

Does Skill Abundance Still Matter?

The Evolution of Comparative Advantage in the 21st Century

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November 11, 2024

Skill Abundance and Comparative Advantage

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 - Developing (Skill-Scarce) Countries—Specialize in Low-skill Intensive Sectors
 - ★ Keys for Patterns of Development (e.g., East Asian Miracles)
 - ★ Implications for Globalization, Technology, and Inequality

At a Glance: Skill Abundance and Comparative Advantage

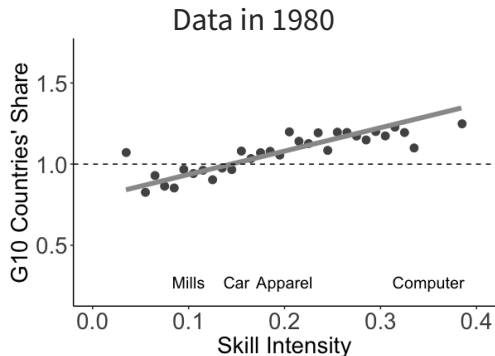
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G10's share of global exports in a sector divided by G10's share of total global exports

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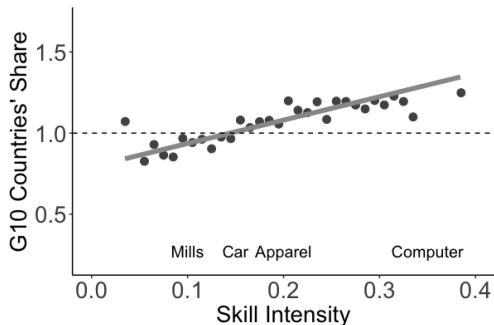
$$\text{G10's } RCA_s \equiv \frac{\frac{\text{G10 Export}_s}{\text{G10 Export}}}{\frac{\text{World Export}_s}{\text{World Export}}}$$

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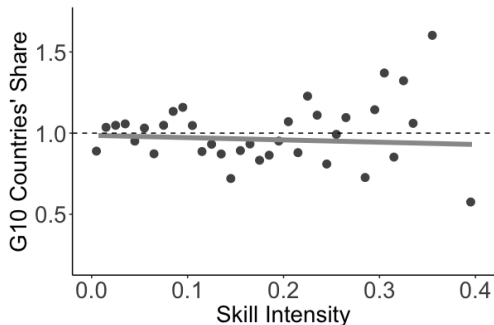
Revealed Comparative Advantage (RCA) in Skill Intensive Sectors:

G10's share of global exports in a sector divided by G10's share of total global exports

Data in 1980



Data in 2015



Research Questions

- Does skill abundance *systematically* no longer matter for comparative advantage?
- What forces can empirically and quantitatively explain the pattern?
 - Potential hypotheses: Automation, Offshoring
- What are the macro implications?
 - Manufacturing shares, Skill premia, Welfare

Preview (1/2) New Facts on Comparative Advantage

- Follow the literature's state-of-the-art specification
 - Based on a multi-sector Eaton-Kortum model (Chor 2010, Costinot et al 2012)

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- **Vanishing Importance of Skill Abundance in Comparative Advantage**
- **Heterogeneous declines** across groups of countries & sectors
 - More declines among groups of countries & sectors with more automation
 - No such heterogeneity from offshoring

Preview (2/2) Causes are Automation, Not Offshoring

- Theory: A multi-sector Eaton-Kortum model with automation & offshoring
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 - Shifts of manufacturing from South to North
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- Implications of Automation
 - Shifts of manufacturing from South to North
 - Increases in skill premia in North and welfare everywhere
- Implications of Offshoring
 - No big shift in manufacturing as a whole
 - Smaller changes in skill premia & welfare

Key Contributions

1. Sources of Comparative Advantage:

- Ricardian: MacDougall (1951), Stern (1962), Balassa (1963), Golub and Hsieh (2000), Nunn (2007), Levchenko (2007), Manova (2008), Costinot (2009), [Costinot et al \(2012\)](#)
- HO: Leamer (1980, 1984), Bowen et al (1987), Trefler (1993, 1995), Harrigan (1997), Davis & Weinstein (2001), Schott (2001), [Romalis \(2004\)](#), Morrow (2010), [Chor \(2010\)](#)
- Mean Reversion: Levchenko & Zhang (2016), Hanson et al (2016)

→ **New Facts: Skill Abundance Matter in 1980s, Not Anymore post-2000.**

2. Consequences of Technology and Globalization on Inequality:

Key Contributions

1. Sources of Comparative Advantage:

2. Consequences of Technology and Globalization on Inequality:

- Technology: Katz & Murphy (1992), Feenstra & Hanson (1999), Acemoglu (2002), Autor et al (2003), Acemoglu & Autor (2011), Autor & Dorn (2013), Acemoglu & Restrepo (2018,2022), Webb (2020), Loebbing (2021)
- Offshoring: Lawrence & Slaughter (1993), Berman et al (1994), Feenstra & Hanson (1997, 1999, 2001), Becker & Muendler (2014), Hummels et al (2014), Alfaro-Urena et al (2021)
- Interaction of Tech and Trade: Xu (2001), Acemoglu (2002), Thoenig & Verdier (2003), Burstein et al (2013), Parro (2013), Burstein & Vogel (2017), Morrow & Trefler (2022)

→ **Automation Changes Comparative Advantage and Big Effects on Inequality**

FACTS: DOES SKILL ABUNDANCE STILL MATTER?

Revealing Comparative Advantage: Refresher

- Multi-sector Eaton-Kortum Model (Chor (2010), Costinot et al (2012))

Exporter i , Importer j , Sector s : $\ln \text{Export}_{i,j,s} = - \underbrace{\theta}_{\text{Trade Elas.}} \underbrace{\ln c_{i,s}}_{\text{Unit Cost}} + \underbrace{\eta_{i,j} + \eta_{j,s}}_{\text{FEs}}$

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- Unit cost (α_s^H : Skill Intensity = the share of skilled labor payroll in value-added)

$$c_{i,s} = (w_i^H)^{\alpha_s^H} (w_i^L)^{1-\alpha_s^H} \rightarrow \ln c_{i,s} = \alpha_s^H \times \ln(w_i^H/w_i^L) + \ln w_i^L$$

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- If relative wage is some (log-linear) function of Skill Abundance $_i$,

$$\ln \text{Exports}_{i,j,s} = \beta [\text{Skill Intensity}_s \times \text{Skill Abundance}_i] + \eta_{i,j} + \eta_{j,s} + \varepsilon_{i,j,s}$$

- Canonical specification to reveal the source of comparative advantage

Skill Abundance as a Source of Comparative Advantage

Higher Exports in Skill-Intensive Goods from Skill-Abundant Countries?

$$\ln \text{Exports}_{i,j,s,t} = \beta_t [\text{Skill Intensity}_{s,t} \times \text{Skill Abundance}_{i,t}] + \eta_{i,j,t} + \eta_{j,s,t} + \varepsilon_{i,j,s,t},$$

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- Expect $\beta_t > 0$: Skill-abundant countries export skill-intensive goods more

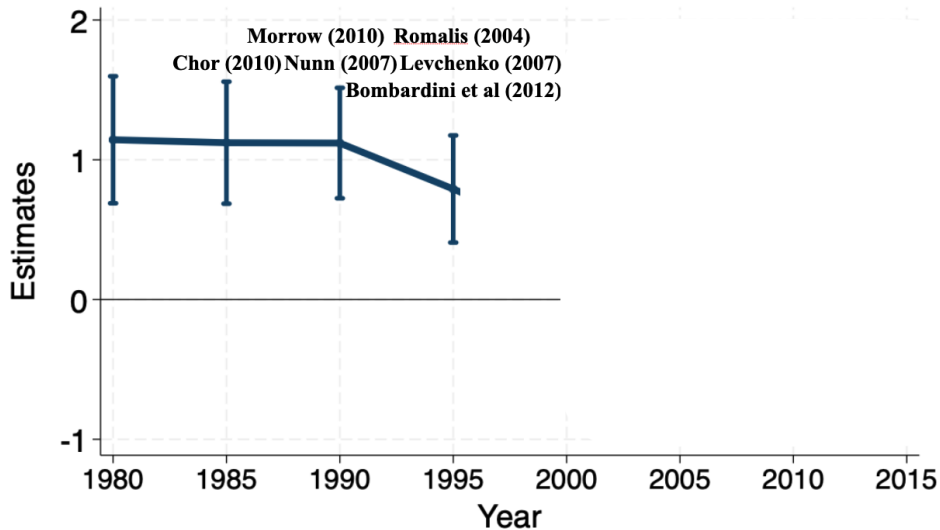
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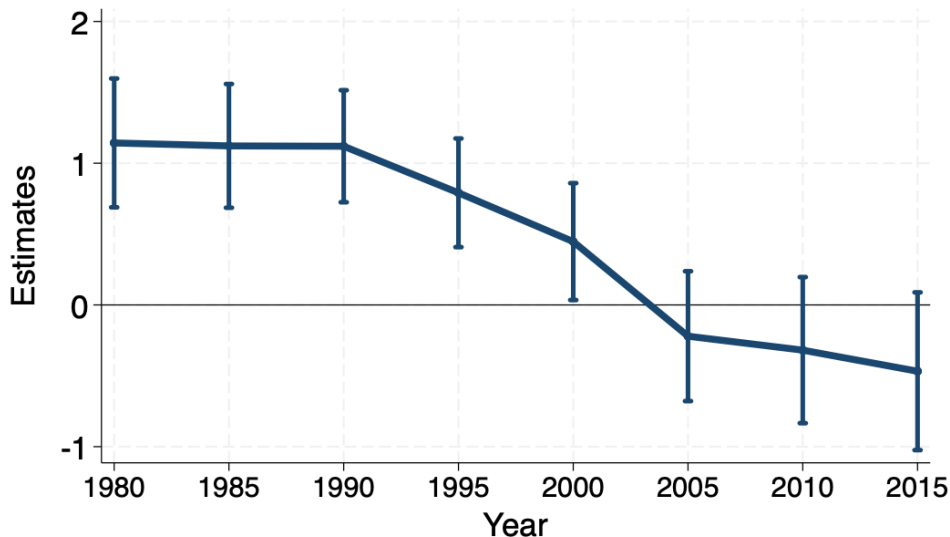
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- Expect $\beta_t > 0$: Skill-abundant countries export skill-intensive goods more
- $\text{Exports}_{i,j,s,t}$: Bilateral trade flow i to j in s , from UN Comtrade
- $\text{Skill Intensity}_{s,t}$: Share of skilled labor pay. in value added, from NBER-CES
- $\text{Skill Abundance}_{i,t}$: Ratio of College- to Non-college-educated in i , from Barro-Lee
- $\eta_{i,j,t}$: Exporter-Importer FEs: control distances, productivity level diffs,...
- $\eta_{j,s,t}$: Importer-Sector FEs: control tariffs, expenditure shares,...

