flatten"
24231   type: "Flatten"
24232 }
24233
24234 #=====adaptive loss
24235 layer {
24236   name: "ada_loss"
24237   type: "AdaptiveWeightEucLoss"
24238   top: "ada_loss"
24239   bottom: "heatmap_flatten"
24240   bottom: "label_2dhm_flatten"
24241   bottom: "heatmap2_flatten"
24242   bottom: "label_3dhm_flatten"
24243   loss_weight: 1.0
24244 }

```

Figure 1. Adaptive H1

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24244
24245   bottom: "pred_joint_2d_s2_int"
24246   bottom: "crop_gt_joint_2d"
24247
24248   bottom: "pred_depth_s2_int"
24249   bottom: "annot_depth"
24250
24251   bottom: "pred_joint_2d_s1_int"
24252   bottom: "crop_gt_joint_2d"
24253
24254   loss_weight: 1.0
24255 }

```

Figure 2. Adaptive I1

```

12038
12039 layer {
12040   name: "loss_2dhm"
12041   type: "EuclideanLoss"
12042   bottom: "heatmap"
12043   top: "loss_2dhm"
12044   bottom: "label_2dhm"
12045   loss_weight: 1.000
12046 }
12047
12048
24192
24193 layer {
24194   name: "loss_3dhm"
24195   type: "EuclideanLoss"
24196   bottom: "heatmap2"
24197   top: "loss_3dhm"
24198   bottom: "label_3dhm"
24199   loss_weight: 0.3
24200   #loss_weight: 0.3 (d=4)
24201   #loss_weight: 0.1 (d=2)
24202   #loss_weight: 1.0 (d=1)
24203
24204 }
24205

```

Figure 3. Manual