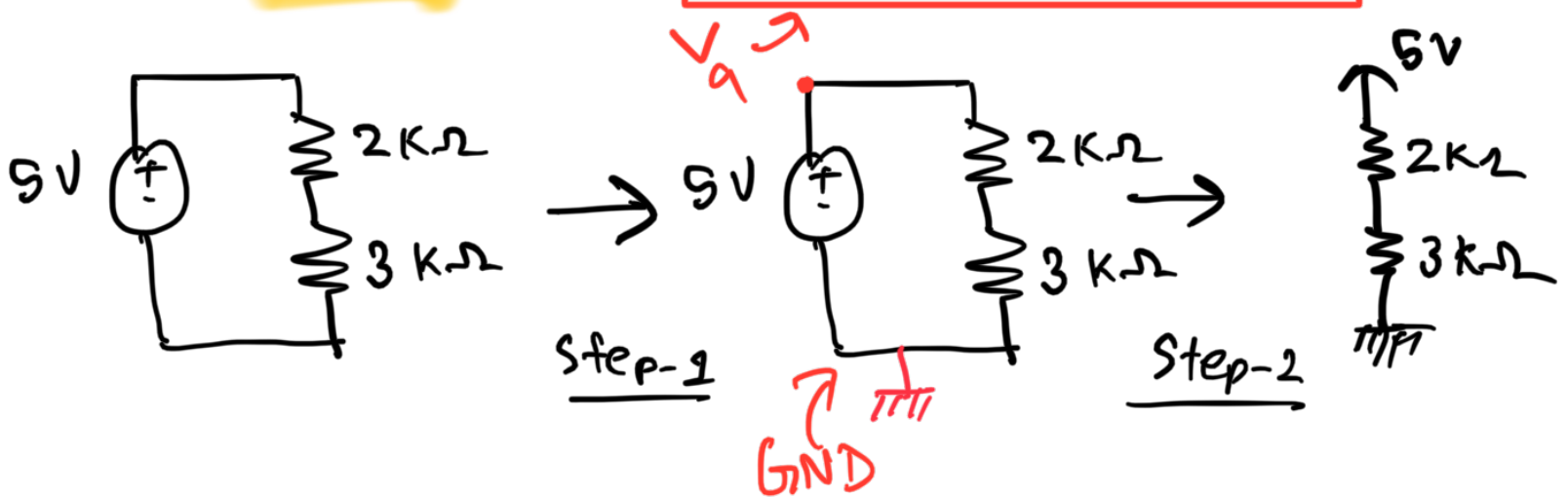


Alternative Circuit Representation

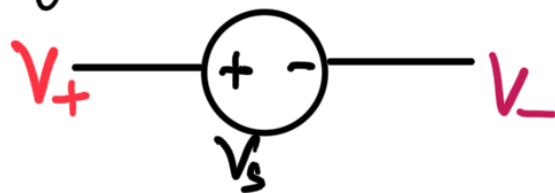
In this course, we will see some circuits being repeated over & over. Hence, a short-hand notation would be useful.

Idea: select one node as ground, then replace nodes with known voltages with an arrow.

