

FINAL

CSE 260

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Sec : 1 (NRT)

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2/30/16 10

Ans to the or no 1

Given,

$$F(A, B, C) = A'B'C' + A'B'C + AB'C + ABC' + ABC$$

$$= \sum (000, 001, 101, 110, 111)$$

$$= \sum (0, 1, 5, 6, 7)$$

Grouping :

Group 0 : {000}

Group A : {001}

Group B : {101, 110}

Group C : {111}

Tabulation table is given below :

Min	ABC	1
0	✓000	(0,1) 00-
1	✓001	(1,5) -01
5	✓011	(6,7) 11-
6	✓110	(5,7) 1-1
7	✓111	

Prime implicant chart from table :

	A B C	0	1	5	6	7
(0,1) 00 -	A'B'	(X)	X			
(1,5) - 01	B'C		X	X		
(6,7) 11 -	AB				(X)	(X)
(5,7) 1-1	AC			X		X

Answer in SOP:  $A'B' + B'C + AB$

Ans to the or no 2

Given, if  $A - 5 > 2B$  output 1

Let  $A - 5 = S_i$  ,  $2B = k_i$  ,  $i = 2, 3, 1, 0$   
 $S \odot K = \chi_i$

Circuit, ~~yes~~

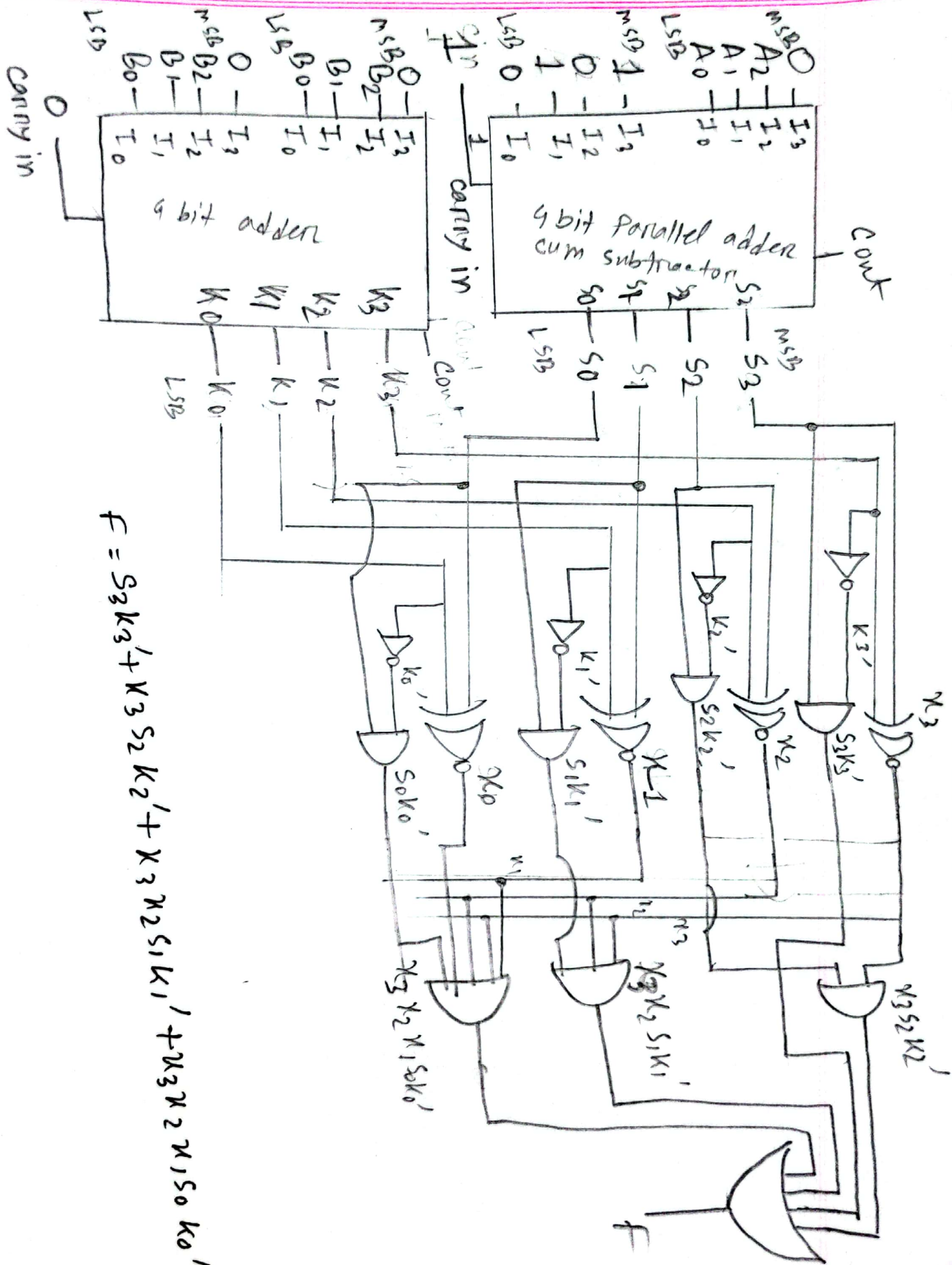
$$\gamma = S_2 k_2' + \chi_2 S_1 k_1' + \chi_2 \chi_1 S_0 k_0'$$

