Week 3 Homework

Computer Programming Lab 2020/09/29

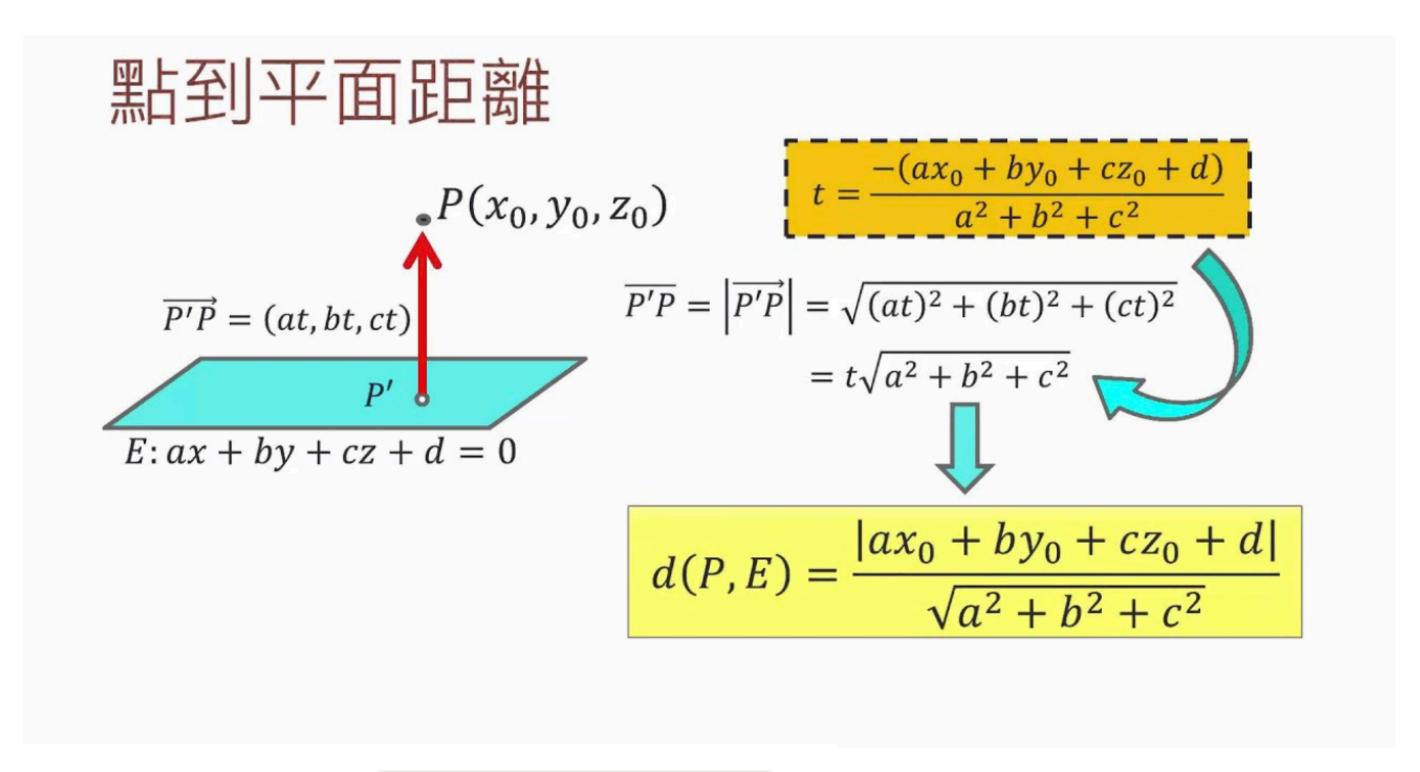
Remind

- 抄襲一律0分(包含被抄襲者)
- 繳交期限: 10/4(Sun.) 11:59 p.m.
- 繳交的檔案格式、名稱請符合以下規定
 - 請繳交 zip檔至 Ceiba作業區,名稱為 <student_id>.zip
 - 解壓縮後須符合下圖的格式、名稱
 - < <student_id>_1.cpp
 < <student_id>_2.cpp
 - e.g. r09921051.zip
- 必須完成 Demo 才可以提早離開
- 若沒有完成 Demo 就中途早退,視同缺席

Problem 1 - The distance from a point to a plane (1%)

Description

Given a plane and a point in \mathbb{R}^3 , calculate the distance from the point to the plane.



Hint: You can use library #include <cmath>

Problem 1 - The distance from a point to a plane (1%)

Input

The first line contains four integers a, b, c, d separated by a single space, indicates the parameters of the equation for the plane ax + by + cz + d = 0.

The second line contains three integers x_0, y_0, z_0 separated by a single space, indicate a point (x_0, y_0, z_0) .

