

# A UNIFIED FRAMEWORK FOR STRUCTURED PREDICTION

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# Outline

- Introduction
- Decoding, Learning
- Semi-Markov, Latent CRF, Latent SSVM
- Parsing with CRF, Hybrid Tree, and Predicting Overlapping Structures
- Pipeline, Mean Field and Neural CRF

# 1. Introduction

# Structured Prediction

*Fruit*                      *flies*                      *like*                      *a*                      *banana*

# Part-of-Speech Tagging

**A**

*Fruit*

**N**

*flies*

**V**

*like*

**D**

*a*

**N**

*banana*

# Noun-Phrase Chunking

**NP**

*Fruit*

*flies*

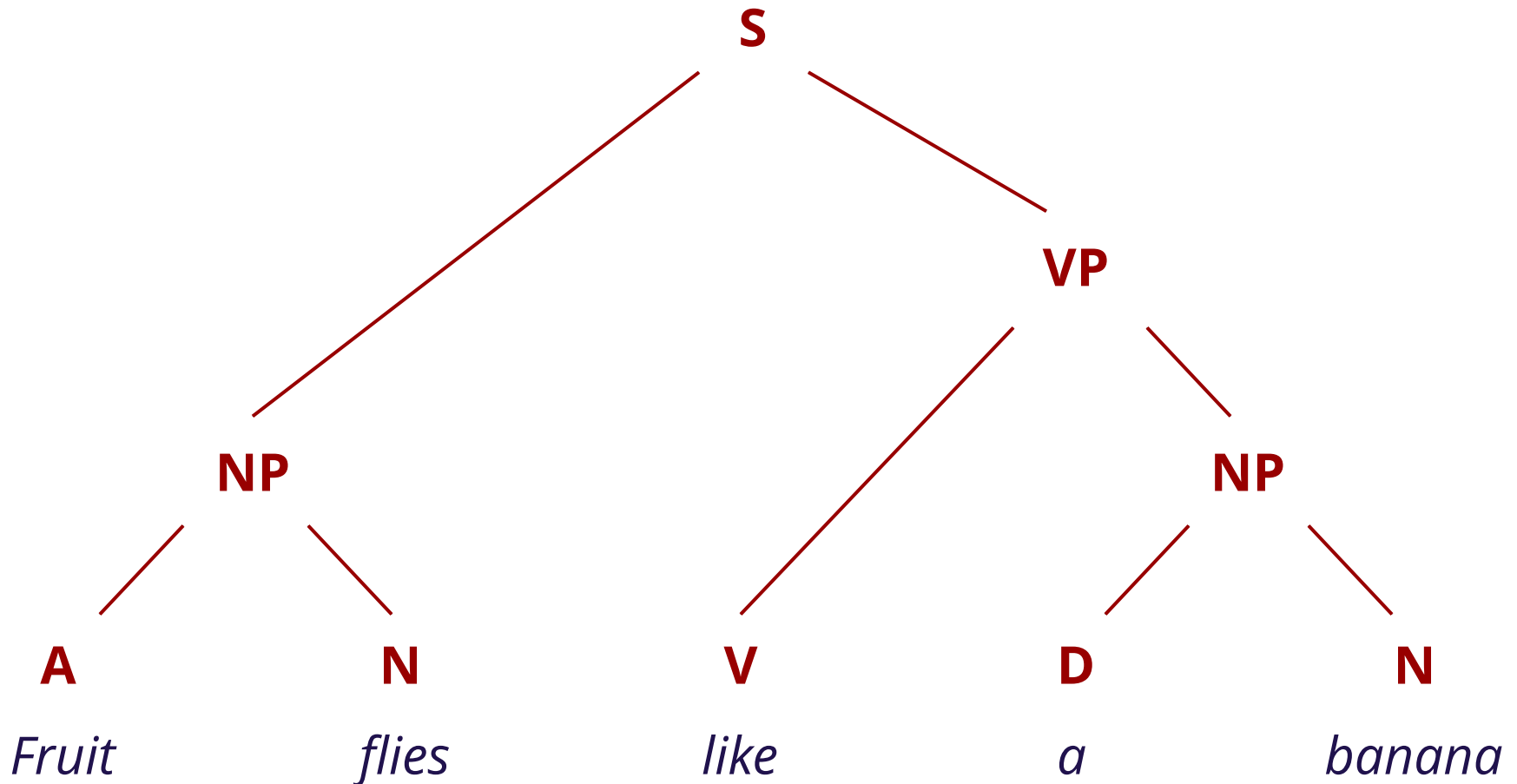
*like*

**NP**

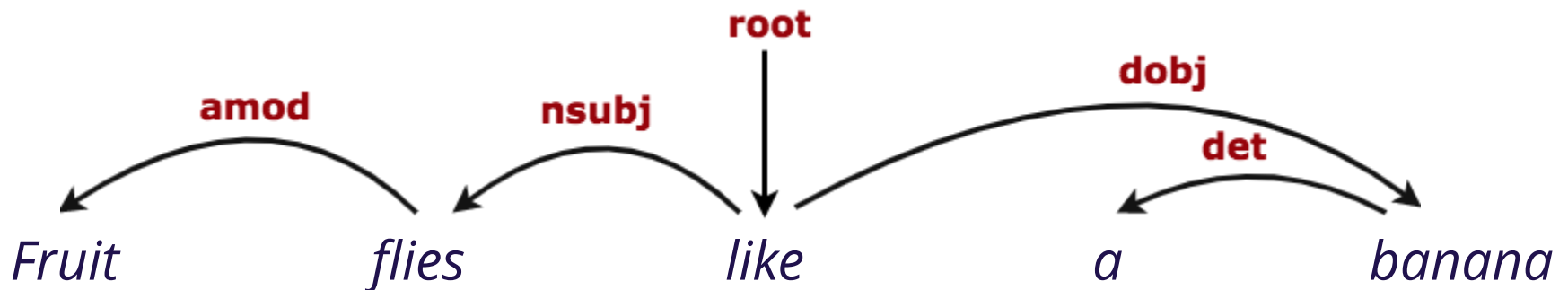
*a*

*banana*

# Constituency Parsing



# Dependency Parsing





# Semantic Parsing

LIKE(F<sub>102</sub>, B<sub>87</sub>)

*Fruit*

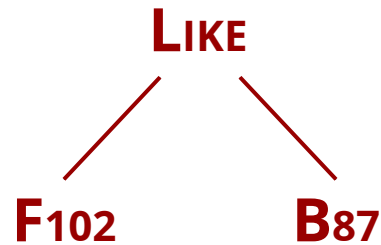
*flies*

*like*

*a*

*banana*

# Semantic Parsing



*Fruit*

*flies*

*like*

*a*

*banana*

# Sentiment Analysis

( **neutral** )

( **positive** )

*Fruit*

*flies*

*like*

*a*

*banana*

# Nested Chunking

NX

NX

NX

NX

*Fruit*

*flies*

*like*

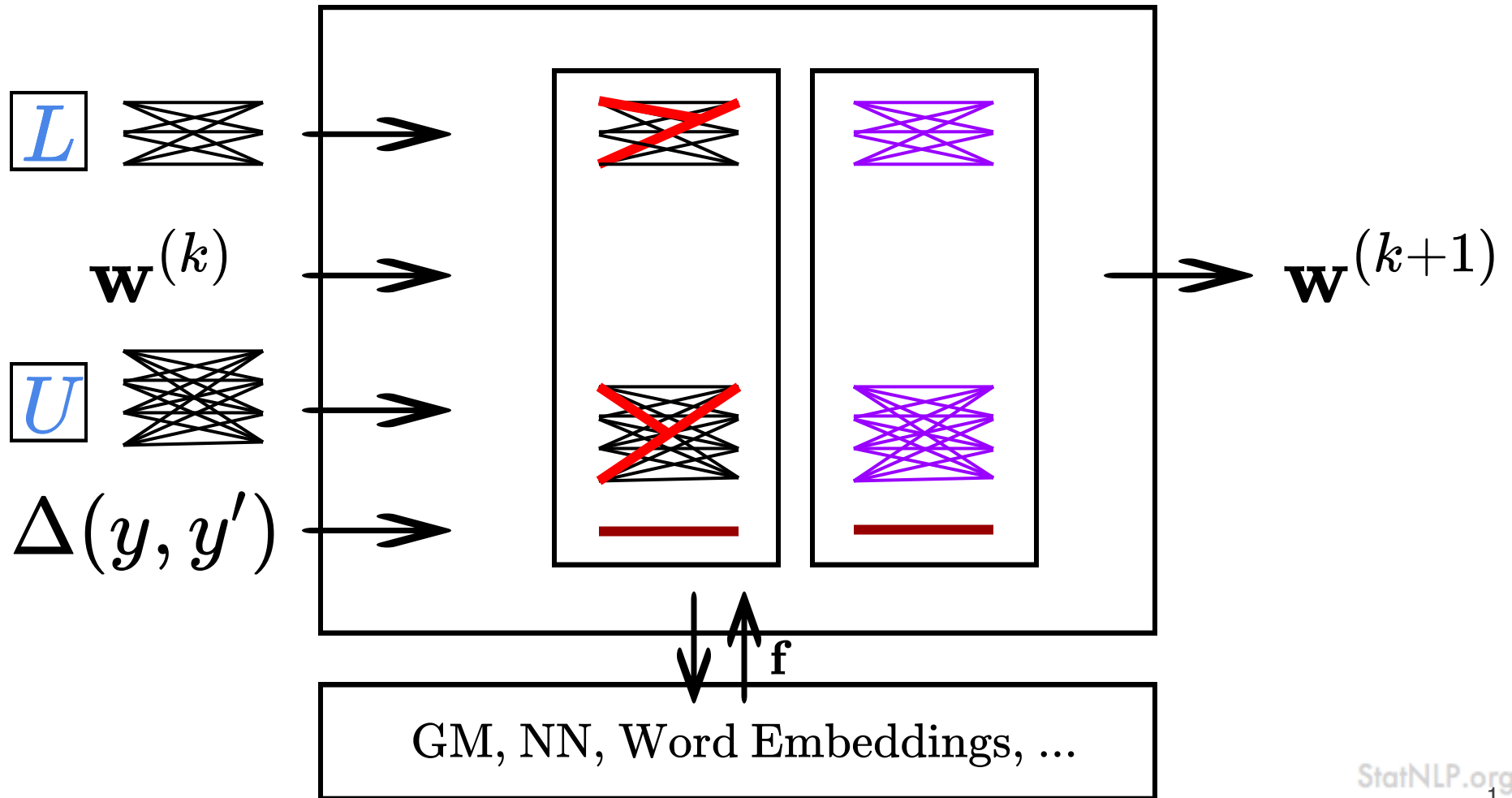
*a*

*banana*

# This Tutorial

- Shares a conceptually new way of thinking about building structured prediction models.
- Presents a unified structured prediction framework that encompasses classic models, and is able to model structures that standard Graphical Models cannot.
- Provides a way to rapidly prototype novel structured prediction models for new tasks.

# A Unified Framework



# Structured Prediction

## **One Assumption**


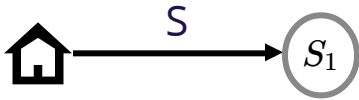
**Structures are constructed  
by following a collection of  
discrete actions.**

# States, Actions

S: shift

L: left-arc

R:right-arc



*Fruit*

*flies*

*like*

*a*

*banana*

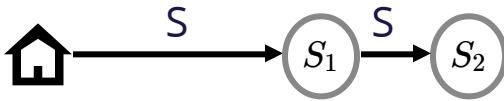


# States, Actions

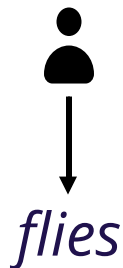
S: shift

L: left-arc

R:right-arc



*Fruit*



*flies*

*like*

*a*

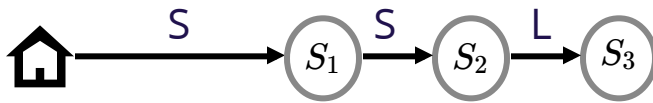
*banana*

# States, Actions

S: shift

L: left-arc

R: right-arc

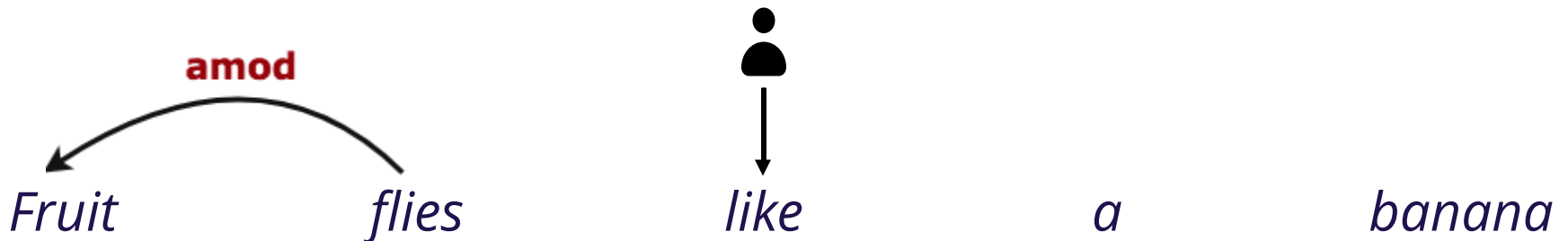
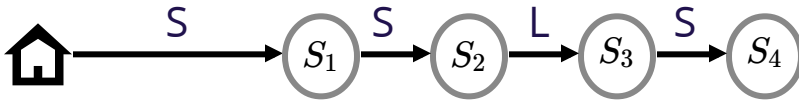


# States, Actions

S: shift

L: left-arc

R: right-arc

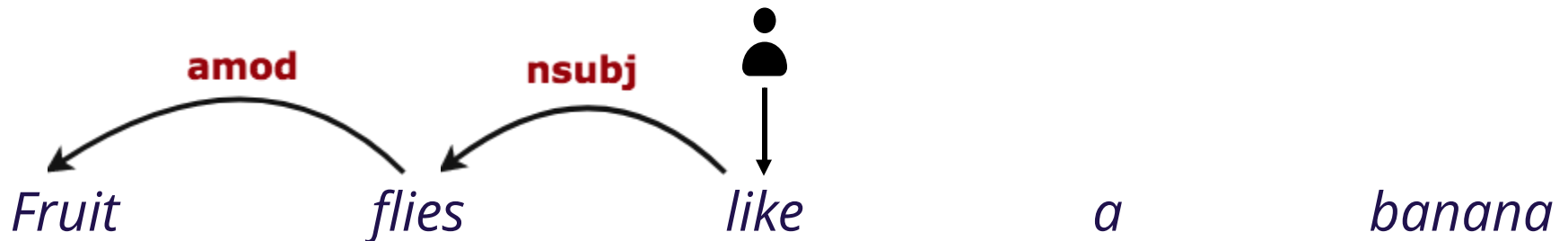
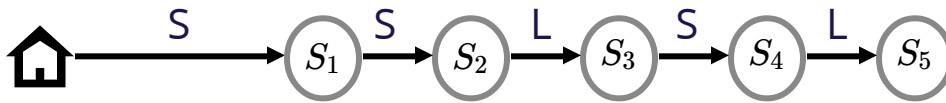


# States, Actions

S: shift

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R:right-arc

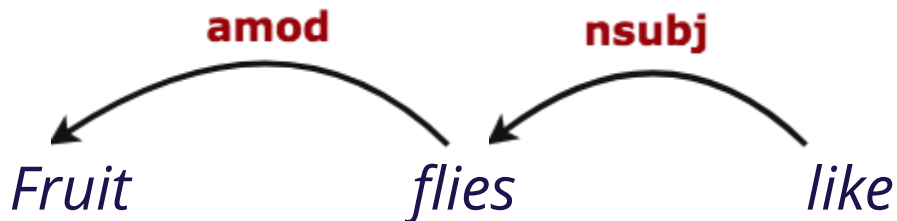
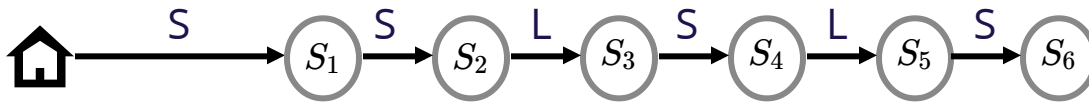


# States, Actions

S: shift

L: left-arc

R: right-arc



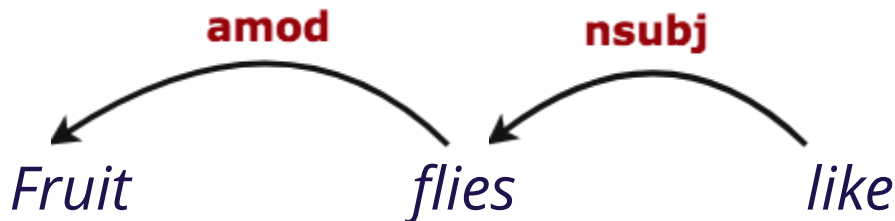
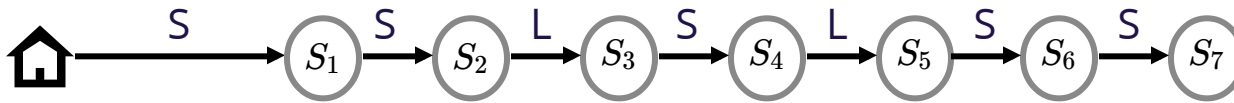
*banana*

# States, Actions

S: shift

L: left-arc

R: right-arc



*a*



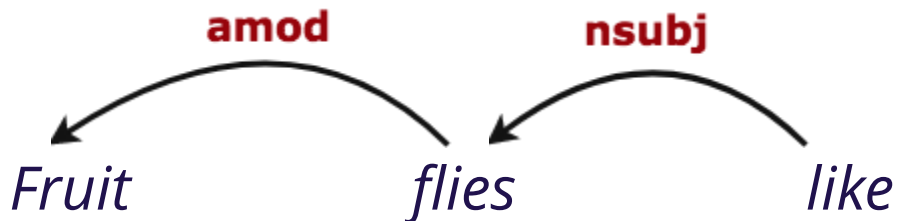
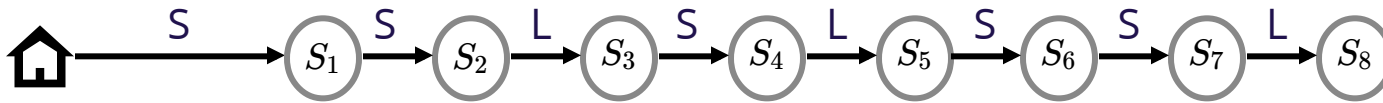
*banana*

