#### Does Skill Abundance Still Matter?

The Evolution of Comparative Advantage in the 21st Century

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# Skill Abundance and Comparative Advantage

Skill Abundance: Central for Comparative Advantage (e.g., Heckscher-Ohlin)

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  - Developed (Skill-Abundant) Countries—Specialize in Skill-Intensive Sectors
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    - ★ Keys for Patterns of Development (e.g., East Asian Miracles)
    - ⋆ Implications for Globalization, Technology, and Inequality

### At a Glance: Skill Abundance and Comparative Advantage

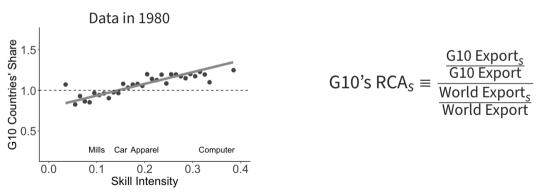
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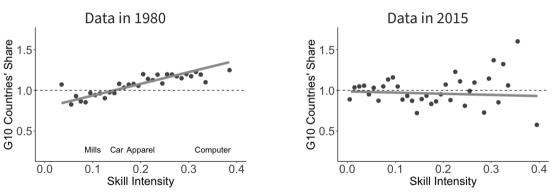
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#### **Revealed Comparative Advantage (RCA) in Skill Intensive Sectors:**

G10's share of global exports in a sector divided by G10's share of total global exports



### **Research Questions**

- Does skill abundance systematically no longer matter for comparative advantage?
- What forces can empirically and quantitatively explain the pattern?
  - Potential hypotheses: Automation, Offshoring
- What are the macro implications?
  - Manufacturing shares, Skill premia, Welfare

- Follow the literature's state-of-the-art specification
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- Vanishing Importance of Skill Abundance in Comparative Advantage
- Heterogeneous declines across groups of countries & sectors
  - More declines among groups of countries & sectors with more automation
  - No such heterogeneity from offshoring

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- Implications of Automation
  - Shifts of manufacturing from South to North
  - Increases in skill premia in North and welfare everywhere
- Implications of Offshoring
  - No big shift in manufacturing as a whole
  - Smaller changes in skill premia & welfare

### **Key Contributions**

#### 1. Sources of Comparative Advantage:

- Ricardian: MacDougall (1951), Stern (1962), Balassa (1963), Golub and Hsieh (2000), Nunn
   (2007), Levchenko (2007), Manova (2008), Costinot (2009), Costinot et al (2012)
- HO: Leamer (1980, 1984), Bowen et al (1987), Trefler (1993, 1995), Harrigan (1997), Davis &
   Weinstein (2001), Schott (2001), Romalis (2004), Morrow (2010), Chor (2010)
- Mean Reversion: Levchenko & Zhang (2016), Hanson et al (2016)
- ightarrow New Facts: Skill Abundance Matter in 1980s, Not Anymore post-2000.
- 2. Consequences of Technology and Globalization on Inequality:

### **Key Contributions**

- 1. Sources of Comparative Advantage:
- 2. Consequences of Technology and Globalization on Inequality:
  - Technology: Katz & Murphy (1992), Feenstra & Hanson (1999), Acemoglu (2002), Autor et al (2003), Acemoglu & Autor (2011), Autor & Dorn (2013), Acemoglu & Restrepo (2018,2022),
     Webb (2020), Loebbing (2021)
  - Offshoring: Lawrence & Slaughter (1993), Berman et al (1994), Feenstra & Hanson (1997, 1999,
     2001), Becker & Muendler (2014), Hummels et al (2014), Alfaro-Urena et al (2021)
  - Interaction of Tech and Trade: Xu (2001), Acemoglu (2002), Thoenig & Verdier (2003), Burstein et al (2013), Parro (2013), Burstein & Vogel (2017), Morrow & Trefler (2022)
  - ightarrow Automation Changes Comparative Advantage and Big Effects on Inequality

# FACTS: DOES SKILL ABUNDANCE STILL MATTER?

# Revealing Comparative Advantage: Refresher

Multi-sector Eaton-Kortum Model (Chor (2010), Costinot et al (2012))

Exporter *i*, Importer *j*, Sector *s*: In Export<sub>*i,j,s*</sub> = 
$$-\underbrace{\theta}_{\text{Trade Elas.}}\underbrace{\ln c_{i,s}}_{\text{Unit Cost}} + \underbrace{\eta_{i,j} + \eta_{j,s}}_{\text{FEs}}$$

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• Unit cost ( $\alpha_s^H$ : Skill Intensity = the share of skilled labor payroll in value-added)

$$c_{i,s} = (w_i^H)^{\alpha_s^H} (w_i^L)^{1-\alpha_s^H} \rightarrow \ln c_{i,s} = \alpha_s^H \times \ln(w_i^H/w_i^L) + \ln w_i^L$$

