

# Discrimination in Reciprocity: Evidence from an Online Labor Market

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## Abstract

Add abstract at the end.

## 1 Introduction

A large body of literature in economics has demonstrated that prejudice or bias – whether it be racial, religious, ethnic or gender in origin – is widespread in labor markets. Frequently, such biases reveal themselves as deliberate discrimination in actual labor market decision-making. The most common form of such discrimination studied is of the employer-to-employee kind, that shown by an employer from one group toward a potential or existing employee from another group. Such discrimination can be along an “extensive” margin (e.g., unwarranted low interviewing or hiring of job-seekers from a certain group) or along an “intensive margin” (e.g. deliberate unfairness in compensation, pecuniary or otherwise). Researchers have established that discrimination along either margin is emphatically costly and demoralizing to those being discriminated against: it may cause inefficiently-low job seeking or suboptimal investment in skill or human capital by minority workers (Coate & Loury, 1993); it may directly reduce their performance (Glover, Pallais, & Pariente, 2017).

Fundamentally, economists view discrimination as arising in one of two ways. Becker (1957) introduced the notion of taste-based discrimination postulating that discrimination exists because of prejudice/animus of the majority toward the minority. Phelps (1972) and Arrow (1973) instead view discrimination as statistical, in which, say, a majority group-employer, lacking information, say, on a minority group-worker, forms rational beliefs about the worker in terms of the aggregate distribution of group traits.

Almost all of this literature on discrimination has tend to investigate the issue on the premise that discrimination is always driven by the employer i.e. employers have some animus or beliefs about the productivity of minority workers and that leads them to discriminate against the equally productive minority workers in favor of workers from the majority group. In this study we investigate the issue from a different angle and see whether discrimination can run in opposite direction i.e. whether a worker from the majority (minority) group may

exhibit bias towards the employer from the minority (majority) group when considering to work for opposite group employers. To our knowledge the possibility of discrimination from this direction has never been explored in the economic literature.

The purpose of this research is twofold, first to investigate whether the discrimination can be driven from the worker side and second what is the nature of this discrimination - taste or statistical? Is it that workers exhibit distaste towards the employers from opposite group or is it that the discrimination is statistical in nature where workers have some beliefs or stereotypes towards the opposite group employer and they invoke those when working for the employer. The distinction is important because each kind of discrimination warrants different policy prescriptions for addressing the problem of discrimination. So in a nutshell this paper aims to first document whether racial discrimination exists from employee-to-employer in the biggest online labor market, and if it exists which economic theory best explains the existence of discrimination.

(Carefully define taste based and statistical discrimination from the worker side. )

(Discrimination from coworkers (add relevant arguments here distinguishing it from discrimination towards employers).)

(Address the argument that workers should demand higher wages in the presence of discrimination. )

(Why not real effort task? Upwork workers work hard because they know they are monitored, so there is no issue of contract enforcement.)

(Why gift exchange framework? How is it any better than dictator/trust/ultimatum games that are used to study discrimination?)

(Why “make believe” environment?)

Discrimination in labor markets is a decades old problem and even after various affirmative action policies by governments all over the world it continue to exist in one form or another. One possible explanation for why those policies haven’t achieved the discrimination free society could be that those policies were aimed at employers and they were perceived as the only entity responsible for causing discrimination. However our research identified that discrimination can also be driven by those who are traditionally "discriminated against" and if one is to tackle the issue it needs to target both sides of market i.e. employers and workers. For example we find that workers discriminate against the employers from minority group, then the right prescription to deal with the problem would be to address workers concerns that may discourage them for working with the opposite group employers (aim of future research).

To address our research question we make use of the gift exchange framework pioneered by Akerlof (1982) and in an experimental setting by Fehr, Kirchsteiger, and Riedl (1993).

