

High Energy Physics - Phenomenology Midyear Exercises

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Midyear Exercise 1

Production Process

The pythia initialization of the simulation:

```
1 Top:all = on
2 Main:numberOfEvents = 10000
3 Beams:idA = 2212
4 Beams:idB = 2212
5 Beams:eCM = 13000.
```

The simulation is run using main42 files from Pythia8245

The production channels which produces the ttbar are shown below:

```
1 Top:gg2ttbar
2 Top:qqbar2ttbar
3 Top:qq2tq
4 Top:ffbar2ttbar
5 Top:ffbar2tqbar
6 Top:gmgm2ttbar
7 Top:ggm2ttbar
```

The source of all the top-antitop production is from the pythia online manual [1]

1. Gluon - gluon to top-antitop
asdas
2. Quark - antiquark to top-antitop by gluon exchange
asdasd
3. Quark - quark/antiquark to top-quark/antiquark by t-channel exchange of W boson
asdasd
4. Lepton-antilepton to top-antitop by s-channel exchange of virtual photon or Z boson
asdasdasd
5. Lepton-antilepton to top-antiquark by s-channel exchange of W boson
asdasda
6. Photon-photon to top-antitop
asdasd
7. Gluon-photon to top-antitop
asdasd

Decay Process

In the SM model, the decay $t \rightarrow W^+ + b$ has a branching ratio very close to 100%. The same goes for its anti counterpart. Now the the W boson has these decay channels with their branching ratios:

W^+ Decays

Hadronic

- $W^+ \rightarrow \bar{b} + c$ (0%)
- $W^+ \rightarrow \bar{d} + c$ (1.5%)
- $W^+ \rightarrow \bar{s} + c$ (29.2%)
- $W^+ \rightarrow \bar{d} + u$ (29.4%)
- $W^+ \rightarrow \bar{s} + u$ (1.7%)

Leptonic

- $W^+ \rightarrow e^+ + \nu_e$ (10%)
- $W^+ \rightarrow \mu^+ + \nu_\mu$ (10%)
- $W^+ \rightarrow \tau^+ + \nu_\tau$ (9.7%)

W^- Decays

Hadronic

- $W^- \rightarrow b + \bar{c}$ (0%)
- $W^- \rightarrow d + \bar{c}$ (1.4%)
- $W^- \rightarrow s + \bar{c}$ (27.4%)
- $W^- \rightarrow d + \bar{u}$ (27.8%)
- $W^- \rightarrow s + \bar{u}$ (1.5%)

Leptonic

- $W^- \rightarrow e^- + \bar{\nu}_e$ (9%)
- $W^- \rightarrow \mu^- + \bar{\nu}_\mu$ (9.2%)
- $W^- \rightarrow \tau^- + \bar{\nu}_\tau$ (9.1%)

These decay channels and branching ratio's are obtain using pythia8312. See the [Wneg_decay.log](#) and [Wplus_decay.log](#) in this repository [link](#).

Reconstruction of Top

Using the event generation of PYTHIA, the top is reconstructed using the MC_TTBAR Analysis of Rivet [\[2\]](#).

```
1 ChargedLeptons lfs(FinalState(Cuts::abseta < 4.2 && Cuts::pT > 30*GeV));
2 declare(lfs, "LFS");
```

This code block defines the object lfs by getting the final state particles that have $\eta = |4.2|$ and $pT > 30$ GeV. The 4.2 η value is from the limitation of the detector. The purpose of the 30 GeV pT cut is for reduction of soft backgrounds. Soft background interactions are usually in non-perturbative processes regions. This means that the interaction strength (e.g. Strong force) is too strong for perturbation theory to be useful. Overall, this line of code is for counting the lepton particle decays.

```
1 VetoedFinalState fs(FinalState(Cuts::abseta < 4.2));
2 fs.addVetoOnThisFinalState(lfs);
```

This code block defines the object fs which is all the particle decays by using the $\eta = |4.2|$ cut. The line 2 exclude the lepton particles from the previous code block.

```
1 declare(FastJets(fs, JetAlg::ANTIKT, 0.6), "Jets");
2 declare(MissingMomentum(fs), "MissingET");
```

This line of code declare the b-jet decay and the missing transverse energy for the neutrino by products.

