

A 1. Which case is most commonly used to evaluate the running time of an algorithm ()
 A Worst case B. Average — C. Best — D Ideal —

D 2. Which method is not used to resolve a recurrence ()
 A. Substitution method B. Recursion tree — C. Master — ~~D. Linear programming~~ —

B 3. the best worst-case running time that we've seen for comparison sorting is ()
 A $O(n^2)$ B $O(n \lg n)$ C $O(n)$ D $O(\lg n)$

C 4. Inserting an element into an open-address hash table with load factor α requires at most $(1/\alpha)$ probes on average, assuming uniform hashing.
 A 1 B α C $1/\alpha$ D $1/(1-\alpha)^2$

A 5. An order-statistic tree on n nodes has size field one ()
A $O(\lg n)$ B $O(\lg n)$ C $O(\lg n)$ D $O(\lg n)$

6. Computing a discrete Fourier transform (DFT) of N points takes () arithmetic operations. while computing ~~of~~ FFT of N points takes () or $n \lg n$

A $O(n^2)$ B $O(n^2)$ C $O(n \lg n)$ D $O(\lg n)$ E $O(n \lg n)$ F $O(n \lg n)$

7. $T(n) = T(n/4) + T(n/2) + n^2$ recursion tree

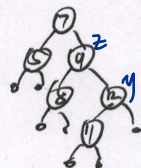
8. COUNTING-SORT on the array $A = \langle 6, 0, 2, 0, 1, 3, 4, 6, 1, 3, 2 \rangle$

Using figure to illustrate the operation of

9. COW, DOG, SEA, PUG, ROW. RADIX-SORT

10. In order preorder post order

11. Left Rotate



12. $X = \langle A E B D B C A E \rangle$

$Y = \langle E R B A C A R E \rangle$

LCS

13. Huffman tree.

a b e d f

15 19 6 12 13 35

14. SIMPLEX

max: $18x_1 + 125x_2$

s.t.: $x_1 + x_2 \leq 20$

$x_1 \leq 12$

$x_2 \leq 16$

$x_1, x_2 \geq 0$

15. prove n -node RB tree has height $h = O(\lg n)$

16. greedy: activity a_m is the first finish;

prove a_m is used in some maximum-size subset of mutually compatible activities of

S_{ij} ($S_{ij} = \{a_k \in S : f_i \leq s_k \leq f_j\}$)

a_m

a_k

a_j

$$dp[i][j] = \begin{cases} dp[i-1][j-1] + 1 & A_i = B_j \\ \max\{dp[i-1][j], dp[i][j-1]\} & A_i \neq B_j \end{cases}$$

$$dp[0][j] = 0$$

$$dp[i][0] = 0$$

A_k