## 2 Model and Treatments

We closely follow the model of Dellavigna and Pope (2018) for the worker side and modify it to incorporate employer side, possibility of discrimination from worker side and the notion of reciprocity by workers. Assuming risk neutrality, a worker  $i \in \{B, W\}$  solves the following problem when working for an employer  $j \in \{B, W\}$  where  $B$  and  $W$  denote the black or white race of an agent (employer or worker) respectively;

$$\underbrace{\max_{e_{ij} \geq 0}} U_{ij} = \underbrace{\max_{e_{ij} \geq 0}} (F_j + (s_{ij} + p)e_{ij} - c(e_{ij}) + Y_{ij}\kappa_{ij}\lambda_{iji}) \quad (1)$$

where  $e_{ij}$  is the number of points (on a button-pressing task) scored by worker  $i$  when working for employer  $j$ ,  $F_j$  is the fixed money paid by employer  $j$  for working on a task,  $s_{ij}$  (as in Dellavigna and Pope (2018)) captures the sense of duty, norm, intrinsic motivation, and competitiveness of worker towards the task. We argue that  $s_{ij}$  also include the taste (like or dislike) of worker  $i$  towards the employer  $j$  per unit of effort  $e_{ij}$ .  $p$  is the piece rate chosen by the employer  $j$ , we allow employers to select piece rate from anywhere between 0 cents and 10 cents per 100 points.  $c(e_{ij})$  is the cost of effort, following Dellavigna and Pope (2018) we assume cost function to have either power or exponential functional form i.e.

$$c(e) = \frac{ke^{1+\gamma}}{1+\gamma} \quad (2)$$

or

$$c(e) = \frac{kexp^{\gamma e}}{\gamma} \quad (3)$$

These functions differ in their elasticity of effort with respect to the value of effort. Power cost function (2) characterize a constant elasticity of effort given by  $1/\gamma$  while exponential cost function (3) implies a decreasing elasticity as effort increases. Both functions requires the estimation of unknowns  $k$ , and  $\gamma$  which we will back out using observed effort at different piece rates.

The last term in 1 represents the worker's notion of fairness and reciprocity ala (Rabin, 1993) and (Dufwenberg & Kirchsteiger, 2018).  $\kappa_{ij}$  denotes the how kind worker  $i$  is to employer  $j$ .  $\lambda_{iji}$  denotes worker  $i$ 's belief about how kind employer  $j$  is to worker  $i$ .  $Y_{ij} \geq 0$  is the worker  $i$ 's sensitivity to reciprocity for employer  $j$ . We define the kindness functions for our setting as follows;

$$\kappa_{ij} = e_{ij} - e_i^{fair} \quad (4)$$

and

$$\lambda_{iji} = p - p_i^{fair} \quad (5)$$

where  $e_i^{fair}$  represents worker  $i$ 's belief about fair effort that he/she can provide and  $p_i^{fair}$  represents a worker  $i$ 's belief about the fair piece rate that the

employer could have offered.<sup>1</sup> So if  $\lambda_{iji} < 0$ , i.e. if a worker believes that the selected piece rate is less than the fair piece rate, then a worker  $i$  will respond by choosing  $\kappa_{ij} < 0$  i.e. by choosing less effort than what would be considered fair by the worker. Our parameter of interest in the above specification is  $Y_{ij}$  i.e. we are interested in finding whether workers reciprocate and whether “reciprocity sensitivity” varies for employer types. Our choice of kindness functions is very simple but it captures the essential idea of reciprocity, it can be shown that more complicated functional forms lead to same conclusions.

Solving 1 using 4 and 5 leads to following solution (when interior);

$$e_{ij}^* = c'^{-1} \left( s_{ij} + p + Y_{ij} \left( p - p_i^{fair} \right) \right)$$

Implying that effort is increasing in the belief about kindness of employer ( $\lambda_{iji}$ ). In other words higher piece rate from employer is construed as kind behavior by worker and hence encourage reciprocal workers (for whom  $Y_{ij} > 0$ ) to put more effort.