Proceeding to the analyze function of the MC_TTBAR Analysis.

```
1 const ChargedLeptons& lfs = apply<ChargedLeptons>(event, "LFS");
2 MSG_DEBUG("Charged lepton multiplicity = " << lfs.chargedLeptons().size());
3 for (const Particle& lepton : lfs.chargedLeptons()) {
4     MSG_DEBUG("Lepton pT = " << lepton.pT());
5 }
```

This code block applies the ChargedLepton object to the event, which gets the Lepton Final State of the event

```
1 size_t nLeps = lfs.chargedLeptons().size();
2 bool leptonMultiFail = _mode == 3 && nLeps == 0; // non-all-hadronic
3 leptonMultiFail |= _mode == 2 && nLeps != 2; // dilepton
4 leptonMultiFail |= _mode == 1 && nLeps != 1; // single lepton
5 leptonMultiFail |= _mode == 0 && nLeps != 0; // all-hadronic
6 if (leptonMultiFail) {
7     MSG_DEBUG("Event failed lepton multiplicity cut");
8     vetoEvent;
9 }
```

nLeps contain the number of lepton decays of the $t\bar{t}$. This code block performs the lepton multiplicity cut. It can only fail if the mode does not match the number of leptons.

```
1 const Vector3& met = apply<MissingMomentum>(event, "MissingET").vectorMissingPt();
2 MSG_DEBUG("Vector pT = " << met.mod() << " GeV");
3 if (_mode > 0 && met.mod() < 30*GeV) {
4     MSG_DEBUG("Event failed missing ET cut");
5 }
```

```

5     vetoEvent;
6 }

```

This code block applies the missing transverse energy cut. The cut fails if the missing transverse energy is too small. Which is for non-hadronic decay, it must have a value greater than 30GeV.

```

1  const FastJets& jetpro = apply<FastJets>(event, "Jets");
2  const Jets jets = discardIfAnyDeltaRLess(jetpro.jetsByPt(Cuts::pT > 30*GeV), lfs.chargedLeptons(), 0);
3  if (_mode == 0 && jets.size() < 6) vetoEvent; // all-hadronic
4  else if (_mode == 1 && jets.size() < 4) vetoEvent; // single lepton
5  else if (_mode == 2 && jets.size() < 2) vetoEvent; // dilepton
6  else if (_mode == 3 && nLeps == 1 && jets.size() < 4) vetoEvent; // non-allhadronic
7  else if (_mode == 3 && nLeps == 2 && jets.size() < 2) vetoEvent;
8  MSG_DEBUG("Event failed jet multiplicity cut");

```

This code block performs the jet multiplicity cut. For the decay be possible, at mode = 0 (All Hadronic decay) must have 6 jets; at mode = 1 (One lepton decay) it must have 4 jets; at mode = 2 (dilepton decay) it must have 2 jets. Lastly for mode = 3, if the decay has 1 lepton decay it must have 4 jets and if it has 2 lepton decay it must have 2 jets.

Next differentiating the jets into a b-jet and a light jet (ljet).

```

1  Jets bjets, ljets;
2  for (const Jet& jet : jets) {
3  if (jet.bTagged()) bjets += jet;
4  else ljets += jet;
5  }
6  MSG_DEBUG("Number of b-jets = " << bjets.size());
7  MSG_DEBUG("Number of l-jets = " << ljets.size());
8  if (bjets.size() != 2) {
9  MSG_DEBUG("Event failed post-lepton-isolation b-tagging cut");
10 vetoEvent;
11 }
12 if (_mode == 0 && ljets.size() < 4) vetoEvent;
13 else if (_mode == 1 && ljets.size() < 2) vetoEvent;
14 else if (_mode == 3 && nLeps == 1 && ljets.size() < 2) vetoEvent;

```

The function used in differentiating the b jets from ljets is .bTagged(). Per decay of $t\bar{t}$, it must have 2 bjets always. So the cut will fail if the bjet number is not 2. In addition it will fail if mode = 0 (all hadronic) and the ljet is less than 4. The same goes for mode = 1 (single lepton decay) which must have ljet number of atleast 2.

```

1  FourMomentum ttpair = bjets[0].mom() + bjets[1].mom();
2  if (_mode == 0) {
3  ttpair += ljets[0].mom() + ljets[1].mom() + ljets[2].mom() + ljets[3].mom();
4  }
5  else if (nLeps < 2) {
6  ttpair += ljets[0].mom() + ljets[1].mom();
7  const FourMomentum lep = lfs.chargedLeptons()[0].mom();
8  double pz = findZcomponent(lep, met);
9  FourMomentum neutrino(sqrt(sqr(met.x()) + sqr(met.y()) + sqr(pz)), met.x(), met.y(), pz);
10 ttpair += lep + neutrino;
11 }
12 if (nLeps < 2) _h["tt_mass"]->fill(ttpair.mass()/GeV);

```

The ttpair comes from the bjets. If it is all hadronic, you must add the jets from the W boson decay (which is 4 jets). If it is a single lepton decay, you add the lepton decay, which is the lepton and the MET (neutrino), and the 2 jet decay.

