Question 1 (5 Marks)

Show that a standard artificial neuron with the activation function as a generic threshold function is a special case of the stochastic artificial neuron.

## Question 2 (9 Marks)

Obtain the objective function to be minimized in order to find the maximum log-likelihood estimate of linear regression parameters when the intrinsic zero-mean random error of the model follows the Laplacian distribution. Assume the I.J.D. property as required properly mentioning it.

Note: a landarian random wardable  $\gamma$  with mean  $\gamma$  by the P.D.S.  $\gamma_0^2 = \frac{1}{2\pi} \gamma_0^2 \left(\frac{1-2}{2\pi} \gamma_0^2\right)$ 

Note: a Laplacian random variable x with mean  $\mu$  has the PDF:  $p(x) = \frac{1}{2\sigma} \exp\left(-\frac{|x-\mu|}{\sigma}\right)$ .

Question 3 (6 Marks)

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While instantaneous training of an LMS algorithm yielding y(n) at the time n using K number of weights  $(\overline{w}(n) = [w_1(n), w_2(n), \dots, w_K(n)])$ , the cost function used was:

 $\frac{1}{2}e^2(n) + \beta(\|\overrightarrow{w}(n)\|_2)^2, \text{ with } e(n) = d(n) - y(n)$ 

where d(n) is the ideal output and  $\|\vec{a}\|_2 = \sqrt{(\Sigma_n^K, n_n^2)}$  represents the Euclidean norm of  $\vec{a}$ . What was the update expression for the  $k^{th}$  weight from time n to n+1? Suitable approximations, if required, may be taken with proper justification, to the find the above.