# States, Actions

S: shift

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R: right-arc

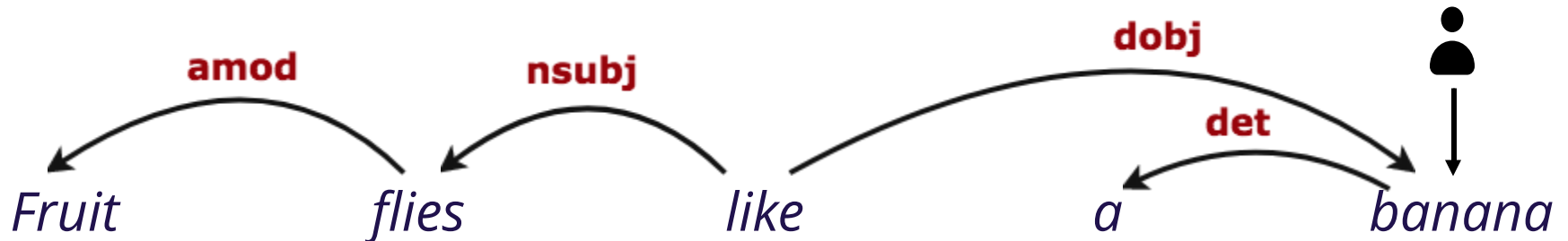
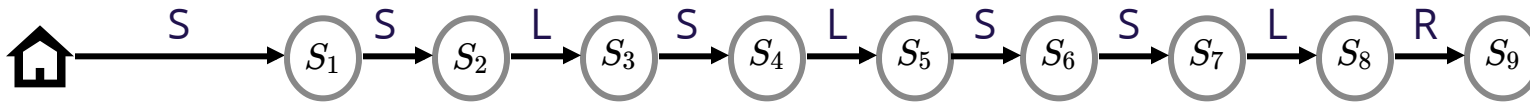


# States, Actions

S: shift

L: left-arc

R: right-arc



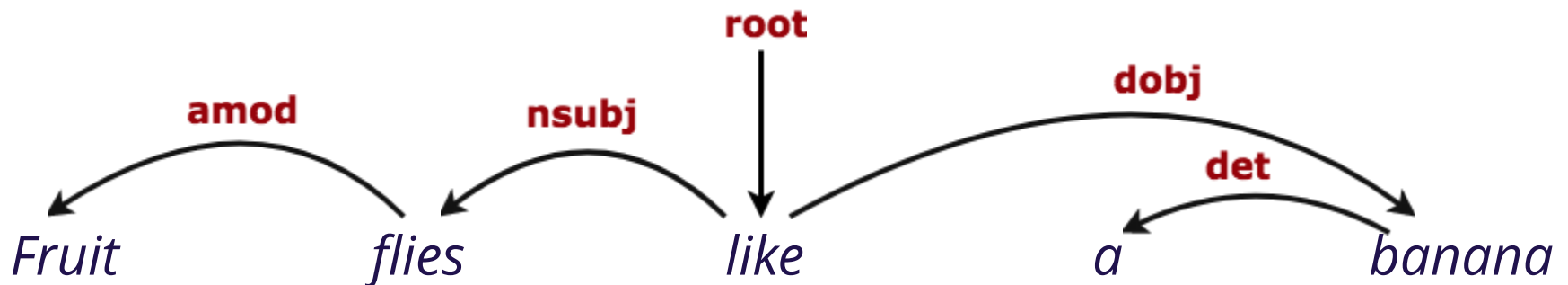
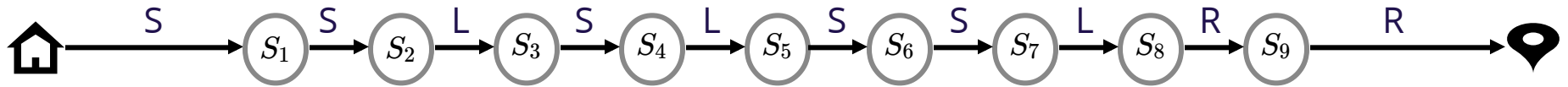