Apprently this analysis did not include the mode 3 and mode 2 in calculating the ttbar. The same goes for constructing the W boson mass.

```

1  if (_mode < 2) {
2  FourMomentum W(10*(sqrtS()>0.?sqrtS():14000.), 0, 0, 0);
3  for (size_t i = 0; i < ljets.size()-1; ++i) {

```

```

4     for (size_t j = i + 1; j < ljets.size(); ++j) {
5         const FourMomentum Wcand = ljets[i].momentum() + ljets[j].momentum();
6         MSG_TRACE(i << ", " << j << ": candidate W mass = " << Wcand.mass()/GeV
7         << " GeV, vs. incumbent candidate with " << W.mass()/GeV << " GeV");
8         if (fabs(Wcand.mass() - 80.4*GeV) < fabs(W.mass() - 80.4*GeV)) {
9             W = Wcand;
10        }
11    }
12 }

```

```

13 MSG_DEBUG("Candidate W mass = " << W.mass() << " GeV");

```

It started with a terrible W boson mass guess, and is replaced by better and better guesses. The theoretical value of W boson is 80.4 GeV, which is what the value of this code block approaches.

```

1  const FourMomentum t1 = W + bjets[0].momentum();
2  const FourMomentum t2 = W + bjets[1].momentum();
3  _h["W_mass"]->fill(W.mass());
4  _h["t_mass"]->fill(t1.mass());
5  _h["t_mass"]->fill(t2.mass());

```

This part of the code now calculates the t and \bar{t} which has essentially the same mass. Since it cannot be determined whether W is the W^+ or W^- and which bjet is partnered to the W . So 2 top mass is calculated.

```

1  if (!inRange(W.mass()/GeV, 75.0, 85.0)) vetoEvent;
2  MSG_DEBUG("W found with mass " << W.mass()/GeV << " GeV");
3
4  _h["t_mass_W_cut"]->fill(t1.mass());
5  _h["t_mass_W_cut"]->fill(t2.mass());

```

If there is no W boson mass found in the range 75.0 GeV to 85.0 GeV then it is not included in the analysis. The ?? b. contains the top reconstruction which has a W close to its theoretical value.

Shown below is the MC_TTBAR Analysis plots.

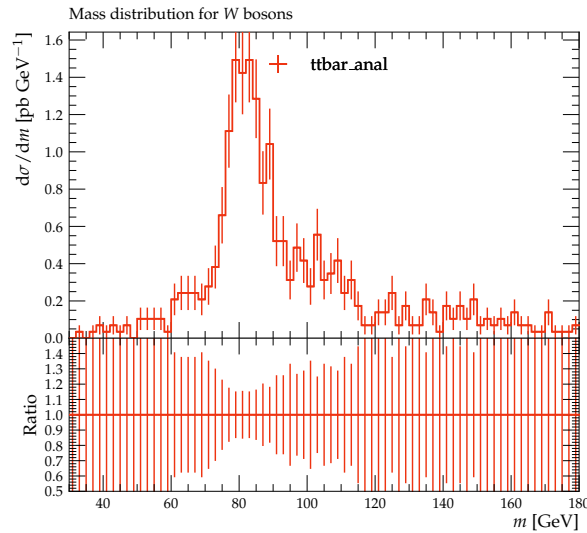


Figure 1: W boson mass distribution

As we can see here in the figure, there is a peak near 80.4 GeV, which suggest strongly that the reconstruction of the W boson tends to go to the theoretical. I do not know yet how to find the exact value in the graph and its uncertainty.

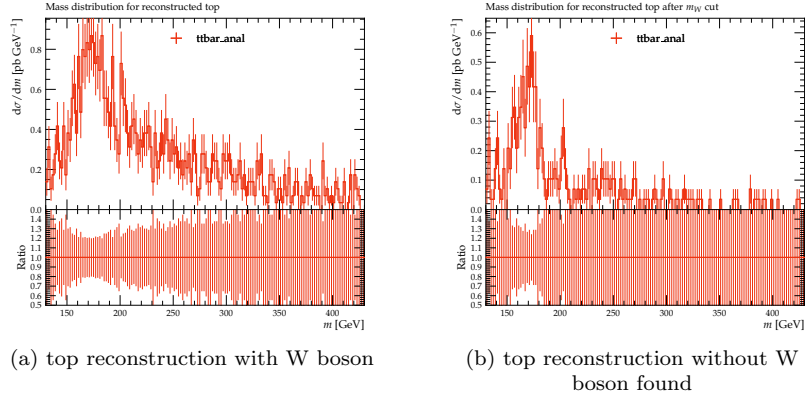


Figure 2: top reconstruction

Here we can see that the reconstruction of the top mass is close to 173 GeV. It is close to the current accepted value of 172.76 ± 0.3 GeV.

