

Question1

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a. The snowflake schema model saves storage space compared to the star schema model

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b. OLAP systems usually adopts an entity-relationship data model.

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c. Standard deviation can be derived by applying the function to n aggregate values in a data cube.

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d. One benefit of the Multiway Array Aggregation cube is the equal efficiency regardless of scan order.

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e. Unlike the Multiway Array Aggregation method, BUC cannot take advantage of pruning.

Question2

(b1; a2; a3; a4; a5); (a1; b2; a3; a4; a5); (a1; a2; b3; a4; a5)

a. (5, L2) How many cuboids are there in the full data cube?

There were 5 dimensions, and First 3 each have 2 cells.

It would be $(2+1)(2+1)(2+1)(1+1)(1+1) = 108$ Cube

b. How many nonempty aggregate cells are there in the full cube?

Since all 3 base cell have a4, a5, we can enumerate first 3:

```
b1,*; a2,*; a3,*;
a1,*; b2,*; a3,*;
a1,*; a2,*; b3,*;
```

it would be $2*2*2*3 = 24$

For all 3, they have (*;*;*), so $24 - 2 = 22$

For each 2 row (like 1st,2nd) have one same cube (like (*;*;a3;))
 $22 - 1*3 = 19$

Then we combine the a4, a5

$19(1+1)(1+1) = 76$

If we did not calculate base cell:

$76 - 3 = 73$

c.How many nonempty aggregate closed cells in the full cube

Since we do not need to consider the aggregate cell,it will be **4** as follow:

```
(a1; *; *; a4; a5);
(*; a2; *; a4; a5);
(*; *; a3; a4; a5);
(*; *; *; a4; a5);
```

d. How many nonempty aggregate cells an iceberg cube contain

if the condition of the iceberg cube is count ≥ 3 ?

it will be **4** as follow

```
( *; *; *; a4; a5);
(*; *; *; *; a5);
(*; *; *; a4; *);
(*; *; *; *; *);
```

Question3

3.a

From 1 to 4, B0C0 will be filled, BC need 1 memory chunk, AB,AC need 4 memory chunks;

From 1 to 16, A0B0,A0B1,A0B2,A0B3 will be filled, AC need 16 memory chunks.

Since the sizes of the chunks on dimensions A, B, and C are 25, 50, and 50, chunk in AB need 1250, AC need 1250, BC need 2500.

The total memory need for holding 2D plane is:

```
In [1]: 50*50*1 + 25*50*4 + 25*50*16
```

```
Out[1]: 27500
```

3.b

Yes, an alternative way to get the equal minimum demand memory is to scan in the order:

```
1,2,3,4;17,18,19,20;...
5,6,7,8;21,22,23,24;...
...
...;61,62,63,64;
```

