Application of Logistic Regression via packages stats::glm and glmnet for Enhancer Prediction data.

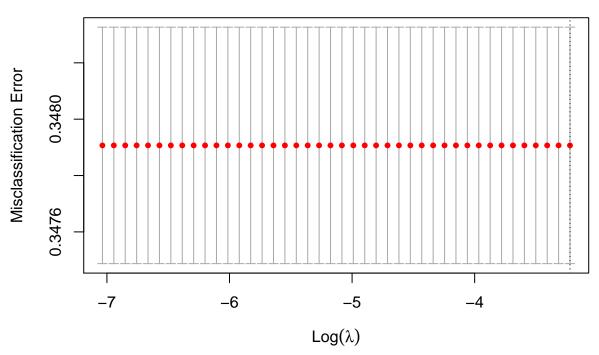
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This is a R Markdown document on *glmnet* and *stats::glm* packages. These packages provide functionalities to cater to logistic regression problems, amongst others. Let's begin with *glmnet* first.

glmnet

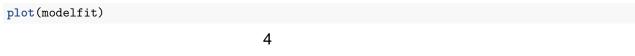
```
install.packages("glmnet",
                  repos = "https://cran.us.r-project.org")
## Installing package into '/Users/mei/Library/R/3.6/library'
## (as 'lib' is unspecified)
## The downloaded binary packages are in
## /var/folders/hm/c3_fjypn62v5xh5b5ygv267m0000gn/T//RtmpBWxxif/downloaded_packages
library(glmnet)
## Loading required package: Matrix
## Loaded glmnet 3.0-2
The dataset derivation has been lengthily described here
epdata <- readRDS("../../Machine_Learning_Deep_Learning/predictionData.rds")</pre>
## Subsetting just features and class columns.
epdata <- epdata[,4:8]
colnames(epdata)[1:4] <- c("reads_h3k27ac", "reads_h3k4me1", "reads_h3k4me2", "reads_h3k4me3")</pre>
     You can always seek help in the R documentation with?.
The class labels 0 and 1 represent "Enhancer" and "Non-Enhancer" categories, respectively.
set.seed(005)
cv.modelfit <- cv.glmnet(as.matrix(epdata[,1:4]),</pre>
                          epdata$class,
                          family = "binomial",
                          type.measure = "class",
                          alpha = 1,
                          nlambda = 100)
plot(cv.modelfit)
```

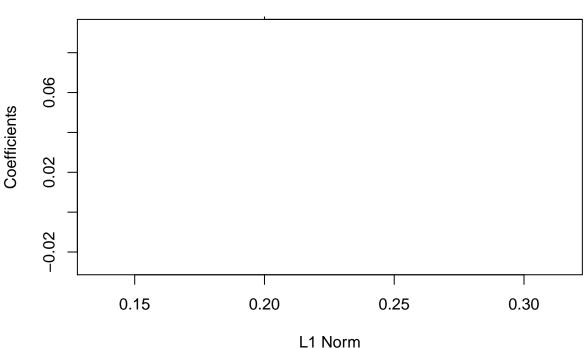


```
cat("There are", length(cv.modelfit$lambda),
    "lambda values in all:",
    cv.modelfit$lambda,
    ", out of which",
    min(cv.modelfit$lambda),
    "is the minimum, while",
    cv.modelfit$lambda.1se,
    "denotes the value at which the model is optimized at one standard error.")
```

There are 42 lambda values in all: 0.0398659 0.03632432 0.03309737 0.03015709 0.02747802 0.02503695

The plot shows the models (with varying lambda values) that *glmnet* has fit, alongwith the misclassification error associated with each model. The first dotted line highlights the minimum misclassification error, while the second one is the highly regularized model within 1se (one standard error).





that the **features must be presented as a data matrix**, while the **response variable is a factor with two levels**. On calling the *glmnet*, we get information under 3 heads: *Df* signifies the number of non-zero coefficients from left to right, i.e. in this case coefficients for reads_h3k27ac, reads_h3k4me3, raeds_h3k4me2, reads_h3k4me1; *%Dev* represents deviation; and *Lambda* represents the penalties imposed by the model. They would typically be limited to 100, but could even halt early if insufficient deviation is observed. Also, by default elastic-net (lasso+ridge) is used for regularization task by the glmnet, which could be set to lasso (alpha=1) or ridge (alpha=0).

