

# DATA MINING & DATA WAREHOUSING



*Success is the sum of small efforts repeated day in and day out*

**Data Mining &  
Data Warehousing**

# Module III

- **Association Rule Mining**
  - • **What is AR**
  - • **Methods to discover AR**
  - • **Apriori algo**
  - • **Partition algo**
  - • **Pincer search algo**
  - • **FPtree growth algo**
  - • **Incremental algo**
  - • **Border algo**
  - • **Generalized ARs**



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- **Algorithm Apriori – Advantages and Disadvantages**

- **Advantages**

- **Easy to parallelize and implement**
    - **Use frequent itemset property**
    - **finds all the rules with the specified support and confidence**

- **Disadvantages**

- **Requires many database scans**
    - **Assumes transaction DB is memory resident**
    - **Very slow**



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# Improving the Efficiency of Apriori

- Many **variations** of the Apriori algorithm have been proposed that focus on improving the efficiency of the original algorithm.
  - Some of the **variations** are
    - **Hash-based technique** (hashing itemsets into corresponding buckets):
    - **Transaction reduction** (reducing the number of transactions scanned in future iterations):
    - **Sampling** (mining on a subset of the given data):
    - **Dynamic itemset counting** (adding candidate itemsets at different points during a scan):



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- **Interesting Properties of frequent itemsets for a given  $D$  wrt given  $\text{min\_sup}$  value**
  - **Downward closure** – any subset of a frequent set is a frequent set
  - **Upward closure** – any superset of an infrequent set is an infrequent set
- **Discovering all FIs and their support is significant**
  - if  $|A|$  and  $T$  are large
  - where  $A$  is set of literals or items and  $|A|$  is the cardinality of  $A$
  - &  $T$  is the transaction DB
- **If  $|A|=m$  then the number of possible distinct itemsets is  $2^m$**



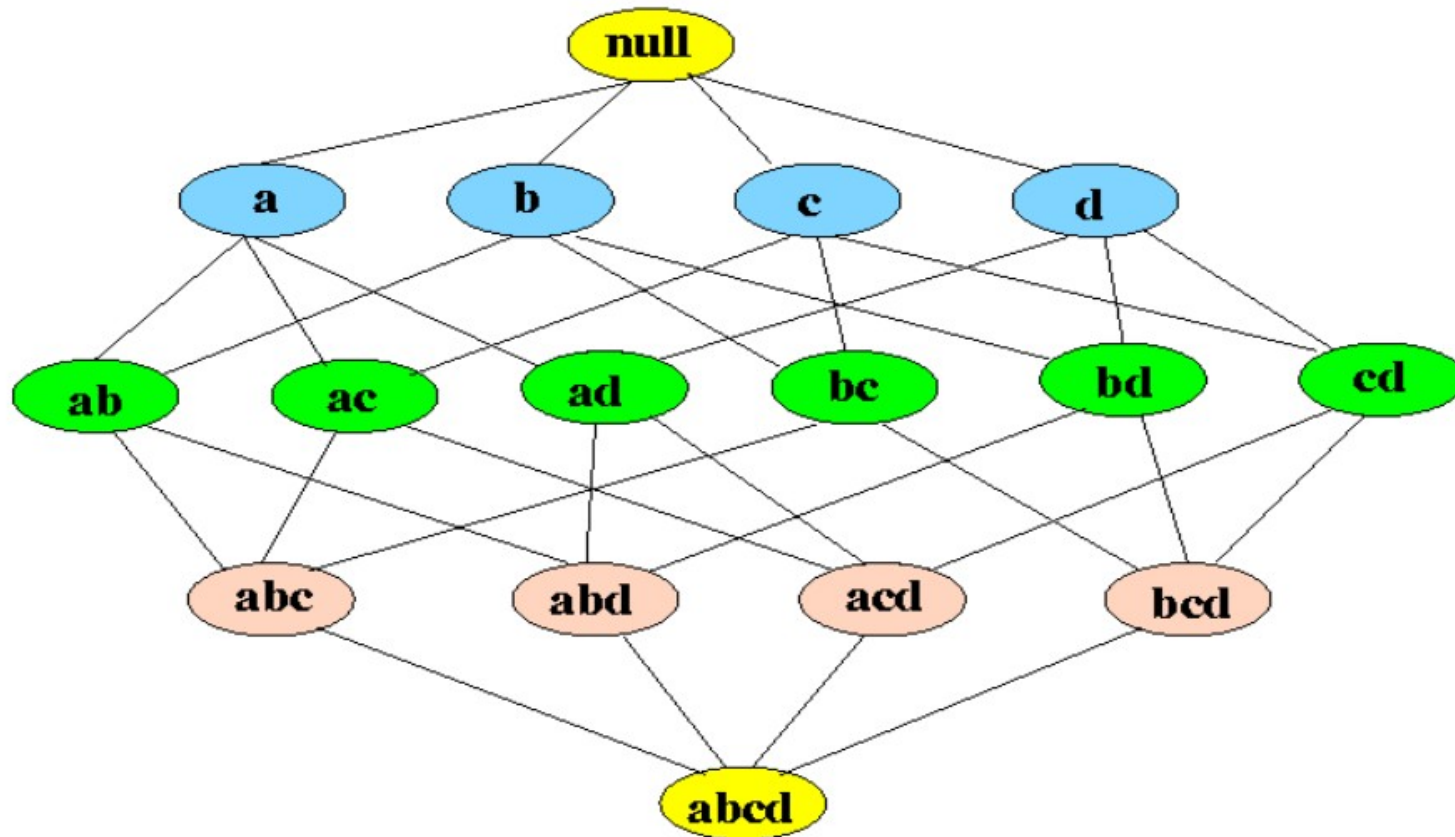
- **Interesting Properties of frequent itemsets for a given  $D$  wrt given  $\text{min\_sup}$  value**
  - **Maximal Frequent Set(MFS)**
    - **An itemset is MFS**
      - if it is a frequent set
      - and no superset of this is a frequent set
    - **If we can find set of all MFS wrt  $\text{min\_sup}$  then we can find all frequent sets without extra scan of the DB**
  - **Border set**
    - **An itemset is a border set**
      - If it is not a frequent set
      - but all its proper subsets are frequent sets



