# Lab 4: Models of Continuous Trait Evolution

Comparative Biology and Macroevolution
April 26, 2019

This week, we will continue going over models of continuous trait evolution. In lecture, you have learned about Brownian Motion. Now, we will be introducing you to different models of continuous trait evolution and will be implementing them in lab.

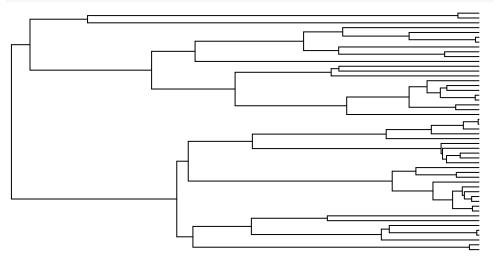
#### Classwork

Load libraries

```
library(geiger)
library(phylolm)
library(phytools)
```

Import tree

```
tree = read.tree("lab4_part1_tree.tre")
plot(tree, show.tip.label = F)
```



Simulate data under several different models

## # rTrait() already does this for us

# # To visualize the data cbind(data1, data2, data3, data4)

```
data1
                       data2
                                  data3
                                            data4
## s1
       0.6133503
                0.620629825
                             0.65047289 -1.7522602
## s2
       1.1448251
                0.160470241
                             1.18424259 0.2437767
## s3
      -3.0194143 -0.034905598
                             0.75141966 -1.5072039
      -2.1942749 0.724540631
                            0.62976812 -0.8550049
##
  s4
##
  s5
      -1.9981378 0.682709534
                             0.56109232 0.4565813
##
  s6
      -2.5474880 -1.098587447
                            1.57297336
                                       1.1391579
## s7
       1.2416960 -0.888292921 -0.30915078 -3.1766362
      -0.5062489 0.294593884 -1.46983939
                                       2.5253283
## s8
      -2.4585399 -1.849254816 -0.17473783 -2.7409100
## s9
## s10 -2.4257860 -1.830945767 -0.52287048
                                        3.5590622
## s11 -2.5646569 -0.954107900 -0.23189489
                                        1.3352931
## s12 -2.1074976 -0.683951589 -0.51704508
                                        4.2977677
## s13 -2.1391872 -1.570448339 -0.08557540
                                        1.5216900
## s14 -1.8917806 -1.388974505 0.08161937 -0.9546403
## s15 -2.0575664 -1.703449232 -1.33145710
                                       1.1871513
## s16 -2.1599200 -2.062282786 -2.41116347 -0.8755641
## s17 -2.0969096 -2.756342182 -2.19063312
                                       0.4679118
## s18 -4.2396267 -1.433067421 -1.50220587
## s19 -2.5589600 -1.507942325 -0.71839508
                                        3.7887092
## s20 -2.7071435 -1.183790580 -0.28264966
                                        2.5907586
## s21 -2.8573939 -0.685975449 -0.27435716
                                        1.4483117
## s22 -2.5000493 -1.009934903 -0.31781927
## s23 -2.0784886 -0.838644089 0.17346099 -0.4015427
## s24
       0.8275290 -0.992113464 -2.20964617 -3.1334819
       0.1012660 -0.227332704 -1.29064925 -2.1182504
## s25
## s26
       ## s27
       1.3489715
                 0.019174036 -1.87975648 0.1732785
       1.4090826
                 0.001164438 -1.80194670 -2.3234087
## s28
## s29 -0.6211684
                 0.099946887 -0.59272191 -0.2671609
                 0.378376019 0.94693873 0.5566756
## s30
       0.2175421
## s31
       0.1281412
                 0.566762496 -0.54736847 0.6590633
## s32
       1.1999366
## s33
       1.2327950
                0.689015729 -0.70116780 -2.3159206
       0.4087199
                 0.268464114 -0.55379858 -3.4611231
## s34
       0.7727631
                 0.360080785 -0.42857113 -1.2142284
## s35
       0.5340954 -0.408501422 0.04947743 2.9606752
## s36
## s37 -2.2805158
                 1.768048491
                            0.41539792 3.1874690
## s39 -2.7326752 -0.053162276 -0.48523331 5.3039745
## s40 -1.8426755
                2.246001096 -3.00091577 -2.9835945
## s41 -1.4047809
                ## s42 -0.9578309 -0.757488732 -1.16122339 4.1285989
## s43 -1.9638090 1.552113254 -0.81050878 1.1777321
## s44 -1.4685246
                0.780019804 -0.72829931 -4.3107319
## s45 -1.3234507  0.639034718 -0.92915933  0.1388280
## s46 -1.6688103
                 0.595224262 -0.44144118 5.8562723
## s48 -1.7853285 -0.117528925 -0.02147996 0.3537489
```

```
## s49 1.5013819 1.468353938 -2.08428088 1.0327908
## s50 1.4065997 0.871361478 -2.74787996 1.0710665
```

## **Model Fitting**

Now we are going to fit models to the simulated datasets.

