```
import numpy as np
```

```
#Scalar or 0D TENSOR
arr0 = np.array(4)
```

Tensor and ndimensional arrays are same . If you come from maths or physics background then they are called as tensor

▼ 0-D = scalar

```
arr0
```

array(4)

arr0.ndim

#here you see that the dimension of the array is 0 therefore it is a

1D TENSOR = VECTOR = 1D ARRAY = ARRAY

it's NDIM is 1

Number of dimension's is equal to number of number of axes

→ How much is the dim = to number of axes

If there are 2D then there are 2 axes

Number of axes = rank = Dimension

```
arr1 = np.array(1,2,3,4)
```

# Array takes one or 2 positional argument but the argument given is # This where you see array is either 0D, 1D or 2D

```
TypeError

<ipython-input-17-7e0f7206d7f7> in <module>
----> 1 arr1 = np.array(1,2,3,4)

2 # Array takes one or 2 positional argument but the argument given is 4

3 # This where you see array is either 0D, 1D or 2D

TypeError: array() takes from 1 to 2 positional arguments but 4 were given

SEARCH STACK OVERFLOW
```

```
arr1 = np.array([1,2,3,4])
#this is a 1D array, as you have passed only 1 argument []
# You can check the same by printing the dimensions
```

1D tensor/ Vector

**READ IT CAREFULLY** 

WHAT IS THE DIMENSION OF THIS VECTOR?

IT IS A 4D VECTOR BUT 1D TENSOR/VECTOR

IT IS 4D BECAUSE YOU HAVE PASSED 4 INPUTS SIMILARLY IT WOULD HAVE BEEN 5D VECTOR IF YOU PASS 5 INPUT EXAMPLE [1,2,3,4,5,]

Notice you added all number of scalar values to create a vector 1 scalar 2 scalar [1,2] vector

So vector are basically collection of more and more that is n numbers of scalar So Matrices are basically collection of more and more that is n numbers of Vectors

MATRICES ARE COLLECTION OF VECTORS

ITS DIMENSION IS 2D

**BECAUSE THERE ARE 2 DIMENSIONS** 

2 RANKS = 2 AXIS = 2 DIMENSIONS

**-** [1,2,3] [4,5,6] [7,8,9]

**MATRICS MADHE** 

[1,2,3

4,5,6

7,8,91

Double-click (or enter) to edit

▼ So if you want to make higher dimensional matrics

4D tensor is the collection of 3D tensor

Normally you move from 0D-5D tensors

RANK AND AXIS AND NUMBER OF DIMENSIONS ARE SAME
SHAPE MEANS HOW MANY ITEMS YOU HAVE IN A PARTICULAR AXIS
FOR EXAMPLE IN 3\*3 MATRIX THERE ARE 2 AXIS, ROW AXIS AND COLOUMNS AXIS therefore the shape of matrix is (3\*3)

## RANK AND AXIS FOR (2\*3) MATRIX IS

RANK IS 2 AS THERE ARE STILL ROWS AND COLOUMNS BUT THE SHAPE IS NOW (2\*3) WHERE THERE ARE TWO ROWS AND THREE COLOUMNS FIRST NUBER INDICATES NUMBER OF ROWS SECOND NUMBER INDICATE NUMBER OF COLOUMNS

## **SIZE**

SIZE is always multiplication of shape of the tensor so first find shape and multiply them Exception for scalar the size is always 1