Skill Abundance Used to be Important before 2000



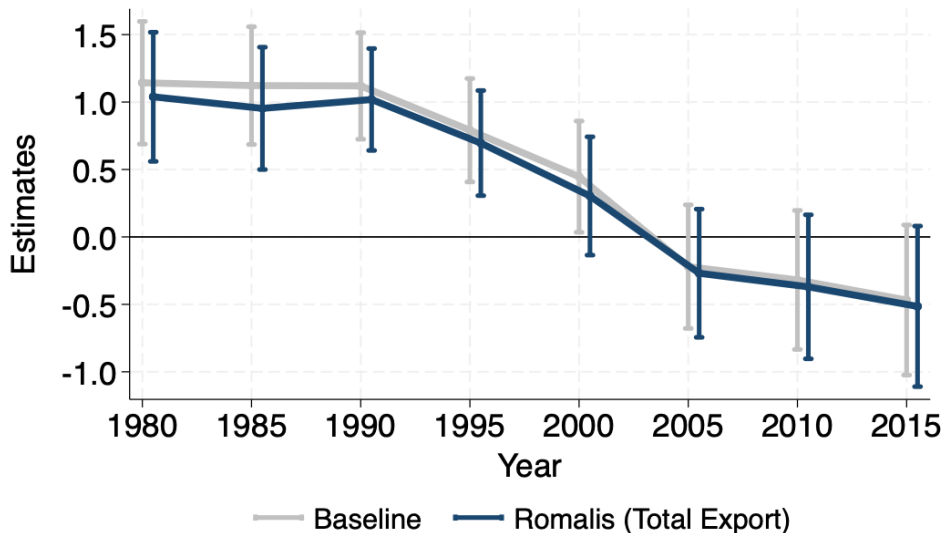
Skill Abundance \neq CA in Skill-Intensive Sectors after 2000



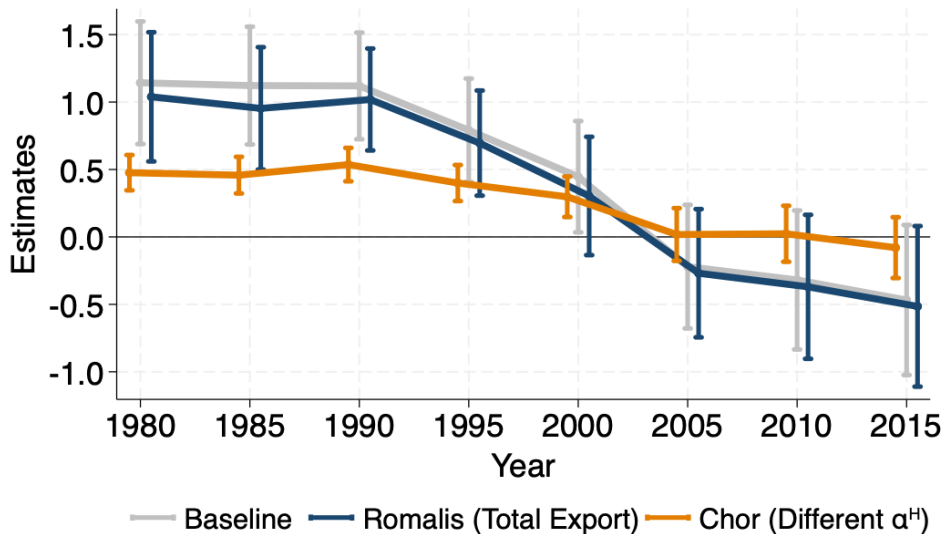
Robustness (1) Other Papers' Specifications

1. Total exports, instead of bilateral exports (Romalis 2004, Nunn 2007,...)
2. Different measures of sectoral factor intensity (Chor 2010)
 - $\ln(H_S/L_S)$, instead of α_S^H (\equiv Skilled Payroll Share to Value-Added)

Using Total Exports Does Not Change Results



Using Different Intensity Measures Does Not Change Trends



Robustness (2)

- Other sources of comparative advantage? ▸ Capital ▸ Institution
- Driven by small countries? ▸ Weighted
- Some exporter-sector unobserved het., or IRS? ▸ Pool years and FEs
- “Endogenous” skill abundance? ▸ Use 1980 Value
- “Endogenous” skill intensity *in the US*? ▸ Use 1980 Value
 - “Endogenous” interaction? ▸ Use 1980 Values for Both
 - but, 1980’s measure becomes less relevant by construction? ▸ Use 2015 Value
- Different skill measures? ▸ High School ▸ Predicted by Demographics

SOME POTENTIAL HYPOTHESES: AUTOMATION AND OFFSHORING

Potential Hypotheses: Automation and Offshoring

- What can make domestic skill abundance less relevant for CA after the 1990s?

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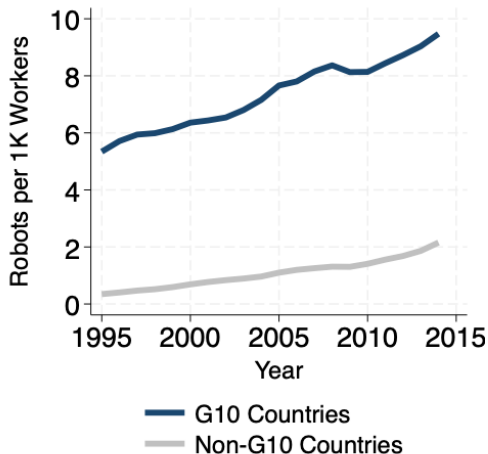
- What can make domestic skill abundance less relevant for CA after the 1990s?
- Two mega-trends, replacing low-skill labor
 - Automation: Replace low-skill labor with machines
 - Offshoring: Replace low-skill labor with foreign inputs

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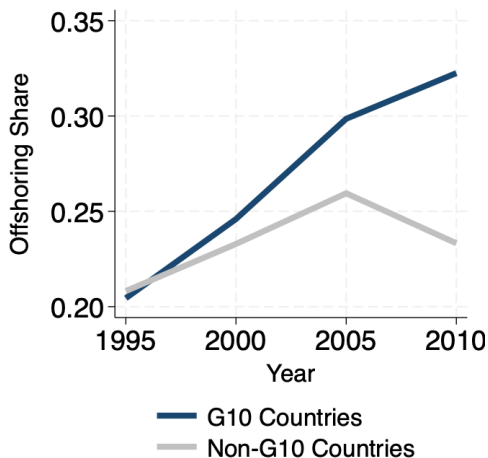
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- This section: Explore heterogeneous effects across countries and sectors
 - Caution: Just descriptive analysis for potential hypotheses
 - Causal interpretation using the model later

Potential Hypotheses: Automation and Offshoring

Robots per 1K Workers



Offshoring Share

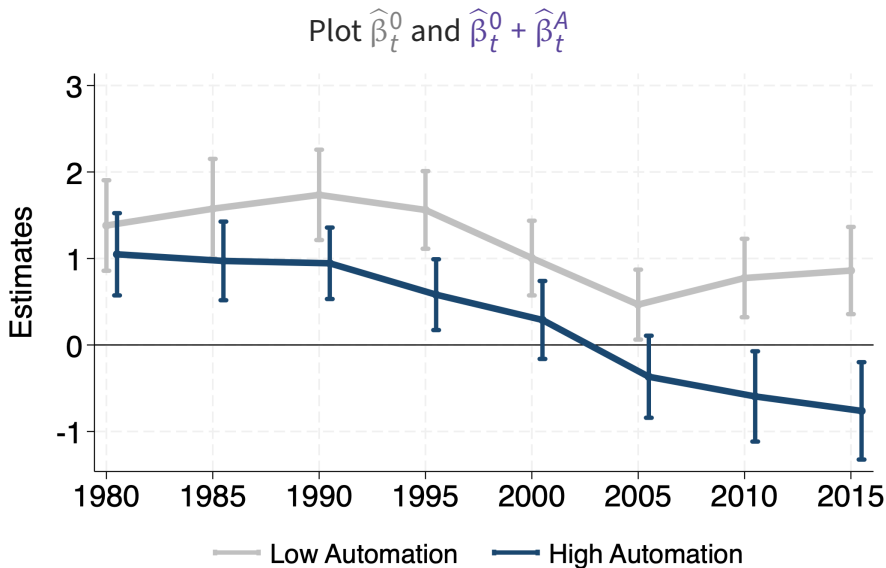


Specification for Heterogeneous Effects

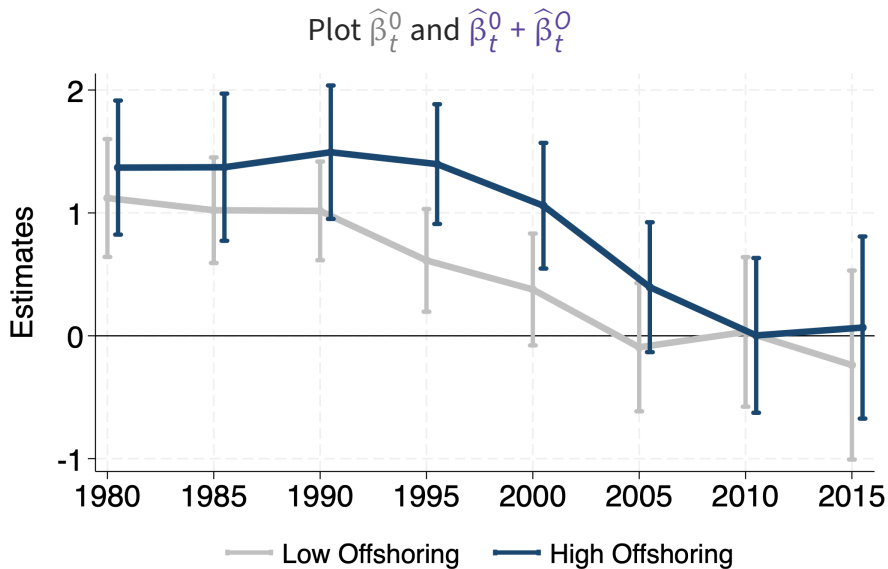
$$X_{i,j,s,t} = \exp \left[\underbrace{\beta_t^0 (1 + \beta_t^A HA_{i,s})}_{=\beta_t} \cdot \left(\alpha_{s,t}^H \times \ln \left(\frac{H_{i,t}}{L_{i,t}} \right) \right) + \eta_{i,j,t} + \eta_{j,s,t} \right] + \varepsilon_{i,j,s,t}$$

- $HA_{i,s}$: High-automation dummy (below/above the median robot adoption)
- Expect β_t^A to be decreasing over time
- Same for offshoring: replace $HA_{i,s}$ with $HO_{i,s}$ based on offshoring share

Skills Abundance Matters in Low-Automation Country/Sector



No Heterogeneous Effects from Offshoring



Same Results from Continuous Measures

$$X_{i,j,s,t} = \exp \left[\beta_t^0 \left(1 + \beta_t^A \text{Auto}_{i,s} + \beta_t^O \text{Ofs}_{i,s} \right) \cdot \left(\alpha_{s,t}^H \times \ln \left(\frac{H_{i,t}}{L_{i,t}} \right) \right) + \eta_{i,j,t} + \eta_{j,s,t} \right] + \varepsilon_{i,j,s,t},$$

	1995	2010	1995	2010
Skill Intensity x Abundance	1.26	-0.33		
	(0.23)	(0.28)		
x Automation (log robot stock)				
x Offshoring Share (×100)				