# States, Actions

S: shift

L: left-arc

R:right-arc

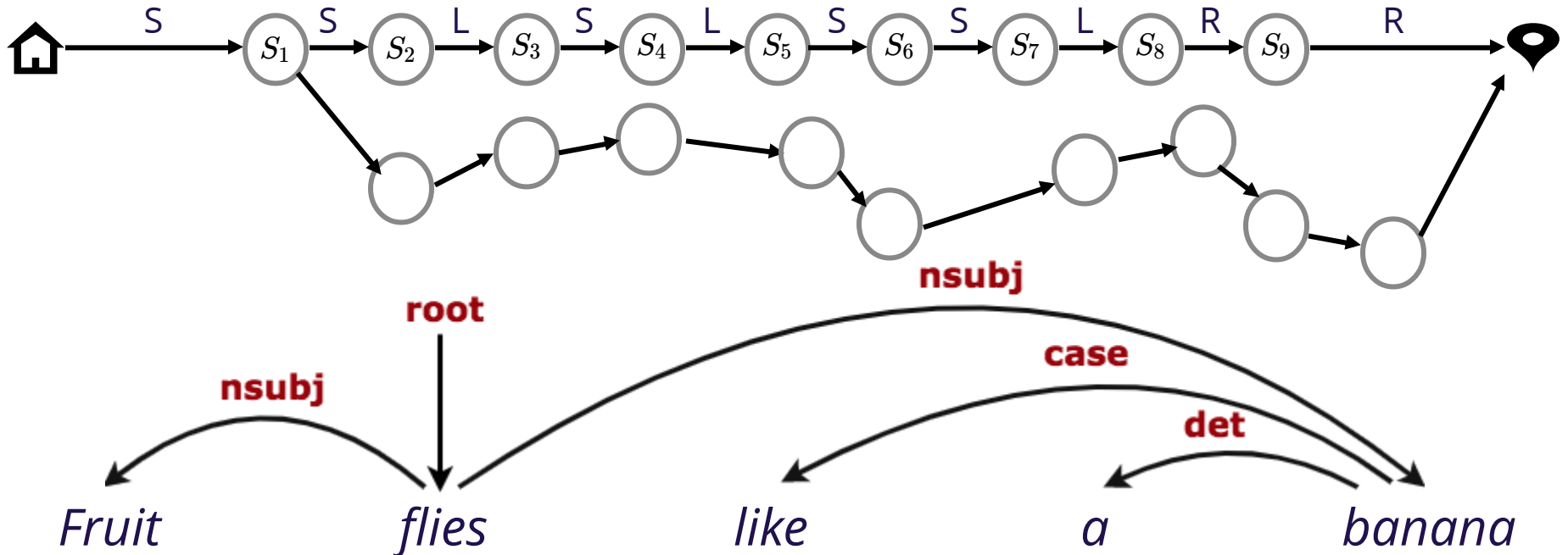


# States, Actions

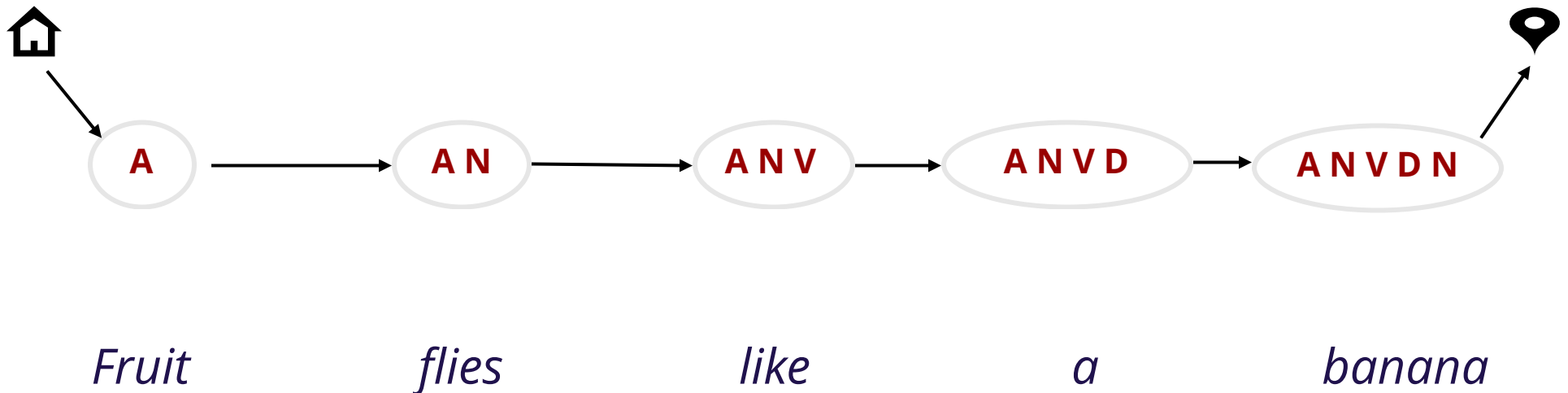
S: shift

L: left-arc

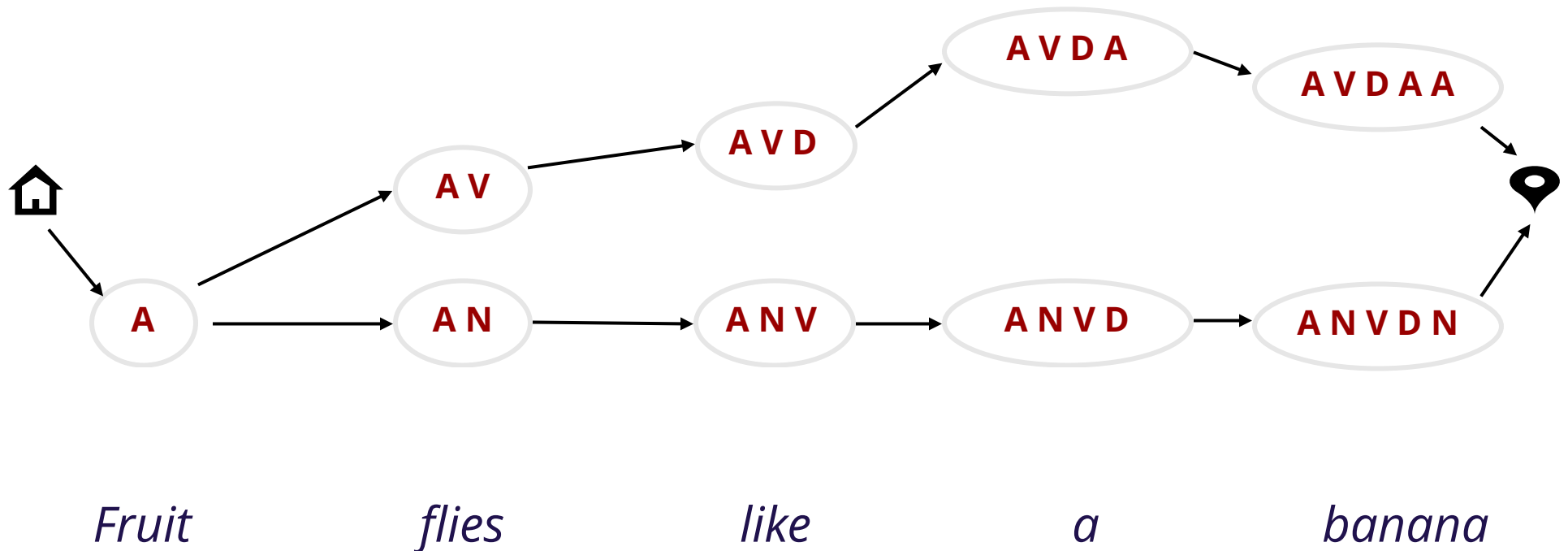
R:right-arc



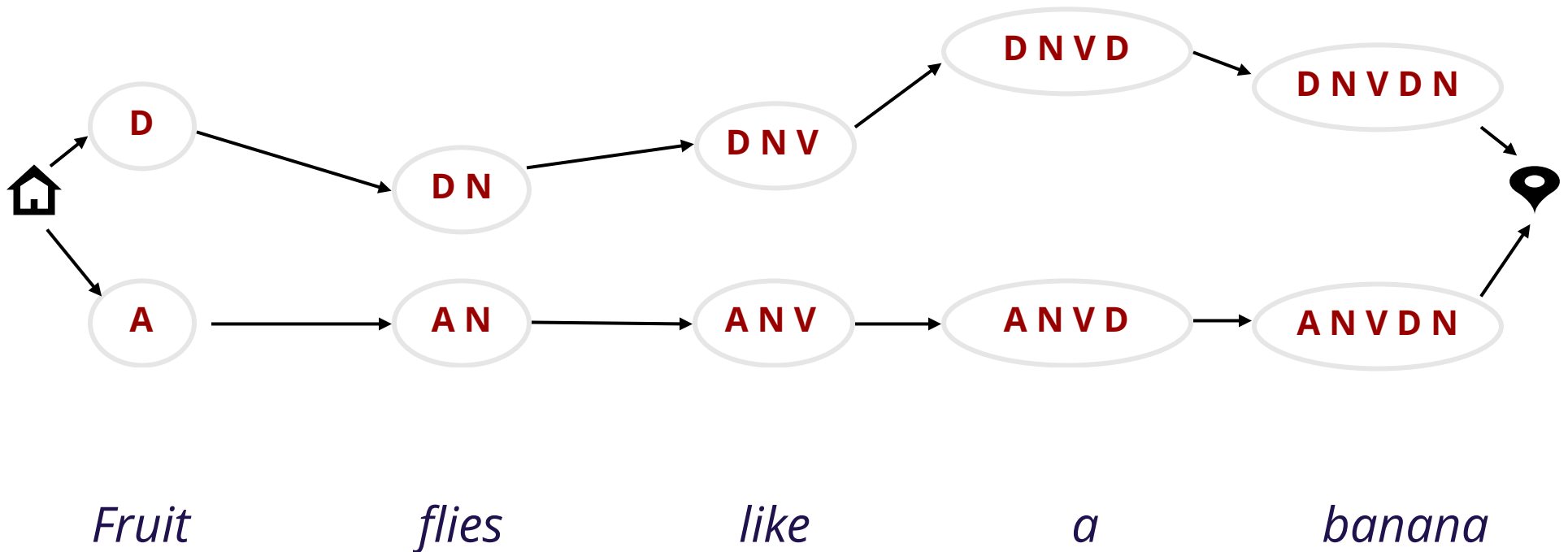
# States, Actions, Paths



# States, Actions, Paths



# Score of a Path



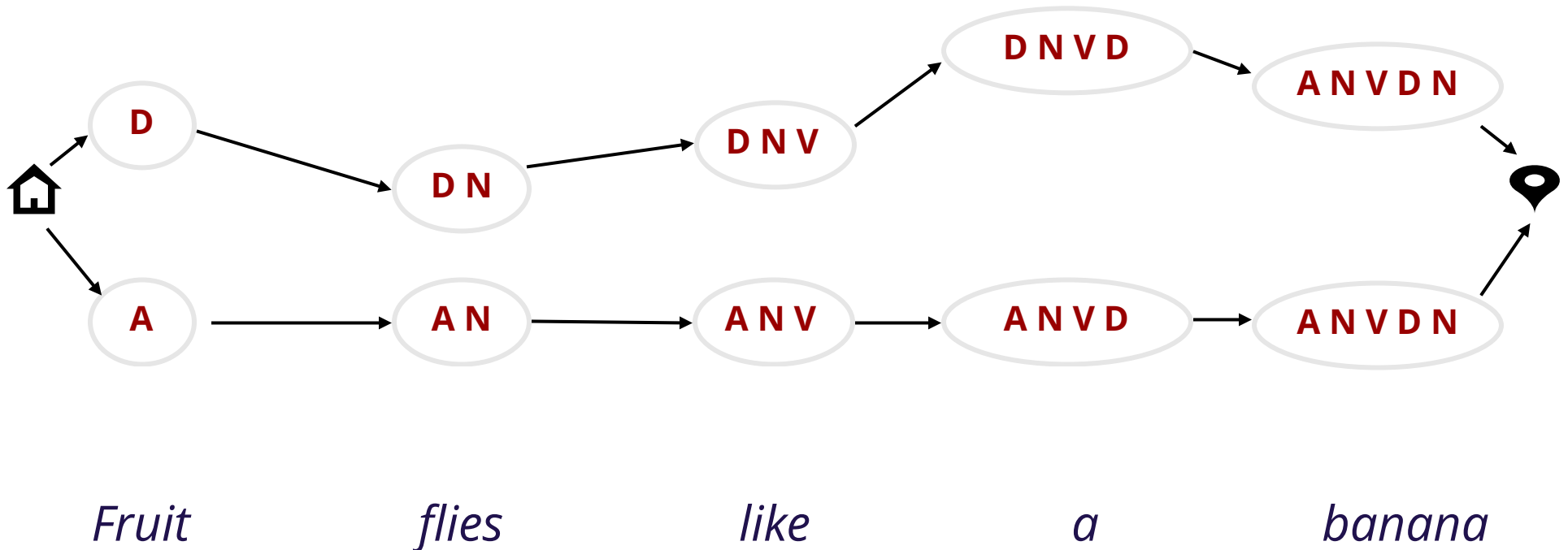
# Score of a Path

Score of the path  $p$

Score of each edge  $e$

$$S_w(p) = \sum_{e \in p} s_w(e)$$

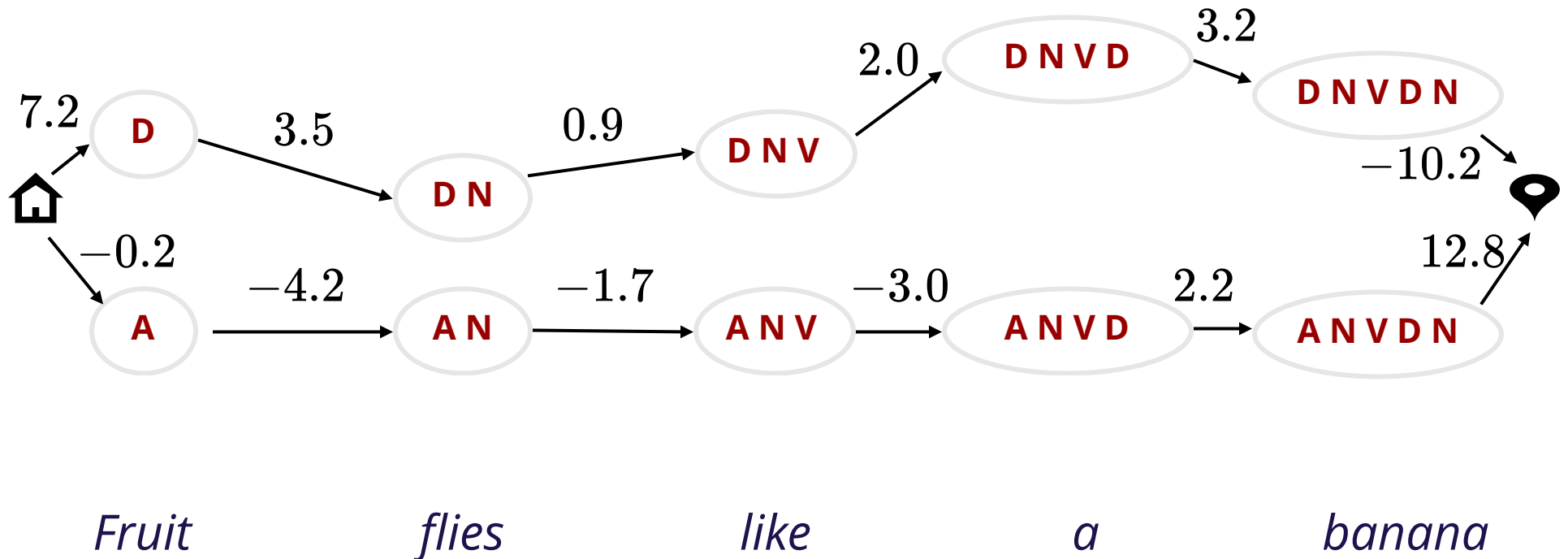
Parameters



# Score of a Path

$$S_w(p_1) = 7.2 + 3.5 + 0.9 + 2.0 + 3.2 - 10.2 = 6.6$$

$$S_w(p_2) = -0.2 - 4.2 - 1.7 - 3.0 + 2.2 + 12.8 = 6.9$$

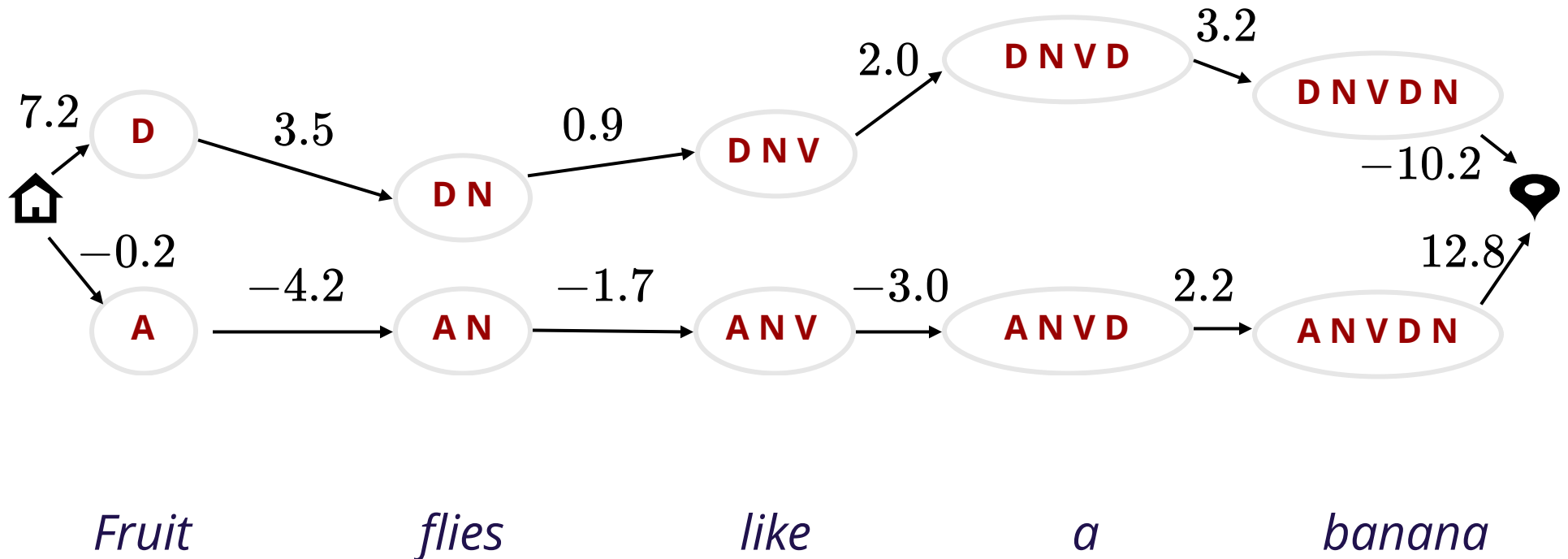


# Search

Exhaustive Search

Beam Search

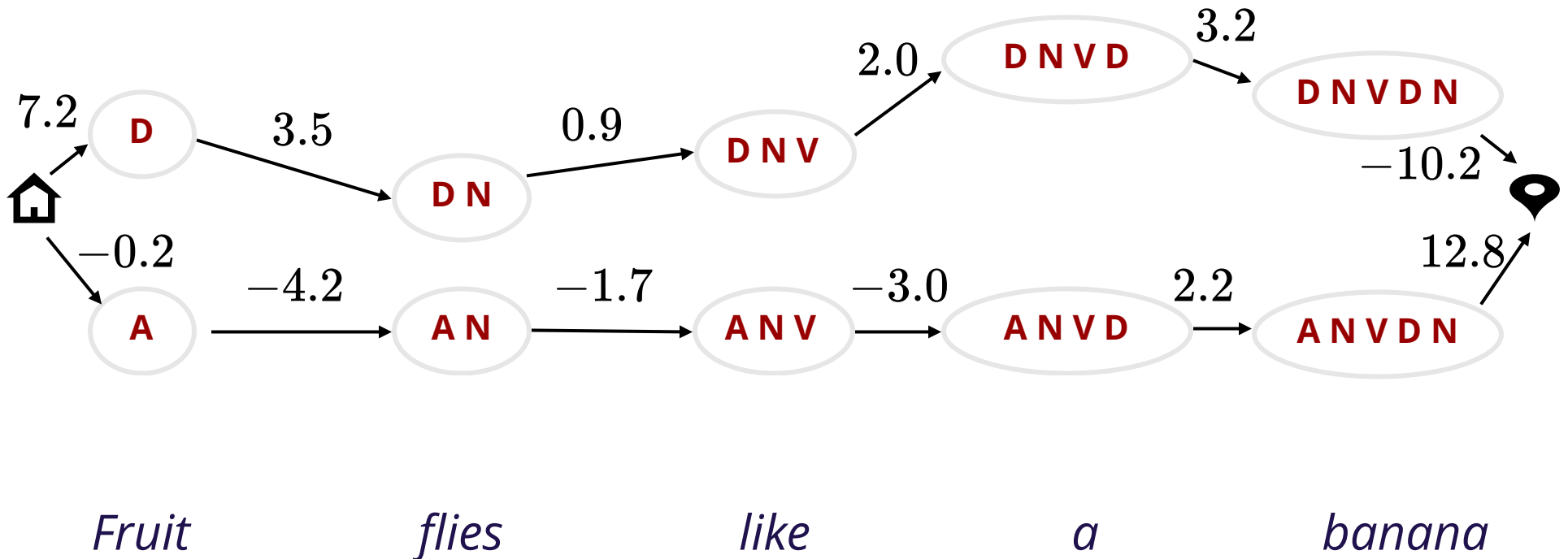
Heuristics Search



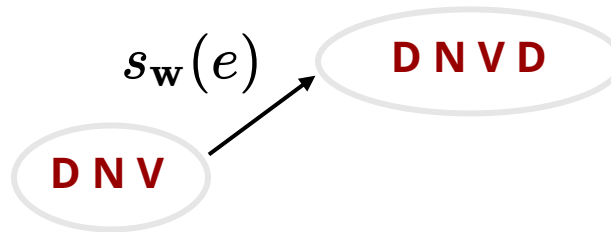


# Score of an Edge

$$s_w(e) = \mathbf{w} \cdot \mathbf{f}(e) = \mathbf{w} \cdot \mathbf{f}(x, [s, a])$$



# Score of an Edge



*Fruit*

*flies*

*like*

*a*

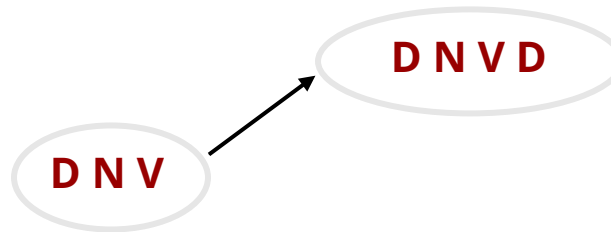
*banana*

# Score of an Edge

$\mathbf{w}$

$\mathbf{f}(x, [s, a])$

$$s_{\mathbf{w}}(e) = \mathbf{w} \cdot \mathbf{f}(x, [s, a])$$



*Fruit*

*flies*

*like*

*a*

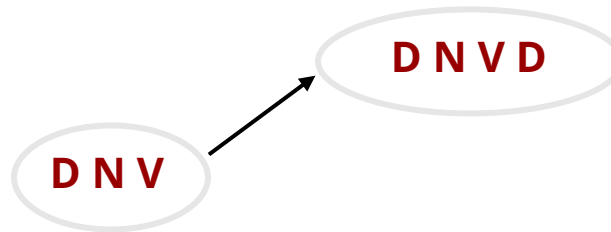
*banana*

# Score of an Edge

$$\mathbf{w} = \begin{bmatrix} 1.2 \\ \vdots \\ -3.1 \end{bmatrix}$$

$$\mathbf{f}(x, [s, a]) = \mathbf{f}\left(x, [\text{D N V}, \text{D}]\right) = \begin{bmatrix} 1 \\ \vdots \\ 0 \end{bmatrix}$$

$$s_{\mathbf{w}}(e) = \mathbf{w} \cdot \mathbf{f}(x, [s, a])$$



*Fruit*

*flies*

*like*

*a*

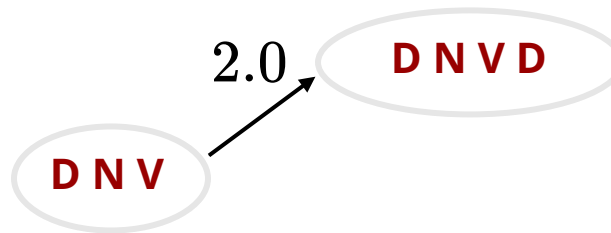
*banana*

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$$s_{\mathbf{w}}(e) = \mathbf{w} \cdot \mathbf{f}(x, [s, a]) = 2.0$$



*Fruit*

*flies*

*like*

*a*

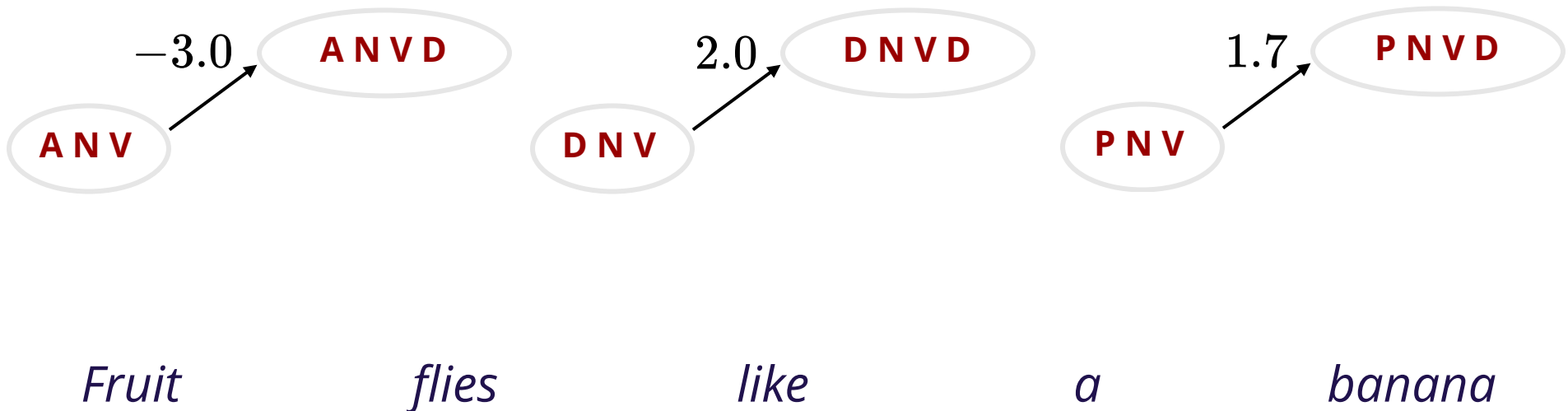
*banana*

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$$\mathbf{w} = \begin{bmatrix} 1.2 \\ \vdots \\ -3.1 \end{bmatrix}$$

$$\mathbf{f}(x, [s, a]) = \mathbf{f}\left(x, [\text{D N V}, \text{D}]\right) = \begin{bmatrix} 1 \\ \vdots \\ 0 \end{bmatrix}$$

$$s_{\mathbf{w}}(e) = \mathbf{w} \cdot \mathbf{f}(x, [s, a]) = 2.0$$

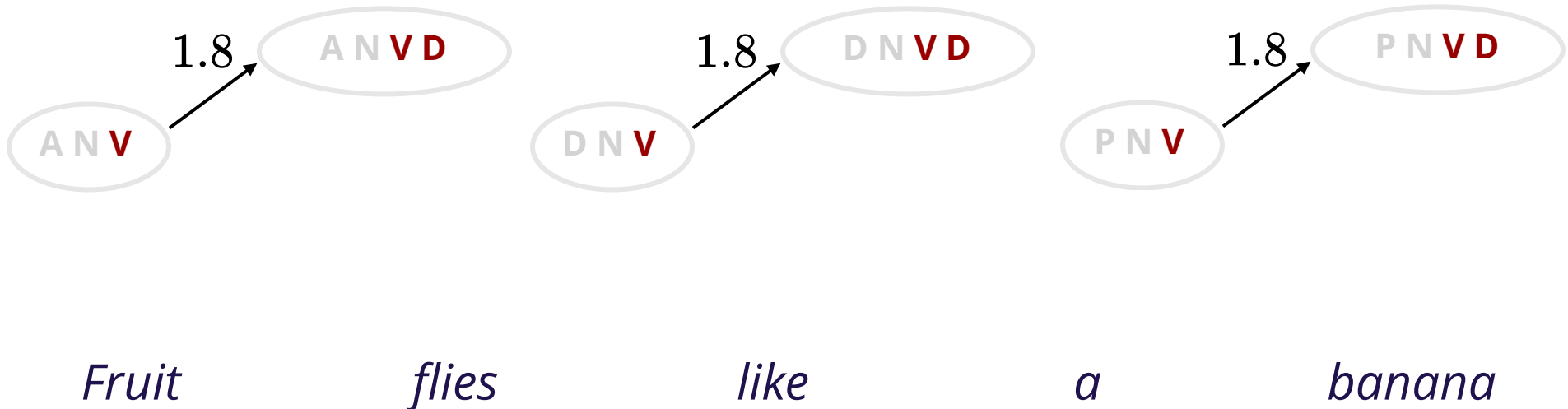


# Score of an Edge

$$\mathbf{w} = \begin{bmatrix} 1.2 \\ \vdots \\ -3.1 \end{bmatrix}$$

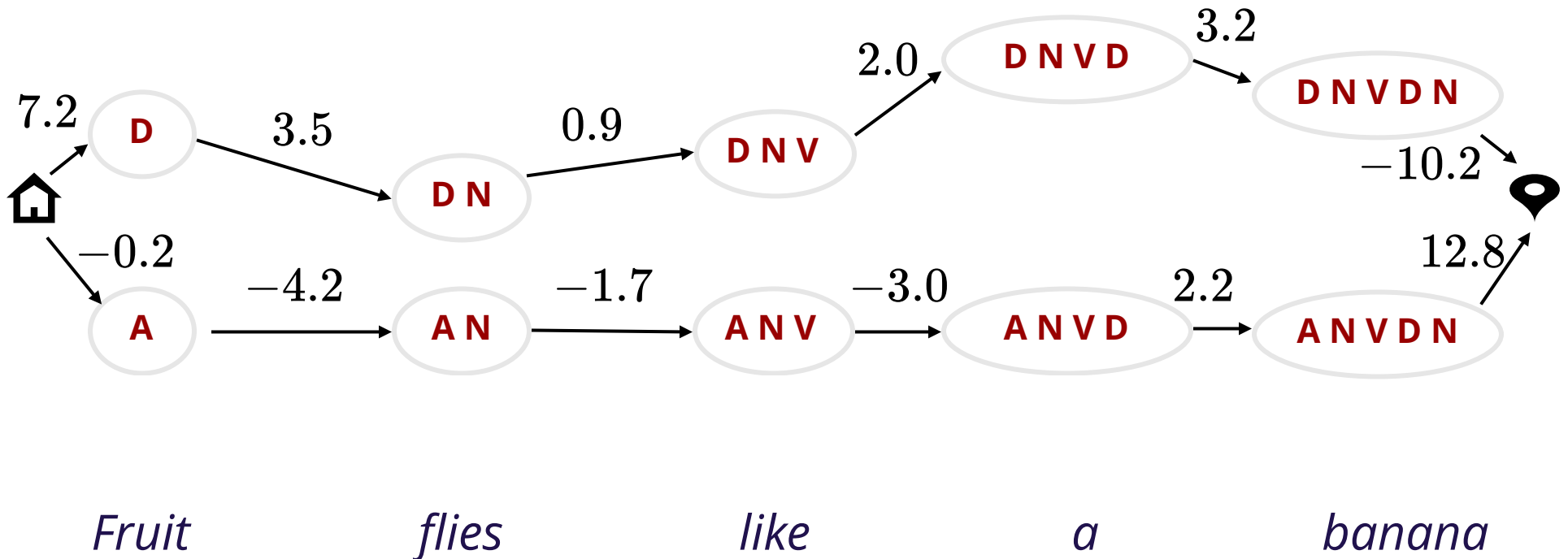
$$\mathbf{f}(x, [s, a]) = \mathbf{f}\left(x, [\text{D N V}, \text{D}]\right) = \begin{bmatrix} 0 \\ \vdots \\ 1 \end{bmatrix}$$