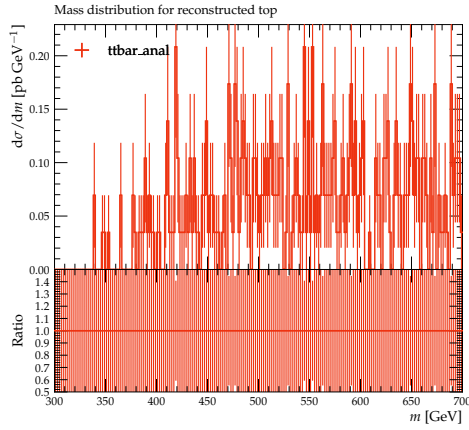


Figure 3: $t\bar{t}$ mass distribution

The $t\bar{t}$ mass is constructed by adding the momentum of the bjets and ljets depending on the mode. It is expected that the momentum is near 0.

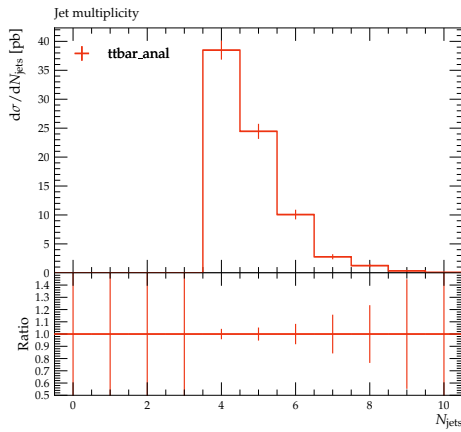
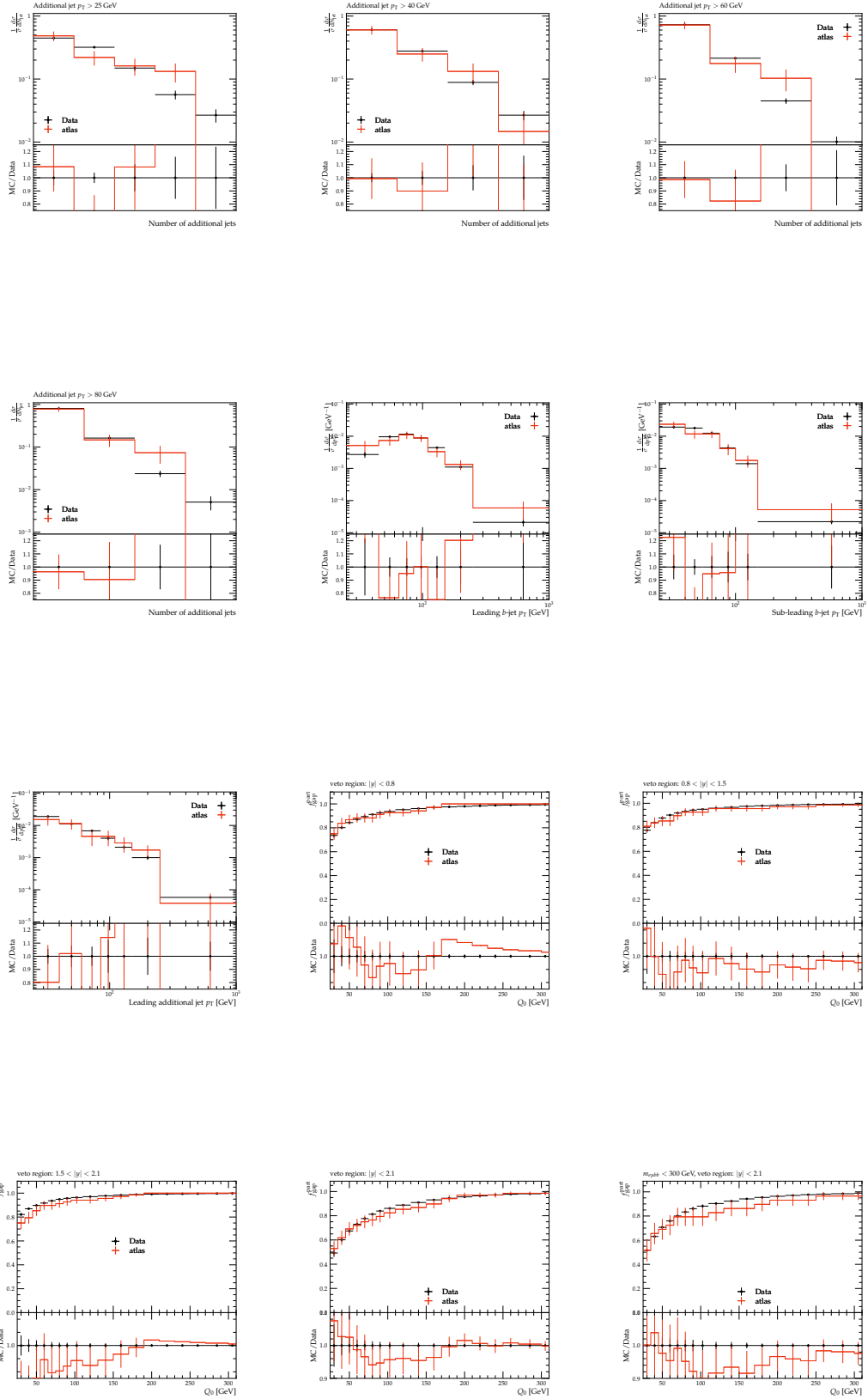