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	1995	2010	1995	2010
Skill Intensity x Abundance	1.26	-0.33	3.00	3.49
	(0.23)	(0.28)	(0.41)	(0.57)
x Automation (log robot stock)			-0.19	-0.35
			(0.05)	(0.06)
x Offshoring Share (x100)			0.04	0.05
			(0.05)	(0.07)

Note: Automation measure: 12.2 for German cars, 2.3 for Indian textiles

Summary of Empirical Facts

Summary

- **Skill abundance become less important in comparative advantage** over time
- Less important with higher **Automation**
- **Offshoring** has surprisingly, small effects

MODEL: TRADE WITH AUTOMATION AND OFFSHORING

Overview

- Multi-sector Eaton-Kortum Model with Input-Output Linkages

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- Primary factors:
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Overview

- Multi-sector Eaton-Kortum Model with Input-Output Linkages
- **New: Unit Cost function with Automation and Offshoring**
- Primary factors:
 - Labor: $H_{i,s}$ (high-skilled), $L_{i,s}$ (low-skilled)
- Additional Production factors (produced using outputs)
 - Automation Capital: $M_{i,s}$
 - Intermediate: $XD_{i,s}$ (domestic), $XF_{i,s}$ (foreign)
 - ★ including non-automation capital (buildings, land)

Standard Multi-Sector Eaton Kortum Model

- Country i, j , Sector s
- Trade share (gravity equation) is given by

$$\pi_{i,j,s}^F = \frac{(c_{i,s} \cdot \tau_{i,j,s})^{-\theta}}{\sum_l (c_{l,s} \cdot \tau_{l,j,s})^{-\theta}}$$

- Trade share: $\pi_{i,j,s}^F \equiv X_{i,j,s} / \sum_l X_{l,j,s}$
- Unit cost: $c_{i,s}$; Trade cost: $\tau_{i,j,s}$; Trade elasticity $\theta > 0$

Unit Cost Function with Automation and Offshoring Shock

Unit production cost:

$$c_{i,s} = \Lambda_s \cdot (w_i^H)^{\alpha_s^H} \cdot \left[\left(\frac{w_{i,s}^M}{\Gamma_{i,s}^M} \right)^{\Gamma_{i,s}^M} \cdot \left(\frac{w_{i,s}^L}{\Gamma_{i,s}^L} \right)^{\Gamma_{i,s}^L} \cdot \left(\frac{w_{i,s}^{XD}}{\Gamma_{i,s}^{XD}} \right)^{\Gamma_{i,s}^{XD}} \cdot \left(\frac{w_{i,s}^{XF}}{\Gamma_{i,s}^{XF}} \right)^{\Gamma_{i,s}^{XF}} \right]^{1-\alpha_s^H}$$

- Production task can be completed by one of the factors
 - machine M , low-skilled labor L , domestic inputs XD , foreign inputs XF
 - $\Gamma_{i,s}^F$: task shares within production-task for factor $F \in \{M, L, XD, XF\}$
 - Micro-foundation: task model (Acemoglu & Restrepo)
- Machines and intermediates are produced using final goods

Goods & Labor Market Clearing

Goods Market Clearing (Output $Y_{i,s}$, sectoral exp. share $\mu_{i,s}$, IO coef. α)

$$\begin{aligned}
 Y_{i,s} = & \underbrace{\sum_j \pi_{ij,s}^F \mu_{j,s} (w_j^L L_j + w_j^H H_j)}_{\text{Final Consumption in } j} + \underbrace{\sum_j \sum_r \pi_{ij,r}^M \alpha_{j,sr}^M (1 - \alpha_r^H) \Gamma_{j,r}^M Y_{j,r}}_{\text{Machine in } j - r} \\
 & + \underbrace{\sum_r \alpha_{i,sr}^X (1 - \alpha_r^H) \Gamma_{i,r}^{XD} Y_{i,r}}_{\text{Domestic Intermediates in } i - r} + \underbrace{\sum_j \sum_r \pi_{ij,r}^X \alpha_{j,sr}^X (1 - \alpha_r^H) \Gamma_{j,r}^{XF} Y_{j,r}}_{\text{Foreign Intermediates in } j(\neq i) - r}
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 \end{aligned}$$

Labor Market Clearing

$$w_i^L L_i = \sum_s (1 - \alpha_s^H) \Gamma_{i,s}^L Y_{i,s}$$

$$w_i^H H_i = \sum_s \alpha_s^H Y_{i,s}$$

Equilibrium Conditions ▸ Two Country

Given factor endowments $\{H_i, L_i\}_{i \in \mathcal{I}}$, an equilibrium is a set of wages $\{w_i^H, w_i^L\}_{i \in \mathcal{I}}$

- Consumers maximize utility by choosing from which countries to buy
→ trade share $\pi_{i,j,s}$, as a function of unit cost $\{c_{i,s}\}_{i \in \mathcal{I}, s \in \mathcal{S}}$
- Unit cost, $c_{i,s}$, as a function of $\{w_i^H, w_i^L\}_{i \in \mathcal{I}}$
 - $\{w_{i,s}^M, w_{i,s}^{XD}, w_{i,s}^{XF}\}$ are functions of $\{w_i^H, w_i^L\}_{i \in \mathcal{I}}$ with IO coef.
- Goods and Labor Markets Clear
- Trade is balanced

QUANTIFICATION

Quantitative Analysis

- Two Exercises:

1. Can changes in $\Gamma_{i,s,t}^M$ (automation) and $\Gamma_{i,s,t}^{XF}$ (offshoring) explain $\hat{\beta}_t$?
2. Using the same model, what are the macro implications?

Quantitative Analysis

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 - Can changes in $\Gamma_{i,s,t}^M$ (automation) and $\Gamma_{i,s,t}^{XF}$ (offshoring) explain $\hat{\beta}_t$?
 - Using the same model, what are the macro implications?
- Calibration: Data for 40 countries, 18 sectors (WIOD+GTAP, 1995-2008)
 - $\Gamma_{i,s,t}^M \equiv \frac{p_{i,s,t}^M M_{i,s,t}}{\text{Total Cost}_{i,s,t}}$ (automation, constructed)

$$p_{i,s,t}^M M_{i,s,t} = \underbrace{p_{i,s,t0}^K K_{i,s,t0}}_{\text{Capital Income}} \cdot \underbrace{\frac{p_{US,s,t0}^M M_{US,s,t0}}{p_{US,s,t0}^K K_{US,s,t0}}}_{\text{Machine-Capital Ratio}} \cdot \underbrace{\frac{p_{i,s,t}^R R_{i,s,t}}{p_{i,s,t0}^R R_{i,s,t0}}}_{\text{Increases in Robots}} \cdot$$

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– $\Gamma_{i,s,t}^{XF}$ (offshoring, just data), fixing $\Gamma_{i,s,t}^{XD}$ (domestic intermediate share)

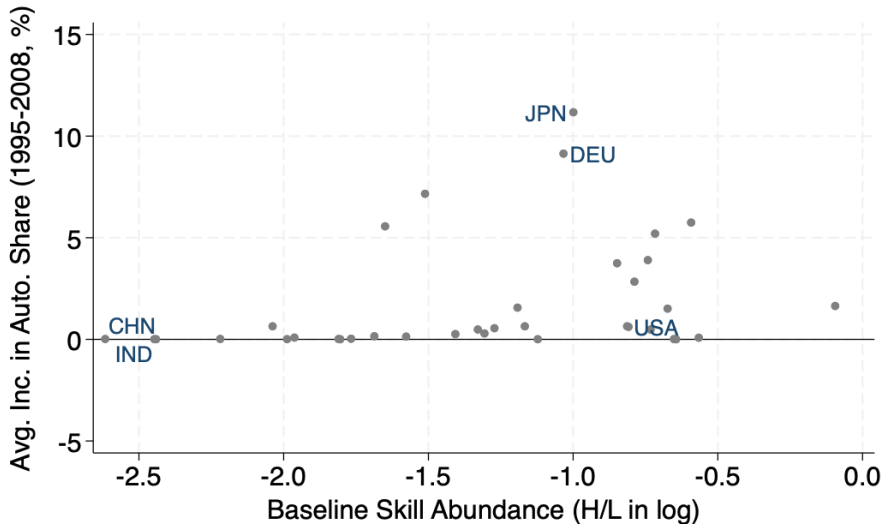
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- Calibration: Data for 40 countries, 18 sectors (WIOD+GTAP, 1995-2008)
 - $\Gamma_{i,s,t}^M \equiv \frac{p_{i,s,t}^M M_{i,s,t}}{\text{Total Cost}_{i,s,t}}$ (automation, constructed)

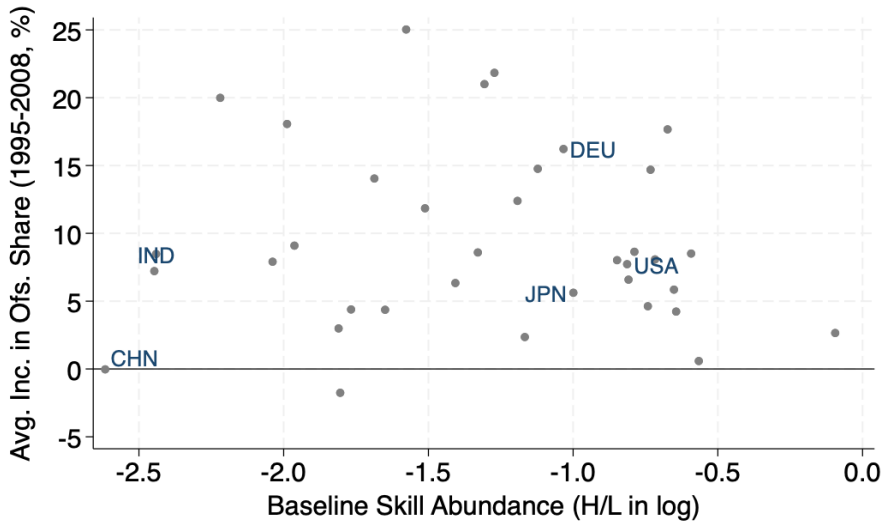
$$p_{i,s,t}^M M_{i,s,t} = \underbrace{p_{i,s,t}^K K_{i,s,t}}_{\text{Capital Income}} \cdot \underbrace{\frac{p_{US,s,t}^M M_{US,s,t}}{p_{US,s,t}^K K_{US,s,t}}}_{\text{Machine-Capital Ratio}} \cdot \underbrace{\frac{p_{i,s,t}^R R_{i,s,t}}{p_{i,s,t}^R R_{i,s,t}}}_{\text{Increases in Robots}} \cdot$$

- $\Gamma_{i,s,t}^{XF}$ (offshoring, just data), fixing $\Gamma_{i,s,t}^{XD}$ (domestic intermediate share)
- Adjust $\Gamma_{i,s,t}^L$ (low-skilled labor share) to make $\sum_{F=L,M,XD,XF} \Gamma_{i,s,t}^F = 1$