$$s_{\mathbf{w}}(e) = \mathbf{w} \cdot \mathbf{f}(x, [s, a]) = 1.8$$



# Score of an Edge

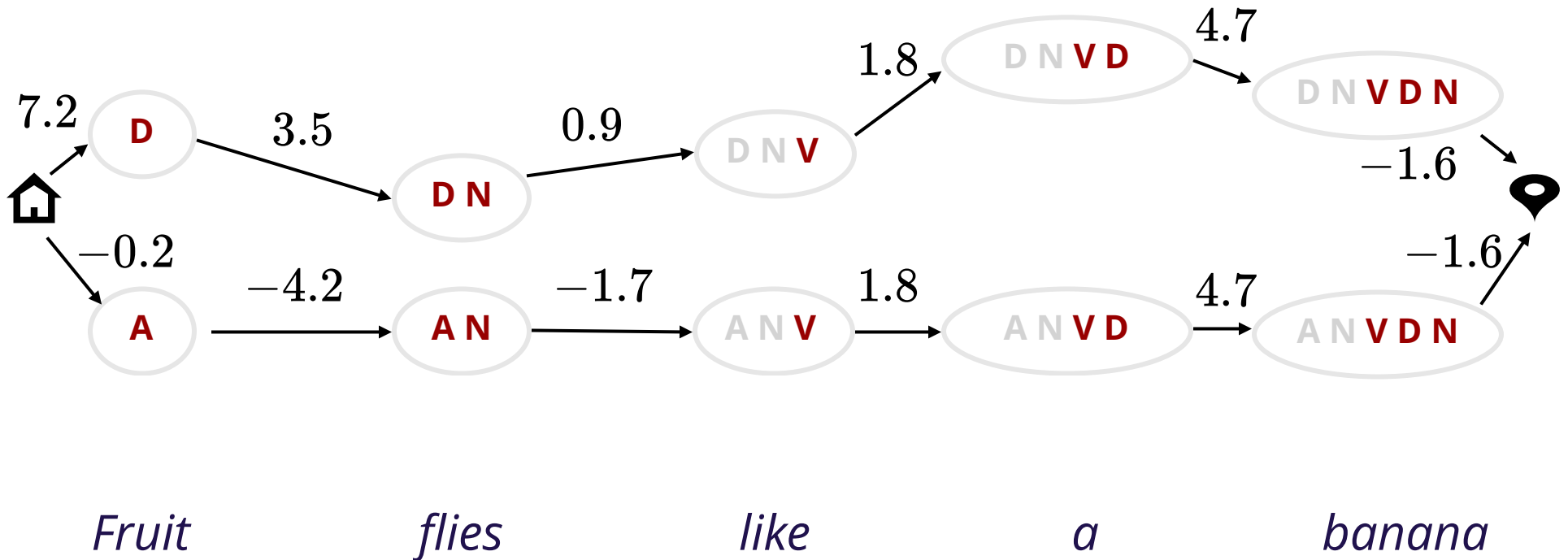
$$s_w(e) = \mathbf{w} \cdot \mathbf{f}(e) = \mathbf{w} \cdot \mathbf{f}(x, [s, a])$$





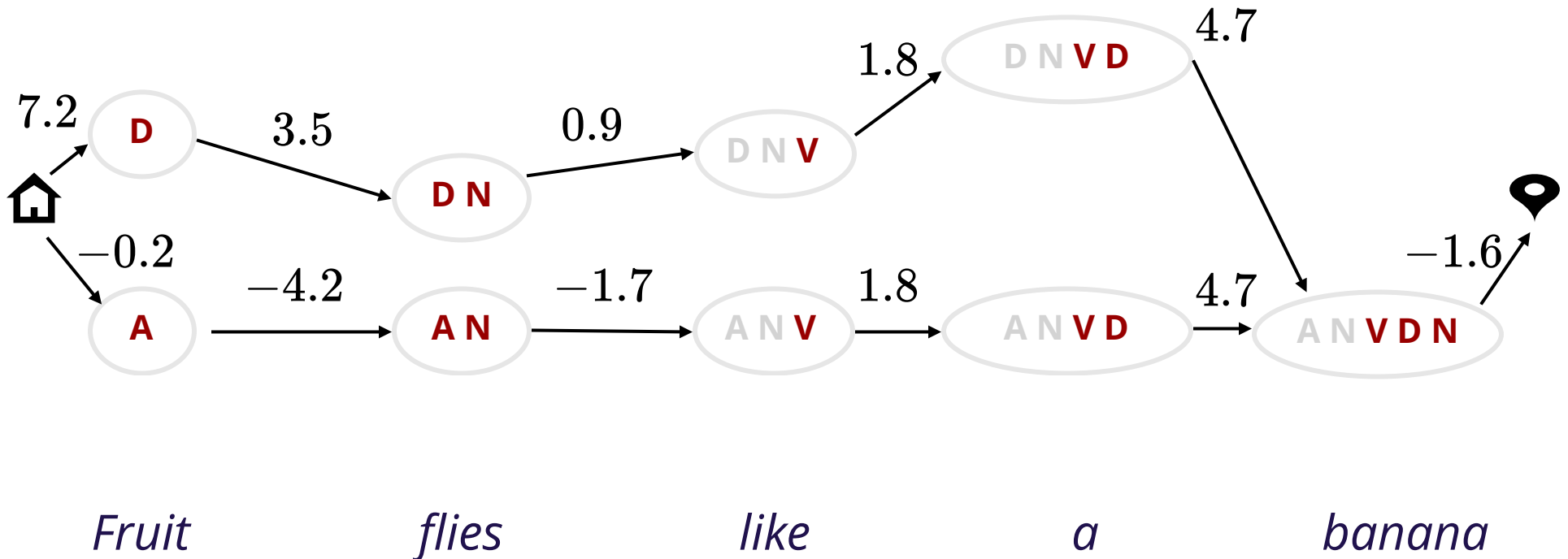
# Search Graph

$$s_{\mathbf{w}}(e) = \mathbf{w} \cdot \mathbf{f}(e) = \mathbf{w} \cdot \mathbf{f}(x, [s, a])$$



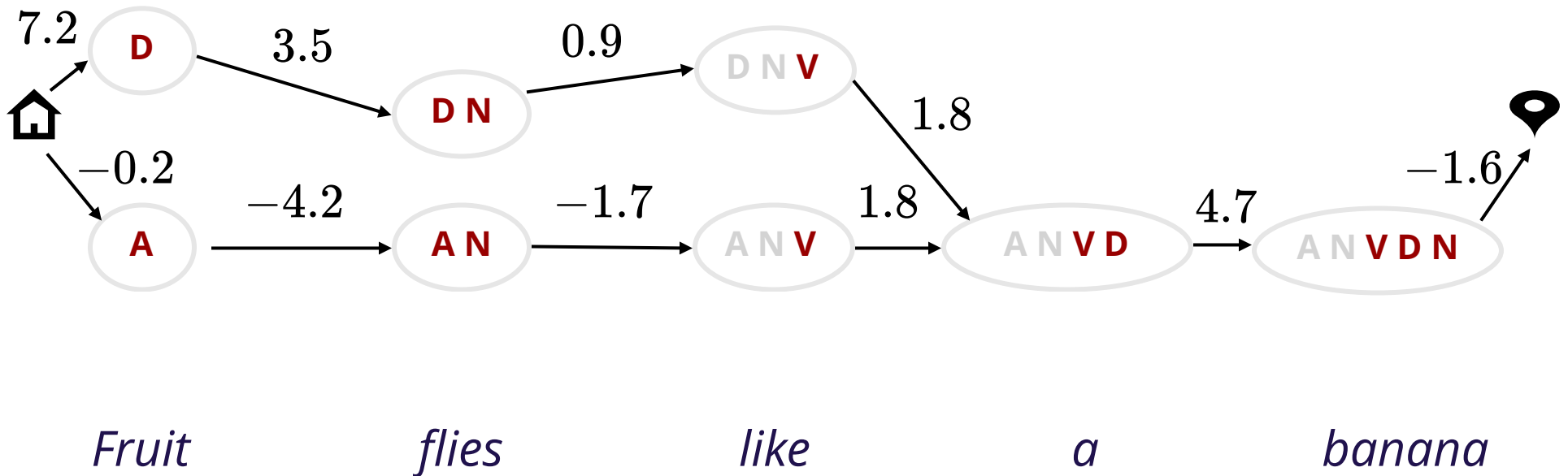
# Search Graph

$$s_{\mathbf{w}}(e) = \mathbf{w} \cdot \mathbf{f}(e) = \mathbf{w} \cdot \mathbf{f}(x, [s, a])$$



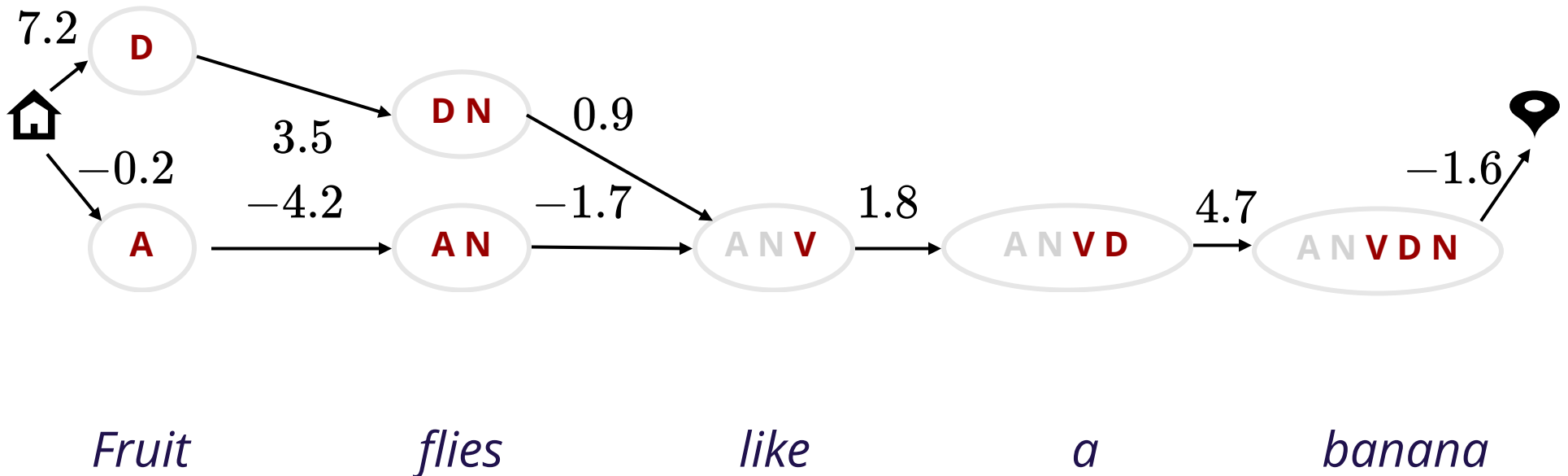
# Search Graph

$$s_{\mathbf{w}}(e) = \mathbf{w} \cdot \mathbf{f}(e) = \mathbf{w} \cdot \mathbf{f}(x, [s, a])$$



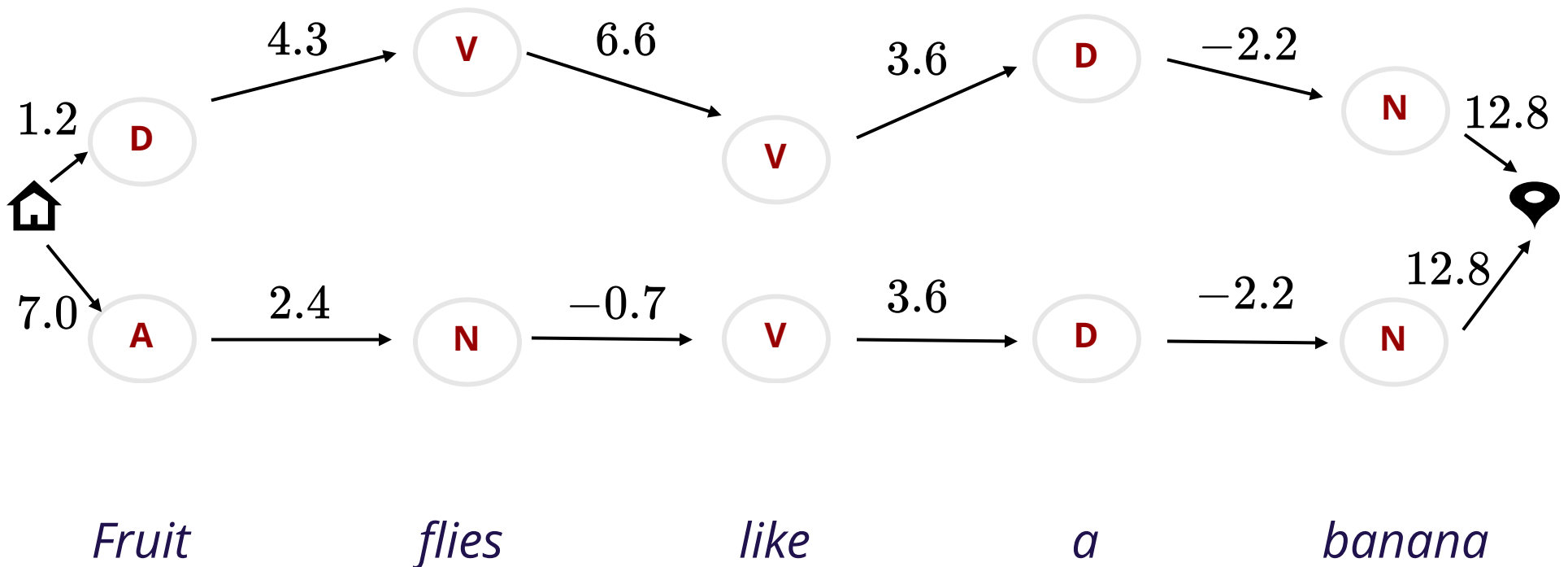
# Search Graph

$$s_{\mathbf{w}}(e) = \mathbf{w} \cdot \mathbf{f}(e) = \mathbf{w} \cdot \mathbf{f}(x, [s, a])$$

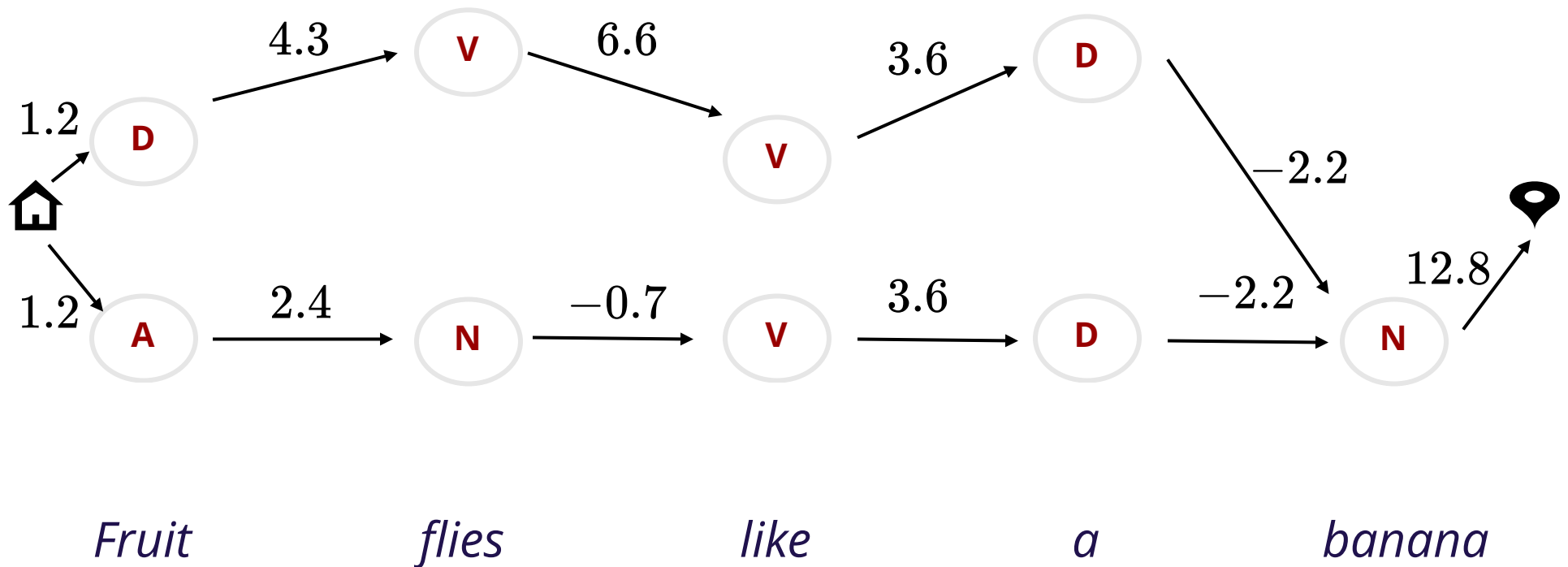


# Search Graph

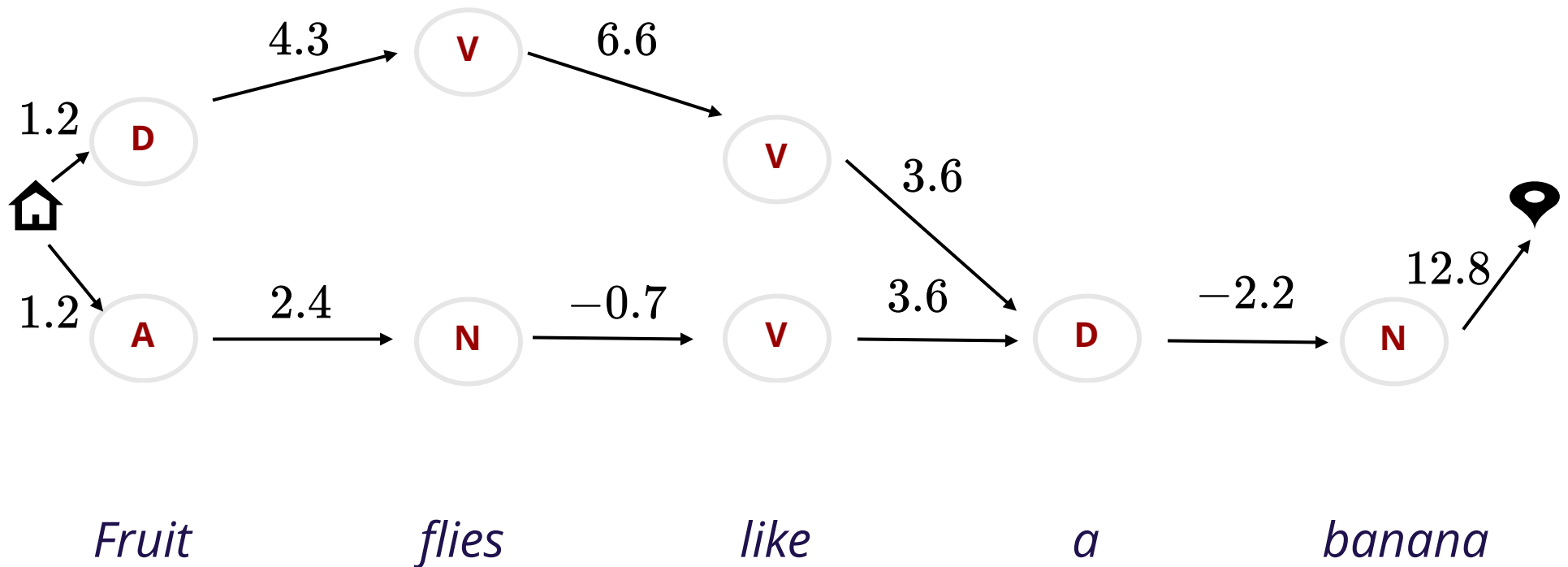
$$s_w(e) = \mathbf{w} \cdot \mathbf{f}(e) = \mathbf{w} \cdot \mathbf{f}(x, [s, a])$$



