휴리스틱 원툴팀

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## 1 Setting

```
#include <bits/stdc++.h>
using namespace std;
#define for1(s, e) for(int i = s; i < e; i++)</pre>
#define for1j(s, e) for(int j = s; j < e; j++)
#define forEach(k) for(auto i : k)
#define forEachj(k) for(auto j : k)
#define sz(vct) vct.size()
#define all(vct) vct.begin(), vct.end()
#define sortv(vct) sort(vct.begin(), vct.end())
#define uniq(vct) sort(all(vct));vct.erase(unique(all(vct)), vct.end())
#define fi first
#define se second
#define INF (111 << 6011)
typedef unsigned long long ull;
typedef long long 11;
typedef ll llint;
typedef unsigned int uint;
typedef unsigned long long int ull;
typedef ull ullint;
typedef pair<int, int> pii;
typedef pair<ll, ll> pll;
typedef pair<double, double> pdd;
typedef pair<double, int> pdi;
typedef pair<string, string> pss;
typedef vector<int> iv1;
typedef vector<iv1> iv2;
typedef vector<ll> llv1;
typedef vector<llv1> 11v2;
typedef vector<pii> piiv1;
typedef vector<piiv1> piiv2;
typedef vector<pll> pllv1;
typedef vector<pllv1> pllv2;
typedef vector<pdd> pddv1;
typedef vector<pddv1> pddv2;
const double EPS = 1e-8;
const double PI = acos(-1);
```

```
template<typename T>
T  sq(T  x)  \{ return  x  *  x;  \}
int sign(ll x) { return x < 0 ? -1 : x > 0 ? 1 : 0; }
int sign(int x) { return x < 0 ? -1 : x > 0 ? 1 : 0; }
int sign(double x) { return abs(x) < EPS ? 0 : x < 0 ? -1 : 1; }
void solve() {
}
int main() {
  ios::sync_with_stdio(0);
  cin.tie(NULL);cout.tie(NULL);
  int tc = 1; // cin >> tc;
  while(tc--) solve();
   Math
typedef long long 11;
typedef unsigned long long ull;
// calculate lg2(a)
inline int lg2(ll a) {
    return 63 - __builtin_clzll(a);
}
// calculate the number of 1-bits
inline int bitcount(ll a) {
    return __builtin_popcountll(a);
// calculate ceil(a/b)
// |a|, |b| <= (2^63)-1 (does not dover -2^63)
ll ceildiv(ll a, ll b) {
    if (b < 0) return ceildiv(-a, -b);</pre>
    if (a < 0) return (-a) / b;
    return ((ull)a + (ull)b - 1ull) / b;
}
// calculate floor(a/b)
// |a|, |b| \le (2^63) - 1  (does not cover -2^63)
11 floordiv(ll a, ll b) {
    if (b < 0) return floordiv(-a, -b);</pre>
    if (a >= 0) return a / b;
    return -(11)(((ull)(-a) + b - 1) / b);
}
// calculate a*b % m
// x86-64 onlv
11 large_mod_mul(l1 a, l1 b, l1 m) {
    return 11(( int128)a*( int128)b%m);
```

```
}
// calculate a*b % m
// |m| < 2^62, x86 available
// O(Logb)
ll large mod mul(ll a, ll b, ll m) {
    a \% = m; b \% = m; 11 r = 0, v = a;
    while (b) {
        if (b\&1) r = (r + v) \% m;
        b >>= 1;
        v = (v << 1) \% m;
    return r;
}
// calculate n^k % m
11 modpow(11 n, 11 k, 11 m) {
   ll ret = 1;
   n %= m;
    while (k) {
        if (k & 1) ret = large_mod_mul(ret, n, m);
        n = large_mod_mul(n, n, m);
        k /= 2;
   }
    return ret;
}
// calculate gcd(a, b)
11 gcd(ll a, ll b) {
    return b == 0 ? a : gcd(b, a % b);
}
// find a pair (c, d) s.t. ac + bd = qcd(a, b)
pair<ll, ll> extended_gcd(ll a, ll b) {
   if (b == 0) return { 1, 0 };
    auto t = extended_gcd(b, a % b);
    return { t.second, t.first - t.second * (a / b) };
}
// find x in [0,m) s.t. ax === gcd(a, m) \pmod{m}
11 modinverse(ll a, ll m) {
    return (extended_gcd(a, m).first % m + m) % m;
}
// calculate modular inverse for 1 ~ n
void calc_range_modinv(int n, int mod, int ret[]) {
    ret[1] = 1;
    for (int i = 2; i <= n; ++i)
        ret[i] = (11)(mod - mod/i) * ret[mod%i] % mod;
}
```

## B Data Structure