More Automation in Skill-Abundant Countries



Offshoring is More Equally Distributed



CHANGES IN COMPARATIVE ADVANTAGE

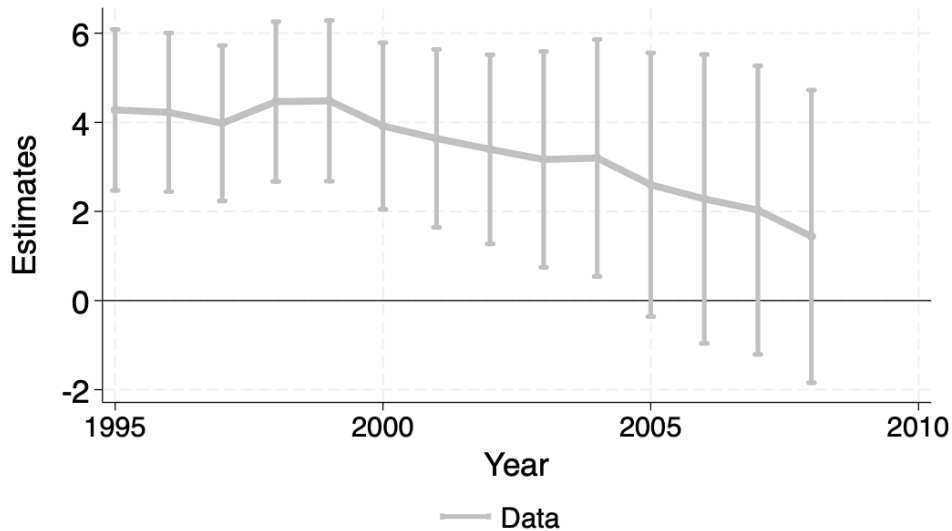
1. Automation and Offshoring on Changes in $\hat{\beta}$

- Question: How much can $\Gamma_{i,s,t}^M$ and $\Gamma_{i,s,t}^{XF}$ explain the path of $\hat{\beta}_t$?
- Calibrate the model to 1995, and hat algebra
- Run the same regression as in data but for counterfactual economies

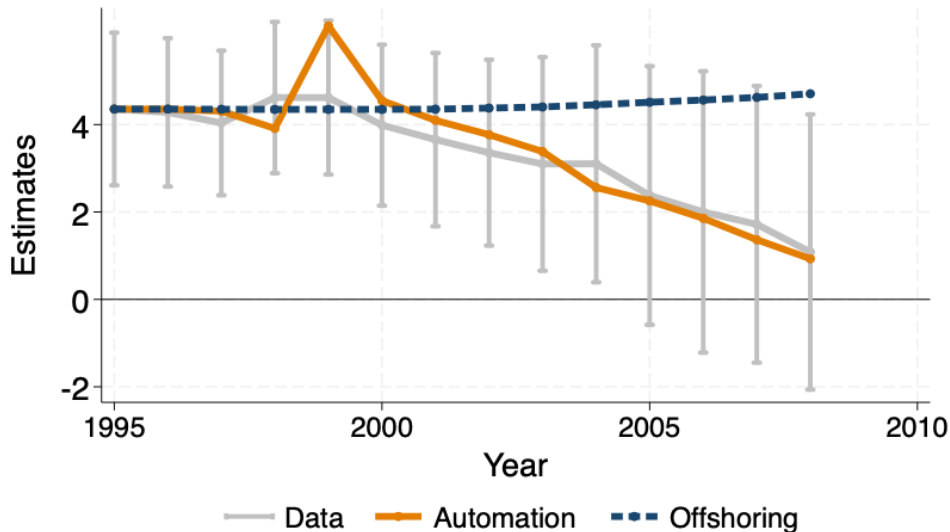
$$\ln(X_{i,j,s,t})' = \beta_t \left[\alpha_{s,t_0}^H \times \ln \left(\frac{H_{i,t_0}}{L_{i,t_0}} \right) \right] + \eta_{i,j,t} + \eta_{j,s,t} + \varepsilon_{i,j,s,t}.$$

- Counterfactual trade flow: $(X_{i,j,s,t})'$
 - Data (World Input-Output Database)
 - Case 1. Only Automation: Change $\Gamma_{i,s,t}^M$
 - Case 2. Only Offshoring: Change $\Gamma_{i,s,t}^{XF}$

In Data, $\hat{\beta}_t$ decreases



Automation, Not Offshoring, Causes the Decline



Why Automation?

- Sizes of automation & offshoring similar
 - If any, offshoring is larger
- Why automation, not offshoring, matter?

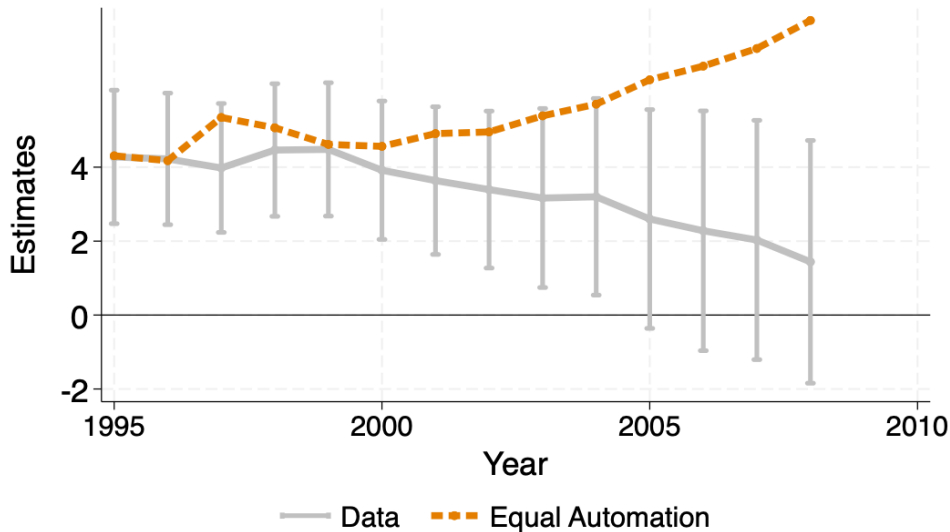
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- One observation: Automation happens disproportionately in L – scarce countries

Why Automation?

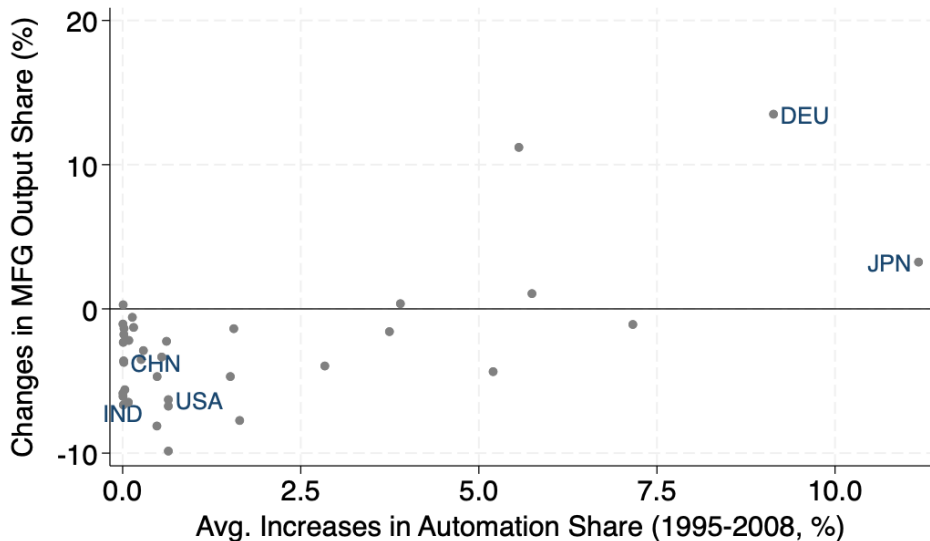
- Sizes of automation & offshoring similar
 - If any, offshoring is larger
- Why automation, not offshoring, matter?
- One observation: Automation happens disproportionately in L – scarce countries
- Experiment: Suppose all the countries increase automation equally...

Equal Automation Cannot Explain the Decline

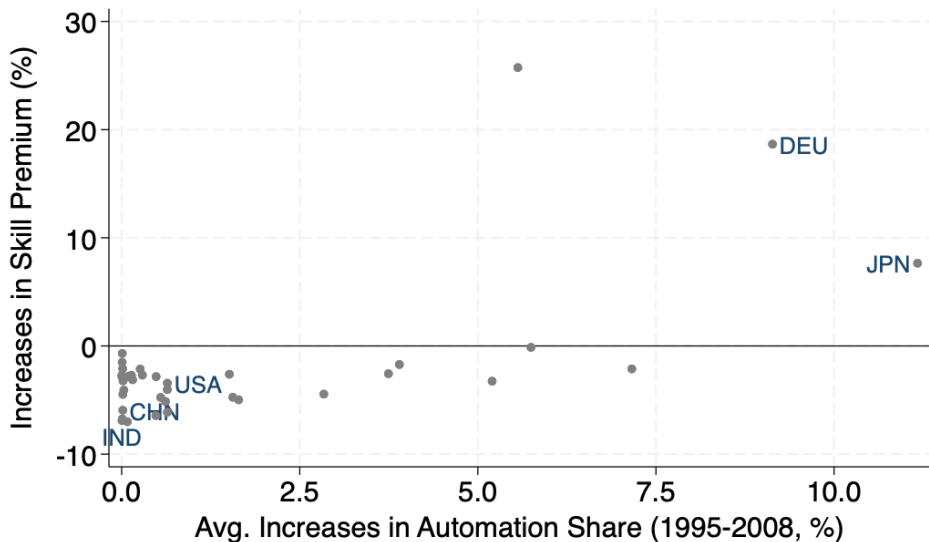


MACRO IMPLICATIONS OF AUTOMATION

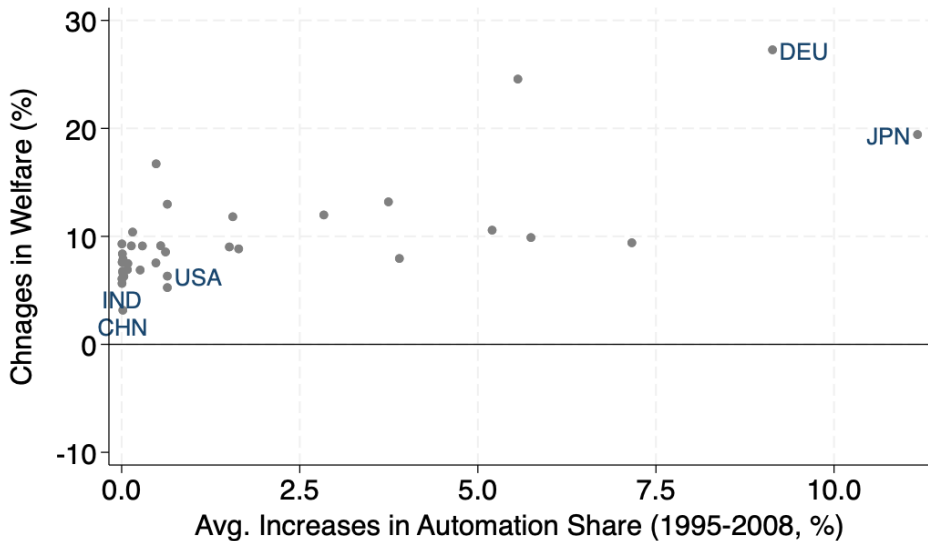
Manufacturing Shifts to High-Automation Countries