With power cost function this translates to;

$$e_{ij}^* = \left( \frac{s_{ij} + p + Y_{ij} \left( p - p_i^{fair} \right)}{k} \right)^{1/\gamma}$$

While exponential cost function lead to the solution

$$e_{ij}^* = \frac{1}{\gamma} \log \left( \frac{s_{ij} + p + Y_{ij} \left( p - p_i^{fair} \right)}{k} \right)$$

We make a simplifying assumption that the workers of type  $i$  are homogenous given a treatment i.e. they will make the same effort choice in a given treatment. In the rest of this section we will be using power cost function for illustration.

## 2.1 Baseline Treatment

The baseline treatment is the traditional bilateral gift exchange game (Fehr, Kirchler, Weichbold, & Gächter, 1998) in which an employer chooses a wage, worker observes the wage and then work on the task. We allow employers to select any wage between 0 and 10 cents while workers work on a simple button-pressing task for 10 minutes<sup>2</sup>. From the MTurk standards this variation in piece rates is substantial for the 10 minute task. Employers also offer a flat fee ( $F_j$ ) of \$1 to each worker.

These piece rates provide evidence on the responsiveness of effort to incentives for this particular task and hence allow us to estimate parameters of cost function which will be used to estimate other behavioral parameters.

<sup>1</sup>We elicit these beliefs directly from the workers by asking them what would they consider as a fair piece rate.

<sup>2</sup>We use the exact same task as in Dellavigna and Pope (2018)

Formally, in the baseline treatment, employer  $j$  selects a piece rate  $p$  for worker  $i$ , worker observe the piece rate  $p$  and then choose effort  $e_{ij}$  by maximizing 1. Worker do not observe the identity of the employer which implies that for any worker  $i$ ,  $s_{iW} = s_{iB} = s_i$  and  $Y_{iW} = Y_{iB} = Y_i$ . The equilibrium effort  $e_i^*$  in this treatment will be given as;

$$e_i^* = c'^{-1} \left( s_i + p + Y_i \left( p - p_i^{fair} \right) \right) \text{ for } i \in \{B, W\}$$

This treatment will give us the baseline measure of effort of worker  $i$  at the piece rate of  $p$ . For each  $i$ , the solution of effort has two behavioral unknowns ( $s_i$  and  $Y_i$ ), and two unknowns from cost function ( $k$  and  $\gamma$ ). We will back out these unknowns from the observed effort at different piece rates.

## 2.2 Race Salient Treatment

In the race salient treatment, workers will observe the race of the matched employer along with the selected piece rate and then work on a task. In the presence of group biases i.e. when workers derive different level of social preference for different employers' group then;

$$e_{ij}^{RS} = c'^{-1} \left( (s_i + \Delta s_{ij}^{RS}) + p + (Y_i + \Delta Y_{ij}) \left( p - p_i^{fair} \right) \right)$$

We are implicitly assuming  $s_{ij} = s_i + \Delta s_{ij}$  i.e. the parameter  $s_{ij}$  can be separated into two components 1)  $s_i$ , which is independent of the employer type and include everything such as sense of duty, norm, intrinsic motivation, competitiveness of worker etc. and 2)  $\Delta s_{ij}$ , which represents additional utility or disutility from working for the employer of type  $j$  which we interpret as taste towards the employer a' la Becker (1957).

$\Delta s_{ij}^{RS} > 0$  ( $\Delta s_{ij}^{RS} < 0$ ) will represent the increase (decrease) in effort because of social preference of worker  $i$  towards (against) the employer  $j$ . For  $j \neq i$ ,  $\Delta s_{ij}^{RS} < 0$  will be interpreted as the decrease in effort due to taste bias of worker  $i$  towards the opposite group employer  $j$ . In other words, the difference in effort towards the white employer and black employer ( $e_{iW}^{RS} - e_{iB}^{RS}$ ) is construed as a difference which is only driven by the taste bias of the workers of group  $i$ .