Note

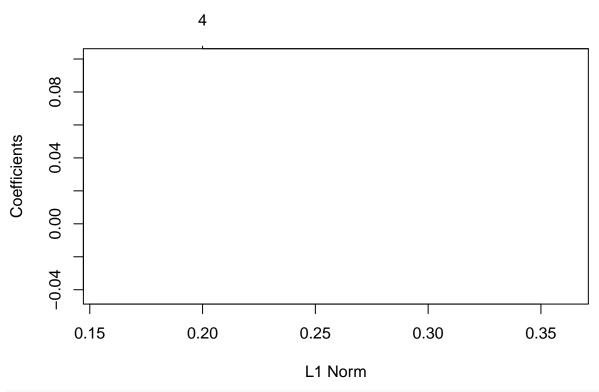
```
coef(modelfit)[,1]
##
     (Intercept) reads_h3k27ac reads_h3k4me1 reads_h3k4me2 reads_h3k4me3
      0.53332669
                    -0.02666590
                                   0.09195840
                                                  0.06621806
                                                                 0.04035916
predict(modelfit, type="coef")
## 5 x 1 sparse Matrix of class "dgCMatrix"
##
                           s0
## (Intercept)
                  0.53332669
## reads_h3k27ac -0.02666590
## reads h3k4me1
                  0.09195840
## reads_h3k4me2
                  0.06621806
## reads_h3k4me3
                  0.04035916
    "." here symbolizes 0.
```

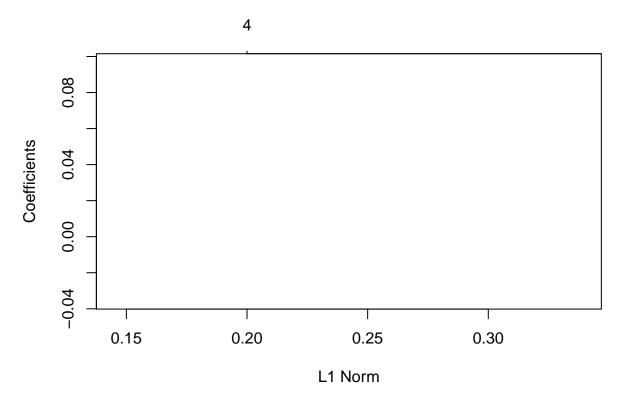
Excercises.

- 1. Try to fit the model with varying lamba, say cv.modelfit\$lambda.1se.
- 2. Try the above for alpha = 0, i.e. ridge penalty.

- 3. Try the above for any value between 0 and 1; that's elastic-net regularization.
- 4. Try the above template for several available datasets at http://archive.ics.uci.edu/ml/index.php.

```
# Model fit with *cv.modelfit$lambda.1se*.
set.seed(5)
modelfit1 <- glmnet(as.matrix(epdata[,1:4]),</pre>
                   epdata$class,
                   family = "binomial",
                   alpha = 1,
                   lambda = cv.modelfit$lambda.1se)
# Listing non-zero coefficients
print(modelfit1$beta[,1])
## reads_h3k27ac reads_h3k4me1 reads_h3k4me2 reads_h3k4me3
plot(modelfit1)
## Warning in plotCoef(x$beta, lambda = x$lambda, df = x$df, dev = x$dev.ratio, :
## No plot produced since all coefficients zero
## NULL
# Model fit with alpha=0.
set.seed(3)
modelfit2 <- glmnet(as.matrix(epdata[,1:4]),</pre>
                   epdata$class,
                   family = "binomial",
                   alpha = 0,
                   lambda = min(cv.modelfit$lambda))
# Listing non-zero coefficients
print(modelfit2$beta[,1])
## reads_h3k27ac reads_h3k4me1 reads_h3k4me2 reads_h3k4me3
     -0.04296635
                    0.10050911
                                   0.07047058
                                                 0.04514512
plot(modelfit2)
```





Now, let's move to stats::glm.

```
#stats::glm()
```

The *stats* package is preloaded in R. We are particularly interested in the generalised linear models, glm() function. To begin, we shall customarily bifurcate our dataset into training data and testing data. The training data shall be used to build our linear model, while the testing data shall be used for its validation. Arbitrary proportions can be considered for splitting the data, however, usually 80-20 partition is reasonable.

```
##
## Call:
## glm(formula = class ~ reads_h3k27ac + reads_h3k4me3 + reads_h3k4me2 +
```

```
##
       reads_h3k4me1, family = "binomial", data = train)
##
##
  Deviance Residuals:
##
       Min
                 1Q
                      Median
                                    3Q
                                            Max
##
   -3.6695
           -1.4192
                      0.9200
                               0.9502
                                         1.1792
##
## Coefficients:
##
                  Estimate Std. Error z value Pr(>|z|)
## (Intercept)
                  0.534487
                             0.002978
                                        179.49
                                                 <2e-16 ***
## reads_h3k27ac -0.041838
                             0.003594
                                        -11.64
                                                 <2e-16 ***
## reads_h3k4me3
                  0.049430
                             0.002312
                                         21.38
                                                 <2e-16 ***
## reads_h3k4me2
                                         15.50
                                                 <2e-16 ***
                  0.065430
                             0.004221
  reads h3k4me1
                  0.100927
                             0.003602
                                         28.02
                                                 <2e-16 ***
##
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
##
  (Dispersion parameter for binomial family taken to be 1)
##
##
       Null deviance: 1026853
                               on 794601
                                          degrees of freedom
## Residual deviance: 1018483
                               on 794597
                                          degrees of freedom
## AIC: 1018493
##
## Number of Fisher Scoring iterations: 5
```