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- **Lattice of subsets**

- If  $A=\{a,b,c,d\}$  the lattice is given as
- There are  $2^{k-1}$  non-empty subsets of a  $k$ -item set



### **Lattice of Subsets :**

In this lattice the set of MFSs acts as a boundary between the set of all frequent sets and set of all infrequent sets



# Partition Algorithm



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# Partitioning

- **Here we discuss Partitioning Algorithm that is introduced**
  - **to overcome the following disadvantage of Apriori algo**
    - **'Assumes transaction DB is memory resident'**
- **The partition algorithm was proposed when the large transaction DB can not be accommodated in the memory**



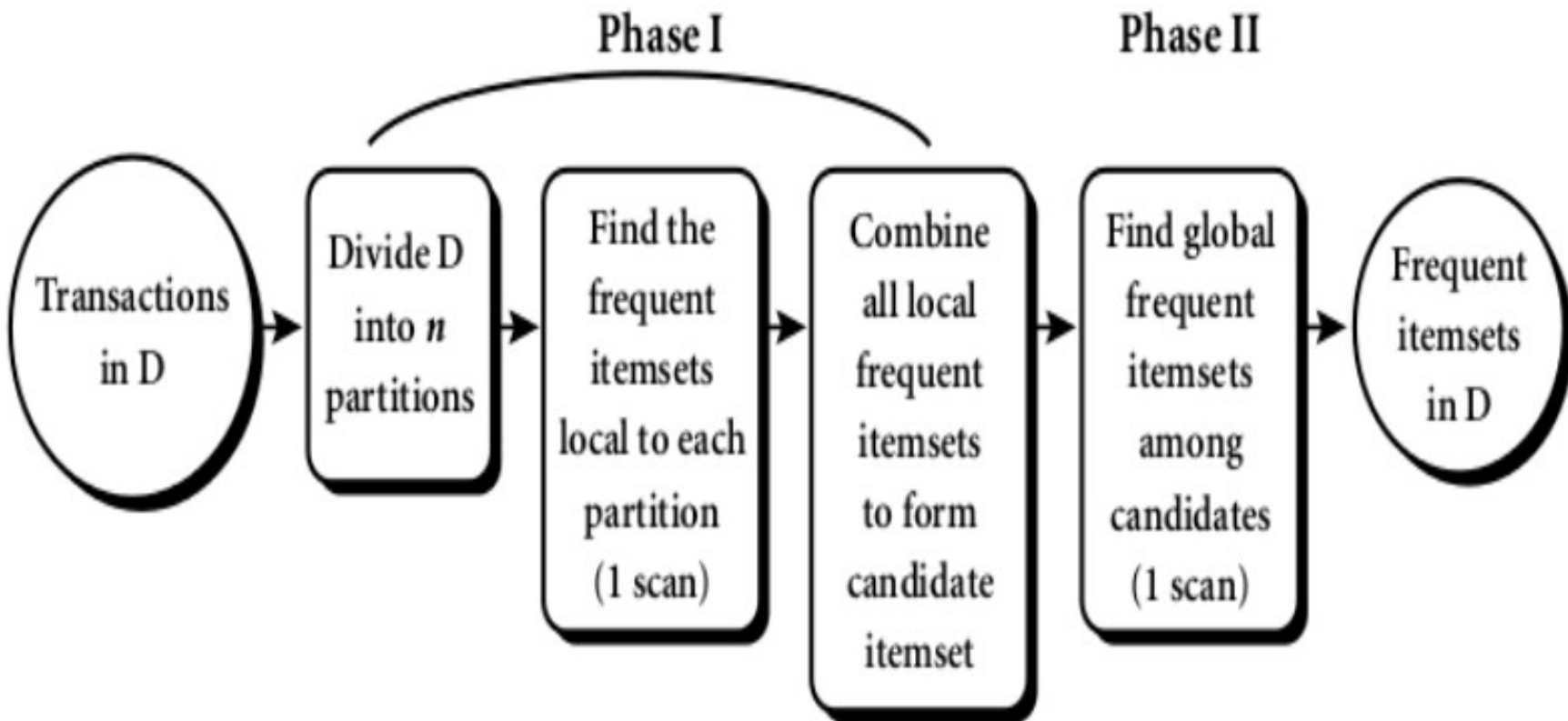
- **A partitioning technique**
  - **doesn't require the entire DB to be in the memory**
  - **It requires two database scans to mine the frequent itemsets .**
- **The algorithm subdivides the transactions of D into '*n* nonoverlapping partitions.**



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- **For each partition, all frequent itemsets within the partition are found,**
  - referred to as **local frequent itemsets.**
  - **A local frequent itemset may or may not be frequent wrt the entire database, D.**
- **Any itemset that is potentially frequent wrt D must occur as a frequent itemset in at least one of the partitions.**
- **Therefore, all **local frequent itemsets are candidate itemsets** with respect to D.**





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- **The collection of frequent itemsets from all partitions**
  - **forms the global candidate itemsets with respect to D.**
- **Partition size and the number of partitions are set**
  - **so that each partition can fit into main memory**
  - **& therefore be read only once in each phase.**



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# Algorithm

- **In Partitioning** the set of transactions are divided into smaller segments
- **Whole segment can be read at once for calculating support values**
- **Two scans are used**
  - **One scan – to collect the frequent itemsets –**
  - **Next scan to count support value**