Skill Premia Increases Only in High-Automation Countries

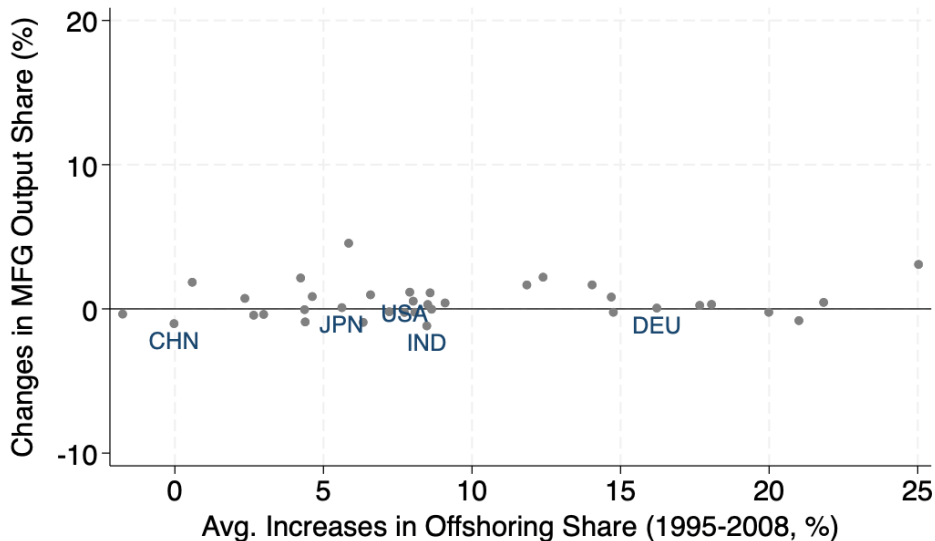


Welfare Increases Everywhere

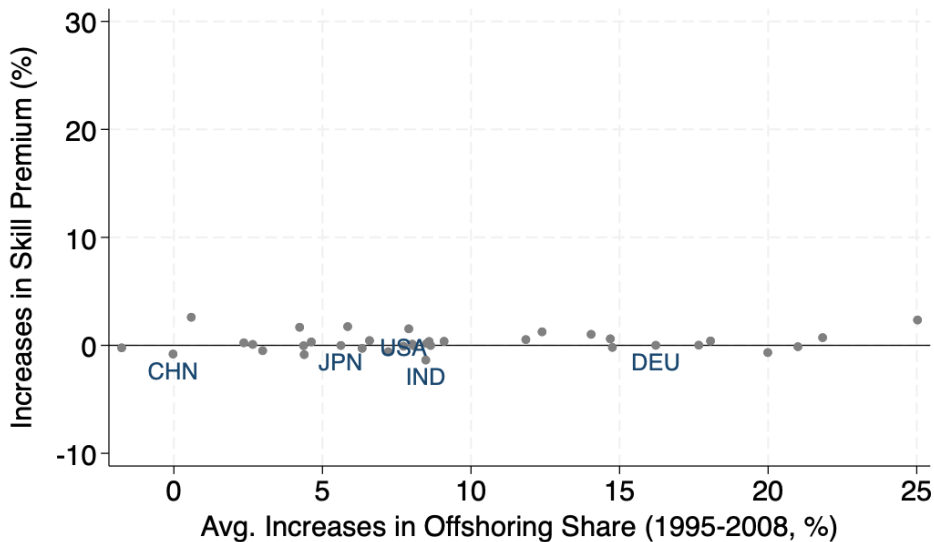


MACRO IMPLICATIONS OF OFFSHORING

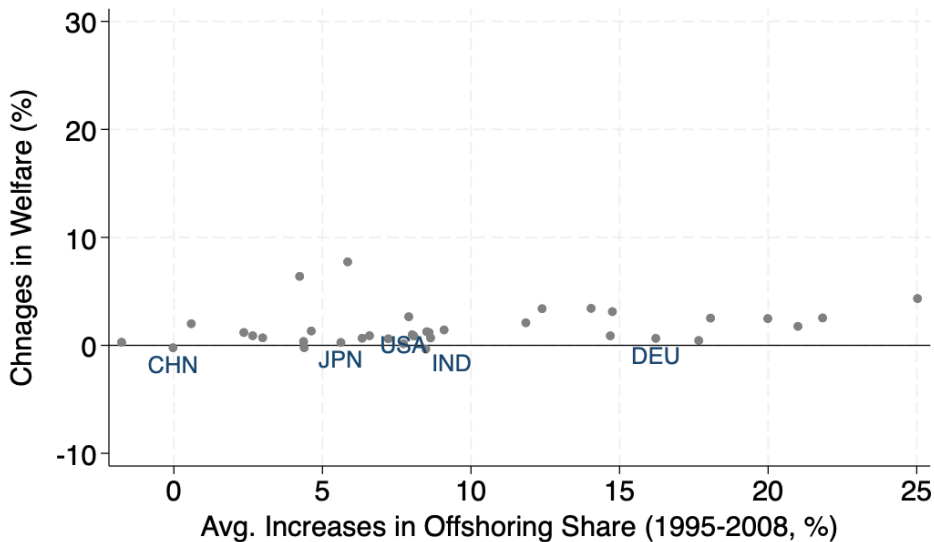
Manufacturing Shifts Less



Skill Premia Increases Everywhere, but Less



Welfare Increases Everywhere, but Less



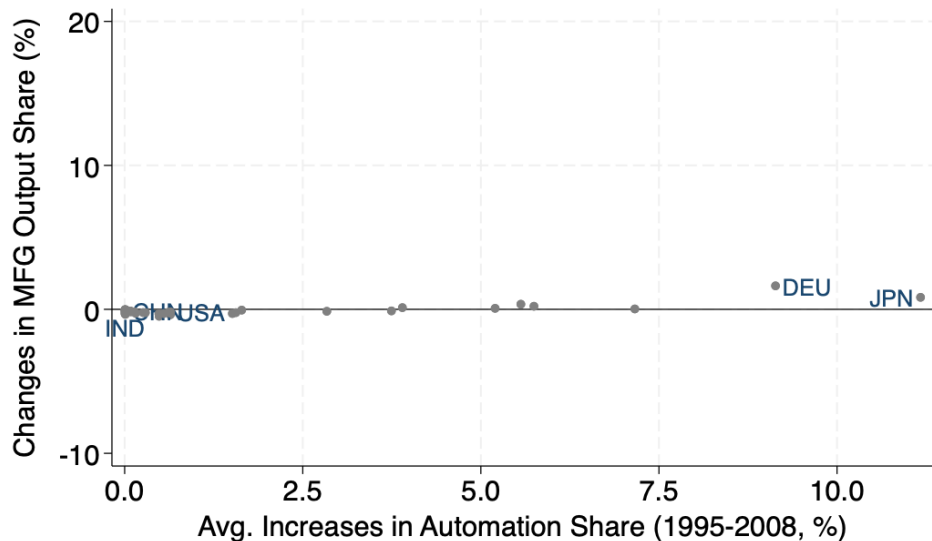
The Relationship between Automation, Globalization, and Inequality

- Automation \rightarrow shifts MFG to High-Automation countries
- Demand for H increases in High-Automation countries
- Demand for L increases in Low-Automation countries
 - Move to Service sectors, which are more L -intensive

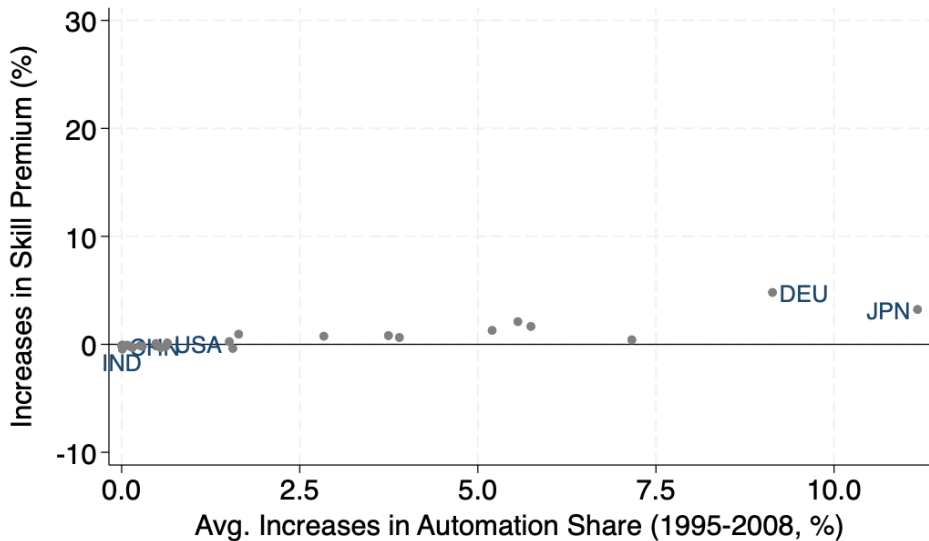
The Relationship between Automation, Globalization, and Inequality

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- Demand for H increases in High-Automation countries
- Demand for L increases in Low-Automation countries
 - Move to Service sectors, which are more L -intensive
- Roles of Trade?
- Now, set the trade elasticity $\theta = 1$, instead of $\theta = 4$

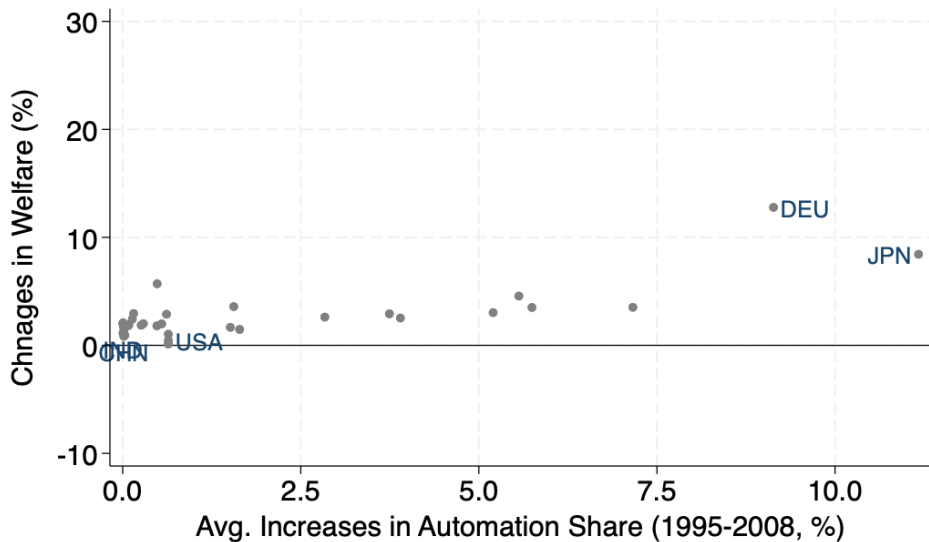
$\theta = 1$: Lower Elas. Makes MFG Shifts Less



$\theta = 1$: Skill Premia Increases Everywhere



$\theta = 1$: Welfare Increases Everywhere, but Less



Conclusion

- Have patterns of comparative advantage changed or not?