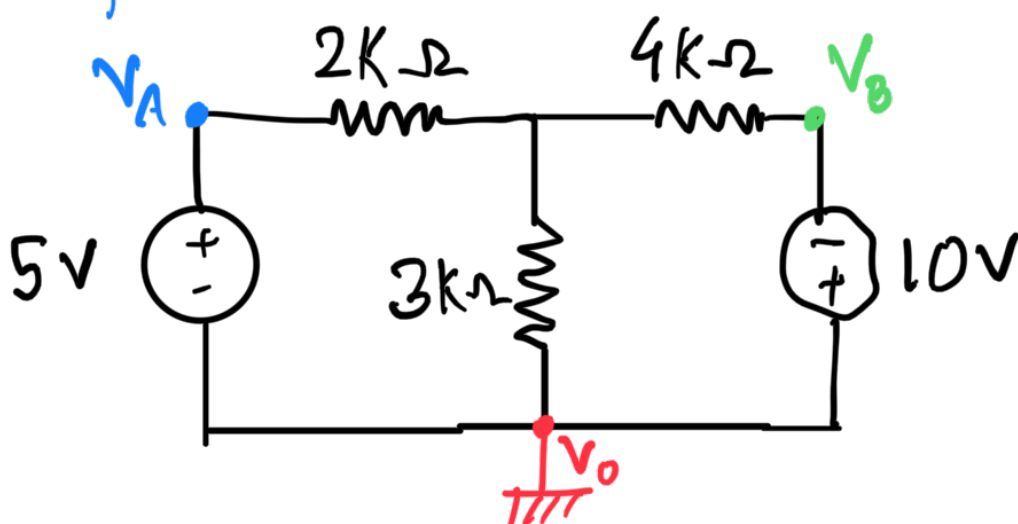
$$V_a - 0 = 5 \Rightarrow V_a = 5V$$



REMINDER: For voltage source, $V_+ - V_- = V_s$



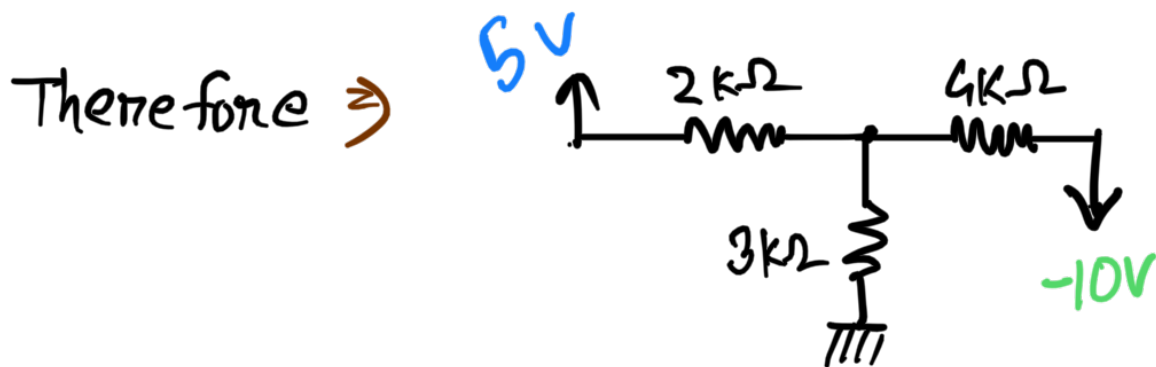
Example . 1



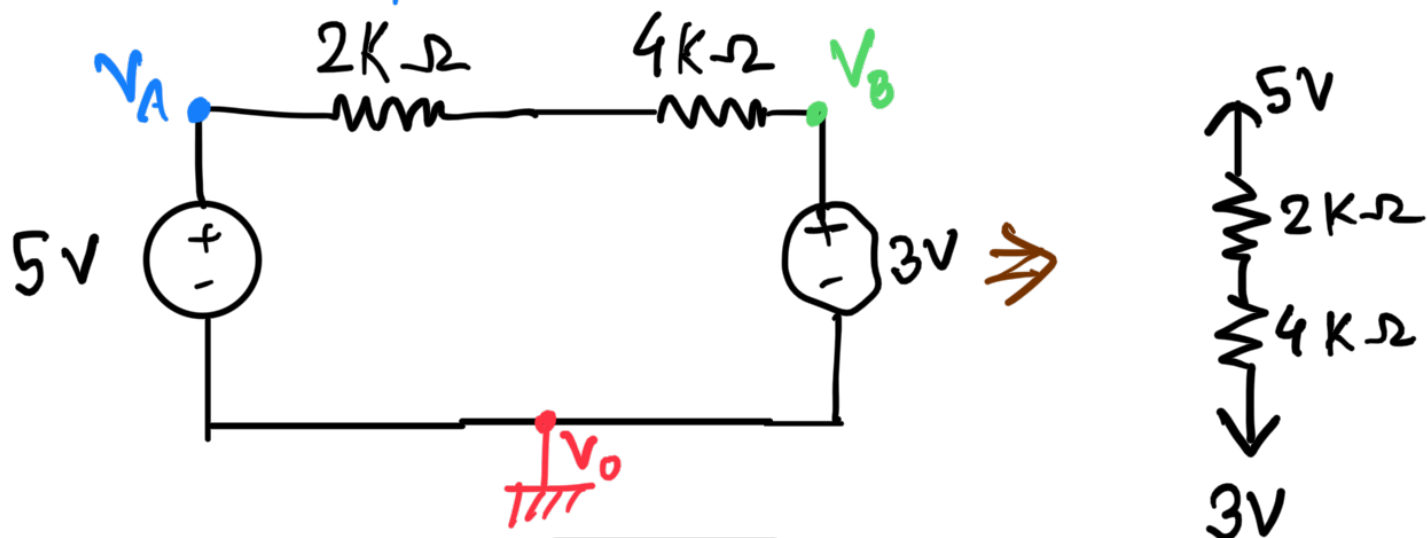