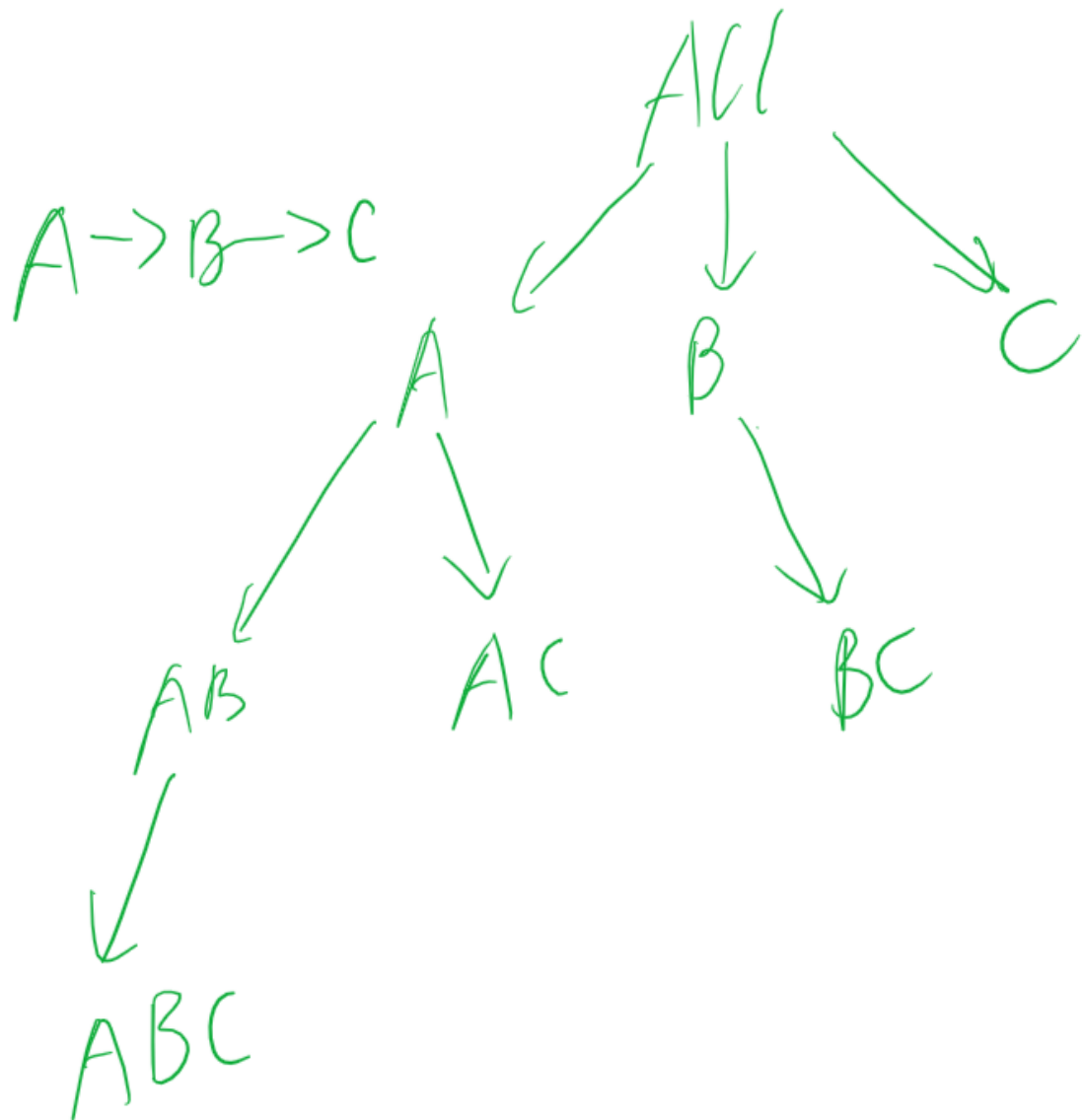
From 1 to 4, B0C0 will be filled, BC need 1 memory chunk, AB,AC need 4 memory chunks;