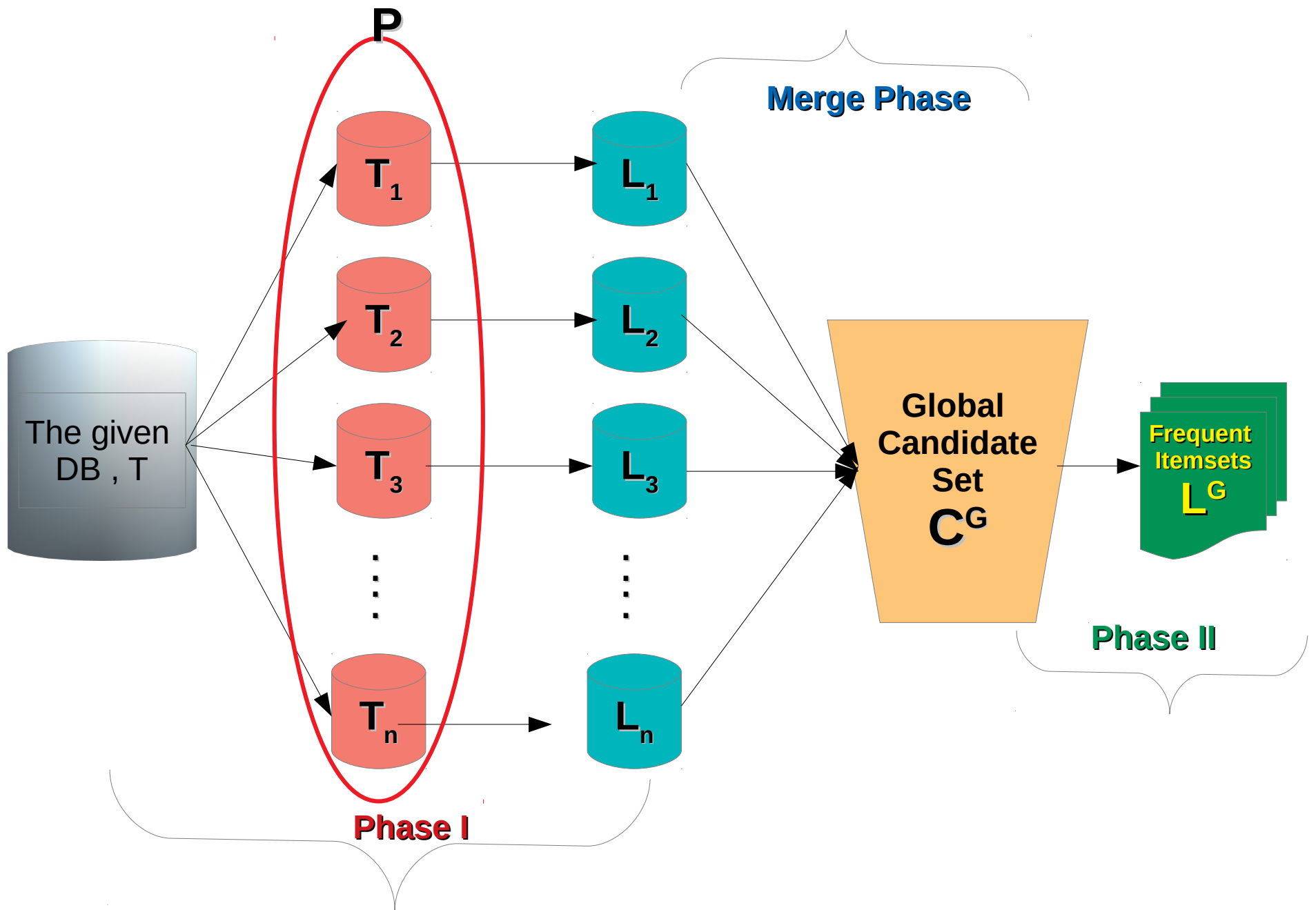
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# Algorithm

- **Two phases**
- **I phase (includes merge phase) :**
  - divide the database into non-overlapping partitions
  - For each partiiton find the frquent itemset
  - If 'n' partitions  $(T_1, T_2 \dots T_n)$  – 'n' iterations – n local frquent itemsets  $(L_1, L_2 \dots L_n)$
  - At the end these n local frequent itemsets are merged to generate global candidates  **$C^G$**
- **II phase :**
  - Actual support for these candidate itemsets in  **$C^G$**  are counted wrt entire D
  - Then identify frequent itemsets



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## Partition Algorithm

$P = \text{partition\_database}(T)$ ;  $n = \text{Number of partitions}$

// Phase I

*for*  $i = 1$  to  $n$  *do begin*

$\text{read\_in\_partition}(T_i \text{ in } P)$

$L^i = \text{generate all frequent itemsets of } T_i \text{ using a priori method in main memory.}$

*end*

// Merge Phase

*for* ( $k = 2$ ;  $L_k^i \neq \emptyset$ ,  $i = 1, 2, \dots, n$ ;  $k++$ ) *do begin*

$$C_k^G = \bigcup_{i=1}^n L_i^k$$

*end*

// Phase II

*for*  $i = 1$  to  $n$  *do begin*

$\text{read\_in\_partition}(T_i \text{ in } P)$

    for all candidates  $c \in C^G$  compute  $s(c)_{T_i}$

*end*

$$L^G = \{c \in C^G \mid s(c)_{T_i} \geq \sigma\}$$

Answer =  $L^G$



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