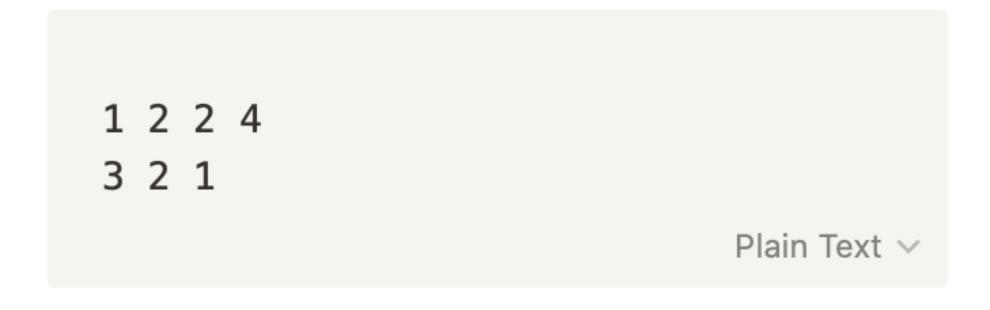
Output

The distance from the point (x_0,y_0,z_0) to the plane ax+by+cz+d=0 .

The output value should be a floating-point number and have exactly two digit after the decimal point.

Problem 1 - The distance from a point to a plane (1%)

Sample Input



Sample Output

4.33
Plain Text >

File Name

{Student_ID}_1.cpp

Description

Vector addition and scalar multiplication

In \mathbb{R}^3 , a vector $\mathbf{v}=(v_1,v_2,v_3)$ is a three tuple that follow certain algebraic properties where $v_i\in\mathbb{R}$ for all $i\in\{1,2,3\}$. We can perform vector addition and scalar multiplication on vectors. To be precise, let $\mathbf{v}=(v_1,v_2,v_3)$ and $\mathbf{w}=(w_1,w_2,w_3)$ be two vectors, and $\alpha\in\mathbb{R}$ be a real scalar. Then the vector addition is defined to be

$$\mathbf{v} + \mathbf{w} := (v_1 + w_1, v_2 + w_2, v_3 + w_3),$$

and the scalar multiplication is defined to be

$$lpha \mathbf{v} := (lpha v_1, lpha v_2, lpha v_3).$$

Note that both vector addition and scalar multiplication returns vectors. Here we want to write a program that takes two vectors $\mathbf{v}=(v_1,v_2,v_3)$ and $\mathbf{w}=(w_1,w_2,w_3)$, and a scalar α , and then return the vector addition and scalar multiplication.

Description

Inner product

The inner product of $\mathbf{v}=(v_1,v_2,v_3)$ and $\mathbf{w}=(w_1,w_2,w_3)$ is defined to be

$$\mathbf{v} \cdot \mathbf{w} := v_1 w_1 + v_2 w_2 + v_3 w_3.$$

Cross product

The cross product of $\mathbf{v}=(v_1,v_2,v_3)$ and $\mathbf{w}=(w_1,w_2,w_3)$ is defined to be

$$\mathbf{v} imes \mathbf{w} := egin{bmatrix} v_2 & v_3 \ w_2 & w_3 \end{pmatrix}, egin{bmatrix} v_3 & v_1 \ w_3 & w_1 \end{pmatrix}, egin{bmatrix} v_1 & v_2 \ w_1 & w_2 \end{pmatrix}$$

where $\begin{vmatrix} a & b \\ c & d \end{vmatrix}$ is defined as ad-bc.

Input

We need two vectors \mathbf{v} and \mathbf{w} , and a scalar $\alpha \in \mathbb{R}$ for inputs, and thus there will be three lines. For simplicity, we assume all numbers are integers. The first line consists of three integers for $\mathbf{v}=(v_1,v_2,v_3)$. The second line also consists of three integers for $\mathbf{w}=(w_1,w_2,w_3)$. Finally, the third line consists of a singel integer. Numbers in the same line should be separated by whitespaces.

Sample input



Sample Output

```
5 7 9
100 200 300
400 500 600
32
-3 6 -3
```

Output

The output consists of five lines:

- The first line: the vector addition of v and w, which consists of three integers seperated by whitespaces
- The seconde line: the scalar multiplication of \mathbf{v} by α , which consists of three integers seperated by whitespaces
- The third line: the scalar multiplication of \mathbf{w} by α , which consists of three integers separated by whitespaces
- The fourth line: the inner product $\mathbf{v} \cdot \mathbf{w}$, which is an integer
- The fifth line: the cross product $\mathbf{v} \times \mathbf{w}$, which consists of three integers seperated by whitespaces

Sample input



Sample Output

```
5 7 9
100 200 300
400 500 600
32
-3 6 -3
```

File Name

{Student_ID}_2.cpp

常見問題

- 不需輸出於 sample output 沒有的字串
 e.g. "Enter the first vector", "The answer is:"
- zip檔解壓縮後應直接為cpp檔案,不需再包一層資料夾
- 學號的第一個字母請小寫 e.g. b12345678