130. Surrounded Regions

Medium 🖒 2544

9 75

O A

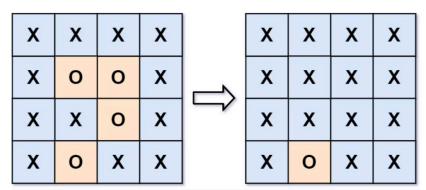
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Given an $m \times n$ matrix board containing 'x' and 'o', capture all regions surrounded by 'x'.

A region is **captured** by flipping all 'o' s into 'x' s in that surrounded region.

Example 1:



Input: board = [["X","X","X","X"],["X","0","0","X"],

["X","X","0","X"],["X","0","X","X"]]

Output: [["X","X","X","X"],["X","X","X","X"],

["X","X","X","X"],["X","0","X","X"]]

Explanation: Surrounded regions should not be on the border, which means that any '0' on the border of the board are not flipped to 'X'. Any '0' that is not on the border and it is not connected to an '0' on the border will be flipped to 'X'. Two cells are connected if they are adjacent cells connected horizontally or vertically.

Example 2:

Input: board = [["X"]]

Output: [["X"]]

Constraints:

- m == board.length
- n == board[i].length
- 1 <= m, n <= 200
- board[i][j] is 'X' or '0'.

class UF {
 int count; // # of subsets
 int[] parent; // some trees
 int[] size; // weight of trees

UF (int n);

// connect p with q
void union (int p, int q);

// cletermine wheather p oud q connected
bool connected (int p, int q);

// find the voot for noole x
 int find (int x);

Int count ();
}

Key for Union - Find:

1. Use array parent store parent node for each node.

2) Use array size store weight for each tree. in order to keep belance after union.

3. In find function, conpress path to keep height of Trees as constant.

1. Union "O" at four sides with dummy.

2. Union the rest of "O"

3. Replace "O"s not connected with dummy

```
class UF {
 2
      public:
 3
          // construct function
          UF(int n) {
 4 ▼
 5
              this->_count = n;
 6
              // point parent to self
 7
              // init size as 1
 8
              this->parent = new int[n];
 9
              this->size = new int[n];
              for (int i = 0; i < n; i++) {
10 ▼
                  this->parent[i] = i;
11
12
                  this->size[i] = 1;
13
              }
14
          }
15
16
          // union p and q
17 ▼
          void _union(int p, int q) {
18
              int rootP = find(p);
              int rootQ = find(q);
19
20 ▼
              if (rootP == rootQ) {
21
                  return;
              }
22
23
24
              // connect small tree below big tree
25 ▼
              if (this->size[rootP] < this->size[rootQ]) {
26
                  this->parent[rootP] = rootQ;
27 ▼
              } else {
28
                  this->parent[rootQ] = rootP;
              }
29
30
31
              this->parent[rootP] = rootQ;
32
              this->_count--;
33
          }
34
35
          // determine whether p an q in the same subset
36 ▼
          bool connected(int p, int q) {
37
              int rootP = find(p);
38
              int rootQ = find(q);
39
              return rootP == rootQ;
          }
40
41
42
          // return the number of subset
43 ▼
          int count() {
              return this->_count;
44
45
46
47
      private:
48
          int _count;
49
          int *parent;
50
          int *size;
51
52 ▼
          int find(int x) {
53 ▼
              while(this->parent[x] != x) {
54
                  this->parent[x] = this->parent[this->parent[x]];
55
                  x = this->parent[x];
56
              }
57
              return x;
58
          }
59
      };
60
```

```
class Solution {
 61 ▼
 62
      public:
 63 ▼
           void solve(vector<vector<char>>& board) {
 64 ▼
               if (board.size() == 0) {
 65
                   return;
 66
 67
 68
               int m = board.size();
 69
               int n = board[0].size();
 70
 71
               UF uf = UF(m * n + 1);
 72
               int dummy = m * n;
 73
 74
               // connect 0 in first column and last column with dummy
 75 ▼
               for (int i = 0; i < n; i++) {
 76 ▼
                   if (board[0][i] == '0') {
                       uf._union(dummy, 0 * n + i);
 77
 78
                   }
                   if (board[m - 1][i] == '0') {
 79 ▼
 80
                        uf._union(dummy, (m - 1) * n + i);
                   }
 81
               }
 82
 83
 84
               // connect 0 in first row and last row with dummy
               for (int i = 0; i < m; i++) {
 85 ▼
 86 ▼
                   if (board[i][0] == '0') {
 87
                        uf._union(dummy, i * n + 0);
 88
                   if (board[i][n - 1] == '0') {
 89 .
 90
                        uf._union(dummy, i * n + n - 1);
 91
                   }
               }
 92
 93
 94
               // use array d to search
 95
               int d[4][2] = \{\{1, 0\}, \{0, 1\}, \{0, -1\}, \{-1, 0\}\};
               for (int i = 1; i < m - 1; i++) {
 96 ▼
 97 ▼
                   for (int j = 1; j < n - 1; j++) {
                        if (board[i][j] == '0') {
98 *
 99 •
                            for (int k = 0; k < 4; k++) {
100
                                int x = i + d[k][0];
                                int y = j + d[k][1];
101
                                if (board[x][y] == '0') {
102 ▼
103
                                    uf._union(i * n + j, x * n + y);
104
                                }
105
                            }
                       }
106
                   }
107
               }
108
109
110
               // replace 0 not union with df
111 •
               for (int i = 0; i < m; i++) {
112 ▼
                   for (int j = 0; j < n; j++) {
                        if (board[i][j] == '0' \&\& !uf.connected(dummy, i * n + j)) {
113 ▼
                            board[i][j] = 'X';
114
115
                        }
116
                   }
              }
117
118
           }
119
      };
120
```

60