## 2.3 Three Stage Treatment

Following Fehr, Gächter, and Kirchsteiger (1997) we introduce a third stage to the baseline treatment. In this treatment, employer will select piece rate and workers will work on a task exactly as in baseline treatment, however there will be a third stage in which the employer will decide whether to reward a bonus to the worker after observing the effort choice. Bonus will be costly to employers. So the worker's problem would look like this

$$\underbrace{\max}_{e_{ij} \geq 0} (s_{ij} + p) e_{ij} - c(e_{ij}) + \pi_{ij}(e_{ij}) Bonus$$

where  $\pi_{ij}(e_{ij})$  is the probability that an employer  $j$  will offer a Bonus to worker  $i$ . In the presence of reciprocal employers, we assume  $\pi'_{ij}(e) > 0$  i.e. higher effort increases the probability of bonus being rewarded. If workers expect employers to be reciprocal than they will increase their effort in this treatment as compared to baseline treatment. If we assume probability to be a linear function of effort, and since employer's identity is not observed by workers ( $\pi_{ij} = \pi_i \forall j \in \{B, W\}$ ), then effort in this treatment will be given as;

$$e_i^{TS} = c'^{-1}(s_i + p + \pi_i \text{Bonus})$$

This treatment will give us the baseline measure of effort of worker  $i$  in the presence of uncertainty about the Bonus.

## 2.4 Race Salient and Three Stage

This treatment is the combination of race salient and three stage treatments. The effort in this treatment will be given as;

$$e_{ij}^{RSTS} = c'^{-1}(s_i + \Delta s_{ij}^{RS} + p + (\pi_i + \Delta \pi_{ij}) \text{Bonus})$$

Now if  $e_{W|j=B}^{RSTS} < e_W^{TS}$ , then the resulting decrease in output in this treatment will be attributed to the

# 3 Experiment Design

## 3.1 Recruitment of Subjects

The subjects for this experiment will be recruited from an online labor market upwork (formerly Elance-oDesk). Upwork is one of the largest online labor market in the world with over twelve million registered freelancers, earning more than a billion dollars via the site each year (Upwork.com, n.d.). Unlike Amazon's Mechanical Turk, another online labor market used in economics research, upwork employers have complete discretion in whom they hire and they have real relationships with hired workers. Another benefit of using Upwork is that employers can monitor the workers' progress while the task is being performed. Workers log in to upwork applicaiton that shows employers when they are working. The application records keystroke volume and shows screenshots of the worker's computer screen, taken six times per hour.

We will post the job listing on upwork with very little description of the experiment, only that "We need people to participate in an experiment for an economics research project. The task involves making economic decisions in a strategic environment." Potential subjects will also be told that "In this experiment you will be randomly matched with another participant. You will be paid 3 dollars for participating in this experiment. On top of that you may earn anywhere from zero dollars to 10 dollars based on the choices/decisions that

$e$	0.1	0.2	0.3	0.4	0.5	0.6	0.7	0.8	0.9	1
$c(e)$	0	1	2	4	6	8	10	12	15	18

Table 1: Cost of Effort

you and your matched participants make during the experiment. There are no specific skills required for this project.”

We will invite subjects to participate in this experiment who meet the following criteria (1) are from United States, (2) speak fluent english, (3) list an hourly wage of \$10 or less (4) have earned more than a dollar on upwork and (4) have a job success rate of 75% or more. For every application that we receive from worker, we will examine the profile picture of the applicant to see if the subject fall into any of the two races that we are interested in i.e. Black or White (Figure 1 shows an example profile of a worker on upwork). We restrict to Black and White, english speaking people from United States because we want to study racial discrimination in the context of United States.

### 3.2 Treatments

This experiment is designed to measure whether workers discriminate in reciprocity based on the race of the employer and which economic theory explains the source of discrimination. The experiment is a 2-factor design with treatments as follows;

#### 3.2.1 Baseline Treatment


In this treatment, we rely on a version of bilateral gift-exchange game in which each participant play the game 10 times/periods (Fehr et al., 1998). This is a two-person game consisting of two stages. In the first stage, an employer decide how much wage to offer to a worker. Worker observes the wage offer in the second stage and choose effort level. Effort is costly to workers but profitable to employers. Wage is costly to employer but profitable to worker. All earnings in the experiment will be calculated in the unit of points which will be converted to US dollars at the end of experiment with the exchange rate of 1 point = 10 cents. The effort cost function is specified as in Table 1;

