Q1. Chapter 2, Section 2.4, Question 3 (pp. 74-75 43 of your textbook).

```
1 public void trash (int x) 15 public int takeOut (int a, int b)
2 {
                           16 {
                           17 int d, e;
3
    int m, n;
4
                           18
                           19 d = 42*a;
5 m = 0;
                          20 if (a > 0)
6 if (x > 0)
                                 e = 2*b+d:
      m = 4:
                          21
7
8 if (x > 5)
                          22 else
  n = 3*m:
                                 e = b+d:
                          23
9
    else
                          24 return (e);
10
                          25 }
11 n = 4*m:
12 int o = takeOut (m, n);
    System.out.println ("o is: " + o);
13
14 }
```

- (a) Call sites: line 12. trash() -> takeOut()
- (b) All pairs of last-def and first-uses:

	Last-def	First-uses
1	(trash(),m,5)	(takeOut(),a,19)
2	(trash(),m,7)	(takeOut(),a,19)
3	(trash(),n,9)	(takeOut(),b,21)
4	(trash(),n,9)	(takeOut(),b,23)
5	(trash(),n,11)	(takeOut(),b,21)
6	(trash(),n,11)	(takeOut(),b,23)
7	(takeOut(),e,21)	(trash(),o,13)
8	(takeOut(),e,23)	(trash(),o,13)

(c) Test input x <=0 (for example, x=0)satisfies TR 1, 6, 8.
 Test input x > 5 (for example, x=6) satisfies TR 2, 3, 7.
 Test input 1<=x <=5 (for example=3) satisfies TR 2,5,7.

TR 4 can not be satisfied because if x>5, m=4 and n=12, calling takeout(4,12), making a in takeOut always >0 – forcing line 23 to never be called for last-def ((trash(),n,9)).

Q2. Chapter 2, Section 2.5, Question 2 (page 87 of your textbook).

(a) 4 states:

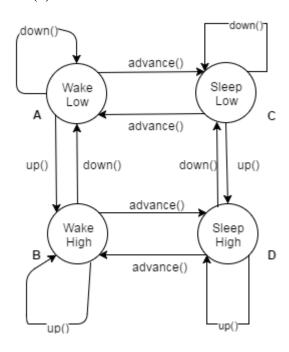
 $A = \{Wake, Low\}$

 $B = \{Wake, High\}$

 $C = \{Sleep, Low\}$

 $D = \{Sleep, High\}$

(b)



(c)

Edge coverage TR =

1	(A,A)	5	(B,D)	9	(C,D)	
2	(A,B)	6	(D,B)	10	(C,C)	
3	(B,A)	7	(D,D)	11	(C,A)	
4	(B,B)	8	(D,C)	12	(A,C)	

Test case = $\{2,4,5,7,6,3,1,12,9,8,10,11\}$ satisfies edge coverage on the FSM. The sequence of calls from state A (Wake, Low) is

 $\begin{array}{l} up() \rightarrow up() \rightarrow advance() \rightarrow up() \rightarrow advance() \rightarrow down() \rightarrow advance() \rightarrow up() \\ \rightarrow down() \rightarrow down() \rightarrow advance() \ . \end{array}$

This sequence of calls ensure that the thermostat returns to the same state (before the test) after the test sequence ends.

Q3. Chapter 3, Section 3.2; do parts (a)-(h) for the predicate in Question 7 (page 119 of your textbook).

```
p = (a \lor b) \land (c \lor d)
      a) Clauses: a, b, c, d
      b) p_a = p_{a=true} \oplus p_{a=false}
                = (true \lor b) \land (c \lor d) \oplus (false \lor b) \land (c \lor d)
                = (true) \land (c \lor d) \oplus (b) \land (c \lor d)
                = (c \lor d) \oplus (b) \land (c \lor d)
                = \neg b \land (c \lor d)
            p_b = p_{b=true} \oplus p_{b=false}
                = (a \lor true) \land (c \lor d) \oplus (a \lor false) \land (c \lor d)
                = (true) \land (c \lor d) \oplus (a) \land (c \lor d)
                = (c \lor d) \oplus (a) \land (c \lor d)
                = \neg a \land (c \lor d)
            p_c = p_{c=true} \oplus p_{c=false}
                = (a \vee b) \wedge (true \vee d) \oplus (a \vee b) \wedge (false \vee d)
                = (a \vee b) \wedge (true) \oplus (a \vee b) \wedge (d)
                = (a \lor b) \oplus (a \lor b) \land (d)
                = \neg d \land (a \lor b)
            p_d = p_{d=true} \oplus p_{d=false}
                = (a \vee b) \wedge (c \vee true) \oplus (a \vee b) \wedge (c \vee false)
                = (a \vee b) \wedge (true) \oplus (a \vee b) \wedge (c)
                = (a \lor b) \oplus (a \lor b) \land (c)
```

 $= \neg c \land (a \lor b)$

c)	Truth	Table	e:

	a	b	c	d	$p_a = \neg b \land (c \lor d)$	$p_b = \neg a \land (c \lor d)$	$p_c = \neg d \land (a \lor b)$	$p_d = -c \wedge (a \vee b)$	$p = (a \lor b) \land (c \lor)$
					10/1(C Va)	<i>un(cva)</i>	·u/\(u \v \b)	ich(av b)	$\begin{pmatrix} (d \lor b) \land (c \lor d) \\ d \end{pmatrix}$
1	T	T	T	T	F	F	F	F	T
2	T	T	T	F	F	F	T	F	T
3	T	T	F	T	F	F	F	T	T
4	T	T	F	F	F	F	T	T	F
5	T	F	T	T	T	F	F	F	T
6	T	F	T	F	T	F	T	F	T
7	T	F	F	T	T	F	F	T	T
8	T	F	F	F	F	F	T	T	F
9	F	T	T	T	F	T	F	F	T
10	F	T	T	F	F	T	T	F	T
11	F	T	F	T	F	T	F	T	T
12	F	T	F	F	F	F	T	T	F
13	F	F	T	T	T	T	F	F	F
14	F	F	T	F	T	T	F	F	F
15	F	F	F	T	T	T	F	F	F
16	F	F	F	F	F	F	F	F	F