The format of the code

- data1.bm is the fit of the Brownian Motion model to data1
- fitContinuous is a function in *geiger* that fits various models of continuous character evolution in a likelihood framework.

The fitContinuous function takes multiple arguments. To get a full list of them, running ?fitContinuous will bring up the help file. In this lab we will be passing the following arguments to the function:

- phy a phylogenetic tree
- dat a data vector for a single trait, where the names of the vector elements need to match the tips in the phylogeny or phy.
- model the model we want to fit, e.g. "BM", "OU", "EB", "white". Remember it needs to be a vector.

```
# Fit models to data1 (BM)
data1.bm <- fitContinuous(phy = tree, dat = data1, model = "BM")
data1.ou <- fitContinuous(phy = tree, dat = data1, model = "OU")</pre>
data1.eb <- fitContinuous(phy = tree, dat = data1, model = "EB")</pre>
data1.wn <- fitContinuous(phy = tree, dat = data1, model = "white")</pre>
# Fit models to data2 (OU)
data2.bm <- fitContinuous(phy = tree, dat = data2, model = "BM")
data2.ou <- fitContinuous(phy = tree, dat = data2, model = "OU")</pre>
data2.eb <- fitContinuous(phy = tree, dat = data2, model = "EB")</pre>
data2.wn <- fitContinuous(phy = tree, dat = data2, model = "white")</pre>
# Fit models to data3 (EB)
data3.bm <- fitContinuous(phy = tree, dat = data3, model = "BM")
data3.ou <- fitContinuous(phy = tree, dat = data3, model = "OU")</pre>
data3.eb <- fitContinuous(phy = tree, dat = data3, model = "EB")</pre>
data3.wn <- fitContinuous(phy = tree, dat = data3, model = "white")</pre>
# Fit models to data4 (WN)
data4.bm <- fitContinuous(phy = tree, dat = data4, model = "BM")
data4.ou <- fitContinuous(phy = tree, dat = data4, model = "OU")</pre>
data4.eb <- fitContinuous(phy = tree, dat = data4, model = "EB")</pre>
data4.wn <- fitContinuous(phy = tree, dat = data4, model = "white")</pre>
```

Cool! Now lets look inside one of these model fits

```
data1.bm
```

```
## GEIGER-fitted comparative model of continuous data
## fitted 'BM' model parameters:
## sigsq = 0.117726
## z0 = -0.866101
##
## model summary:
## log-likelihood = -53.693569
## AIC = 111.387139
```

```
AICc = 111.642458
##
   free parameters = 2
##
## Convergence diagnostics:
## optimization iterations = 100
  failed iterations = 0
##
  frequency of best fit = 1.00
##
##
   object summary:
##
##
   'lik' -- likelihood function
   'bnd' -- bounds for likelihood search
    'res' -- optimization iteration summary
##
    'opt' -- maximum likelihood parameter estimates
```

## Question: How many parameters are in the 'BM' model?

Compare results using AIC

#### Recall:

Let k be the number of estimated parameters in the model. Let  $\hat{L}$  be the maximum value of the likelihood function for the model. The AIC value of that model is

```
AIC = 2k - 2\ln(\hat{L}) BM.Data <- c(data1.bm$opt$aic , data1.ou$opt$aic, data1.eb$opt$aic, data1.wn$opt$aic)  
0U.Data <- c(data2.bm$opt$aic , data2.ou$opt$aic, data2.eb$opt$aic, data2.wn$opt$aic)  
EB.Data <- c(data3.bm$opt$aic , data3.ou$opt$aic, data3.eb$opt$aic, data3.wn$opt$aic)  
WN.Data <- c(data4.bm$opt$aic , data4.ou$opt$aic, data4.eb$opt$aic, data4.wn$opt$aic)  
AICresults <- rbind(BM.Data, 0U.Data, EB.Data, WN.Data)  
colnames(AICresults) <- c("Brownian Motion", "Ornstein-Uhlenbeck", "Early Burst", "White noise")  
AICresults
```

```
Brownian Motion Ornstein-Uhlenbeck Early Burst White noise
##
## BM.Data
                 111.38714
                                      113.3871
                                                 113.02406
                                                               189.5057
## OU.Data
                  96.78119
                                       96.2807
                                                  98.78124
                                                               152.4305
## EB.Data
                 103.70755
                                      105.0186
                                                 105.70757
                                                               149.9463
## WN.Data
                 309.50862
                                      238.9292
                                                 311.50878
                                                               235.2841
```

#### Introducing Disparity Through Time

One way to understand the time course of morphological diversification is through a disparity-through-time (DTT) plot.

