

6/6 points (100%)

<b>/</b>	Congratulations!	You	passed!
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Next Item

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1 / 1 point

1.

Based on the preceding result, what is the probability that Machine 1 is "Bad" given you won playing on Machine 1?

0.3

0.4

## Correct

Correct. Event  $M_1$  is bad given we have a win on  $M_1$  is the complement of the event  $M_1$  is good given we have a win on  $M_1$ . By the property of probability,  $P(M_1 \text{ is bad} \mid \text{Win on } M_1) = 1 - P(M_1 \text{ is good} \mid \text{Win on } M_1)$ 

0.5

0.6

( ) 0.



1/1 point

2.

Based on the preceding result, what is the probability that Machine 2 is "Good" given you won playing on Machine 1?

0.3

0.4

## Correct

Correct. The event  $M_2$  is good given we have a win on  $M_1$  is the same event as  $M_1$  is bad given we have a win on  $M_1$ . Therefore, the event  $M_2$  is good is the complementary event of  $M_1$  is good, given we have a win on  $M_1$ . We have

 $P(M_2 \text{ is good } | \text{ Win on } M_1) = 1 - P(M_1 \text{is good } | \text{ Win on } M_1)$ 

0.5

0.6

0.7



1/1 point

3.

Under the Bayesian paradigm, which of the following correctly matches the probabilities with their names?

O Posterior -  $P(M_1 ext{ is Good} \mid ext{Win on } M_1)$ 

Prior -  $P(M_1 ext{ is Good})$ 



6/6 points (100%)

Correct

Correct. The Prior Probability is the probability of our hypothesis:  $M_1$  is good, a number that reflects what we believe the chance for  $M_1$  to be the good machine. The Posterior Probability is the updated probability of our hypothesis after we have observed the data. In the contrast, the Likelihood is the probability that the data happens given the Prior.

Posterior:  $P(M_1 \text{ is Good } | \text{Win on } M_1)$ 

Prior:  $P(\text{Win on } M_1 \mid M_1 \text{ is Good})$ 

Likelihood:  $P(M_1 \text{ is Good})$ 

O Posterior:  $P(\operatorname{Win} \text{ on } M_1 \mid M_1 \text{ is Good})$ 

Prior:  $P(M_1 ext{ is Good} \mid ext{Win on } M_1)$ 

Likelihood:  $P(M_1 \text{ is Good})$ 

O Posterior:  $P(\operatorname{Win} \text{ on } M_1 \mid M_1 \text{ is Good})$ 

Prior:  $P(M_1 \text{ is Good})$ 

Likelihood:  $P(M_1 \text{ is Good } | \text{ Win on } M_1)$ 



1/1 point

4

Use the **bandit\_posterior** function to calculate the posterior probabilities of Machine 1 and 2 being "good" after playing Machine 1 twice and winning both times, and then playing Machine 2 three times with 2 wins then 1 loss.

- $P(M_1 ext{ is good} \mid ext{data}) = 0.250$ ,  $P(M_2 ext{ is good} \mid ext{data}) = 0.750$
- $P(M_1 \text{ is good } | \text{ data}) = 0.429, P(M_2 \text{ is good } | \text{ data}) = 0.571$
- $\bigcap$   $P(M_1 ext{ is good} \mid ext{data}) = 0.571$ ,  $P(M_2 ext{ is good} \mid ext{data}) = 0.429$

## Correct

Correct.

 $P(M_1 \text{ is good } | \text{ data}) = 0.750, P(M_2 \text{ is good } | \text{ data}) = 0.250$ 



1/1 point

5.

What would the posterior probabilities be if we had instead played Machine 2 first, playing three times with 2 wins and 1 loss, and then playing Machine 1 twice and winning both times?

- $P(M_1 \text{ is good } | \text{ data}) = 0.250, P(M_2 \text{ is good } | \text{ data}) = 0.750$
- $P(M_1 \text{ is good } | \text{ data}) = 0.429, P(M_2 \text{ is good } | \text{ data}) = 0.571$
- $igcap P(M_1 ext{ is good} \mid ext{data}) = 0.571$ ,  $P(M_2 ext{ is good} \mid ext{data}) = 0.429$

## Correct

Correct. Changing the order or the plays will not affect the posterior probability. Because our "belief" will eventually get updated according the all the data we have after two plays. It does not matter which play happens first.

 $P(M_1 \text{ is good } | \text{ data}) = 0.750, P(M_2 \text{ is good } | \text{ data}) = 0.250$ 

	← Week 1 Lab  Quiz, 6 questions	6/6 points (100%)			
<b>~</b>	1/1 point				
6. From thappe		ne posterior probabilities for Machine 1 and Machine 2 mirror each other. Why will this			
	$P(M_1 \mid  ext{data})$ and $P(M_2 \mid  ext{data})$ are complementary				
$\bigcirc$	Machine 1 and Machine 2 being "good" are mutually exclusive events				
0	Both of the above				
<b>Corr</b> Corr	rect rect.				