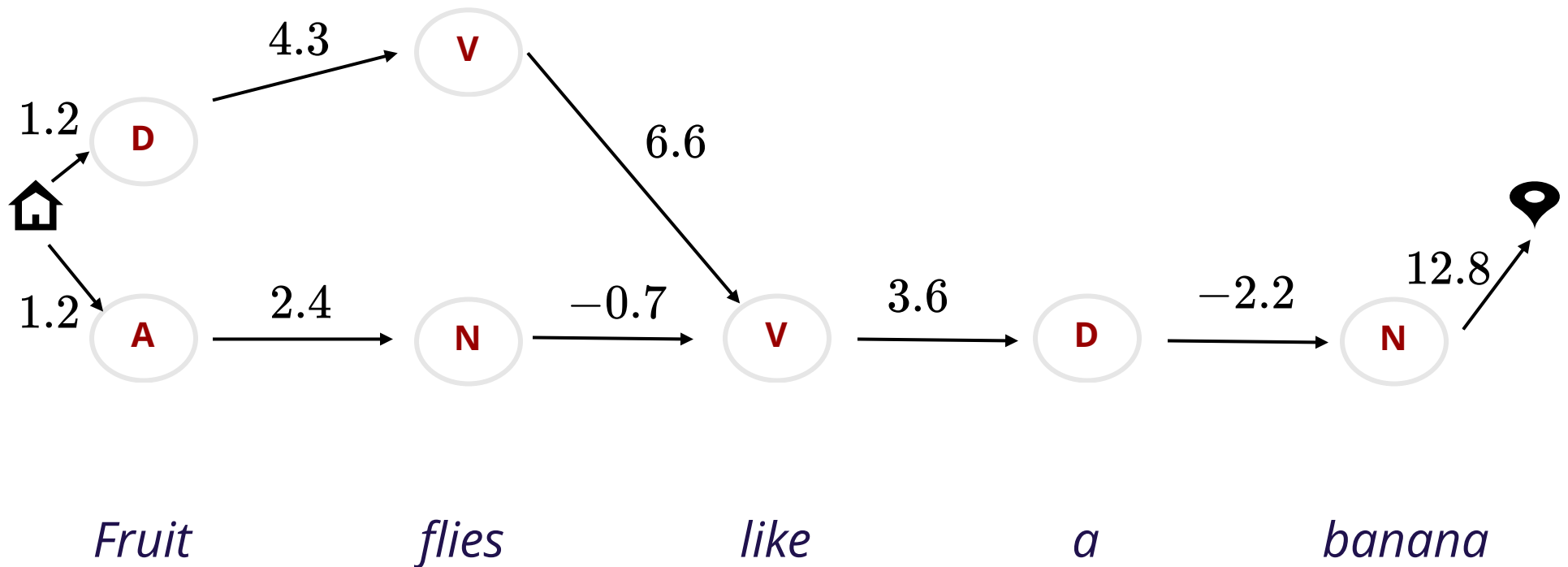
# Search Graph



# Search Graph

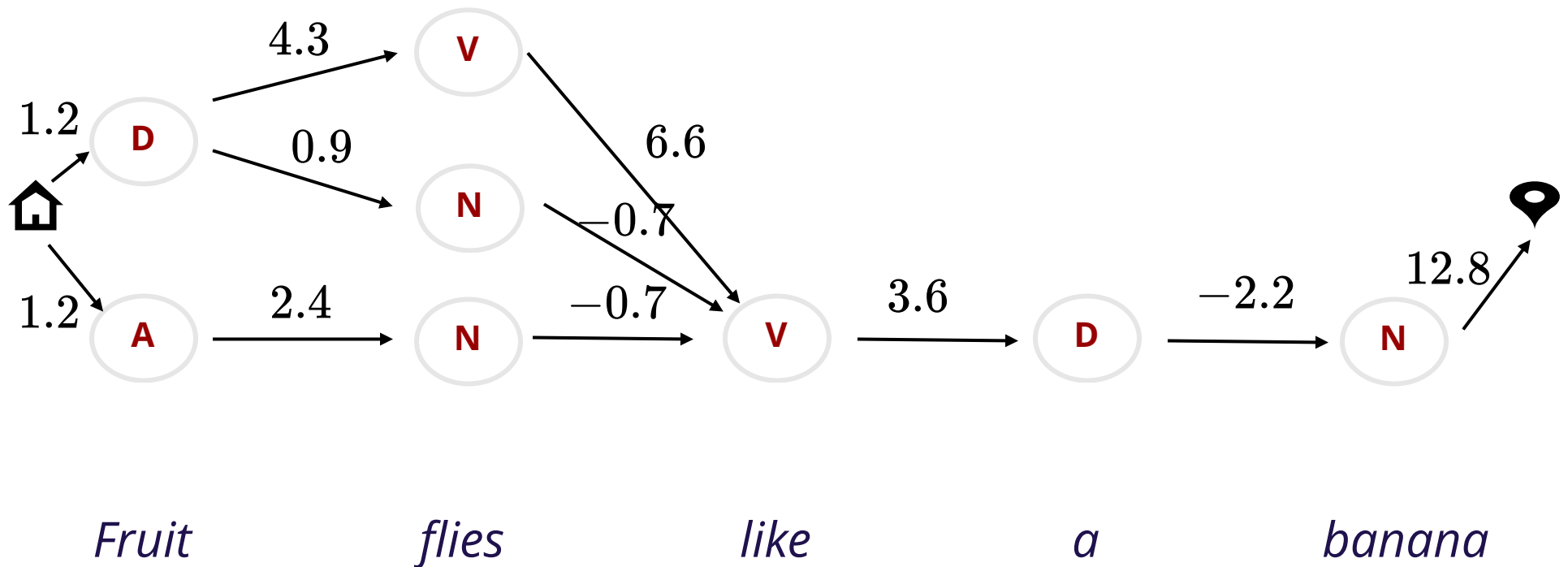


# Search Graph

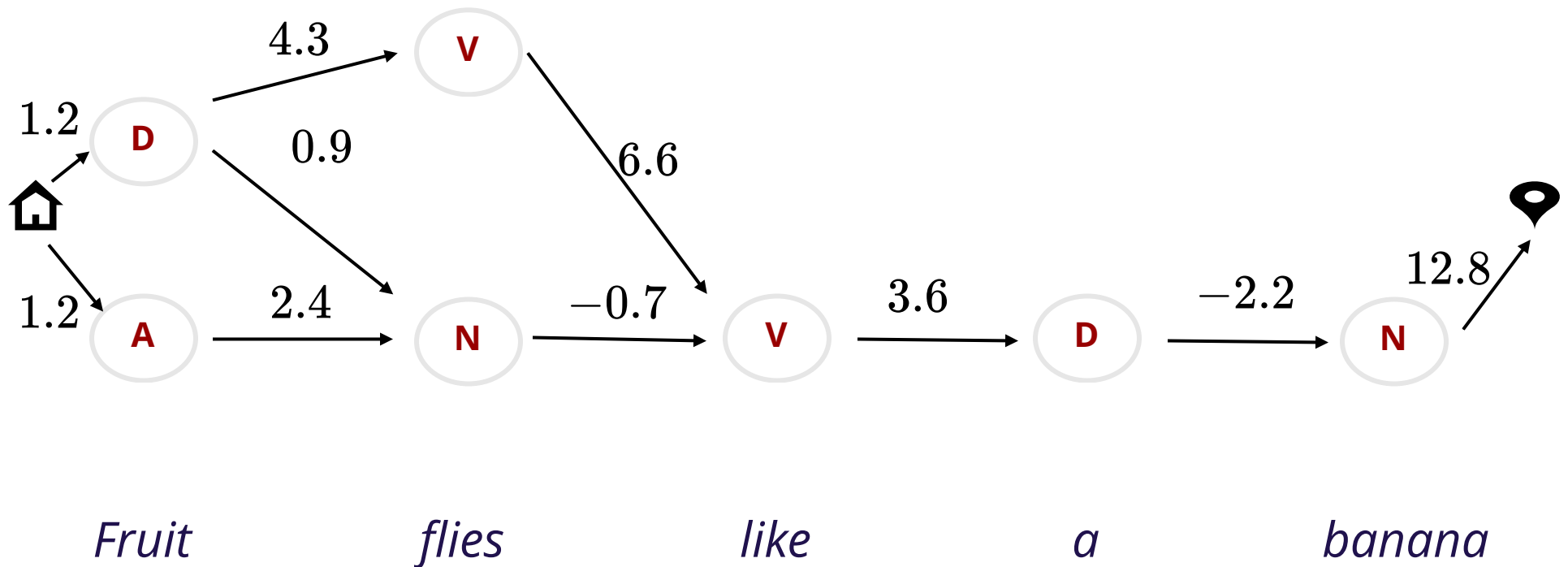




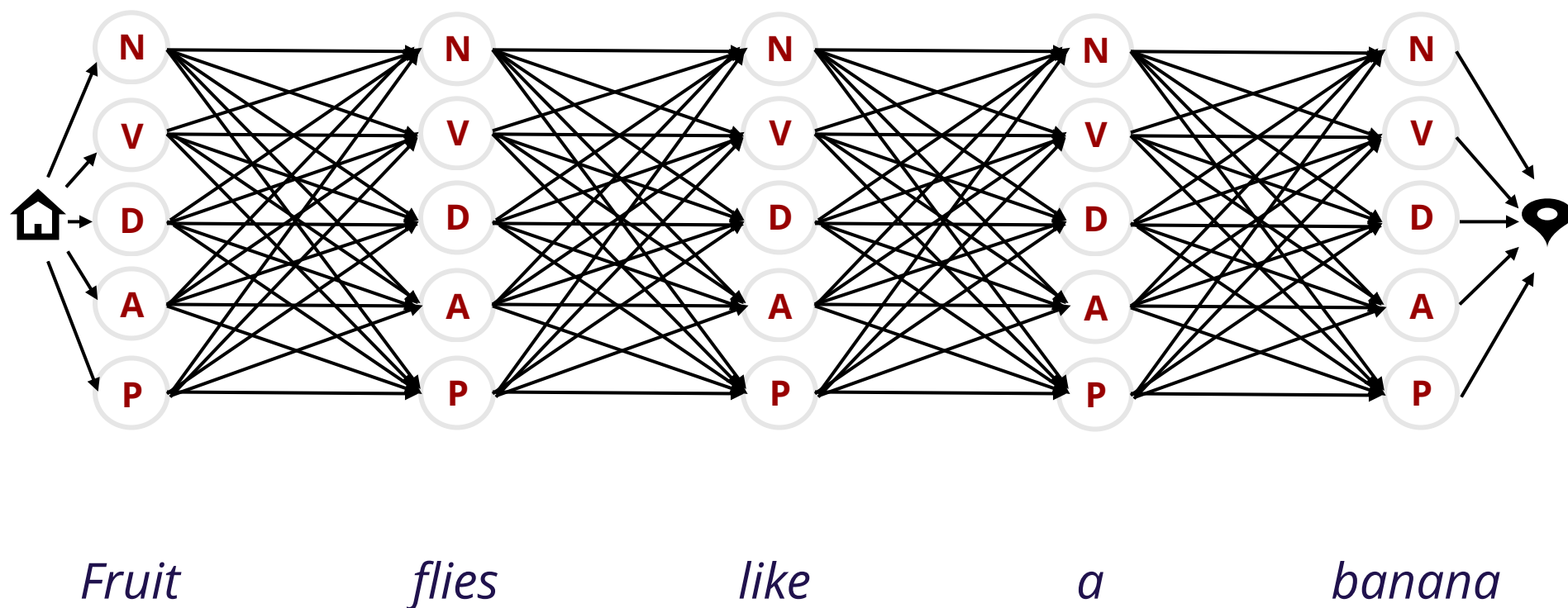
# Search Graph



# Search Graph

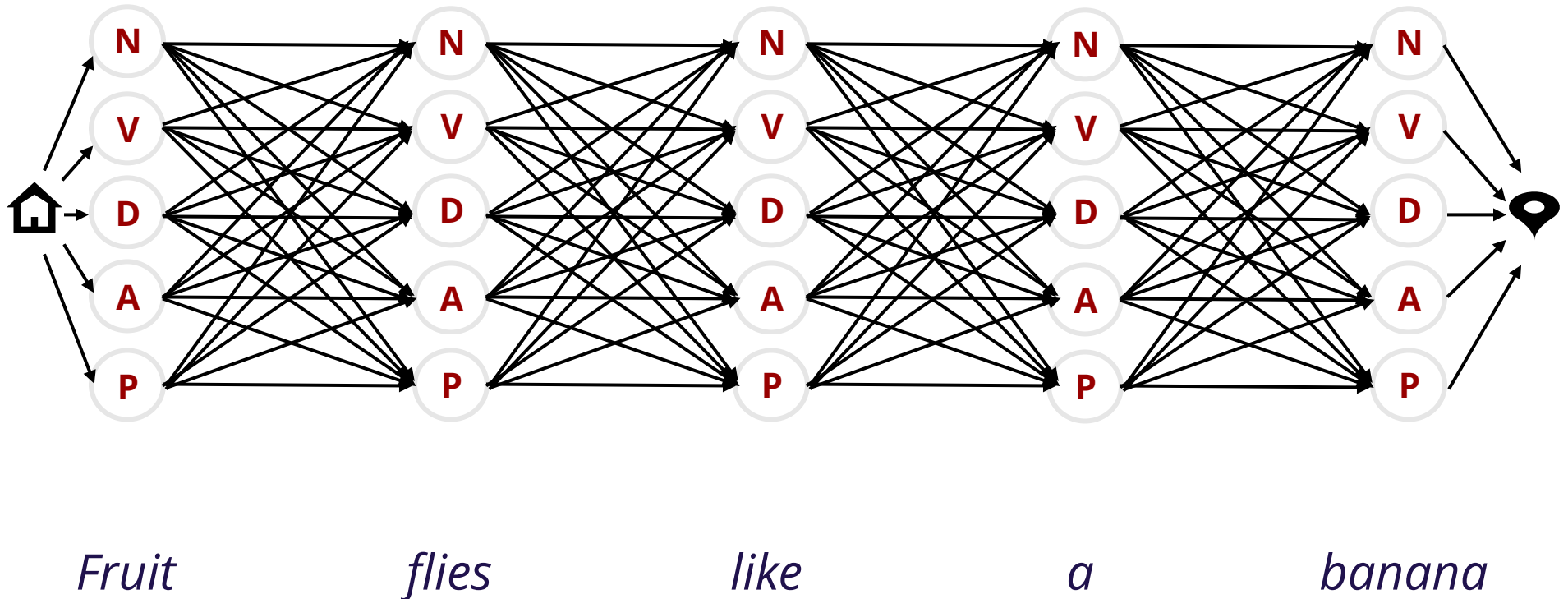


# A Compact Search Graph



# A Compact Search Graph

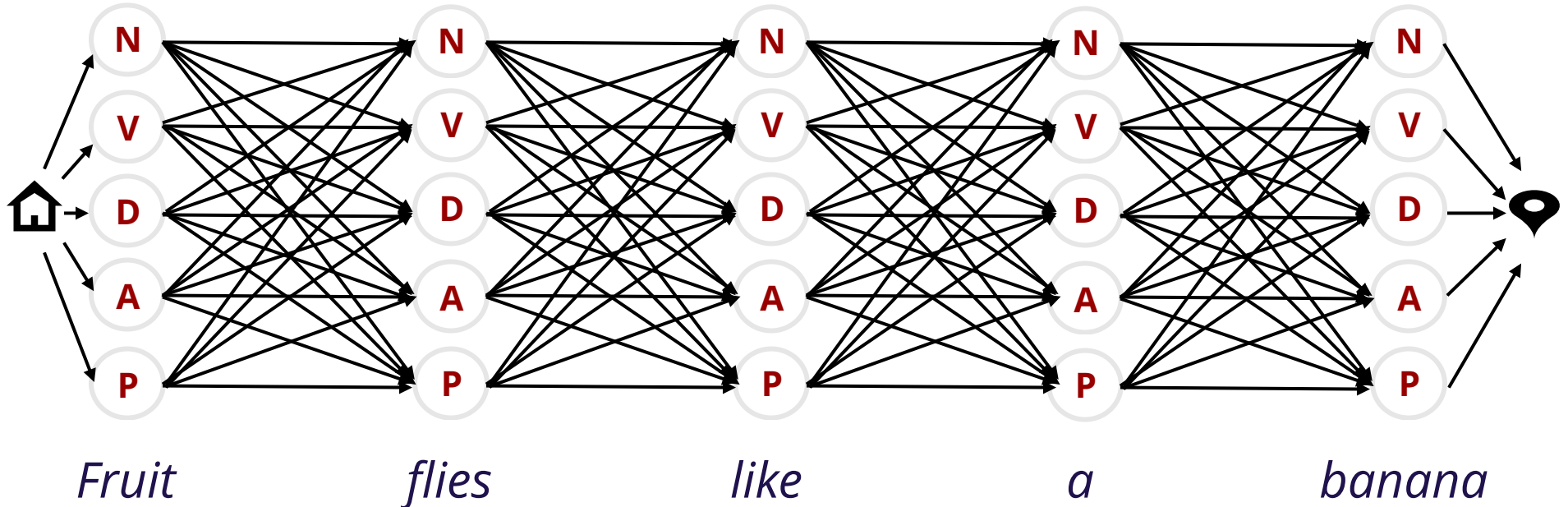
A representation that contains exponentially many directed paths



