

# HW 6

$$4.3) 1) \ddot{s}_{\overline{23}|2.25\%}^{(4)} = \frac{(1+0.0225)^{23}-1}{4[(1+0.0225)^{23}-1]} (1+0.0225)^{.25}$$

$$= 30.11566$$

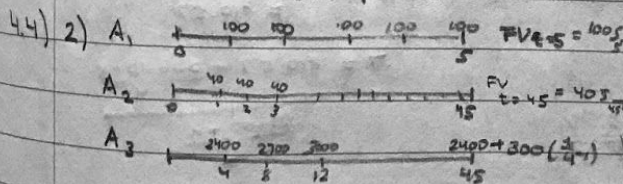
$$a_{\overline{\infty}|4\%}^{(12)} = \frac{1}{i^{(12)}} = \frac{1}{.12[(1+.1)^{1/12}-1]}$$

$$\Rightarrow \frac{1}{.0392849}$$

$$= 25.45509$$

$\ddot{s}_{\overline{23}|}^{(4)}$  shows accum. value at end of 23 interest periods of an annuity w/ a payment of  $1/4$  at beginning of each quarter of an interest period

$a_{\overline{\infty}|}^{(12)}$  shows present value of a perpetuity with payment  $1/2$  @ end of each 12th of an interest period



$$2400 \frac{S_{\overline{45}|}}{S_{\overline{45}|}} + \frac{300}{S_{\overline{45}|}} \left[ \frac{S_{\overline{45}|}}{S_{\overline{45}|}} - \frac{45}{4} \right]$$

$$\Rightarrow \frac{160806.60}{S_{\overline{45}|}} + \frac{1}{S_{\overline{45}|}} \left( \frac{24000.825}{a_{\overline{45}|}} - \frac{\ln(1+9.332\%)}{\ln(1+i)} \right)$$

$$4.5) 6) (1+i)^{12} = 1.0728$$

$$i = .0058731$$

$$S_{\overline{12}|} = 12.39532$$

$$1000 S_{\overline{12}|} = 12395.32$$

$$\Rightarrow 395.32$$

$$12000 \times .22 + 1000 S_{\overline{12}|} - 12000$$

$$P_t = 12000(t-1)i + 395.32$$

$$395.32 \times S_{\overline{12}|} 4\% + 12000 \times 1.0728 (I_s)_{12\%}$$

$$(23261)(1.04)^2 + (16000)(.728)(1.04) + 96000(.7)$$

$$= 25159.10 + 14268.35 + 67200$$

$$\Rightarrow 142879.58 \quad 96000$$

$$4.7) 3) 12[(1+.054)^{1/12}-1] = 5.27\% \rightarrow \frac{5.27}{12} \Rightarrow .4392\% \text{ per month}$$

$$Yr 1) 100[(1+.004392)^{12}-1] / .004392 = 1229.42$$

$$Yr 2) 1200(1+.004392)^2 + 1229.42 = 2494.22$$

$$Yr 3) 2400(1+.004392)^2 + 1229.42 = 3759.02$$

$$Yr 4) 3600(1+.004392)^2 + 1229.42 = 5023.82$$

$$Yr 5) 4800(1+.004392)^2 + 1229.42 = 6288.62$$

$$Yr 6) 6000(1+.004392)^2 + 1229.42 = 6324$$

$$Yr 7) 6000(1+.004392)^2 + 1229.42 = 6324$$

$$Yr 8) 6000(1+.004392)^2 + 1229.42 = 6324$$

$$29.42(1.01)^{28} + 94.22(1.01)^{24} + 159.02(1.01)^{20} + 223.82(1.01)^{16} + 288.62(1.01)^{12} + 324(1.01)^8 + 324(1.01)^4 + 324(1.01)^0$$

$$= 1985.21$$

$$6000 + 1985.21$$

$$= 7985.21$$

Ans + results  
yidd rate is:  
5.242%

Bond 1)

$$6.2) 4) \frac{2000 \left( \frac{.1}{2} \right) + \frac{2000 - 2318.63}{n}}{\frac{2000 + 2318.63}{2}}$$

$$= \frac{100 - \frac{318.63}{n}}{\frac{4318.63}{2}} = \frac{100 - \frac{318.63}{n}}{2159.31}$$

Bond 2)

$$\frac{(2000 \times \frac{.4}{2}) + \frac{2000 - 2531.05}{n}}{\frac{2000 + 2531.05}{2}}$$

$$= \frac{110 - \frac{531.05}{n}}{\frac{2265.52}{2}}$$

$$\frac{100 - \frac{318.63}{n}}{2159.31} = \frac{110 - \frac{531.05}{n}}{\frac{2265.52}{2}}$$

$$\frac{110n - 531.05}{100n - 318.63} = \frac{2265.52}{2159.31}$$

$$110n - 531.05 = 104.9187n - 334.30$$

$$n = 28$$

$$\frac{1 - .097215}{24.242} = 4.25\% \Rightarrow \underline{\underline{8.5\%}}$$

6.2) 7) Instructor said to skip

$$6.3) 2) .11 \left( \frac{2000}{2} \right) = 110$$

$$\frac{110}{2.6\%} \left( 1 - \frac{1}{1.026^{20}} \right) = 1698.72$$

$$x - 83.28 = 1698.72 + \frac{x}{1.026^{20}}$$

$$x = \frac{1698.72 + 83.28}{\left( 1 - \frac{1}{1.026^{20}} \right)}$$

$$\Rightarrow 4438.18$$

$$6.4) 2) \sum_{t=1}^{14} \frac{806.09}{(1+.07)^t} + \frac{22600}{(1+.07)^{14}}$$

$$806.09 \times 8.74 + 22600 = 124$$

$$= 15814.29$$

$$.6 = \frac{\text{Annual Int} + \frac{22600 - 18480}{14}}{\frac{22600 + 18480}{2}}$$

$$= 810.57$$

$$.7 = \frac{810.57 + \frac{22600 - x}{14}}{\frac{22600 + x}{2}}$$

$$\frac{22600 + x}{2}$$

$$.10642x = 1623.26$$

$$\Rightarrow \underline{\underline{15184.29}}$$

$$3) 45 \ln .015 + 2000v^n = 45 \ln .015 + 2000v^n - 233.02$$

$$1000v^{2n} - 1000v^n + 233.02 = 0$$

$$v^{2n} - v^n + \frac{233.02}{1000} = 0$$

$$v^n = \frac{1 \pm 0.2606}{2}$$

$$v^n = .6303 \quad v^n = .3697$$

$$n = \frac{\ln(.6303)}{\ln(.9852)}$$

$$n = 30.955$$

$$\boxed{n = 31}$$