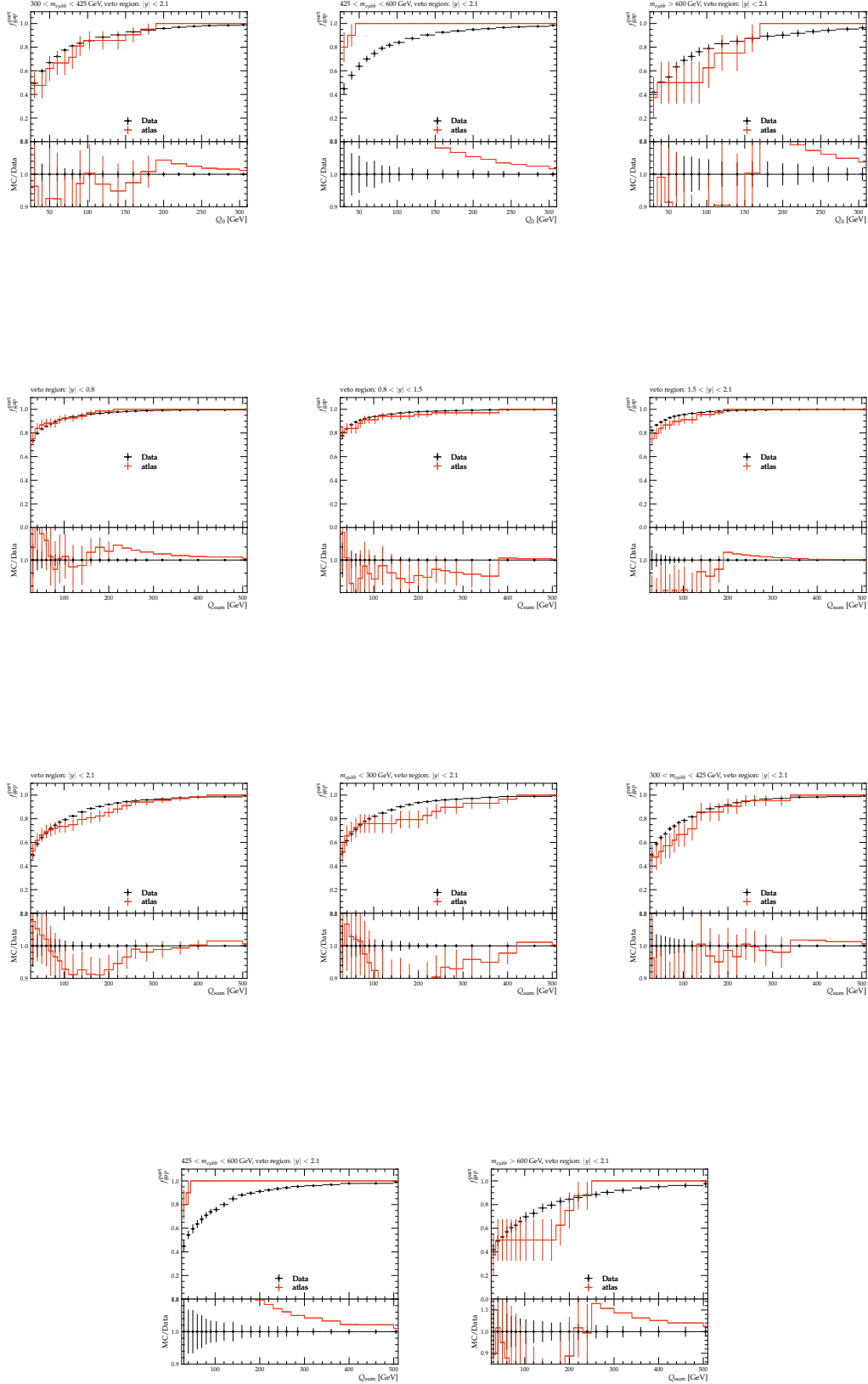
Figure 4: Jet multiplicity

Finally, this figure shows how many jets are per event. We can see in the figure that majority of the time the decay is a single leptonic decay (2 bjet and 2 ljet). Surprisingly, there is no dileptonic decay as seen in the multiplicity.