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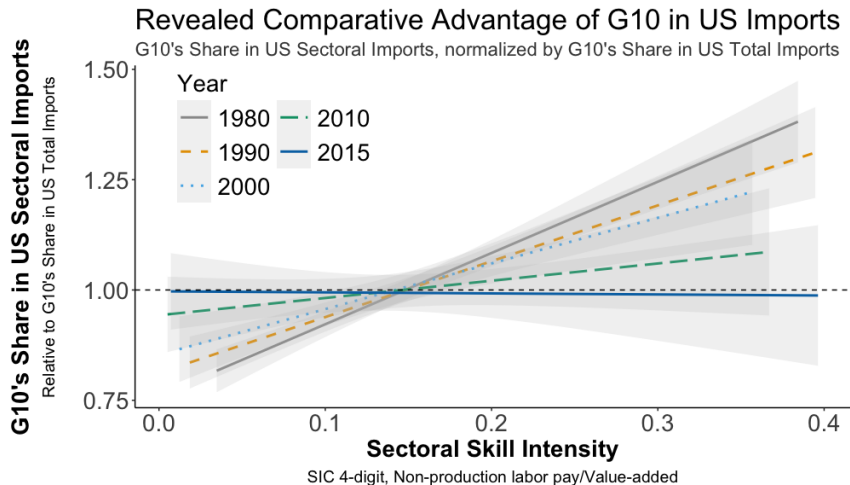
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- **NEXT:** Policy implications? Clean-dirty tech v.s. oil-rich countries?

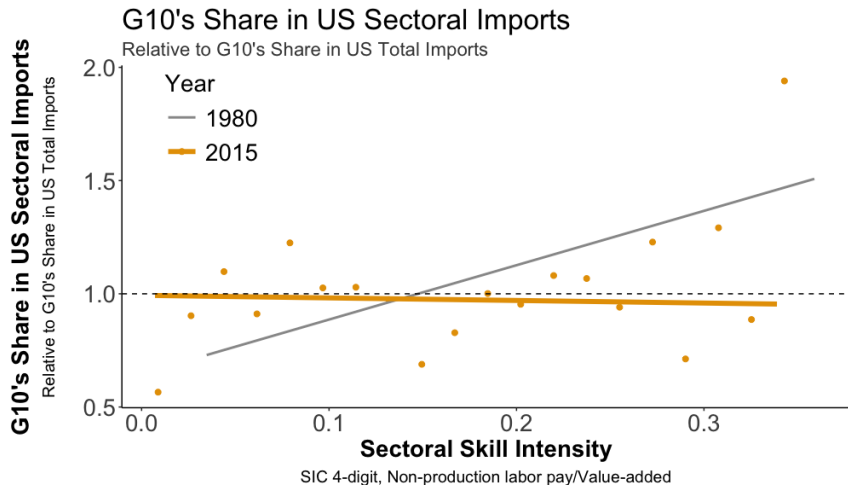
APPENDIX

FACTS

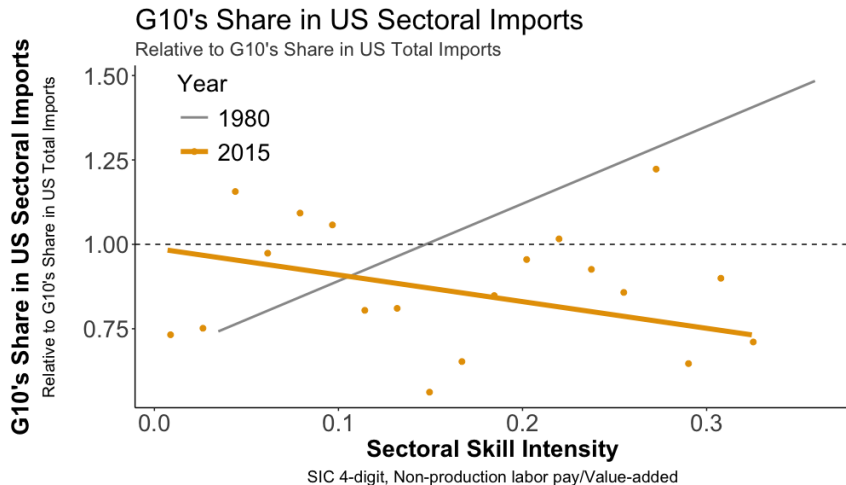
It's Not Just 1980 vs 2015. It's the Trend!



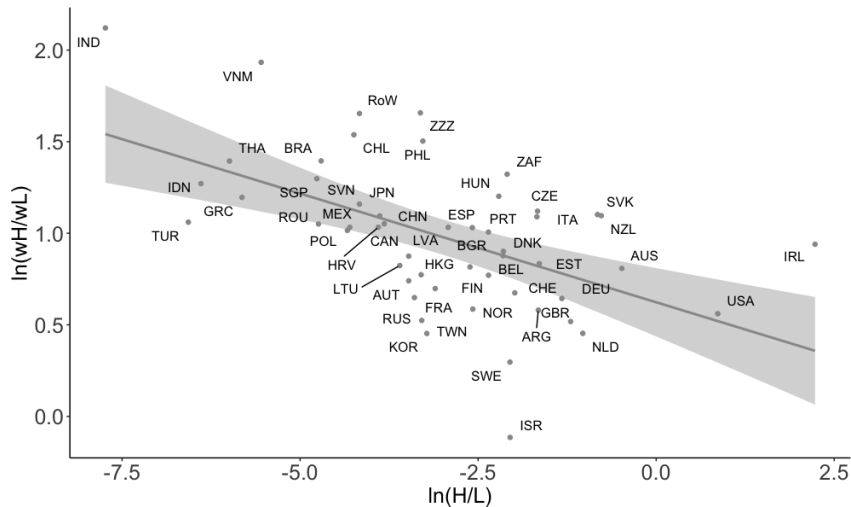
Dropping China Does Not Change the Result



Dropping Japan Does Not Change the Result (if any, cleaner)

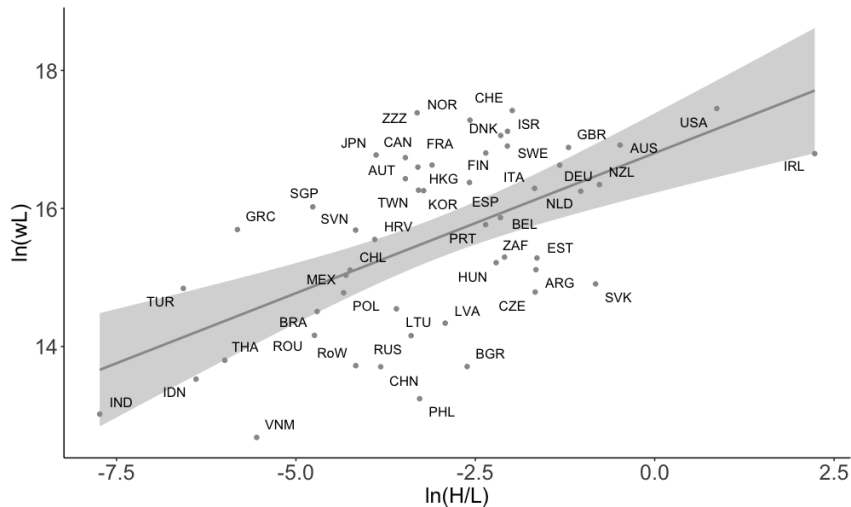


Relative Skilled Wages and Skill Endowment [▸ back](#)



Note: Data from GTAP, 2004

Levels of Unskilled Wages and Skill Endowment [▸ back](#)



Note: Data from GTAP, 2004

REGRESSION

Simplified Structural Interpretation

- Gravity Equation + Unit Production Cost

$$X_{i,j,s} = ((c_{i,s}\tau_{i,j}\tau_{j,s}))^{1-\sigma} \cdot (P_{j,s})^{\sigma-1} X_{j,s}, \quad \ln X_{i,j,s} = (1-\sigma) \cdot \ln c_{i,s} + \mu_{i,j} + \mu_{j,s}$$

$$c_{i,s} = (w_i^H)^{\alpha_s^H} (w_i^L)^{1-\alpha_s^H}, \quad \ln c_{i,s} = \underbrace{\frac{d \ln(w^H/w^L)}{d \ln(H/L)}}_{\equiv \epsilon^w: \text{Rel. Wage Elas.} < 0} \cdot \alpha_s^H \cdot \ln \left(\frac{H_i}{L_i} \right) + \ln w_i^L$$

- Regression

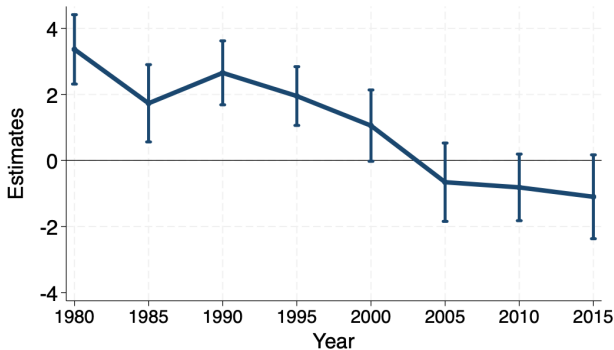
$$\ln X_{i,j,s} = (1-\sigma)\epsilon^w \left[\alpha_s^H \times \ln \left(\frac{H_i}{L_i} \right) \right] + \mu_{i,j} + \mu_{j,s} + \ln w_i^L$$

▸ back

ROBUSTNESS

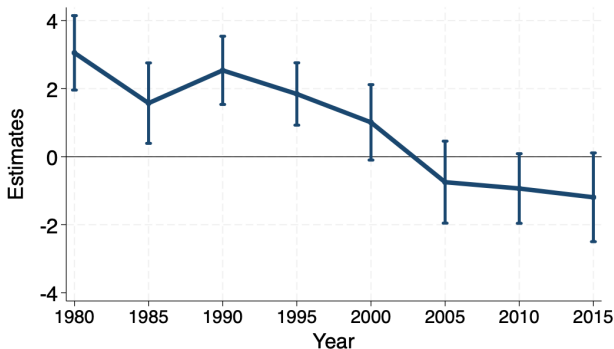
Controlling Capital Intensity ▸ [back](#)

$$X_{i,j,s,t} = \exp \left(\beta_t \left[\alpha_{s,t}^H \times \ln \left(\frac{H_{i,t}}{L_{i,t}} \right) \right] + \beta_t^K \left[\alpha_{s,t}^K \times \ln \left(\frac{K_{i,t}}{L_{i,t}} \right) \right] + \eta_{i,j,t} + \eta_{j,s,t} \right) + u_{i,j,s,t}$$