Here,  $A = A_2 A_1 A_0$  ,  $A_2$  being MSB  
 $A_0$  LSB

$B = B_2 B_1 B_0$  ,  $B_2 = \text{MSB}$ ,  
 $B_0 = \text{LSB}$

We know,  $(5)_{10} = (0101)_2 = (1010)_1$ 's complement

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Ans to the or no 3

Given:

$$F(A, B, C, D) = (A + B') \cdot (C + D')$$

$$= AC' + AD' + B'C' + B'D'$$

$$= AC'(B+B') + AD'(B+B') + B'C'(A+A') + B'D'(A+A')$$

[complement rule]

$$= ABC'(D+D') + AB'C'(D+D') + ABD'(C+C') + AB'D'(C+C')$$

$$+ AB'C'(D+D') + A'B'C'(D+D') + AB'D'(C+C') + A'B'D'(C+C')$$

[Distributive law, complement law]

$$= ABC'D + ABC'D' + AB'C'D + AB'C'D' + ABCD' + ABC'D' +$$

$$AB'CD' + AB'C'D' + AB'C'D + AB'C'D' + A'B'C'D + A'B'C'D'$$

$$+ AB'CD' + AB'C'D' + A'B'CD' + A'B'C'D'$$

[Distributive law]

$$= ABC'D + ABC'D' + AB'C'D + AB'C'D' + ABCD' +$$

$$AB'CD' + AB'C'D' + A'B'CD' + A'B'C'D'$$

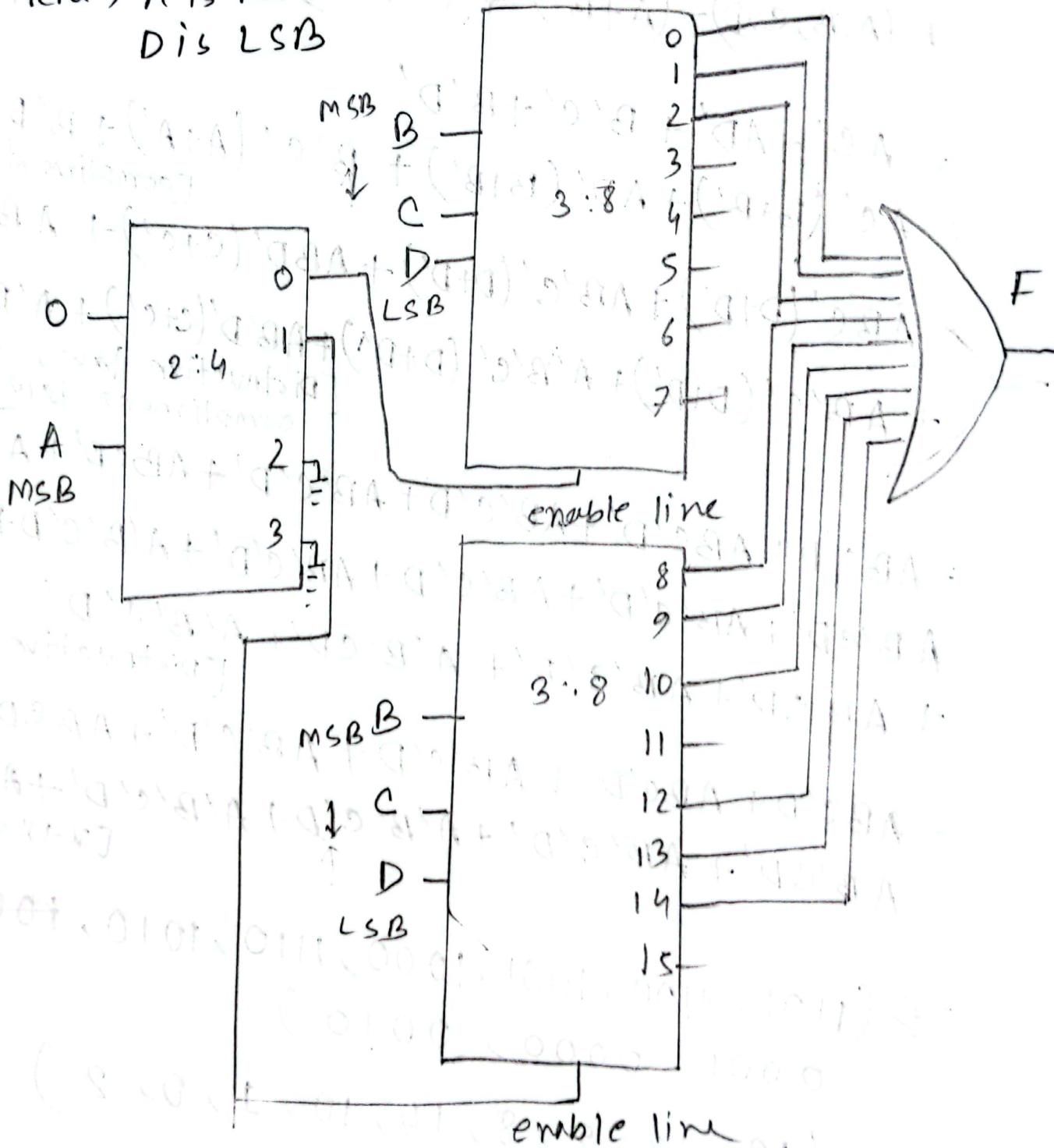
[x+x=x]