Comparisson to Actual Data

Using the ATLAS Collaboration paper on $t\bar{t}$ bar from 2016: <https://arxiv.org/abs/1610.09978>, which is the ATLAS_2017_I1495243 analysis from RIVET [3]. These are the comparison plots from the analysis.





Upon looking at the graphs, it can be seen that the simulated data agree with the atlas data to a certain extent (I do not know how to quantify the similarness yet). The graph that has (I think) the greatest deviations is the 14th and 22th graph which is $425 < m_{e\mu bb} < 600\text{GeV}$, veto region: $|y| < 2.1$ and $425 < m_{e\mu bb} < 600\text{GeV}$, veto region: $|y| = 2.1$.

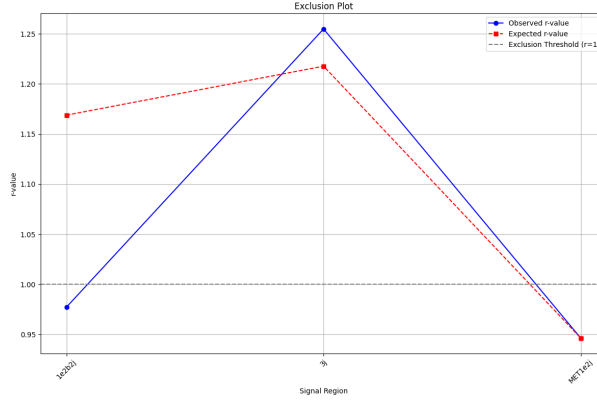


Figure 5: Exclusion plot

There are only 3 analysis that are within the $0.87 < r < 1.3$ region which is the atlas_1807_07447. The sr region at which this is possible are the 1e2b2j, 3j, and MET1e2j.

1. 1e2b2j Signal Region

The "1e2b2j" signal region refers to events containing one electron, two b-tagged jets, and a total of two jets. This configuration is designed to target specific interactions that might indicate the presence of new physics, particularly those involving heavy particles decaying into multiple jets and leptons.

2. 3j Signal Region

The "3j" signal region is characterized by events with a total of three jets. The selection criteria for this region help in separating standard model backgrounds from potential signals that may hint at new physics, as higher jet multiplicities can be indicative of complex decay processes involving heavy new particles.

3. MET1e2j Signal Region

The "MET1e2j" signal region involves events with one electron, two jets, and significant missing transverse energy (MET). This region is particularly important in analyses looking for neutral particles that escape detection, which is often indicative of new physics phenomena such as supersymmetry or other beyond-standard model scenarios.

Those are the closes to the $r = 1$ values but here is the full allowed r -values for this event.

1	165	atlas_1807_07447
2	196	atlas_1807_07447
3	225	atlas_1807_07447
4	232	atlas_1807_07447
5	269	atlas_1807_07447
6	304	atlas_1807_07447
7	377	atlas_1807_07447
8	384	atlas_1807_07447
9	399	atlas_1807_07447
10	405	atlas_1807_07447
11	425	atlas_1807_07447
12	468	atlas_1807_07447
13	500	atlas_1807_07447
14	578	atlas_1807_07447
15	587	atlas_1807_07447
16	594	atlas_1807_07447
17	632	atlas_1807_07447
18	661	atlas_1807_07447
19	699	atlas_1807_07447
20	710	atlas_1807_07447
21	746	atlas_1807_07447


```

22 774 atlas_1807_07447
23 781 atlas_1807_07447
24 1155 atlas_conf_2016_013
25 1217 atlas_conf_2020_048
26 1230 atlas_conf_2020_048
27 1261 cms_pas_sus_15_011
28 1262 cms_pas_sus_15_011