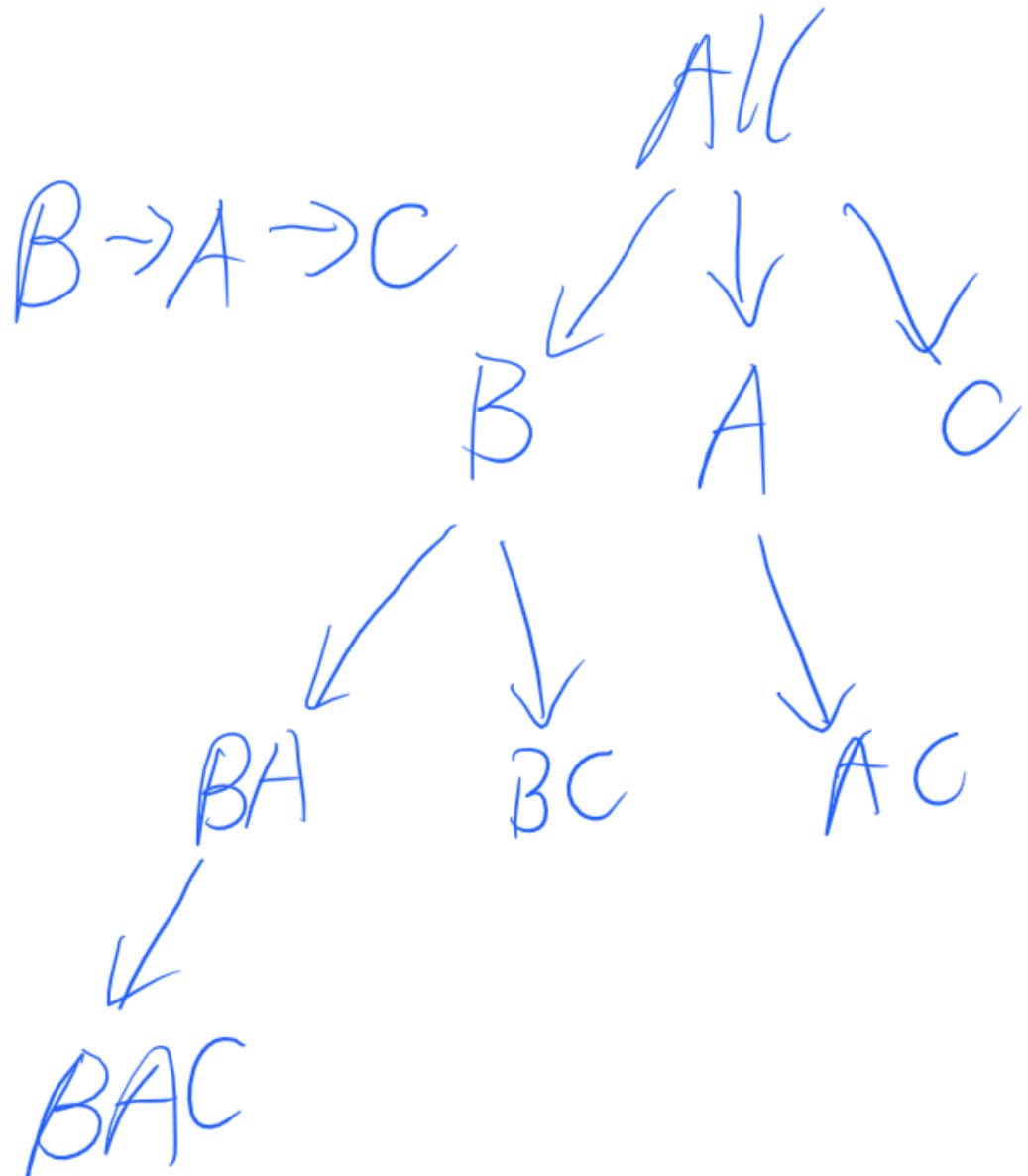
From 1 to 52, A0C0,A0C1,A0C2,A0C3 will be filled, AB need 16 memory chunks.

In this way, the minimum total memory is the same

Question4

4.a



**4.b**

```

If we follow the A -> B -> C:
All (*,*,*) : 18 - expansion
A (a0,*,*) : 18 - expansion
  AB(a0,b0,*) : 3
  AB(a0,b1,*) : 6
  AB(a0,b2,*) : 9 - expansion
    ABC(a0,b2,c0) : 3
    ABC(a0,b2,c1) : 3
    ABC(a0,b2,c2) : 3
  AC(a0,*,c0) : 6
  AC(a0,*,c1) : 6
  AC(a0,*,c2) : 6
B (*,b0,*) : 3
B (*,b1,*) : 6
B (*,b2,*) : 9 - expansion
  BC(*,b2,c0) : 3
  BC(*,b2,c1) : 3
  BC(*,b2,c2) : 3
C (*,*,c0) : 6
C (*,*,c1) : 6
C (*,*,c2) : 6

```

Thus, there are totally **20** cells which would have to be computed

4.c

```

If we follow the C -> B -> A:
All (*,*,*) : 18 - expansion
C (*,*,c0) : 6
C (*,*,c1) : 6
C (*,*,c2) : 6
B (*,b0,*) : 3
B (*,b1,*) : 6
B (*,b2,*) : 9 - expansion
  AB(a0,b0,*) : 3
  AB(a0,b1,*) : 6
  AB(a0,b2,*) : 9
A (a0,*,*) : 18

```

Thus, there are totally **11** cells which would have to be computed