The profit for employer and workers are given by;

$$\text{Employer Profits} = (v - w)e \quad (6)$$

$$\text{Worker Earnings} = w - c - c(e) \quad (7)$$


We use  $v = 120$ , and  $c = 20$ . The choice of payoff functions (6 and 7) and parameters ( $v$  and  $c$ ) is made following Fehr et al. (1998). To ensure that payoffs are always positive and to avoid concerns about expectations of loss aversion  $w \in \{20, 35, 40, \dots, 120\}$ . As mentioned earlier, subjects will play this game for



Maureen O'Donnell

\$10.00 /hr

Data Entry Professional

 Chicago, United States - 9:07pm local time

Overview

For the past four years I have worked in administration and data entry/analysis for a large public university. Over the course of my work, I have been primarily responsible for keeping up with current data and creating electronic archives of our previous paper system. I am a highly detail-oriented individual and will bring my organizational skills and focus to your project.

Work History and Feedback

Newest first

Copy highlighted addresses from a scanned PDF in to an Excel spreadsheet.

\$21.28 earned

Fixed Price

Jan 2017 - Present

Job in progress

Data Entry

\$150.00 earned

Fixed Price

Feb 2017 - Mar 2017

★★★★★ 5.00

Wonderful experience.

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Education

Indiana University Bloomington

2010 - 2014

Post Job To Invite

Hire Now

Save

Flag as inappropriate

84% Job Success

Work History

5 hours worked

27 jobs

\$1k+ earned

Availability

Available

More than 30 hrs/week

< 24 hour response time

Profile Link

https://www.upwork.com

Copy Link

Languages

English: Native or Bilingual

Figure 1: Upwork example profile.



10 periods, one of those 10 periods will be randomly selected and the payment to the subject will be determined on the basis of payoff in that period.

To avoid reputation effects, a worker in each period will be told that it is partnered with a new employer i.e. a worker will be told that it will never be matched with the same employer again. Worker will also be told that the game will proceed anonymously i.e. employer will never observe the identity of a worker. In the absence of social preference, a worker should always choose minimum effort ( $e_{min}$ ) irrespective of the wage offer. As once the wage is determined there is no pecuniary incentive to choose  $e > e_{min}$ . In this experiment we are only interested in the worker’s problem, therefore there will be no real employers and wages by the employers will be randomly determined. Random wages are introduced to give more control on the experiment and to avoid any confounds from employer choice that may influence worker’s effort choice.

While we agree that deception should be discouraged in laboratory experiments, our experiment does not violate any of the ethical concerns associated with deception. We were careful to follow APA guidelines for deception. There appear to be three concerns at stake regarding deception. First, there is the argument that deception will harm the subjects. This argument is not relevant in this case because we don’t see how subjects can be harmed by the deception in this case. The earnings of the subjects are not affected because of this deception as compared to having real people playing the game. Second, there is the argument that deception will “poison” the subject pool for future experiments. We avoid this problem by not debriefing the subjects about this deception. Debriefing the subjects can broadcast the deception to other potential subjects and hence potentially affect their behavior in future experiments. Third, the suspicion of deception may bias the results of the experiment. If such a bias exist it will bias the results in the direction of null effect.


### 3.2.2 Race Salient Treatment

This treatment will be same as baseline treatment except that when workers see the wage offer, they will see the picture of an employer who made the wage offer. We use neutral pictures of Blacks and Whites from the Chicago Face Database (Ma, Correll, & Wittenbrink, 2015). Chicago Face Database (CFD) is a free resource consisting of 158 high-resolution, standardized photographs of Black and White males and females between the ages of 18 and 40 years. These photographs are rated on a number of different psychological dimensions (e.g. attractiveness and trustworthiness). Using pictures from CFD (compared to using pictures of real people) offer us the better experimental control and is also cost-effective. Figure 2 presents the layout of interface that the worker will see while making the effort choice. Each worker will see 5 White and 5 Black pictures in the random order.