```

Here is the graph to show the r-values

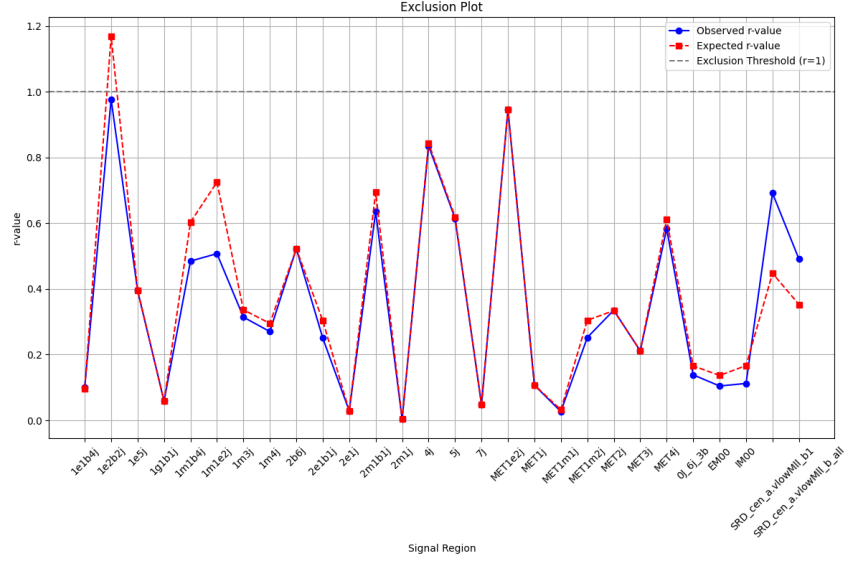


Figure 6: All the allowed signal events

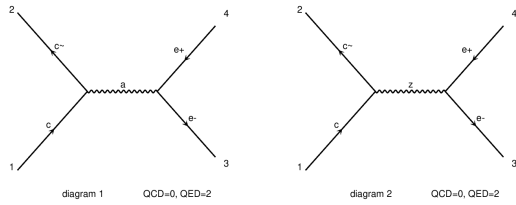
Midyear Exercise 2

MadGraph Event Generation

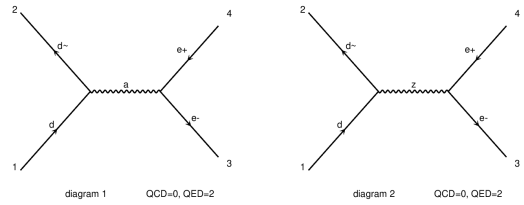
In generating proton-proton to electron-positron events, these are the processes.

1. Process: $u\bar{u} \rightarrow e^-e^+$ WEIGHTED $\leq 4@1$
2. Process: $c\bar{c} \rightarrow e^-e^+$ WEIGHTED $\leq 4@1$
3. Process: $d\bar{d} \rightarrow e^-e^+$ WEIGHTED $\leq 4@1$
4. Process: $s\bar{s} \rightarrow e^-e^+$ WEIGHTED $\leq 4@1$

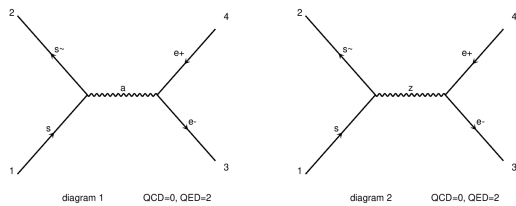
Here are the Feynman diagrams of the processes.



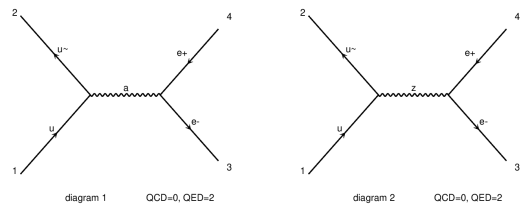
(a) $c\bar{c} \rightarrow e^+e^-$



(b) $d\bar{d} \rightarrow e^+e^-$



(c) $s\bar{s} \rightarrow e^+e^-$



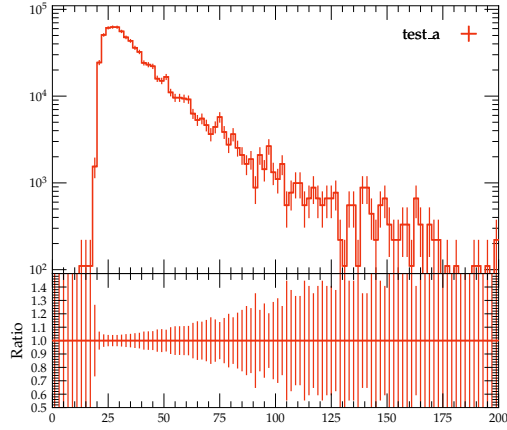
(d) $u\bar{u} \rightarrow e^+e^-$

The initial particles are a quark and antiquark ($q\bar{q}$) and the final particles are electron and positron (e^-e^+). The exchange boson must be uncharged and colorless since leptons do not carry color. Therefore the only possible boson carriers are the photon and Z boson.