There are multiple ways to calculate disparity. The most popular approach is to use the average pairwise Euclidean distances between species. This measure relates to the variance and estimates the dispersion of the points in space (Harmon et al. 2003)

To generate a dtt plot, we first calculate disparity for the entire clade. Then we can calculate disparity for each subclade in the phylogeny. Finally, we can calculate relative disparities for each subclade by dividing the subclade's disparity by the disparity of the entire clade.

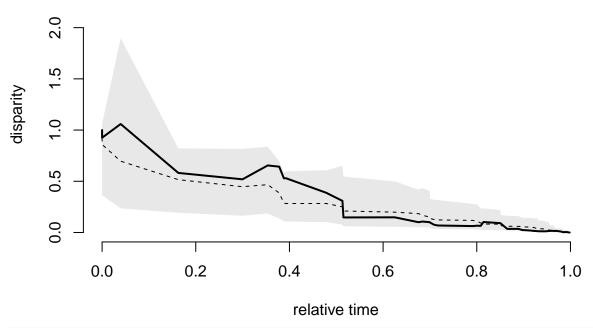
Finally, we can calculate the mean relative disparity for each node as the average of all the relative disparities of all the subclades whose ancestral lineages were present at the time.

Small values (near 0) indicate there is little variation within the subclades compared to the group as a whole. This can indicate that the subclades have undergone specialization.

Large values (near 1) indicate there is a large proportion of the total variation is within the subclades. This can indicate that subclades have undergone convergence.

```
ddt1 = dtt(phy = tree, data = data1, nsim = 100, index = c("avg.sq"), plot = TRUE)
title("Brownian Motion")
```

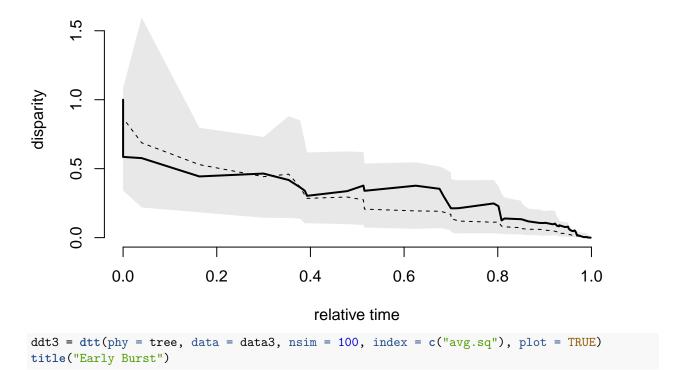
## **Brownian Motion**



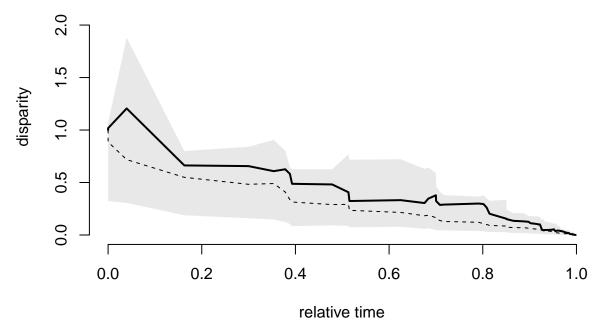
```
ddt2 = dtt(phy = tree, data = data2, nsim = 100, index = c("avg.sq"), plot = TRUE)
title("Ornstein-Uhlenbeck")
```

```
## Warning in title("Ornstein-Uhlenbeck"): conversion failure on 'Ornstein-
## Uhlenbeck' in 'mbcsToSbcs': dot substituted for <e2>
## Warning in title("Ornstein-Uhlenbeck"): conversion failure on 'Ornstein-
## Uhlenbeck' in 'mbcsToSbcs': dot substituted for <80>
## Warning in title("Ornstein-Uhlenbeck"): conversion failure on 'Ornstein-
## Uhlenbeck' in 'mbcsToSbcs': dot substituted for <93>
```

## Ornstein...Uhlenbeck



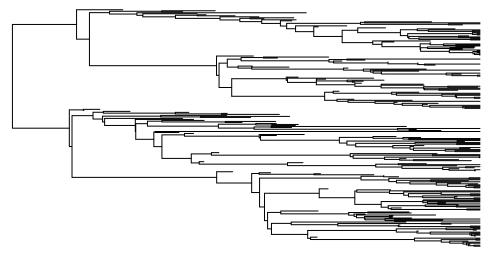
## **Early Burst**



## Inferring Mode of Trait Evolution

Now try to infer the mode of trait evolution on an unknown dataset

```
lab4_tree <- read.tree("lab4_tree.tre")</pre>
lab4_data <- read.csv("lab4_trait_data.csv", stringsAsFactors = F)</pre>
head(lab4_data)
##
        X trait_value
## 1 s127
            -2.346941
## 2 s128
             -2.386864
## 3 s126
            -2.326470
## 4 s129
            -2.388348
## 5 s130
            -2.551628
## 6 s131
            -1.645700
lab4_tree
##
\mbox{\tt \#\#} Phylogenetic tree with 236 tips and 235 internal nodes.
##
## Tip labels:
## s127, s128, s126, s129, s130, s131, ...
## Rooted; includes branch lengths.
plot(lab4_tree, show.tip.label = F)
```