(How does within group behavior changes will effect the reciprocity, e.g. white faces might be attractive to both blacks and whites. )

**Layout of Interface (Race Salient Treatments for Workers)**

In this period, you are matched with the following employer. Before you can see the actual wage selected by the employer, you need to make a guess of the selected wage. If your guess is exactly right, you will get 5 extra points. If it deviates by 5 points you will get 3 extra points. If it deviates by 10 points you will get 1 extra point. If it deviates by more than 10, you won't get any extra points.

Employer ID:		
Guessed Wage	Enter your guess here and click submit.	
Wage selected by the employer:	Submit your guess above to view this.	

Now select the effort level for the above employer.

Effort Level	Input values between 0.1 and 1 in the increment of 0.1.
Your Earning	Pre-Calculated Field
Your Employer Earning	Pre-Calculated Field
	Submit Effort Choice

Figure 2: Layout of the Race Salient Treatment

$p$	0	0.1	0.2	0.3	0.4	0.5	0.6	0.7	0.8	0.9	1
$k(p)$	10	9	8	7	6	5	4	3	2	1	0
$p$	1.1	1.2	1.3	1.4	1.5	1.6	1.7	1.8	1.9	2	
$k(p)$	1	2	3	4	5	6	7	8	9	10	

Table 2: Employers' cost of Punishing and Rewarding

### 3.2.3 Three Stage Treatment

Three stage treatment will be same as Baseline except that there will be an additional stage to the game. We closely follow the design in Fehr et al. (1997) to formulate this third stage. Workers will be told that "In the third stage employer will observe your effort choice and decide whether to reward or punish you." So after the effort is chosen, employer will observe the effort choice and choose a number  $p \in [0, 2]$ . The workers earning from previous two stages will then be multiplied by  $p$ . Both  $p < 1$  (a punishment) and  $p > 1$  (a reward) will be costly to employers with cost schedule as given in Table 2. The payoff functions in this treatment will be as follows;

$$\text{Employer Profits} = (v - w)e - k(p) \quad (8)$$

$$\text{Worker Earnings} = [w - c - c(e)]p \quad (9)$$

As argued in Fehr et al. (1997), the introduction of this third stage should not have any impact at all. Employers should never punish or reward workers since it is costly to them i.e. they will choose  $p = 1$ . Workers should anticipate that and should choose the same effort as in Baseline treatment. However if workers expect employers to have positive (negative) reciprocity towards a worker, it may expect employers to choose  $p > 1$  ( $p < 1$ ). Worker may think that if the employer is happy (unhappy) with the effort choice, it may decide to reward (punish) them. So workers should choose higher effort to elicit the positive reciprocity or to avoid the negative reciprocity from the employer. Hence we expect the effort to be higher in this treatment as compared to the baseline treatment.

The way the expectations will form in this case is not very clear. Workers may also take into account the wage offer from the first stage to form expectations about the conditional probability of rewarded a bonus. For example workers may expect an employer with higher wage offer to be willing to reward the bonus more easily than the employer who offered lower wage in the first stage or the relationship may be opposite because the wage goes out of the employer's payoff and it is aimed at eliciting more effort from worker but bonus doesn't affect employer payoff. Hence apriori we are not sure on the direction of average effort in the bonus treatment.

### 3.2.4 Race Salient and Bonus Treatment

This treatment is a combination of Race Salient and Bonus treatments. Workers will see the picture of the person (as in race salient treatment) and will also be informed of the additional stage of the game (as in Bonus treatment).

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## A Estimation Appendix

### A.1 Minimum Distance

We use data from baseline treatment to estimate parameters of cost function and baseline parameters. Given 20 moments (mean efforts from 10 different piece rates for each of the two types of workers) we are able to estimate 6 parameters  $s_B$ ,  $s_W$ ,  $\gamma$ ,  $k$ ,  $r_B$ , and  $r_W$ . That is, we solve numerically the system of

$$\gamma \log(e_i^p) + \log(k) - \log(s_i + r_i p) = 0 \text{ for } p \in [0, 10] \text{ and } i \in \{B, W\}$$