# Decoding

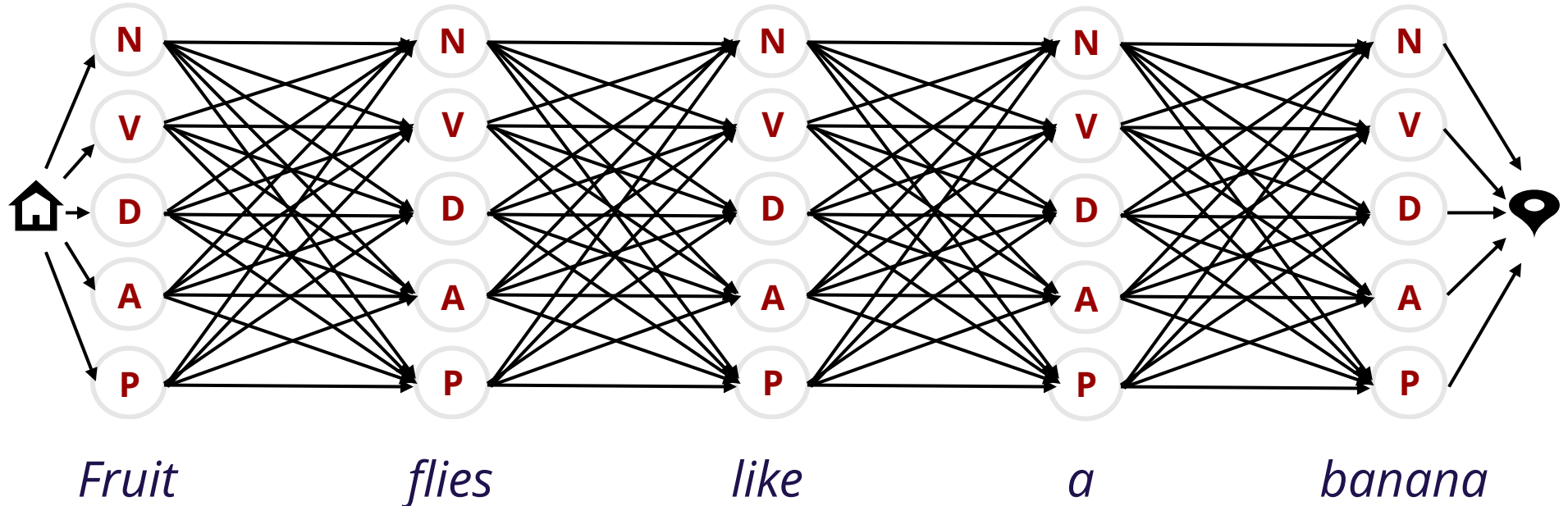
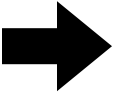
# Decoding

Given	Find
$x, w$	$y$



# The Search Problem

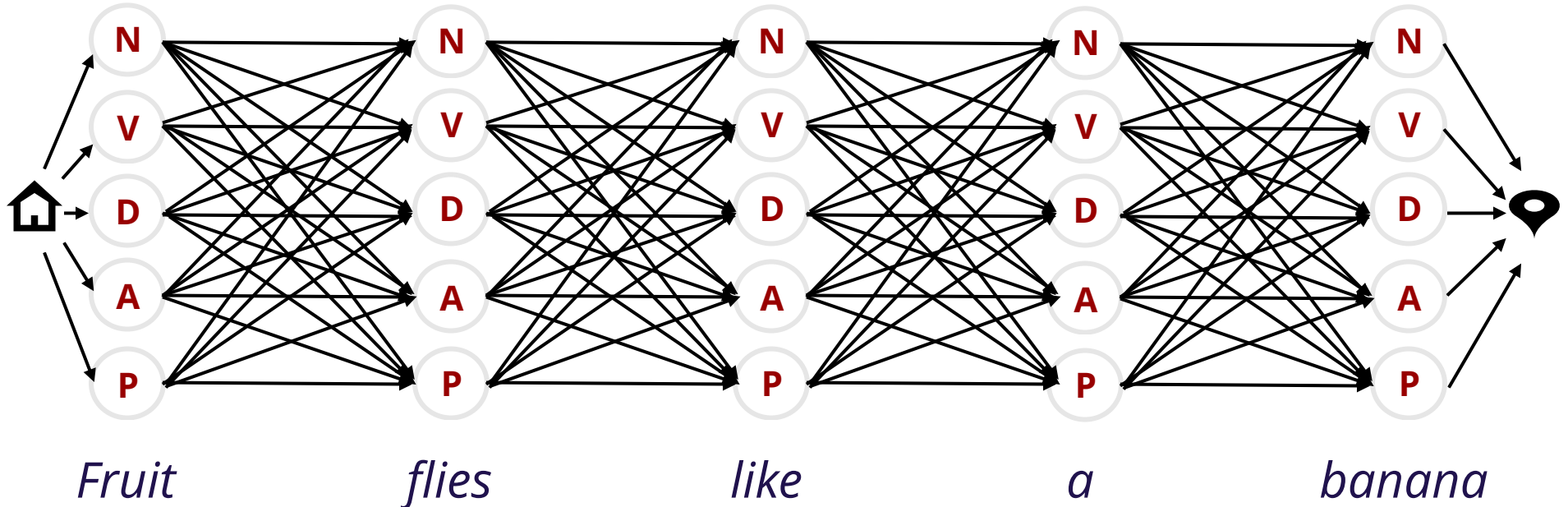
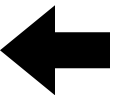
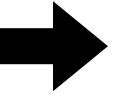
$$\max_y \mathbf{w} \cdot \mathbf{f}(x, y) = \max_y \sum_j \mathbf{w} \cdot \mathbf{f}(x, [y^j, y^{j+1}])$$



# The Search Problem

$$\max_y \mathbf{w} \cdot \mathbf{f}(x, y) = \max_y \sum_j \mathbf{w} \cdot \mathbf{f}(x, [y^j, y^{j+1}])$$

$$\arg \max_y \mathbf{w} \cdot \mathbf{f}(x, y)$$

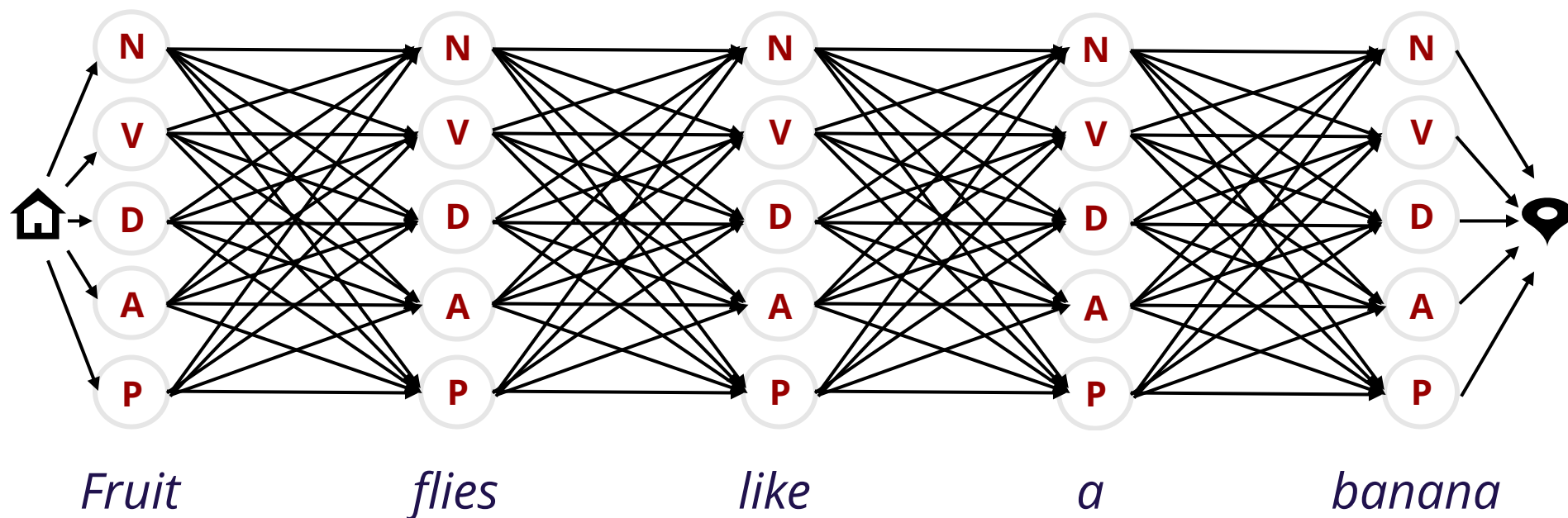
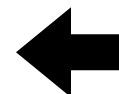
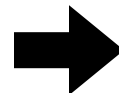




# Viterbi

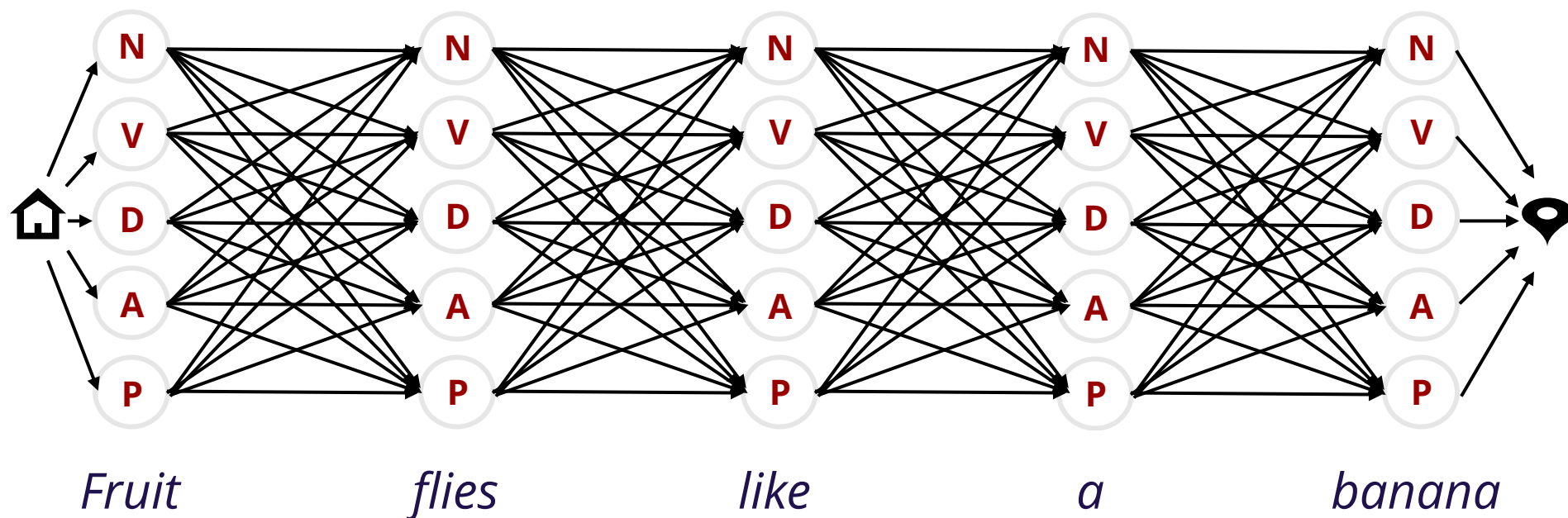
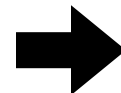
$$\max_y \mathbf{w} \cdot \mathbf{f}(x, y) = \max_y \sum_j \mathbf{w} \cdot \mathbf{f}(x, [y^j, y^{j+1}])$$

$$\arg \max_y \mathbf{w} \cdot \mathbf{f}(x, y)$$



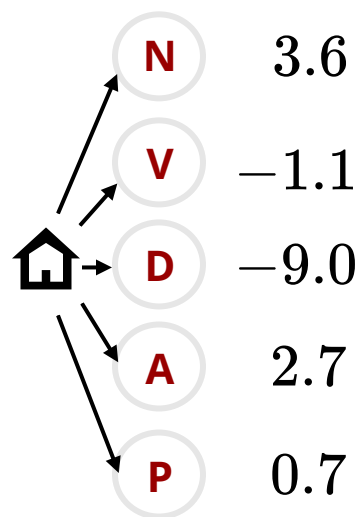
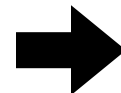
# Viterbi

$$\max_y \mathbf{w} \cdot \mathbf{f}(x, y) = \max_y \sum_j \mathbf{w} \cdot \mathbf{f}(x, [y^j, y^{j+1}])$$



# Viterbi

$$\max_y \mathbf{w} \cdot \mathbf{f}(x, y) = \max_y \sum_j \mathbf{w} \cdot \mathbf{f}(x, [y^j, y^{j+1}])$$



*Fruit*

*flies*

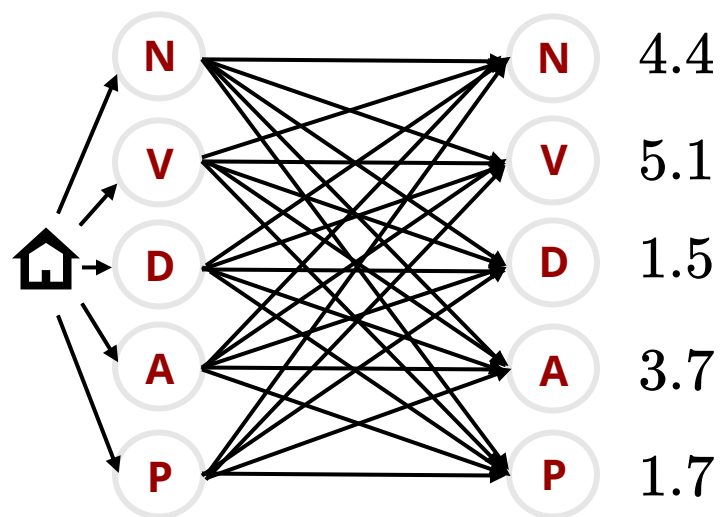
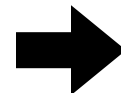
*like*

*a*

*banana*

# Viterbi

$$\max_y \mathbf{w} \cdot \mathbf{f}(x, y) = \max_y \sum_j \mathbf{w} \cdot \mathbf{f}(x, [y^j, y^{j+1}])$$



*Fruit*

*flies*

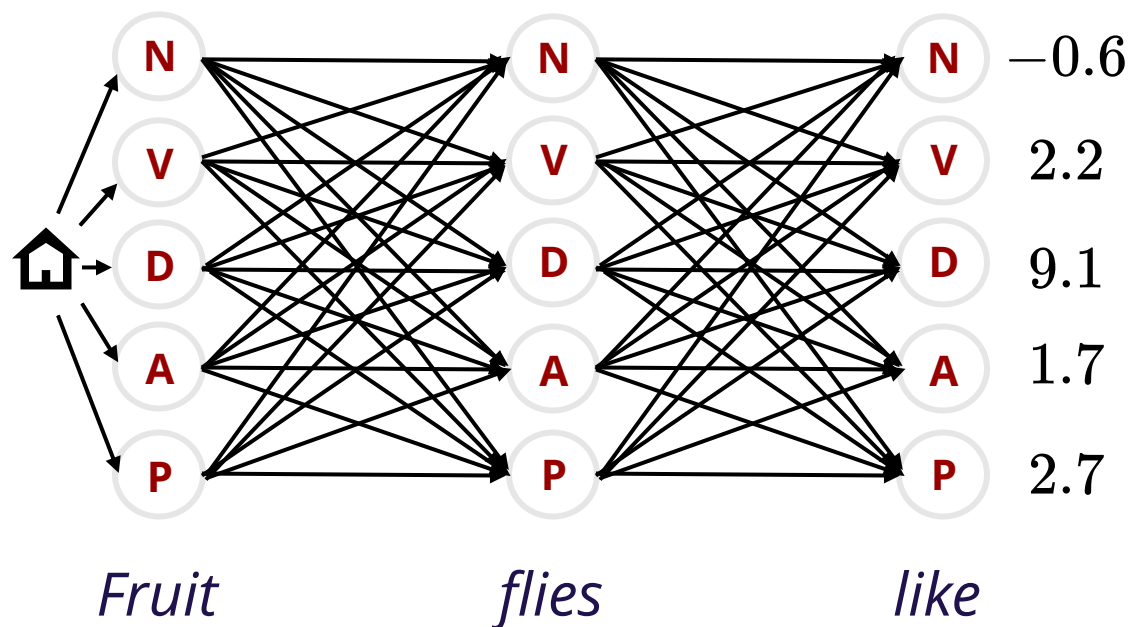
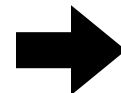
*like*