$$= \sum (1101, 1100, 1001, 1000, 1110, 1010, 1000, 0001, 0000, 0010)$$

$$= \sum (13, 12, 9, 8, 14, 10, 1, 0, 2)$$

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Our miniterms,  
 $F(A, B, C, D) = \sum (0, 1, 2, 8, 9, 10, 12, 13, 14)$   
 Here, A is MSB  
 D is LSB



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Ans to the or no. 4

Equations of the flip flop :

$$J_A = (A + K) B$$

$$K_A = B$$

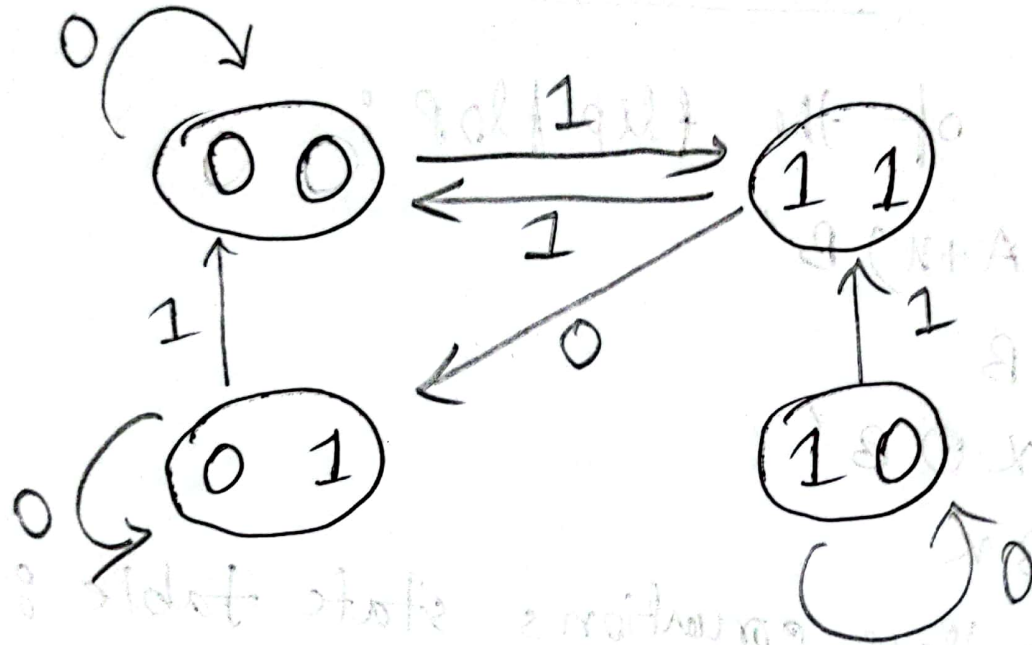
$$J_B = K \odot B$$

$$K_B = B K$$

Based on these equations state table :

A	B	K	$J_A$	$K_A$	$J_B$	$K_B$	$A+$	$B+$
0	0	0	0	0	0	0	0	0
0	0	1	1	0	1	0	1	1
0	1	0	0	1	1	0	0	1
0	1	1	0	1	0	1	0	0
1	0	0	1	0	0	0	1	0
1	0	1	1	0	1	0	1	1
1	1	0	0	1	1	0	0	1
1	1	1	0	1	0	1	0	0

state diagram is below :



	00	01	10	11
00	00	01	10	11
01	10	01	11	00
10	11	10	00	01
11	00	11	01	10