$$V_0 = 0V$$

for $5V \rightarrow V_A - V_0 = 5V \Rightarrow V_A = 5V$

for $10V \rightarrow V_0 - V_B = 10V \Rightarrow V_B = -10V$



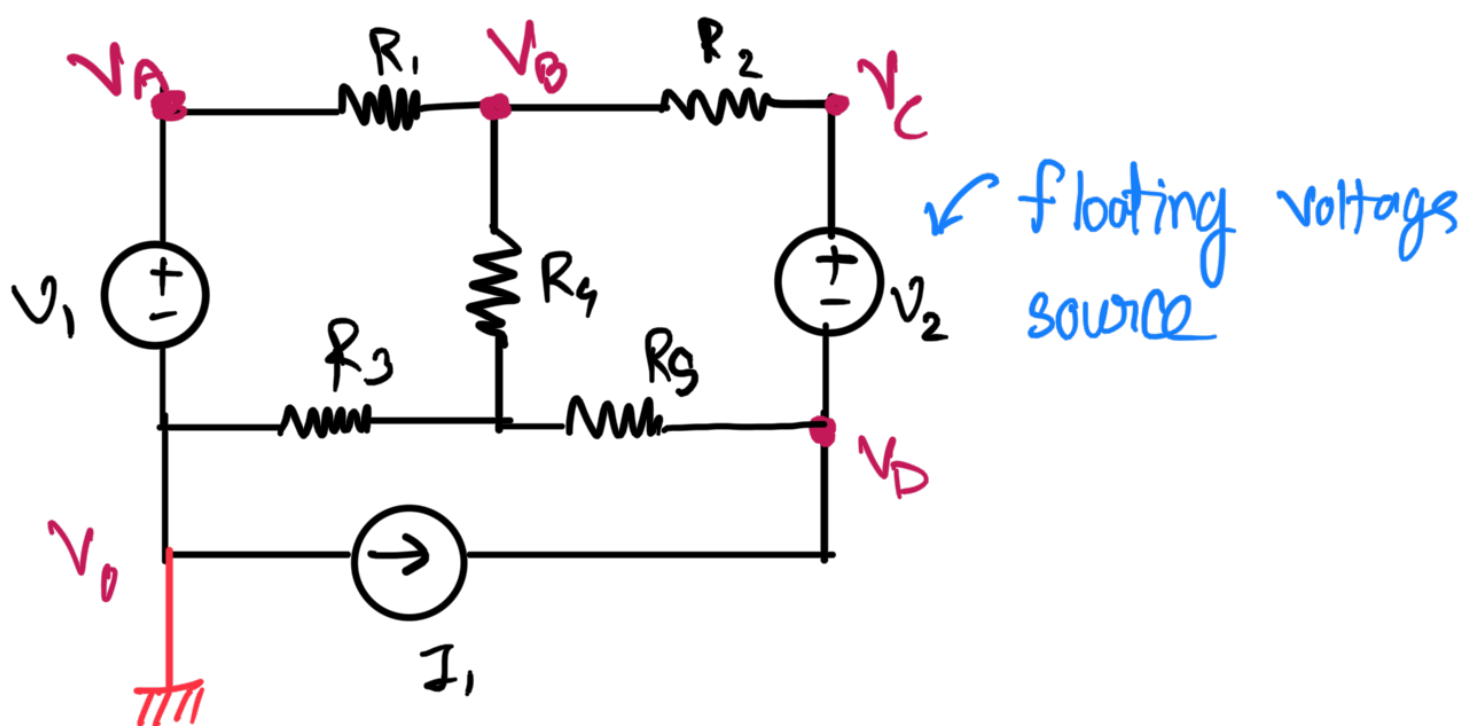
Example-2



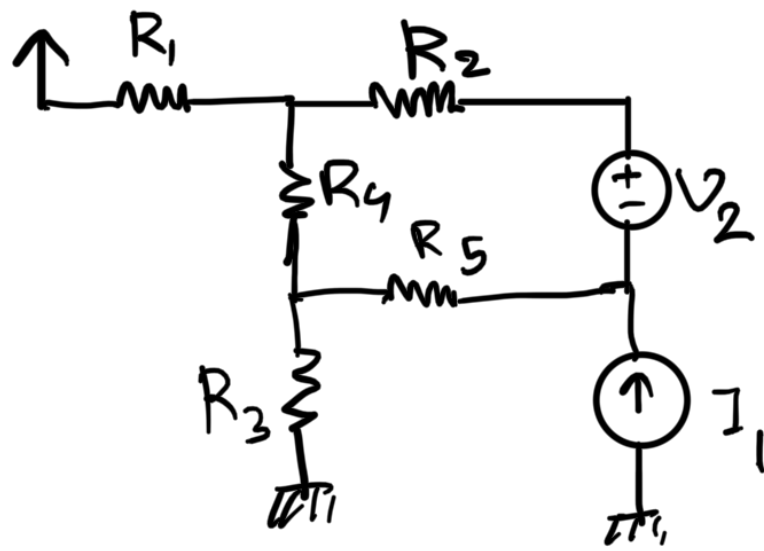