*a*

*banana*

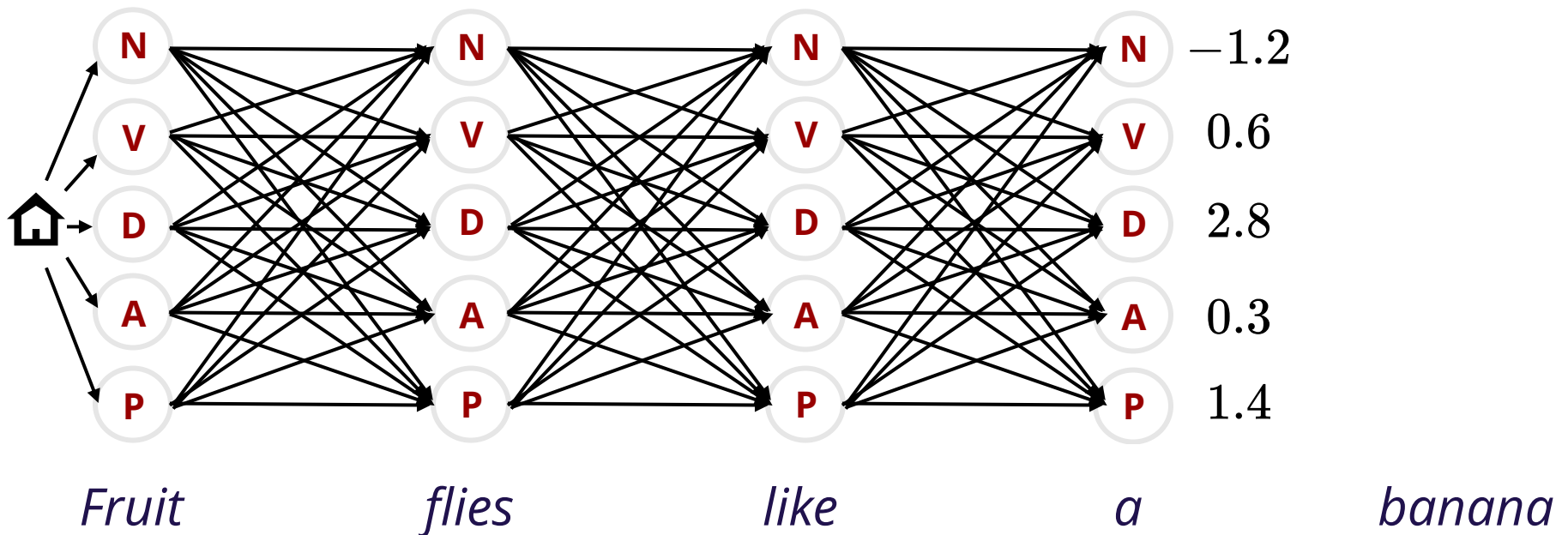
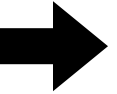
# Viterbi

$$\max_y \mathbf{w} \cdot \mathbf{f}(x, y) = \max_y \sum_j \mathbf{w} \cdot \mathbf{f}(x, [y^j, y^{j+1}])$$



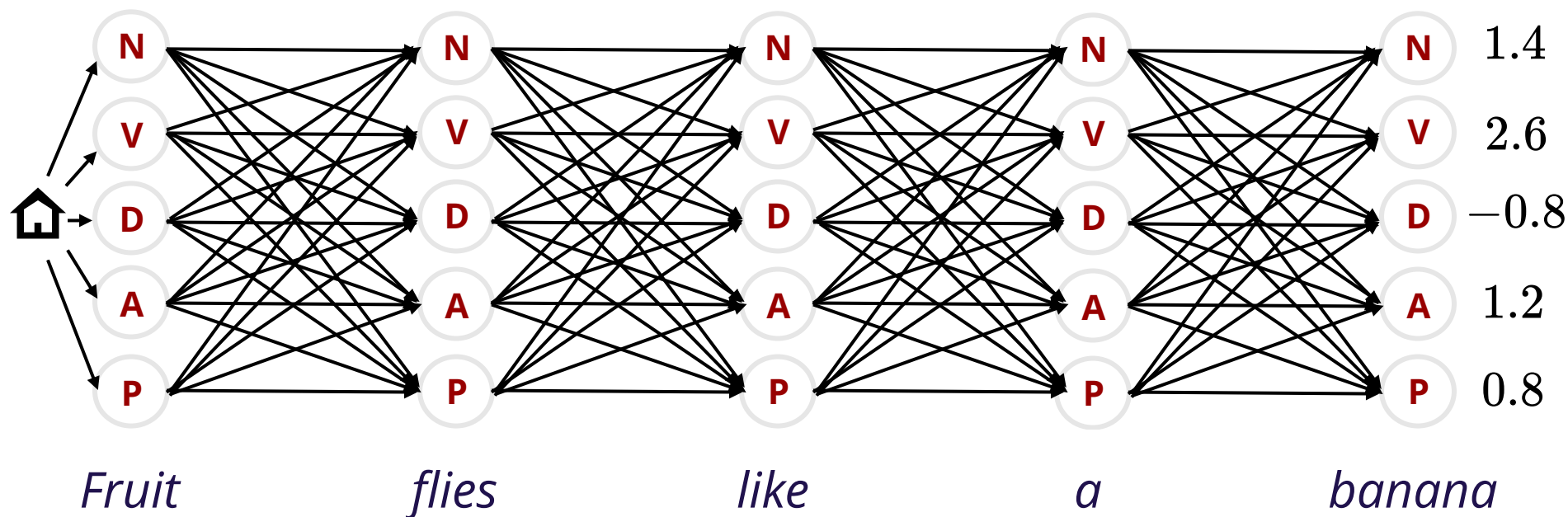
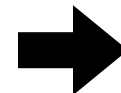
# Viterbi

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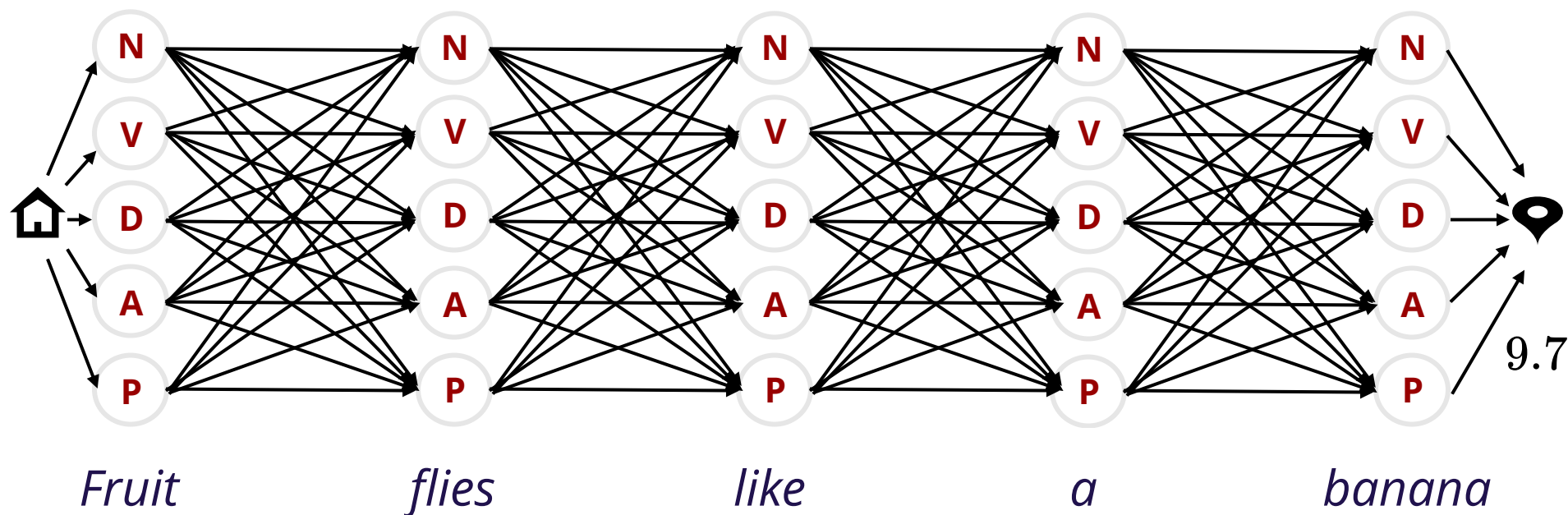
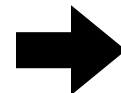
# Viterbi

$$\max_y \mathbf{w} \cdot \mathbf{f}(x, y) = \max_y \sum_j \mathbf{w} \cdot \mathbf{f}(x, [y^j, y^{j+1}])$$



# Viterbi

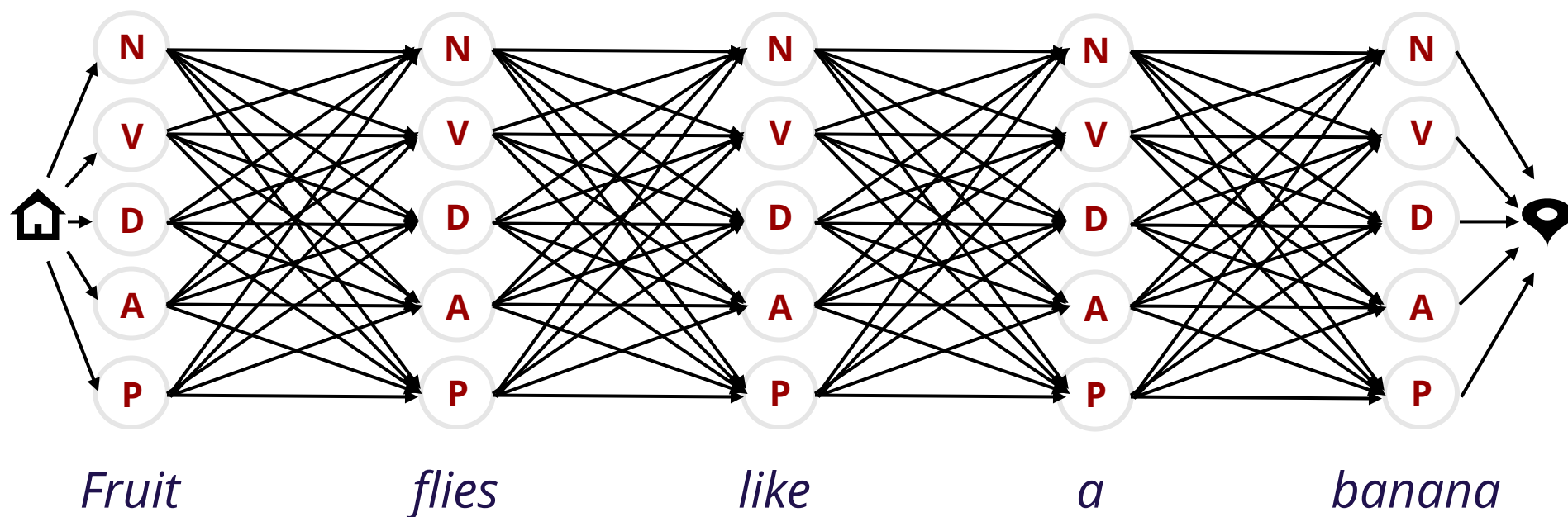
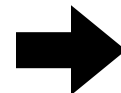
$$\max_y \mathbf{w} \cdot \mathbf{f}(x, y) = \max_y \sum_j \mathbf{w} \cdot \mathbf{f}(x, [y^j, y^{j+1}])$$





# Viterbi

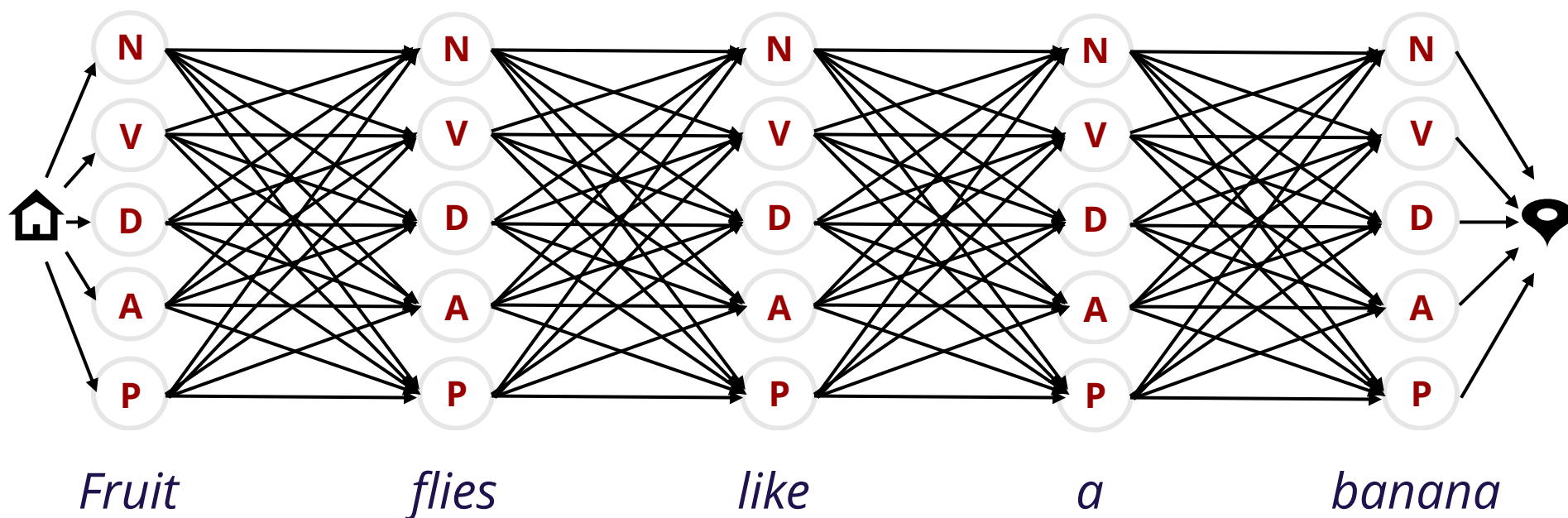
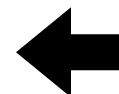
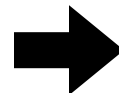
$$\max_y \mathbf{w} \cdot \mathbf{f}(x, y) = \max_y \sum_j \mathbf{w} \cdot \mathbf{f}(x, [y^j, y^{j+1}]) = 9.7$$



# Viterbi

$$\max_y \mathbf{w} \cdot \mathbf{f}(x, y) = \max_y \sum_j \mathbf{w} \cdot \mathbf{f}(x, [y^j, y^{j+1}]) = 9.7$$

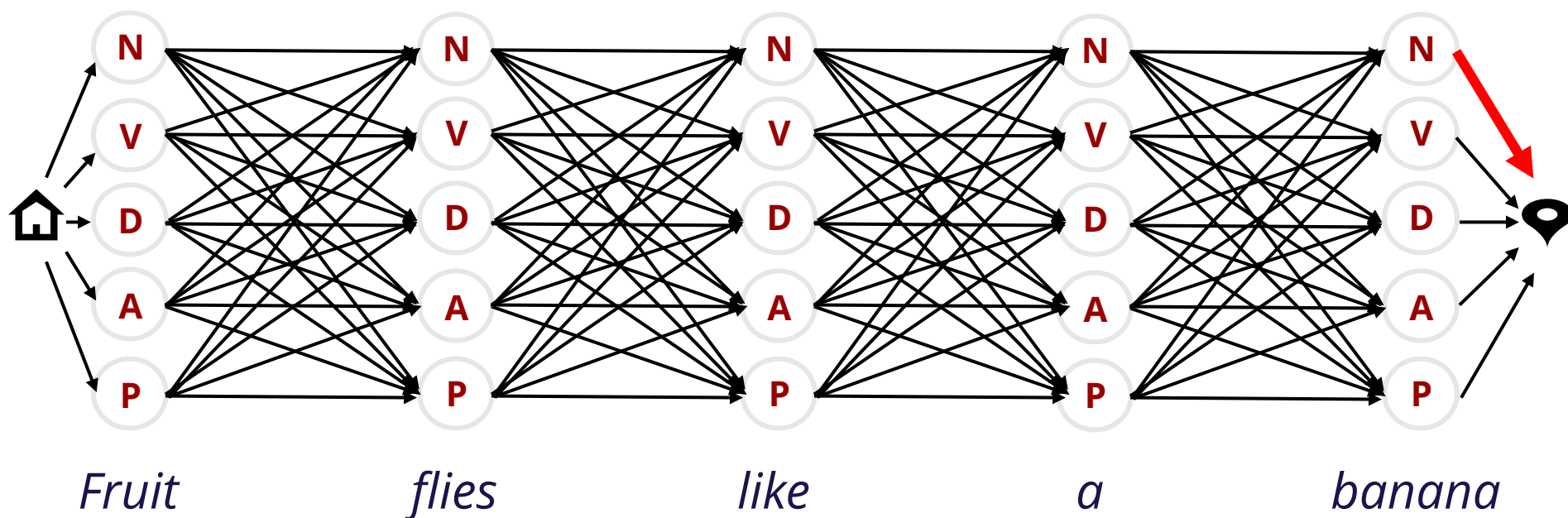
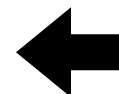
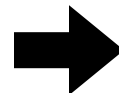
$$\arg \max_y \mathbf{w} \cdot \mathbf{f}(x, y)$$



# Viterbi

$$\max_y \mathbf{w} \cdot \mathbf{f}(x, y) = \max_y \sum_j \mathbf{w} \cdot \mathbf{f}(x, [y^j, y^{j+1}]) = 9.7$$

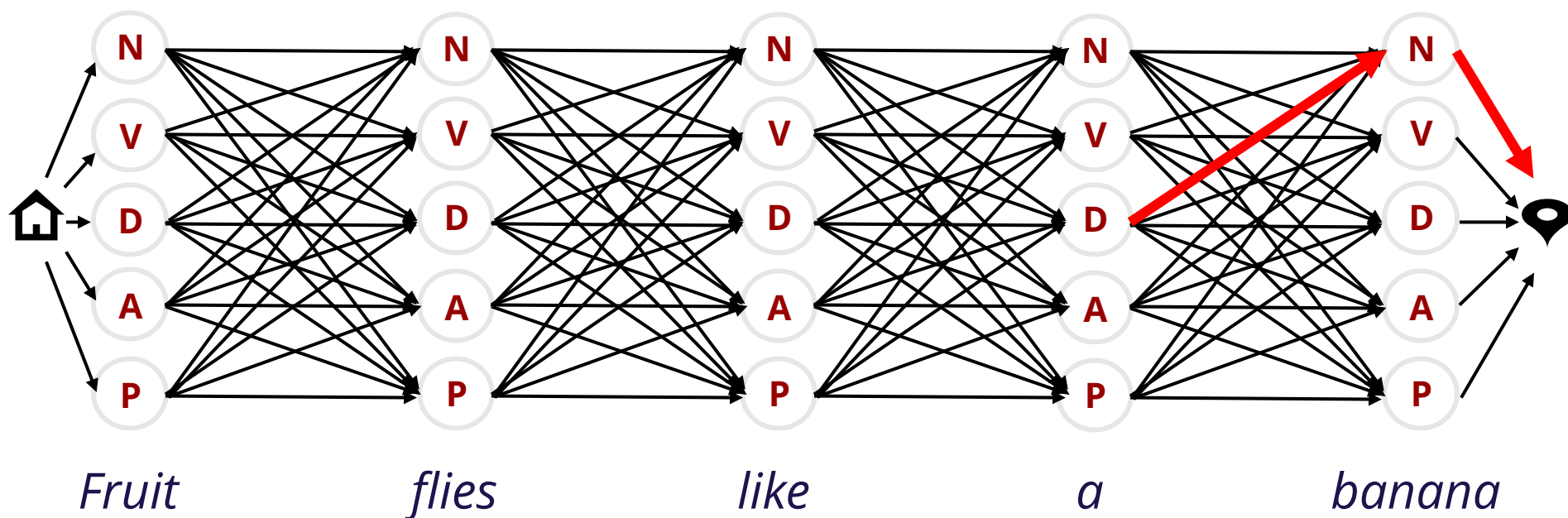
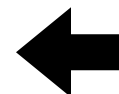
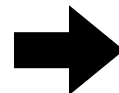
$$\arg \max_y \mathbf{w} \cdot \mathbf{f}(x, y)$$



