

CSE 260 Lab Report

Experiment 2 : Applications of Boolean Algebra .

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1. Experiment name: Applications of Boolean Algebra.

2. Objective: 1. To investigate the rules of Boolean algebra.

2. To gain experience working with practical circuits.

3. To simplify a complex function using Boolean algebra.

3. Required components and Equipments:

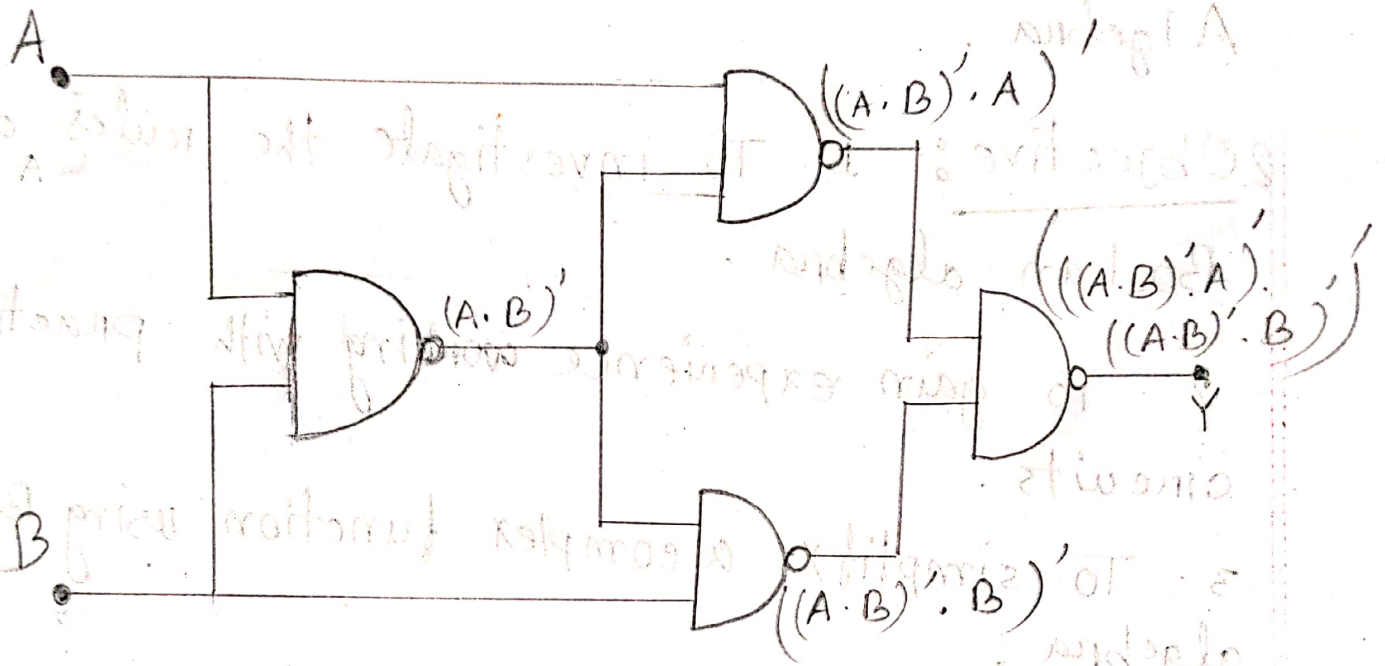
1. NAND Gate

2. Logic state (input)

3. Led - blue (output)

4. Ground.

4. Diagram of Circuit/ Experimental setup:



5. Results and Discussions:

Input					Output
A	B	$(AB)'$	$(A(AB)')'$	$(B(AB)')'$	Y
0	0	1	1	1	0
0	1	1	1	0	1
1	0	1	0	1	1
1	1	0	1	1	0

The Boolean equation of the output is ,

$$\left((A(AB)')' \cdot (B(AB)')' \right)'$$

simplifying the boolean equation using De Morgan's law,

$$\begin{aligned} & \left((A(AB)')' \cdot (B(AB)')' \right)' \\ = & \left((A(AB)')' \right)' + \left((B(AB)')' \right)' \quad [(AB)' = A' + B'] \\ = & A(AB)' + B(AB)' \quad [A'' = A] \\ = & A(A' + B') + B(A' + B') \\ = & (A \cdot A') + (AB') + (A'B) + (B \cdot B') \quad [A \cdot \bar{A} = 0] \\ = & AB' + A'B \\ = & A \oplus B \end{aligned}$$

∴ This is the simplified Boolean equation.

The circuit's function output represents XOR gate. Hence, it is identical to X-OR gate.