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• If relative wage is some (log-linear) function of Skill Abundance<sub>i</sub>,

ln Exports<sub>i,j,s</sub> = 
$$\beta$$
 [Skill Intensity<sub>s</sub> × Skill Abundance<sub>i</sub>] +  $\eta_{i,j}$  +  $\eta_{j,s}$  +  $\varepsilon_{i,j,s}$ 

Canonical specification to reveal the source of comparative advantage

# Skill Abundance as a Source of Comparative Advantage

Higher Exports in Skill-Intensive Goods from Skill-Abundant Countries?

$$\label{eq:local_property} \mbox{ln Exports}_{i,j,s,t} = \beta_t \left[ \mbox{Skill Intensity}_{s,t} \times \mbox{Skill Abundance}_{i,t} \right] + \eta_{i,j,t} + \eta_{j,s,t} + \varepsilon_{i,j,s,t},$$

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$$\label{eq:loss_state} \\ \ln \mathsf{Exports}_{i,j,s,t} = \beta_t \left[ \mathsf{Skill Intensity}_{s,t} \times \mathsf{Skill Abundance}_{i,t} \right] + \eta_{i,j,t} + \eta_{j,s,t} + \varepsilon_{i,j,s,t}, \\$$

• Expect  $\beta_t > 0$ : Skill-abundant countries export skill-intensive goods more

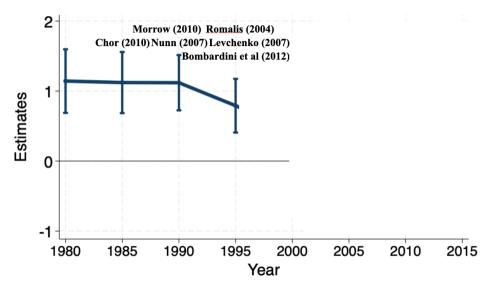
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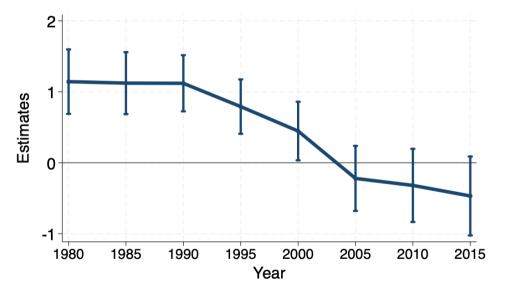
$$\label{eq:skill} \mbox{ln Exports}_{i,j,s,t} = \beta_t \left[ \mbox{Skill Intensity}_{s,t} \times \mbox{Skill Abundance}_{i,t} \right] + \eta_{i,j,t} + \eta_{j,s,t} + \varepsilon_{i,j,s,t},$$

- Expect  $\beta_t$  > 0: Skill-abundant countries export skill-intensive goods more
- Exports $_{i,j,s,t}$ : Bilateral trade flow i to j in s, from UN Comtrade
- Skill Intensity $_{s,t}$ : Share of skilled labor pay. in value added, from NBER-CES
- $\circ$  Skill Abundance<sub>i,t</sub>: Ratio of College- to Non-college-educated in i, from Barro-Lee
- $\eta_{i,j,t}$ : Exporter-Importer FEs: control distances, productivity level diffs,...
- $\eta_{j,s,t}$ : Importer-Sector FEs: control tariffs, expenditure shares,...

### Skill Abundance Used to be Important before 2000



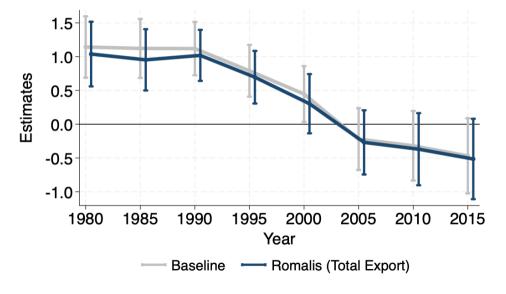
### Skill Abundance ≠ CA in Skill-Intensive Sectors after 2000



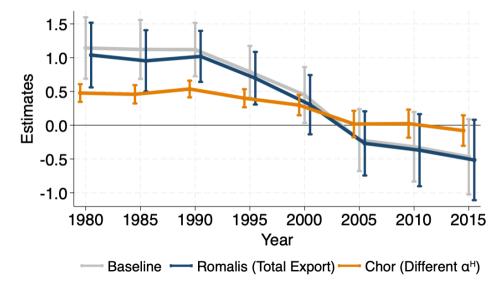
# Robustness (1) Other Papers' Specifications