- d) With respect to clause a, GACC pairs are = $\{5,6,7\}x\{13,14,15\}$ With respect to clause b, GACC pairs are = $\{9,10,11\}x\{13,14,15\}$ With respect to clause c, GACC pairs are = $\{2,6,10\}x\{4,8,12\}$ With respect to clause d, GACC pairs are = $\{3,7,11\}x\{4,8,12\}$
- e) With respect to clause a, CACC pairs are = $\{5,6,7\}x\{13,14,15\}$ With respect to clause b, CACC pairs are = $\{9,10,11\}x\{13,14,15\}$ With respect to clause c, CACC pairs are = $\{2,6,10\}x\{4,8,12\}$ With respect to clause d, CACC pairs are = $\{3,7,11\}x\{4,8,12\}$
- f) With respect to clause a, RACC pairs are = (5,13),(6,14),(7,15) With respect to clause b, RACC pairs are = (9,13),(10,14),(11,15) With respect to clause c, RACC pairs are = (2,4),(6,8),(10,12) With respect to clause d, RACC pairs are = (3,4),(7,8),(11,12)
- g) With respect to clause A, GICC 4-tuples are = $\{1,2,3\}x\{9,10,11\}x\{4,8\}x\{12,16\}$ With respect to clause B, GICC 4-tuples are = $\{1,2,3\}x\{5,6,7\}x\{4,12\}x\{8,16\}$ With respect to clause C, GICC 4-tuples are = $\{1,5,9\}x\{3,7,11\}x\{13,14\}x\{15,16\}$ With respect to clause D, GICC 4-tuples are = $\{1,5,9\}x\{2,6,10\}x\{13,15\}x\{14,16\}$

```
h) With respect to clause A, RICC 4-tuples are = \{(1,9),(2,10),(3,11)\}\mathbf{x}\{(4,12),(8,16)\}
With respect to clause B, RICC 4-tuples are = \{(1,5),(2,6),(3,7)\}\mathbf{x}\{(4,8),(12,16)\}
With respect to clause C, RICC 4-tuples are = \{(1,3),(5,7),(9,11)\}\mathbf{x}\{(13,15),(15,16)\}
With respect to clause D, RICC 4-tuples are = \{(1,2),(5,6),(9,10)\}\mathbf{x}\{(13,14),(15,16)\}
```

Q4. Chapter 3, Section 3.3, Question 2 (page 130 of your textbook).

```
public String twoPred(int x, int y)
                                        //line 1
                                        //line 2
                                        //line 3
        boolean z;
        if(x < y)
                                        //line 4
                                        //line 5
               z=true;
                                        //line 6
        else
                z = false;
                                        //line 7
       if(z && x+y==10)
                                        //line 8
               return "A";
                                        //line 9
                                        //line 10
        else
                                        //line 11
               return "B";
                                        //line 12
}
```

From line 3 and 4, the truth value of z depends on the predicate p=(x< y) on line 4.

```
If x < y == true, z = true and if x < y == false, z = false.
```

So, predicate at line 8 can be written as p = (x < y) & (x+y==10).

Say,

(x<y) is clause a

And

(x+y==10) is clause **b**

So, predicate at line 8, p = a&&b.

```
Now, \mathbf{p_a} (a major clause) = (true &&b) \oplus(false &&b) = b\oplusfalse = b.
```

And similarly, \mathbf{p}_b (a major clause) = a.

So, RACC truth table for p,

a	b	
T	T	a major clause
F	T	
T	T	b major clause
T	F	

From this truth table, we can see that there are three unique clause combinations to satisfy RACC, (a,b)=(T,T),(T,F),(F,T)

a(x < y)	b(x+y==10)	possible value for x	Possible value for y	Test
T	T	3	7	twoPred(3,7)
T	F	3	8	twoPred(3,8)
F	T	7	3	twoPred(7,3)

So, for **RACC**, test cases are twoPred(3,7), twoPred(3,8), twoPred(7,3).

RICC:

For RICC, major clauses will not determine p.

We have already seen from RACC that when a is major clause, only b = true will make this clause determine p. If b=false, a will not determine p=a&&b.

For b=false, RICC will have no feasible pair for p=true. The truth table is

a	b	P
t	f	F
f	f	F

Similarly, when b is major clause, only a=true will make this clause determine p. If a = false, major clause b will be inactive.

For a=false, the truth table is

a	b	p
f	t	f
f	f	f

Similar to b=false, when a=false, RICC will have no feasible pair for p=true.

From these two truth tables, we see that the combinations $(a,b)=\{(t,f),(f,t),(f,f)\}$ satisfy the RICC requirements.

a(x <y)< th=""><th>b(x+y==10)</th><th>possible value for x</th><th>Possible value for y</th><th>Test</th></y)<>	b(x+y==10)	possible value for x	Possible value for y	Test
t	f	3	8	twoPred(3,8)
f	t	7	3	twoPred(7,3)
f	F	7	5	twoPred(7,5)

So, for RICC, test cases are twoPred(7,5), twoPred(3,8), twoPred(7,3).

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