Question: What is interesting about this tree?

```
# Remove the extinct tips
extant_only_lab4_tree <- drop.extinct(lab4_tree)
plot(extant_only_lab4_tree, show.tip.label = F)</pre>
```

```
# Pull out the trait value column and name it
trait_values <- lab4_data$trait_value</pre>
names(trait_values) <- lab4_data$X</pre>
head(trait_values)
##
        s127
                  s128
                             s126
                                       s129
                                                  s130
                                                            s131
## -2.346941 -2.386864 -2.326470 -2.388348 -2.551628 -1.645700
# Extract the trait data for only the living species
extant_only_trait_values <- trait_values[intersect(</pre>
  names(trait_values), extant_only_lab4_tree$tip.label)]
# Fit models to extant only tree
extant.bm <- fitContinuous(phy = extant_only_lab4_tree,</pre>
                            dat = extant_only_trait_values, model = "BM")
extant.ou <- fitContinuous(phy = extant_only_lab4_tree,</pre>
                            dat = extant_only_trait_values, model = "OU")
extant.eb <- fitContinuous(phy = extant only lab4 tree,
                            dat = extant_only_trait_values, model = "EB")
extant.wn <- fitContinuous(phy = extant_only_lab4_tree,</pre>
                            dat = extant_only_trait_values, model = "white")
# Fit models to total tree
total.bm <- fitContinuous(phy = lab4_tree, dat = trait_values, model = "BM")
total.ou <- fitContinuous(phy = lab4_tree, dat = trait_values, model = "OU")
total.eb <- fitContinuous(phy = lab4_tree, dat = trait_values, model = "EB")
total.wn <- fitContinuous(phy = lab4_tree, dat = trait_values, model = "white")
Extant.Data <- c(extant.bm$opt$aic , extant.ou$opt$aic, extant.eb$opt$aic, extant.wn$opt$aic)
Total.Data <- c(total.bm$opt$aic , total.ou$opt$aic, total.eb$opt$aic, total.wn$opt$aic)
AIC_results <- rbind(Extant.Data, Total.Data)</pre>
colnames(AIC_results) <- c("Brownian Motion", "Ornstein Uhlenbeck", "Early Burst", "White noise")</pre>
AIC results
##
               Brownian Motion Ornstein Uhlenbeck Early Burst White noise
```

Transform AIC values into Akaike weights, which can be interpreted as conditional probabilities for each model

149.2349

340.3716

149.2492

328.4289

313.6844

722.1610

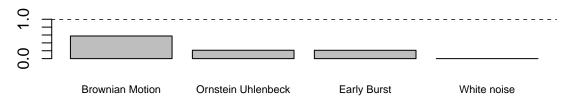
## Extant.Data

## Total.Data

147.2491

338.3724

## **Extant Only**



# Total Brownian Motion Ornstein Uhlenbeck Early Burst White noise

Question: How does incorporating fossil data impact our inference of trait evolution?

## Exercises Due Next Week

Did differences in body size and dietary indicies observed today evolve when terrestrial Carnivorans adaptively radiated into different niches?

• Fit Brownian Motion, Ornstein-Uhlenbeck, Early Burst, and White Noise models to C1 (Cross sectional shape of the upper canine), RLGA (Relative upper grinding area), and the log cuberoot of body mass.

Hint: Van Valkenburgh and Koepfli 1993, Friscia et al. 2007 and Slater and Friscia 2019 have additional information about the functional significance of the dietary indicies.

- Make sure to match data with tree!
- Include the standard error (SE) when fitting macroevolutionary models

Hint:

```
myfit <- fitContinuous(phy = your_tree, dat = your_trait_data, SE = your_trait_SE, models = c("BM"))</pre>
```

- Choose best model out of 4 candidate models using AIC for each trait
- Report the AIC or AICw for all of the models in a table
- Provide a biological interpretation of your results.

How does the **ecology** of this clade help explain the **evolution** of body size and dietary indicies. Additionally, what do the models tell you about how evolution in these traits have occured through time?

Hint: Is there a functional difference between the upper canines and the relative lower grinding area of the lower molars?

• Remember to use proper citations.