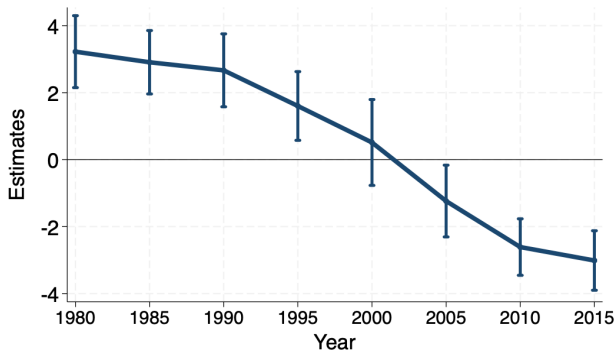


Controlling Capital Intensity and Institutions ▸ back

$$X_{i,j,s,t} = \exp \left(\beta_t \left[\alpha_{s,t}^H \times \ln \left(\frac{H_{i,t}}{L_{i,t}} \right) \right] + \sum_{f \in \{K,I\}} \beta_t^F \left[\alpha_{s,t}^F \times \ln \left(\frac{F_{i,t}}{L_{i,t}} \right) \right] + \eta_{i,j,t} + \eta_{j,s,t} \right) + u_{i,j,s,t}$$

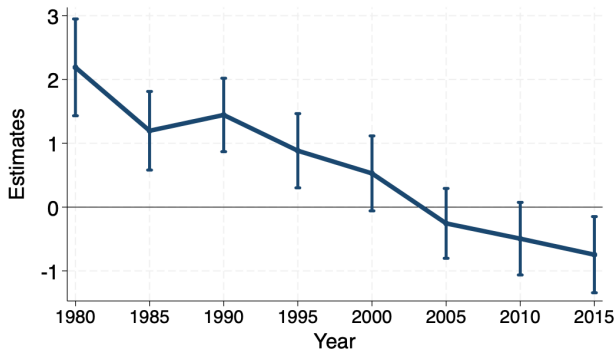


Weighted by Country Export [▸ back](#)



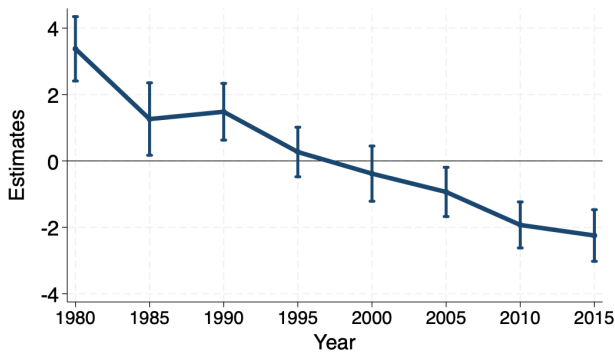
Pool and control Origin-Sector FEs ▸ back

$$X_{i,j,s,t} = \exp \left(\beta_t \left[\alpha_{s,t}^H \times \ln \left(\frac{H_{i,t}}{L_{i,t}} \right) \right] + \eta_{i,s} + \eta_{i,j,t} + \eta_{j,s,t} \right) + u_{i,j,s,t}$$



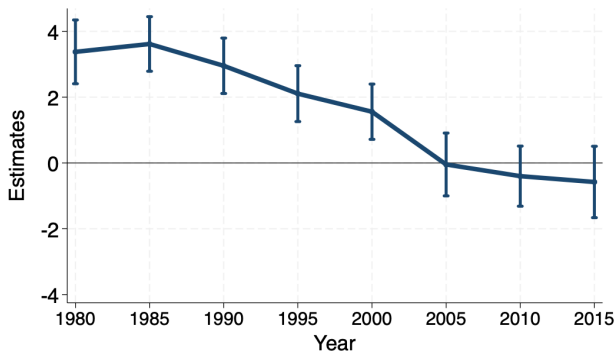
Use 1980's Factor Endowment [▸ back](#)

$$X_{i,j,s,t} = \exp \left(\beta_t \left[\alpha_{s,t}^H \times \ln \left(\frac{H_{i,1980}}{L_{i,1980}} \right) \right] + \eta_{i,j,t} + \eta_{j,s,t} \right) + u_{i,j,s,t}$$



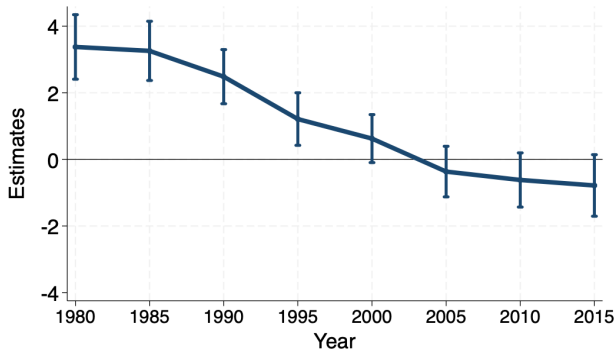
Use 1980's Factor Intensity [▸ back](#)

$$X_{i,j,s,t} = \exp \left(\beta_t \left[\alpha_{s,1980}^H \times \ln \left(\frac{H_{i,t}}{L_{i,t}} \right) \right] + \eta_{i,j,t} + \eta_{j,s,t} \right) + u_{i,j,s,t}$$



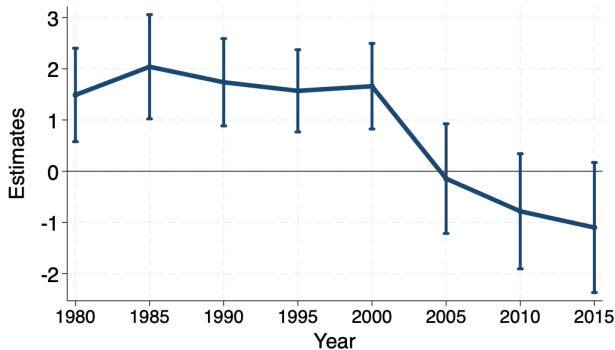
Use 1980's Factor Endowment and Intensity [▸ back](#)

$$X_{i,j,s,t} = \exp \left(\beta_t \left[\alpha_{s,1980}^H \times \ln \left(\frac{H_{i,1980}}{L_{i,1980}} \right) \right] + \eta_{i,j,t} + \eta_{j,s,t} \right) + u_{i,j,s,t}$$



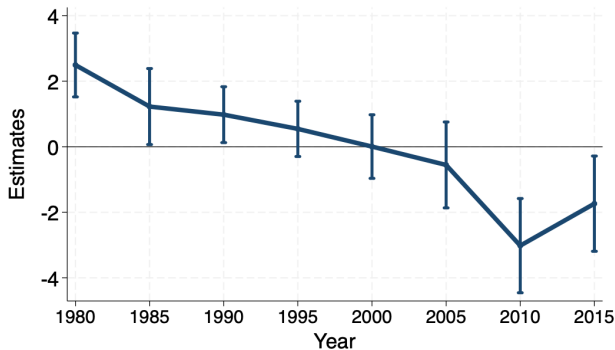
Use 2015's Factor Intensity [▸ back](#)

$$X_{i,j,s,t} = \exp \left(\beta_t \left[\alpha_{s,2015}^H \times \ln \left(\frac{H_{i,t}}{L_{i,t}} \right) \right] + \eta_{i,j,t} + \eta_{j,s,t} \right) + u_{i,j,s,t}$$



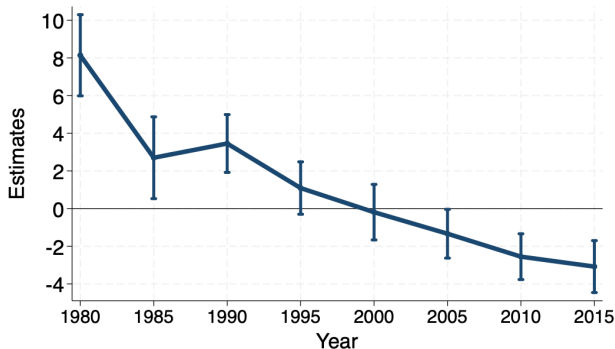
High-school Graduates as Skilled ▸ [back](#)

$$X_{i,j,s,t} = \exp \left(\beta_t \left[\alpha_{s,t}^H \times \ln \left(\frac{HS_{i,t}}{NHS_{i,t}} \right) \right] + \eta_{i,j,t} + \eta_{j,s,t} \right) + u_{i,j,s,t}$$



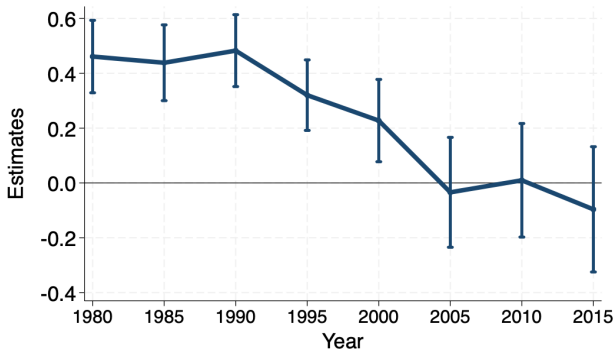
Instrument Skill Endowment by Cohort IV [▸ back](#)

$$X_{i,j,s,t} = \exp \left(\beta_t \left[\alpha_{s,t}^H \times \ln \left(\frac{H_{i,t}}{L_{i,t}} \right) \right] + \eta_{i,j,t} + \eta_{j,s,t} \right) + u_{i,j,s,t}$$



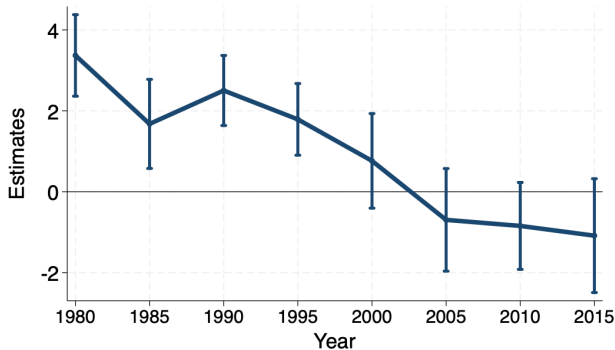
Chor (2011): Num of Workers as Factor Intensity [▸ back](#)

$$X_{i,j,s,t} = \exp \left(\beta_t \left[\ln \left(\frac{H_{s,t}}{L_{s,t}} \right) \times \ln \left(\frac{H_{i,t}}{L_{i,t}} \right) \right] + \eta_{i,j,t} + \eta_{j,s,t} \right) + u_{i,j,s,t}$$



Romalis (2004): Total Export [▸ back](#)

$$x_{i,s,t} = \exp \left(\beta_t \left[\alpha_{s,t}^H \times \ln \left(\frac{H_{i,t}}{L_{i,t}} \right) \right] + \eta_{i,t} + \eta_{s,t} \right) + u_{i,s,t}$$