$$V_A - 0 = 5 \Rightarrow V_A = 5V$$

$$V_B - 0 = 3 \Rightarrow V_B = 3V$$

Example-3

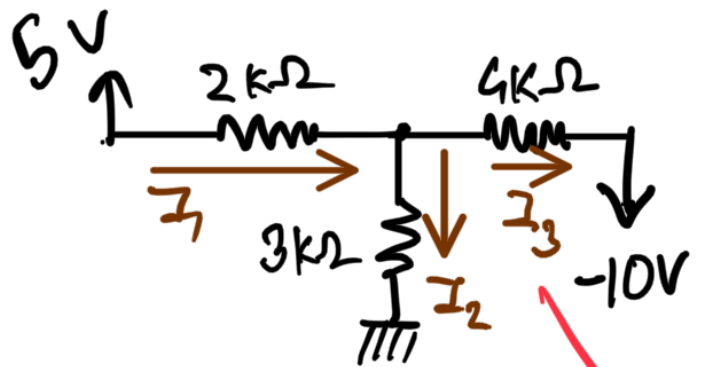
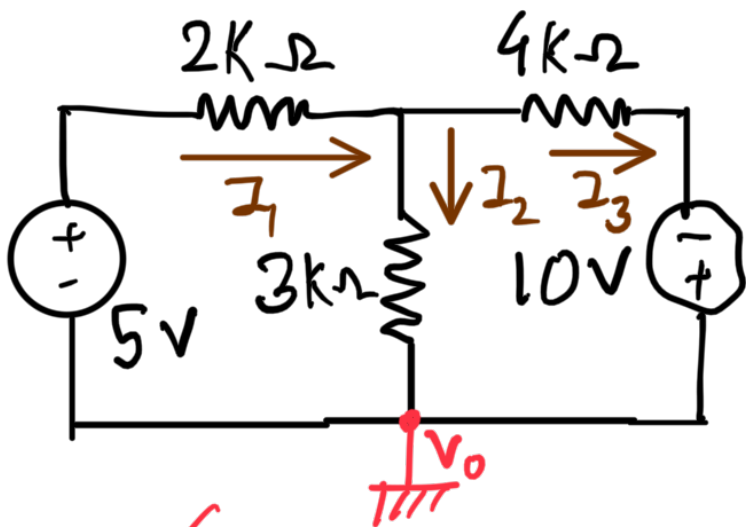


⇒



KCL in Alternative Representation

Same as in loop representation.