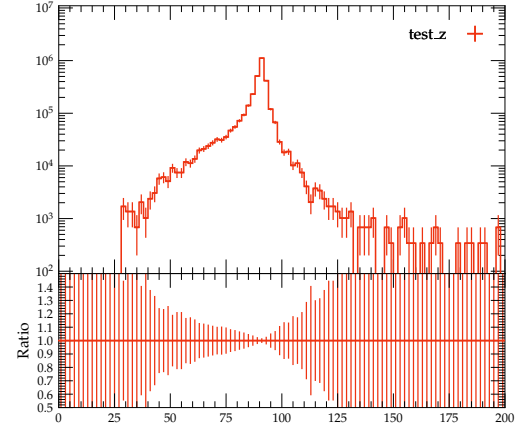
Rivet Analysis

I found no existing MC plots that have the positron-electron invariant mass distribution. So I just created one from the MC_DILEPTON analysis[4].

Here is the invariant mass distribution for the events mediated by photon or Z boson.



(e) Mediator with photon



(f) Mediator with Z boson

Now this is the invariant mass distribution for the unrestricted case.

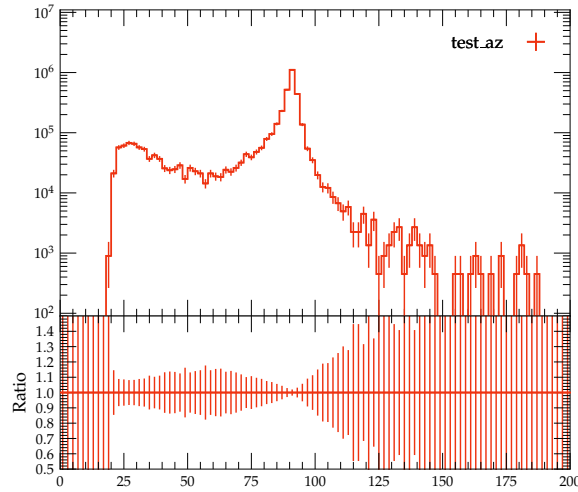


Figure 7: Mediator with photon and Z boson

The combined mass invariant just added the two restricted events. Which we can see here that the bump is from the mass construction of Z boson.

CheckMATE

Here are the analyses that have acceptable signal events

- 1 433 atlas_1807_07447
- 2 465 atlas_1807_07447

Now this is the plot for better visual.

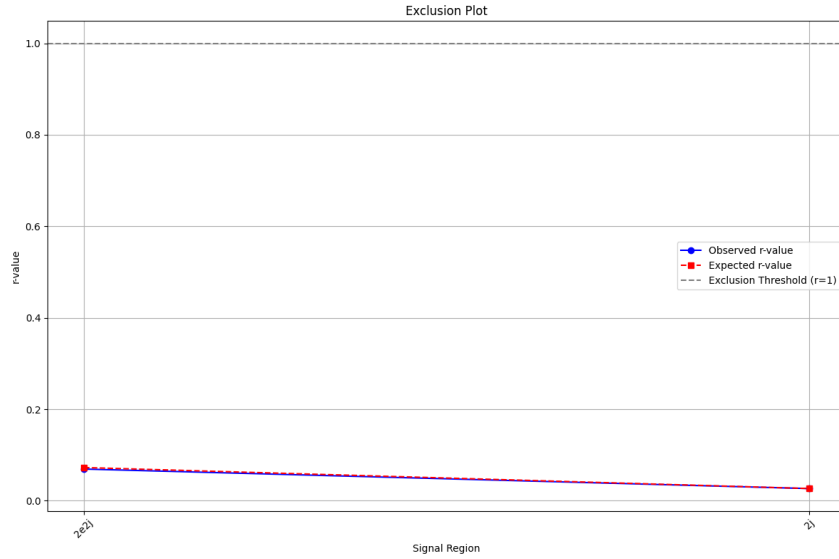


Figure 8: Accepted r-vals in 13TeV analyses

This is expected because the decay is event is 2 leptons which are electrons. That is why there is signal in the 2e2j. Though I am not able to explain why the r value is small. The 2 j signal can come from the parton distribution of the proton.

That is all, for my Midyear Exercises. All the files I used is in this Github repository: https://github.com/sherkaicode/HepPh_Midyear. Feel free to replicate and critique

References

- [1] *Online Manual*, PYTHIA (2024), "<https://www.pythia.org/latest-manual/Welcome.html>".
- [2] *MC_TTBAR*, RIVET (2019), "https://rivet.hepforge.org/analyses/MC_TTBAR.html".
- [3] *ATLAS_2017_I1495243*, RIVET (2019), "https://rivet.hepforge.org/analyses/ATLAS_2017_I1495243".
- [4] *MC_DILEPTON*, RIVET (2019), "https://rivet.hepforge.org/analyses/MC_DILEPTON.html".