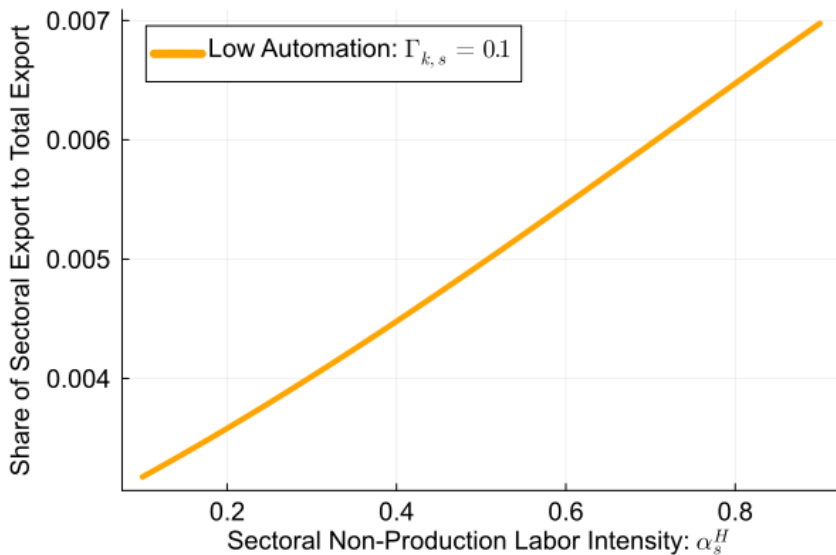


TWO COUNTRY ILLUSTRATION: AUTOMATION

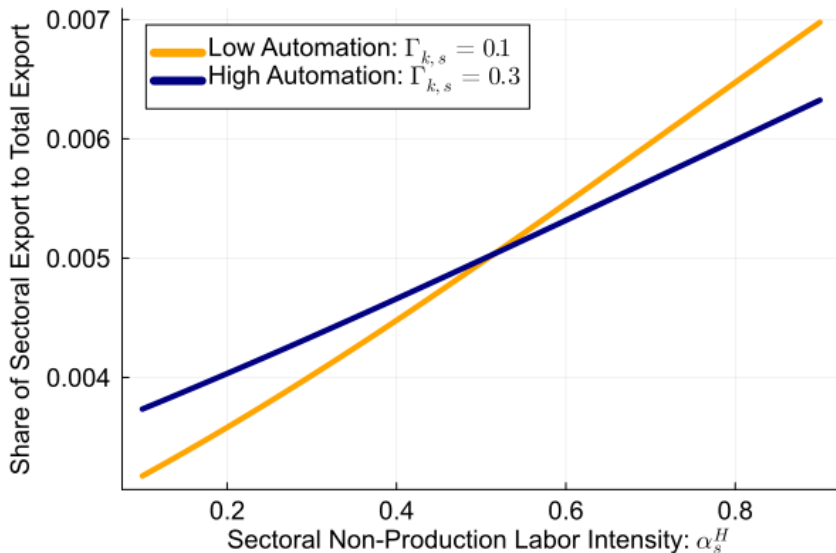
Two Country Illustration: Automation

- North (40% are H) and South (25% are H)
- Actual factor intensity across 397 SIC sectors
- Set $\alpha_S^G = \alpha_S^M = 0$ (focus on value-added)
- Exogenous changes in factor intensity common across sectors & countries
 - Automation: Increase $\Gamma_{i,S}^K = 0.1$ to 0.3
- Show export share of each sector in North against α_S^H – Slope is β^H

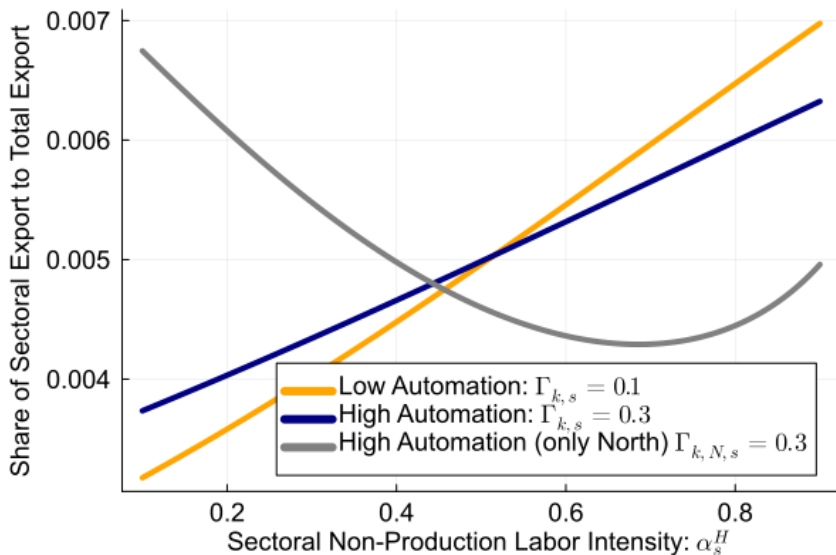
North Specialize in Skill-Intensive Sectors



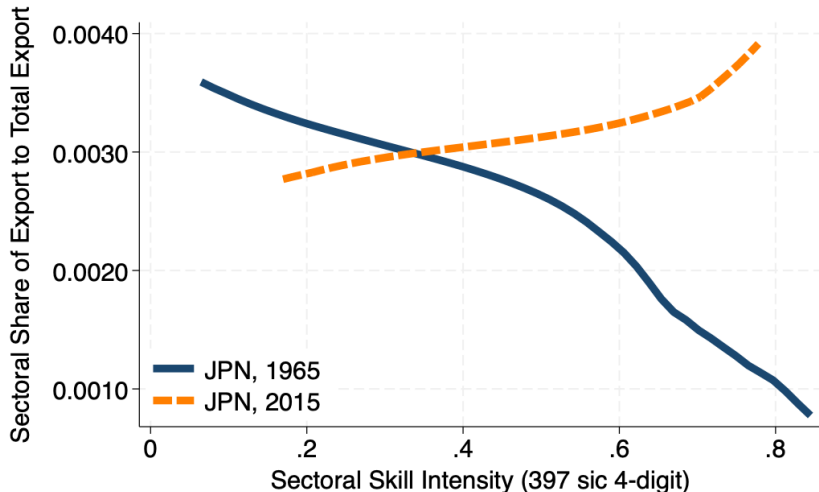
Automation Makes Skills Less Important



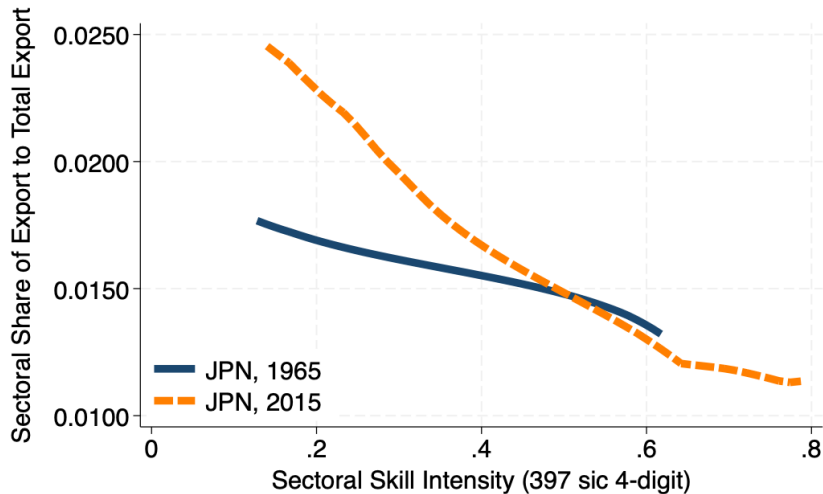
If Only North Automates, Sign Flips



Example: Within Low-Automation Sectors, Japan Specializes in Skill Intensive Industries [Back](#)



Example: Within High-Automation Sectors, Japan Specializes in Low-Skill Intensive Industries [▸ Back](#)



CALIBRATION

Calibration [▸ back](#)

Description	Parameter	Values	Source
Panel A: Time-Invariant Parameters			
Trade Elas.	θ	4	Standard
Expenditure Share	$\mu_{i,s}$	Data	WIOT
Panel B: Time-Variant Parameters			
Factor Endowment	H_{it}, L_{it}	Data	WIOT
Factor Share	$\alpha_{i,s,t}^H, \Gamma_{i,s,t}^F$	Data	WIOT

TOY MODEL: TASK AND COMPARATIVE ADVANTAGE

Model

- Small open economy with two sectors ($s = 1, 2$)
- Demand

$$q_s = (c_s)^{1-\sigma} \cdot \overline{Q}_s$$

- Production (micro-foundation = task framework)

$$Y_s = \zeta \cdot (H_s)^{\alpha_s} \left((L_s)^{\Gamma} (M_s)^{1-\Gamma} \right)^{1-\alpha_s}, \quad \alpha_1 = 1 - \alpha_2 = \alpha > 1/2$$

- M_s : machines or foreign factors supplied at a fixed price r
- Factor market clearing

$$\sum_{s=1,2} H_s = H, \quad \sum_{s=1,2} L_s = L$$

Equilibrium

- Wages $\{w^L, w^H\}$ that satisfy

$$w^L L = \Gamma(1 - \alpha)(c_1)^{1-\sigma} + \Gamma\alpha(c_2)^{1-\sigma}, \quad w^H H = \alpha(c_1)^{1-\sigma} + (1 - \alpha)(c_2)^{1-\sigma}$$

- Unit cost

$$c_s = \left(w^H\right)^{\alpha_s} \left((w^L)^\Gamma (r)^{1-\Gamma}\right)^{1-\alpha_s}$$

Comparative Advantage

- A change in factor endowment $\widehat{H} = -\widehat{L}$ (=compare two small countries)
- Up to 1st order, CA in H-intensive sector ($s = 1$)

$$\widehat{c}_2 - \widehat{c}_1 = \underbrace{-(2\alpha - 1)\widehat{\omega}}_{\text{Skill Premium} < 0} \underbrace{-(1 - \Gamma)(2\alpha - 1)\widehat{w}^L}_{\text{Task Displacement}}$$

- Skill premium ($\widehat{\omega} \equiv \widehat{w}^H - \widehat{w}^L$) and wages

$$\widehat{\omega} = \underbrace{-2\widehat{H}}_{\text{Labor Supply}} + \underbrace{(2\alpha - 1)(\sigma - 1)(\widehat{c}_2 - \widehat{c}_1)}_{\text{GE Effect}}, \quad \widehat{w}^L = \frac{(\sigma - 1)(2\alpha - 1) - 1}{2 + (1 - \Gamma)(\sigma - 1)(2\alpha - 1)}\widehat{\omega}$$

Comparative Advantage if $\Gamma = 1$

Proposition 1: Rybczynski (1955)

An increase in skilled labor $\hat{H} > 0$ strengthens comparative advantage in a skill-intensive sector.

$$\hat{c}_2 - \hat{c}_1 = \frac{2(2\alpha - 1)}{1 + (2\alpha - 1)^2(\sigma - 1)} \hat{H}$$

Comparative Advantage if $\Gamma < 1$

Proposition 2: Acemoglu-Restrepo meets Rybczynski

An increase in skilled labor $\hat{H} > 0$ strengthens comparative advantage in a skill-intensive sector. However, the elasticity is lower when labor share Γ is lower.

$$\hat{c}_2 - \hat{c}_1 = \frac{2(2\alpha - 1)}{\frac{1}{\eta(\Gamma)} + (2\alpha - 1)^2(\sigma - 1)} \hat{H} \quad (1)$$

where $\eta(\Gamma) = 1 - \frac{1 - (\sigma - 1)(2\alpha - 1)}{\frac{2}{1 - \Gamma} + (\sigma - 1)(2\alpha - 1)} \in (0, 1)$ is increasing in Γ .