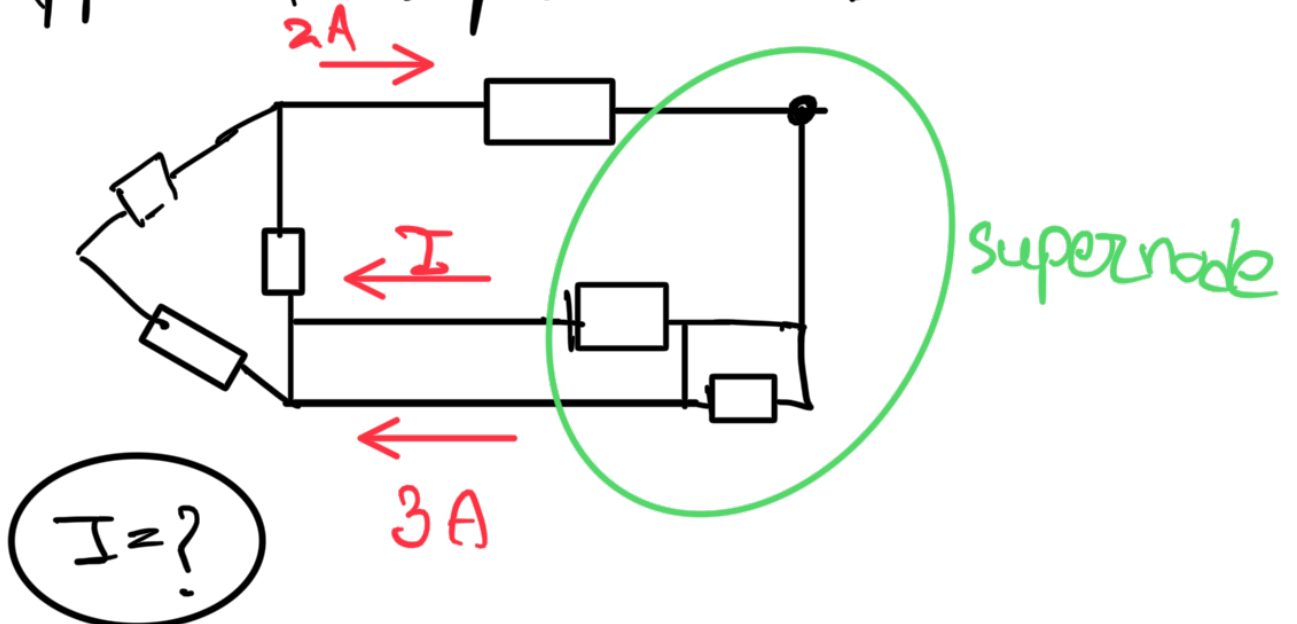
$$\sum_{\text{node}} I = 0$$

one convention ⇒
out = +ve
in = -ve

$$-I_1 + I_2 + I_3 = 0$$

$$-I_1 + I_2 + I_3 = 0$$

KCL applies to supernode too!



