

Data Structures & Algorithms  
(COMP2113)  
Lecture # 21  
Basic Data Structures | Part 05  
Queue

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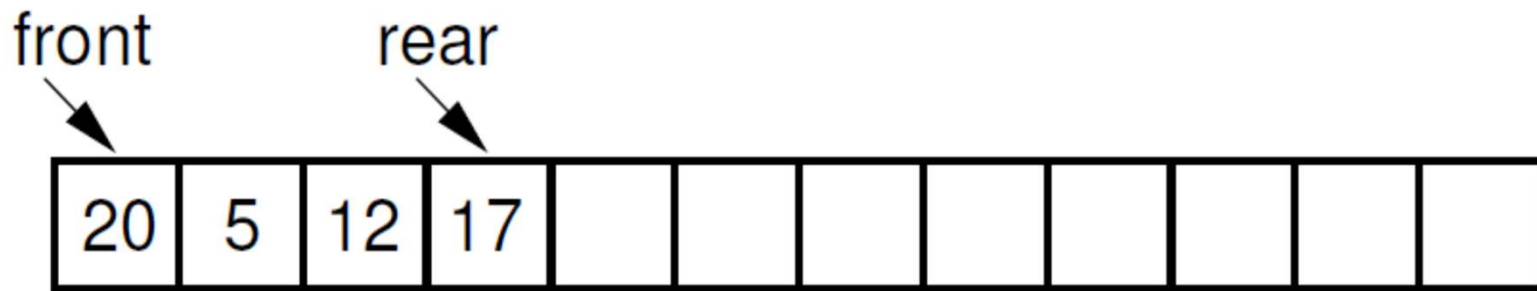
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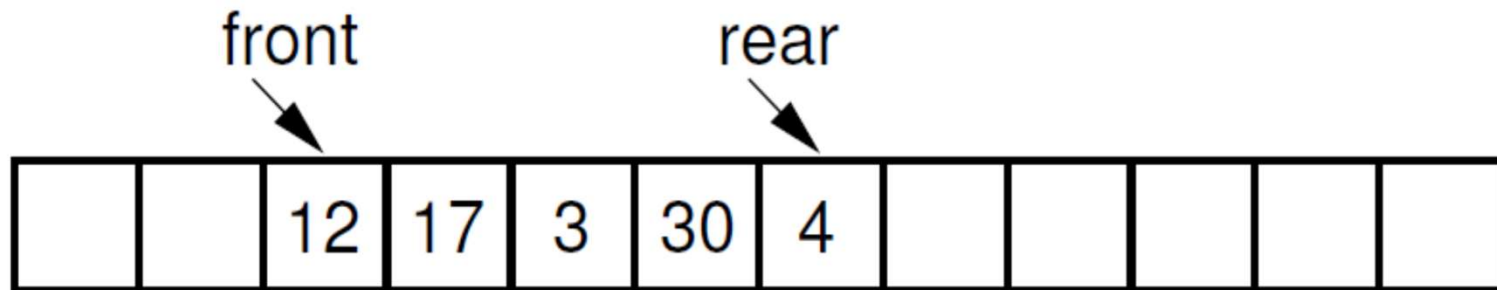
# Queue

- The queue is a list-like structure that provides restricted access to its elements.
- Queue elements may only be inserted at the back (called an **enqueue** operation)
- And removed from the front (called a **dequeue** operation).
- Queues operate like standing in line at a movie theater ticket counter. If nobody cheats, then newcomers go to the back of the line. The person at the front of the line is the next to be served.
- Queues release their elements in order of arrival.
- A queue is called a “**FIFO**” list, which stands for “**First-In, First-Out.**”

# Queue



(a)



(b)

# Queue-ADT

- **clear**–Reinitialize the queue.
- **enqueue**–Place an element at the rear of the queue.
- **dequeue**– Remove and return element at the front of the queue.
- **frontValue**– returns a copy of the front element.
- **length**– Returns the number of elements in the queue.



# Array Based Queue

- The array-based queue is somewhat tricky to implement effectively.
- A simple conversion of the array-based list implementation is not efficient.
- Assume that there are  $n$  elements in the queue.
- By analogy to the array-based list implementation, we could require that all elements of the queue be stored in the first  $n$  positions of the array.
- If we choose the rear element of the queue to be in position 0, then **dequeue** operations require only  $\Theta(1)$  time because the front element of the queue (the one being removed) is the last element in the array.
- However, **enqueue** operations will require  $\Theta(n)$  time, because the  $n$  elements currently in the queue must each be shifted one position in the array.

# Array Based Queue

- If instead we chose the rear element of the queue to be in position  $n - 1$ , then an **enqueue** operation is equivalent to an **append** operation on a list.
- This requires only  $\Theta(1)$  time.
- But now, a **dequeue** operation requires  $\Theta(n)$  time, because all of the elements must be shifted down by one position to retain the property that the remaining  $n - 1$  queue elements reside in the first  $n - 1$  positions of the array.

# Array Based Queue

- A far more efficient implementation can be obtained by relaxing the requirement that all elements of the queue must be in the first  $n$  positions of the array.
- We will still require that the queue be stored in contiguous array positions, but the contents of the queue will be permitted to drift within the array.
- Now, both the **enqueue** and the **dequeue** operations can be performed in  $\Theta(1)$  time because no other elements in the queue need be moved.



# Array Based Queue

- This implementation raises a new problem.
- Assume that the front element of the queue is initially at position 0, and that elements are added to successively higher-numbered positions in the array.
- When elements are removed from the queue, the front index increases.
- Over time, the entire queue will drift toward the higher-numbered positions in the array.
- Once an element is inserted into the highest-numbered position in the array, the queue has run out of space.
- This happens despite the fact that there might be free positions at the low end of the array where elements have previously been removed from the queue.



# Next Lecture

- In next lecture, we will discuss circular and linked queues.