# Viterbi

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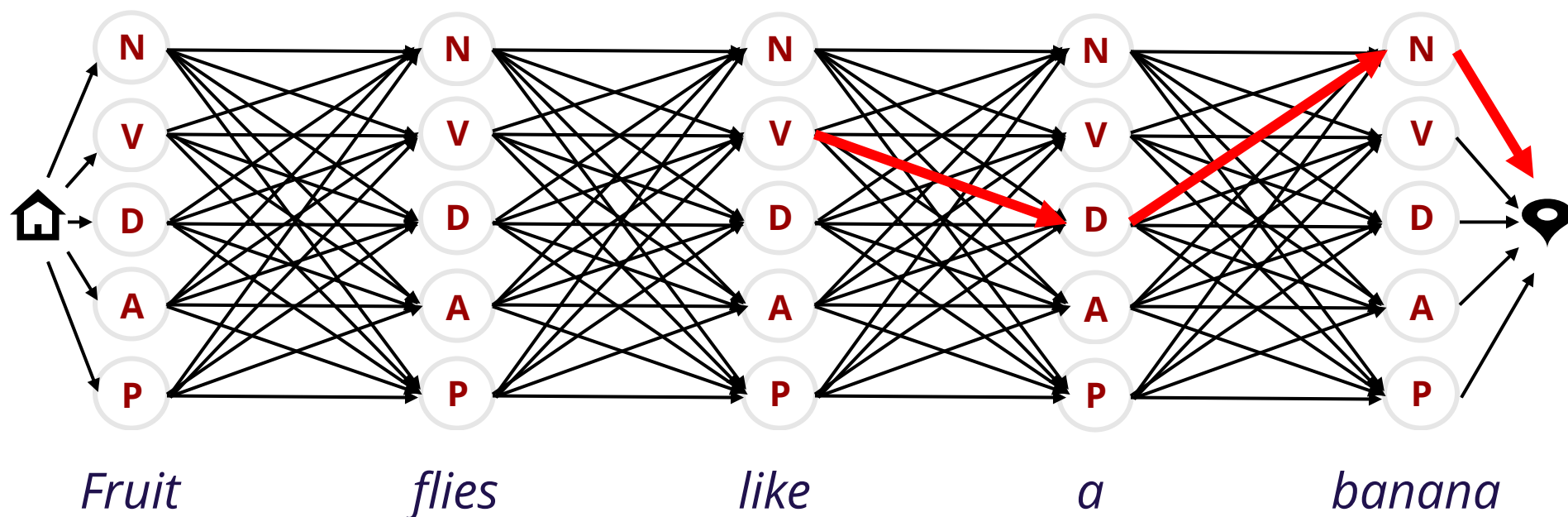
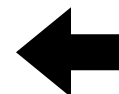
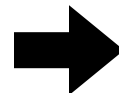
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# Viterbi

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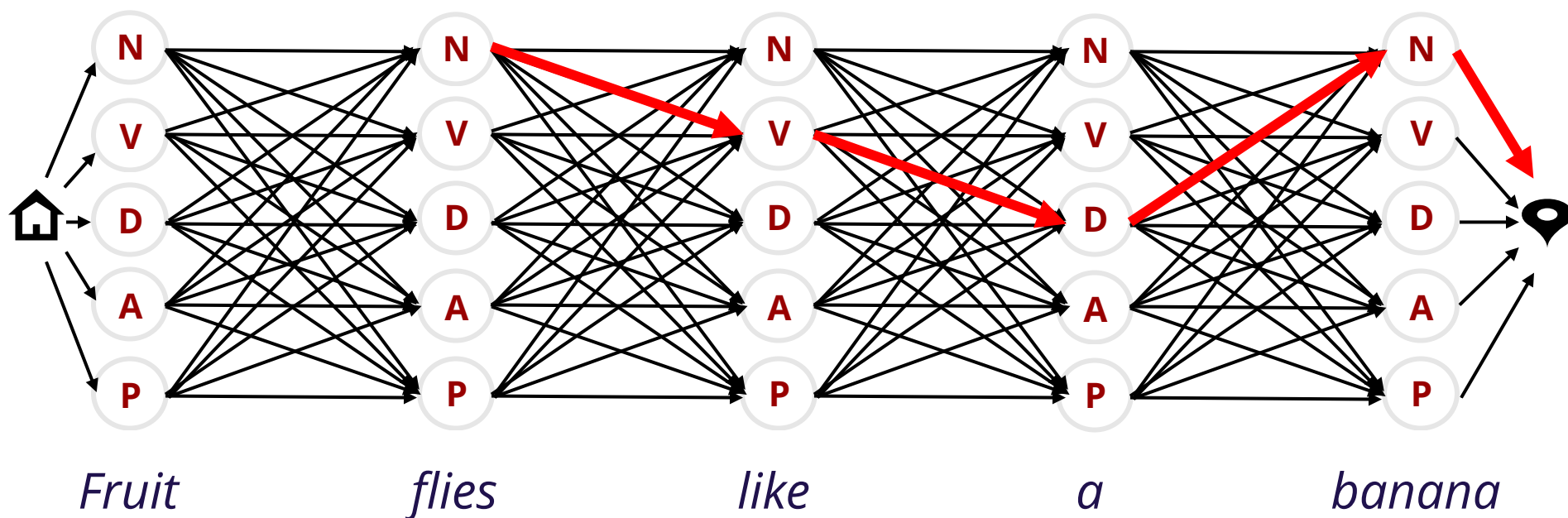
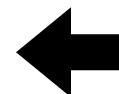
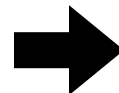
$$\arg \max_y \mathbf{w} \cdot \mathbf{f}(x, y)$$



# Viterbi

$$\max_y \mathbf{w} \cdot \mathbf{f}(x, y) = \max_y \sum_j \mathbf{w} \cdot \mathbf{f}(x, [y^j, y^{j+1}]) = 9.7$$

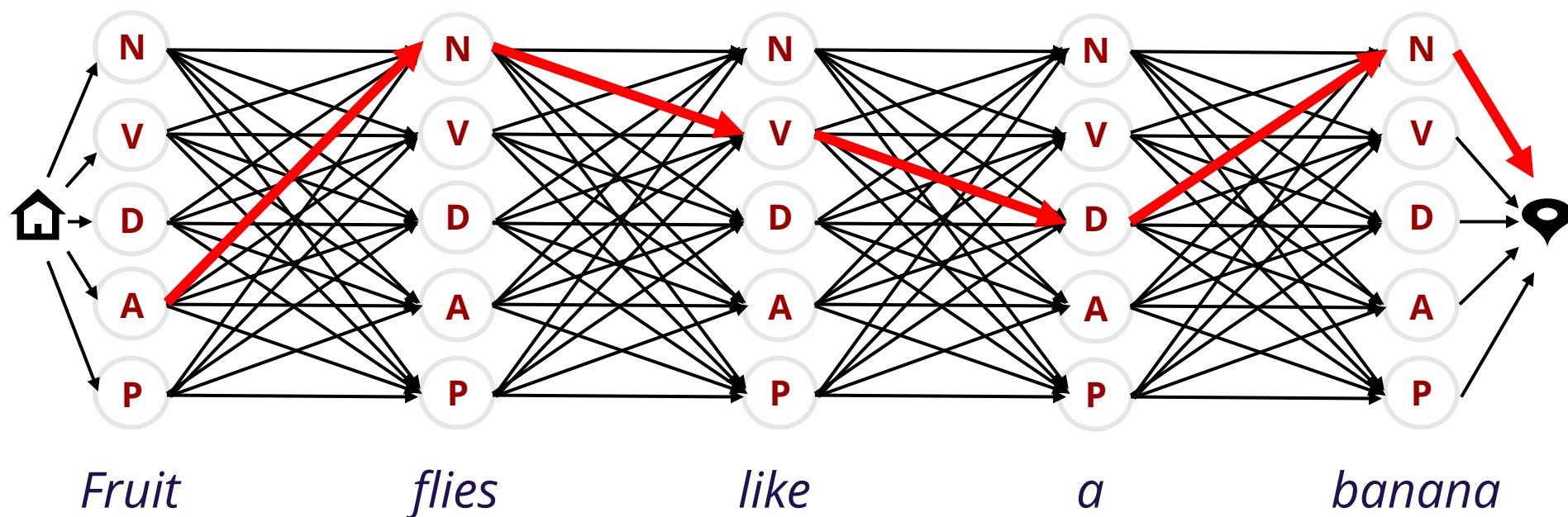
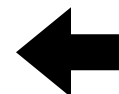
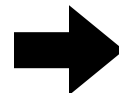
$$\arg \max_y \mathbf{w} \cdot \mathbf{f}(x, y)$$



# Viterbi

$$\max_y \mathbf{w} \cdot \mathbf{f}(x, y) = \max_y \sum_j \mathbf{w} \cdot \mathbf{f}(x, [y^j, y^{j+1}]) = 9.7$$

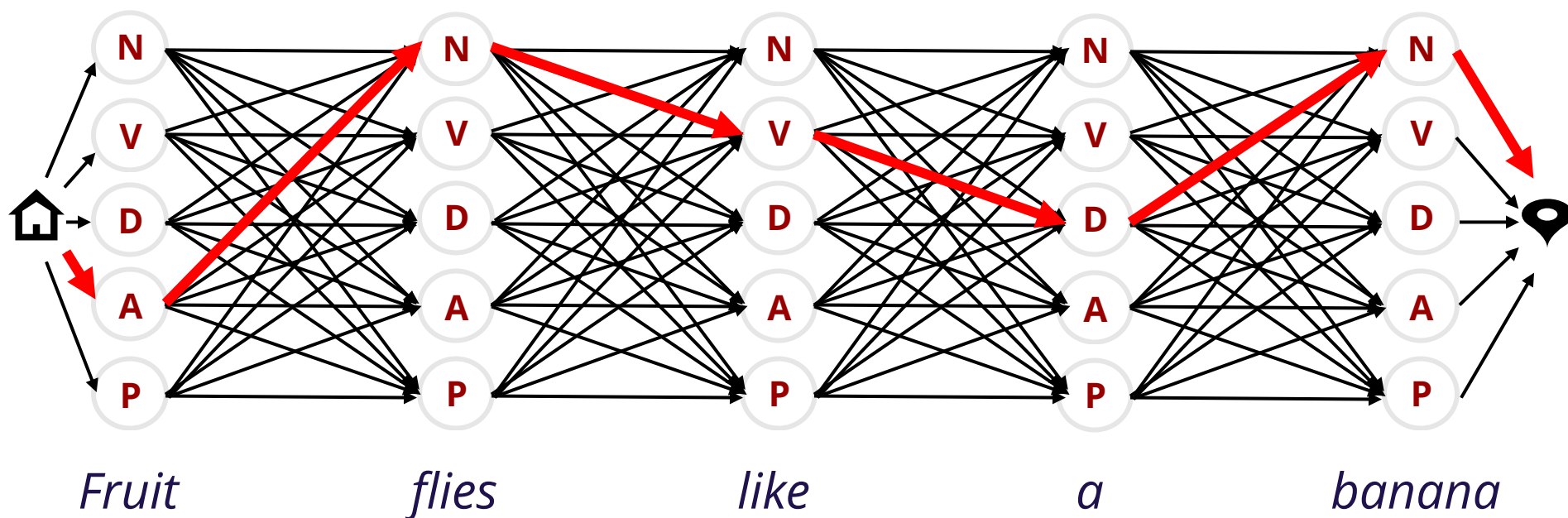
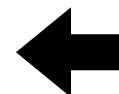
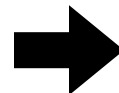
$$\arg \max_y \mathbf{w} \cdot \mathbf{f}(x, y)$$



# Viterbi

$$\max_y \mathbf{w} \cdot \mathbf{f}(x, y) = \max_y \sum_j \mathbf{w} \cdot \mathbf{f}(x, [y^j, y^{j+1}]) = 9.7$$

$$\arg \max_y \mathbf{w} \cdot \mathbf{f}(x, y)$$

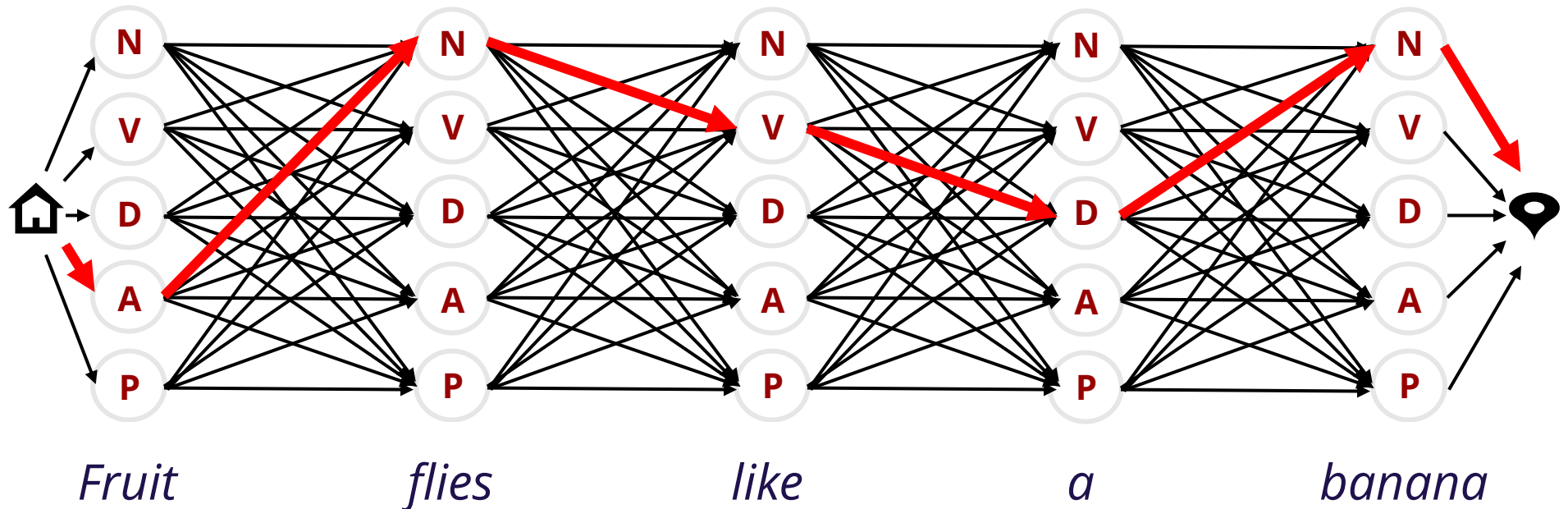




# MAP Inference

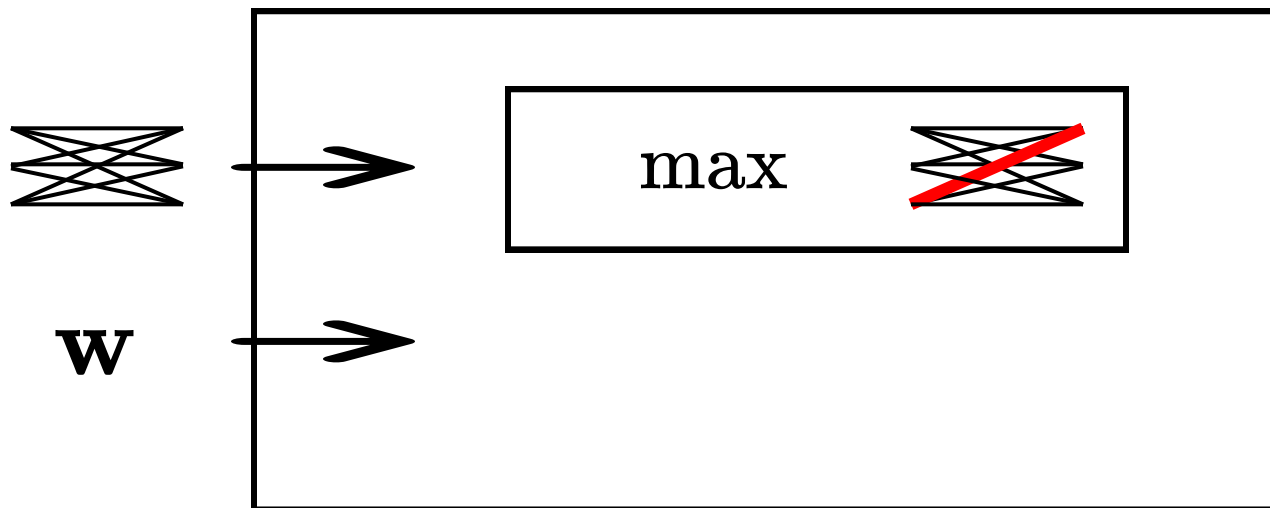
$$\max_y \mathbf{w} \cdot \mathbf{f}(x, y) = \max_y \sum_j \mathbf{w} \cdot \mathbf{f}(x, [y^j, y^{j+1}]) = 9.7$$

$$\arg \max_y \mathbf{w} \cdot \mathbf{f}(x, y)$$



# Inference

MAP



# So Far

Given the parameters  $w$ ,  
how to search for the  
optimal path (and its score)

# Next...

How to learn the  
parameters  $w$ ?