for the supernode,

2A incoming

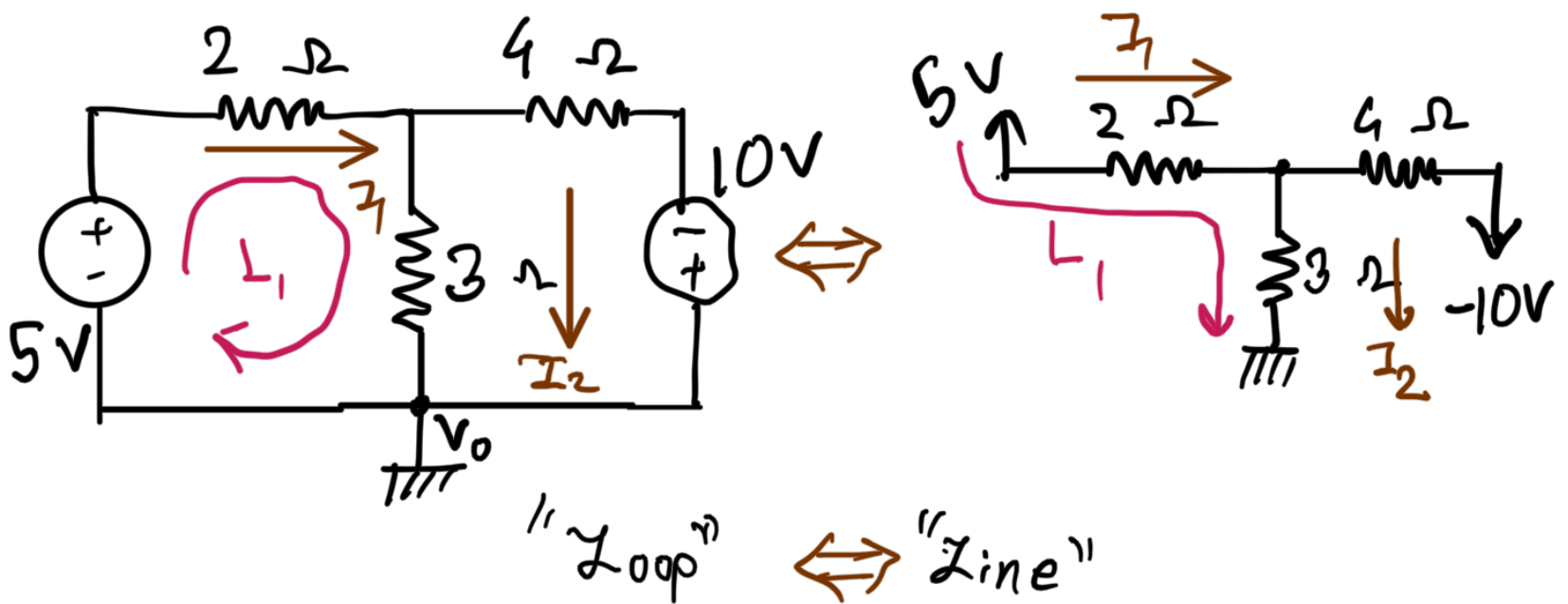
I outgoing

3A outgoing

Hence, $-2 + I + 3 = 0$

$$\Rightarrow I = -3 + 2 = -1 \text{ A}$$

KVL in Alternative Representation



$$\sum V = 0$$

along loop

$$\Leftrightarrow \sum = V_{\text{start}} - V_{\text{end}}$$

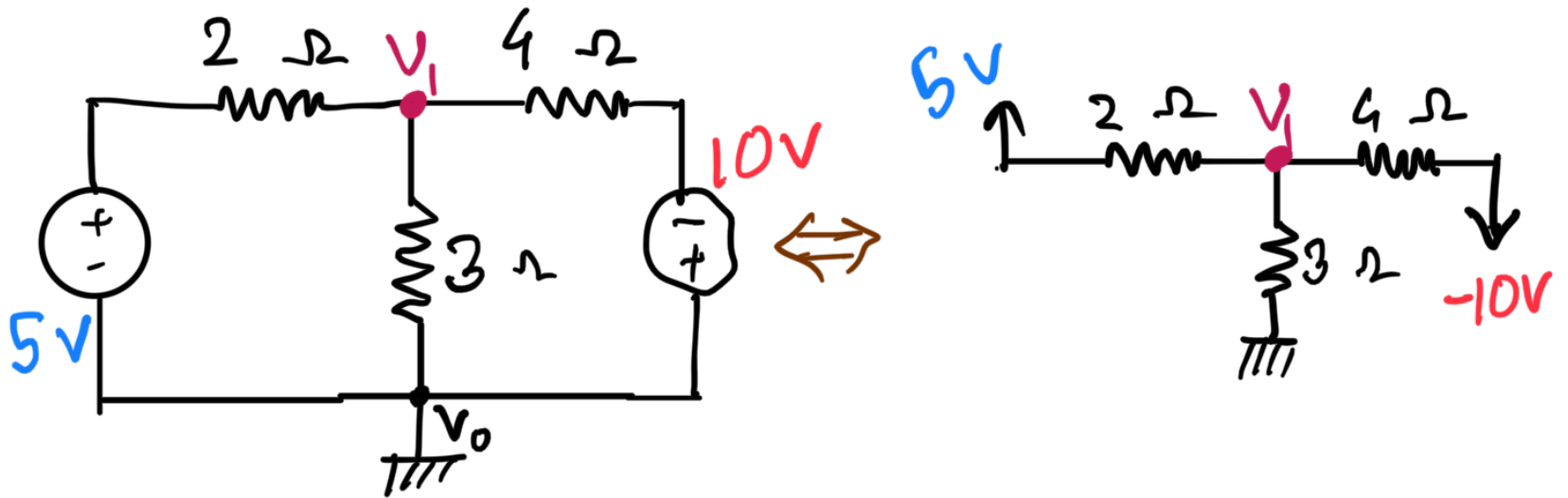
along line

$$2I_1 + 3I_2 - 5 = 0$$

$$\Leftrightarrow \underbrace{2I_1 + 3I_2}_{\text{sum of } V_s} = \underbrace{5}_{\text{V of start node}} - \underbrace{0}_{\text{V of end node}}$$

Nodal analysis in Alternative Representation

Same as in loop representation



$$V_1 \left(\frac{1}{2} + \frac{1}{3} + \frac{1}{4} \right) - \frac{5}{2} - \frac{-10}{4} = 0$$