Here, we are taking into account all the variables as responses to the predictor variable - Class. Although, it can be interpreted straightforwardly, that none of the estimated coefficients of the model are statistically significant (See Pr (>|z|)); but that's just the nature of this data, and in general terms it's better to reject all variables that have insignificant coefficients. Had we chosen to do that here, we would've left with nothing. Never mind. This demonstration is to highlight the protocol of logistic regression. Let's continue with whatever we have here, taking all.

Nonetheless, we musn; tignore an important aspect of *multicollinearity*. Out of many ways to access that, rms::vif() provides an effective way to seek multicollinearity problem. vif stands for Variance Inflation Factor, and by norm if vif() > 10, we must omit the corresponding column (variable) as it does not add much to the model due to redundancy.

```
## Attaching package: 'Hmisc'
## The following objects are masked from 'package:base':
##
##
        format.pval, units
## Loading required package: SparseM
##
## Attaching package: 'SparseM'
## The following object is masked from 'package:base':
##
##
        backsolve
vif(epmodel)
## reads_h3k27ac reads_h3k4me3 reads_h3k4me2 reads_h3k4me1
##
         1.724342
                         2.240417
                                        3.595139
                                                        1.758284
Neither of the variables have high vif score, so they all qualify for the model.
y_train <- predict(epmodel, train, type = "response")</pre>
head(y_train)
        12459
##
                   23570
                              34681
                                             10
                                                      9121
                                                                19121
## 0.6305290 0.6305290 0.6305290 0.6331502 0.6305290 0.6305290
head(train)
##
          reads_h3k27ac reads_h3k4me1 reads_h3k4me2 reads_h3k4me3 class
## 12459
                       0
                                0.00000
                                                       0
## 23570
                       0
                                0.00000
                                                       0
                                                                      0
                                                                             1
## 34681
                       0
                                                                      0
                                0.00000
                                                       0
                                                                             1
## 10
                       0
                                0.11165
                                                       0
                                                                      0
                       0
## 9121
                                0.00000
                                                       0
                                                                      0
                                                                             1
## 19121
                       0
                                0.00000
                                                       0
These are the estimates of the class variable. To calculate the accuracy of the model we need to compare
these to the original values of the response variable, 0 for "Enhancer" and 1 for "Non-Enhancer". If you
see the first observation, 0.6305290 \sim 63 % chance of being a non-enhancer, and in actuality if you look at
the original data frame it is a non-enhancer. The probability (63 %) can be calculated by fitting values of
coefficients in the model. Try doing that.
y = 0.534487 + (-0.041838 \text{ x peaks } h3k27ac) + (0.049430 \text{ x reads } h3k4me3) + (0.065430 \text{ x reads } h3k4me2)
+ (0.100927 \text{ x reads\_h3k4me1})
prediction_probabilities_train <- ifelse(y_train > 0.5, 1, 0) # Probabilities to Labels conversion
confusion_matrix_train <- table(Predicted = prediction_probabilities_train, Actual = train$class)</pre>
print(confusion_matrix_train)
             Actual
                    0
## Predicted
                            1
##
                    3
                            1
            0
            1 276447 518151
##
misclassfication_error_train <- 1- sum(diag(confusion_matrix_train))/sum(confusion_matrix_train)
cat("The misclassification error in train data is",
     (round(misclassfication_error_train*100)), "percent")
```

Now, we can repeat the same procedure for the test data.

```
y_test <- predict(epmodel, test, type = "response")</pre>
prediction_probabilities_test <- ifelse(y_test > 0.5, 1, 0)
confusion_matrix_test <- table(Predicted = prediction_probabilities_test, Actual = test$class)</pre>
print(confusion_matrix_test)
##
            Actual
## Predicted
                  0
                          1
##
                  1
                          0
##
           1 118502 222121
misclassfication_error_test <- 1- sum(diag(confusion_matrix_test))/sum(confusion_matrix_test)
cat("The misclassification error in test data is",
    (round(misclassfication_error_test*100)), "percent")
```

The misclassification error in test data is 35 percent

Finally, there is also a way to ascertain if our model on the whole is statistically significant. We refer this as the Goodness-Of-Fit test.

The statistical significance for the model is 0

The confidence level for this model is 100 percent

Is this an ideal model???