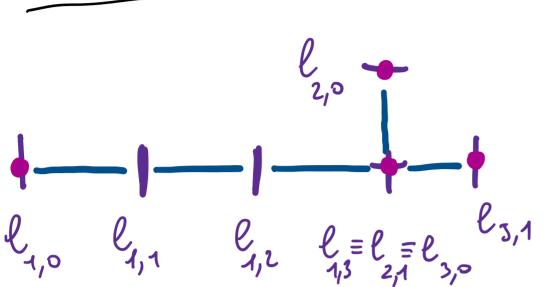
$m_1$   $e_2$   $m_2e_3$   $m_4$   $e_4$ 

e; jehn,..,  $E_3$  E=3 EDYESm; iehn,..,  $E_3$  N=4 NSES



¥ jeh1, .., =4

lj,m ∈ [0, Lj] mcho,..., Hj-13 SI NOTI ∏1=4 ∏2=∏3=2

OILA X CLASCUN APPO i AVRO LA GUCENTILAZIONE DELLA OX CAPAMENTE AL PAID TK

C: NB OMETO & PER NOV APPESANTINE, Y XELI..., M}

X CLASCON PIPE ; AL PUND M DISCUED AND LA X GNUENTAZONE AL PAID TX

< (n)

QUINSI DE INCGNITE SUO AS SCHI ISTANTE TU

- c; \dagger \cdot \cdo
- · c(u) ∀ j ∈ £1,..., €3 ∀ m ∈ £0,..., Mj-13

LE EQUATIONI CUE DEM NISUETE SONS

$$\begin{cases}
\frac{\partial c_{j}}{\partial t} + \sigma \frac{\partial c_{j}}{\partial x} = 0 & \forall j \in \{1, ..., \overline{t}\} \\
\frac{\partial}{\partial t} + \sigma \frac{\partial c_{j}}{\partial x} = 0 & \forall j \in \{1, ..., \overline{t}\} \\
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on says we schem where the  $\frac{\partial}{\partial x}(\cdot) \in \frac{\partial}{\partial x}(\cdot)$ .