Algorithm

- 1. Construct G(V, E):
 - \circ V is divided into 4 parts $(start, V_{cube}, V_{char}, end)$
 - Think of each cube or each character in the word as a vetex
 - Add two nodes: start and end
 - \circ E is divided into 3 parts $(E_{s2cube}, E_{char2end}, E_{cube2char})$
 - Start has edges to any cube vertex
 - Any character vertex has an edge to end.
 - The cube vertex has an edge to the char vertex if it has the the char in its list of letters.
- 2. Translate G to a flow network:
 - the capacity of each edge is 1
 - the initial flow of each edge is 0
- 3. So judging whether the word can be formed is equivalent to compute wheather the maximum flow in the graph equals the length of the word
- 4. Use Folk-Fulkerson algorithm to compute the maximum flow
- 5. In the case that maximum flow equals the length of the word, the cube forms the character if the flow between their nodes is 1
- 6. Output the result