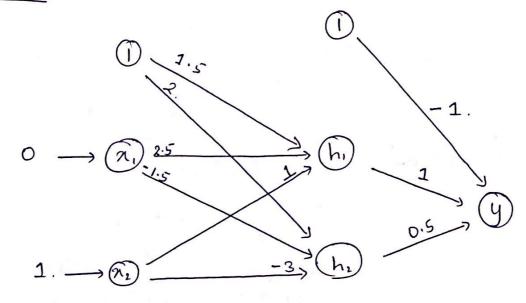
Problem 1

(a).



Input to
$$h_1 \rightarrow (h_1)_{in} \rightarrow 2.5(n_1) + (1)(n_2) + 1.5$$

 $\rightarrow 0 + 1 + 1.5$
 $\rightarrow 2.5$

Input to
$$h_2 \rightarrow (h_2)_{in} \rightarrow -1.5 (n_1) + (-3)n_2 + 2$$

 $\rightarrow 0 - 3n_2 + 2$
 $\rightarrow -1$.

$$(h_1)_{out} \rightarrow g((h_1)_{in}) \rightarrow \frac{1}{1+e^{-2.5}} \rightarrow 0.92414182$$

Input to
$$\hat{y} \rightarrow (h_1)_{out} + 1 + (h_2)_{out} + 0.5 - 1$$
.
 $\rightarrow 0.92414182 + 0.134470711 - 1$
 $\rightarrow 0.058612531$

.., Output
$$\hat{y} \rightarrow \frac{1}{1+e^{-0.058612531}} \rightarrow \frac{0.51464893909}{0.485351061} = Arm.$$

(b). $T_1 = 1$, $\alpha = 0.1$., $0, \rightarrow 0.5146489391$. Δυjκ = daj. (TK-OK) × OK. (1-OK) = daj. Dk. DKo= (1-0.51464893) * 0.51464893 * (1-0.51464893) - 0.121233 for output node Du,y → 0.1 * 0.92414 * 0.121233 = 0.0112036 DU24 → 0.1 * 0.26894 * 0.121233 = 0.003260 Dby → 0.1 * 0.121233 for hidden node 1 ΔKn; g'(inj) & Wjk. Δk. = 0.92414 (1-0.92414) * D.121233 0.008499071. ΔDbm = 0.1 * 0.008499071 = 0.0008499071

Dunihi = daj Ak, = 0

DU22 h, = 0.1 * 1 * 0.008499071 · 0.0008499071.

 $\Delta_{\text{Kh}_2} = 0.26894 * (1-0.26894) * 0.5 * 0.121233$ = 0.01191788

Δυ_{bn} = α α j Δ_{1kn} = (0.1) (0.01191788)
= 0.001191788

AUginz = 0

Dun, hz = (0.1) (1) (0.09191788) = 0.001191788.

. . , updated weights are: -

Wyh, -> 1.0112036

Wyn2 → 0.50326

Lyb -> -0.9878767

Whib -> 1.508499071

Whin, -> 2.5

Wh, n2 - 1.0008499071

Wh2b → 2.001191788

Wh, M, → - 1.5

Wh2 M2 -> - 2.998808212

: Am.