- 1. Total exports, instead of bilateral exports (Romalis 2004, Nunn 2007,...)
- 2. Different measures of sectoral factor intensity (Chor 2010)
  - In ( $H_S/L_S$ ), instead of  $\alpha_S^H$ (≡ Skilled Payroll Share to Value-Added)

# Using Total Exports Does Not Change Results



# Using Different Intensity Measures Does Not Change Trends



### Robustness (2)

- Other sources of comparative advantage? → Capital → Institution
- Driven by small countries? 
   \times Weighted
- Some exporter-sector unobserved het., or IRS? > Pool years and FEs
- "Endogenous" skill abundance? → Use 1980 Value
- "Endogenous" skill intensity in the US? → Use 1980 Value
  - "Endogenous" interaction? → Use 1980 Values for Both
  - but, 1980's measure becomes less relevant by construction? → Use 2015 Value
- Different skill measures? High School Predicted by Demographics

# SOME POTENTIAL HYPOTHESES: AUTOMATION AND OFFSHORING

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What can make domestic skill abundance less relevant for CA after the 1990s?

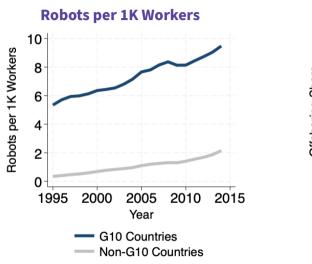
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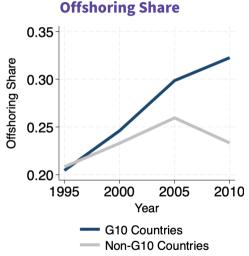
- What can make domestic skill abundance less relevant for CA after the 1990s?
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  - Automation: Replace low-skill labor with machines
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# Potential Hypotheses: Automation and Offshoring

- What can make domestic skill abundance less relevant for CA after the 1990s?
- Two mega-trends, replacing low-skill labor
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  - Offshoring: Replace low-skill labor with foreign inputs
- This section: Explore heterogeneous effects across countries and sectors
  - Caution: Just descriptive analysis for potential hypotheses
  - Causal interpretation using the model later

## Potential Hypotheses: Automation and Offshoring



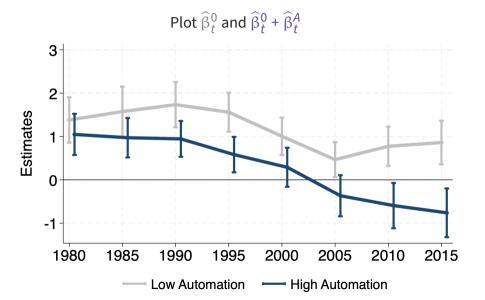


# Specification for Heterogeneous Effects

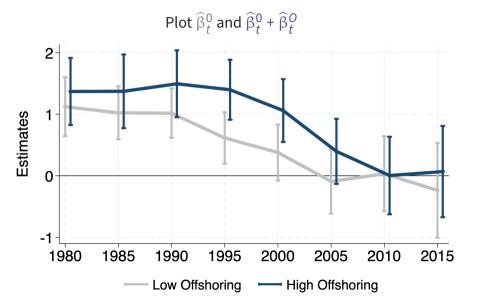
$$X_{i,j,s,t} = \exp \left[\underbrace{\beta_t^0 \left(1 + \beta_t^A H A_{i,s}\right)}_{=\beta_t} \cdot \left(\alpha_{s,t}^H \times \ln\left(\frac{H_{i,t}}{L_{i,t}}\right)\right) + \eta_{i,j,t} + \eta_{j,s,t}\right] + \varepsilon_{i,j,s,t}$$

- HA<sub>i,s</sub>: High-automation dummy (below/above the median robot adoption)
- Expect  $\beta_t^A$  to be decreasing over time
- Same for offshoring: replace  $HA_{i,s}$  with  $HO_{i,s}$  based on offshoring share

# Skills Abundance Matters in Low-Automation Country/Sector



# No Heterogeneous Effects from Offshoring



#### Same Results from Continuous Measures

$$X_{i,j,s,t} = \exp\left[\beta_t^0 \left(1 + \beta_t^A \text{Auto}_{i,s} + \beta_t^O \text{Ofs}_{i,s}\right) \cdot \left(\alpha_{s,t}^H \times \ln\left(\frac{H_{i,t}}{L_{i,t}}\right)\right) + \eta_{i,j,t} + \eta_{j,s,t}\right] + \varepsilon_{i,j,s,t},$$

	1995	2010	1995	2010
Skill Intensity x Abundance	1.26	-0.33		
	(0.23)	(0.28)		

x Automation (log robot stock)

x Offshoring Share (×100)

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1995	2010	1995	2010
1.26	-0.33	3.00	3.49
(0.23)	(0.28)	(0.41)	(0.57)
		-0.19	-0.35
		(0.05)	(0.06)
		0.04	0.05
		(0.05)	(0.07)
	1.26	1.26 -0.33	1.26 -0.33 3.00 (0.23) (0.28) (0.41) -0.19 (0.05) 0.04

Note: Automation measure: 12.2 for German cars, 2.3 for Indian textiles

### Summary of Empirical Facts

#### Summary

- Skill abundance become less important in comparative advantage over time
- Less important with higher Automation
- Offshoring has surprisingly, small effects

#### MODEL: TRADE WITH AUTOMATION AND OFFSHORING

Multi-sector Eaton-Kortum Model with Input-Output Linkages

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- Additional Production factors (produced using outputs)
  - Automation Capital: M<sub>i,S</sub>
  - Intermediate:  $XD_{i,s}$  (domestic),  $XF_{i,s}$  (foreign)
    - ⋆ including non-automation capital (buildings, land)

#### Standard Multi-Sector Eaton Kortum Model

- Country i, j, Sector s
- Trade share (gravity equation) is given by

$$\pi_{i,j,s}^{F} = \frac{(c_{i,s} \cdot \tau_{i,j,s})^{-\theta}}{\sum_{l}^{\Im} (c_{l,s} \cdot \tau_{l,j,s})^{-\theta}}$$

- Trade share:  $\pi_{i,j,s}^F \equiv X_{i,j,s} / \sum_l X_{l,j,s}$
- Unit cost:  $c_{i,s}$ ; Trade cost:  $\tau_{i,j,s}$ ; Trade elasticity  $\theta > 0$

## Unit Cost Function with Automation and Offshoring Shock

#### Unit production cost:

$$c_{i,s} = \Lambda_s \cdot (w_i^H)^{\alpha_s^H} \cdot \left[ \left( \frac{w_{i,s}^M}{\Gamma_{i,s}^M} \right)^{\Gamma_{i,s}^M} \cdot \left( \frac{w_i^L}{\Gamma_{i,s}^L} \right)^{\Gamma_{i,s}^L} \cdot \left( \frac{w_{i,s}^{XD}}{\Gamma_{i,s}^{XD}} \right)^{\Gamma_{i,s}^{XD}} \cdot \left( \frac{w_{i,s}^{XF}}{\Gamma_{i,s}^{XF}} \right)^{\Gamma_{i,s}^{XF}} \right]^{1-\alpha_s^{YF}}$$

- Production task can be completed by one of the factors
  - machine M, low-skilled labor L, domestic inputs XD, foreign inputs XF
  - Γ<sup>F</sup><sub>i.s</sub>: task shares within production-task for factor F ∈ {M, L, XD, XF}
  - Micro-foundation: task model (Acemoglu & Restrepo)
- Machines and intermediates are produced using final goods

### **Goods & Labor Market Clearing**

Goods Market Clearing (Output  $Y_{i,s}$ , sectoral exp. share  $\mu_{i,s}$ , IO coef.  $\alpha$ )

$$Y_{i,s} = \underbrace{\sum_{j} \pi_{ij,s}^{F} \mu_{j,s}(w_{j}^{L}L_{j} + w_{j}^{H}H_{j})}_{\text{Final Consumption in } j} + \underbrace{\sum_{j} \sum_{r} \pi_{ij,r}^{M} \alpha_{j,sr}^{M} (1 - \alpha_{r}^{H}) \Gamma_{j,r}^{M} Y_{j,r}}_{\text{Machine in } j - r} + \underbrace{\sum_{r} \alpha_{i,sr}^{X} (1 - \alpha_{r}^{H}) \Gamma_{i,r}^{XP} Y_{j,r}}_{\text{Domestic Intermediates in } i - r} + \underbrace{\sum_{j} \sum_{r} \pi_{ij,r}^{X} \alpha_{j,sr}^{X} (1 - \alpha_{r}^{H}) \Gamma_{j,r}^{XF} Y_{j,r}}_{\text{Foreign Intermediates in } j(\neq i) - r}$$

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#### Labor Market Clearing

$$w_i^L L_i = \sum_{S} (1 - \alpha_S^H) \Gamma_{i,S}^L Y_{i,S}$$
$$w_i^H H_i = \sum_{S} \alpha_S^H Y_{i,S}$$

#### Equilibrium Conditions Two Country

Given factor endowments  $\{H_i, L_i\}_{i \in \mathcal{I}}$ , an equilibrium is a set of wages  $\{w_i^H, w_i^L\}_{i \in \mathcal{I}}$ 

- Consumers maximize utility by choosing from which countries to buy
  - $\rightarrow$  trade share  $\pi_{i,j,s}$ , as a function of unit cost  $\{c_{i,s}\}_{i\in\mathcal{I},s\in\mathcal{S}}$
- Unit cost,  $c_{i,s}$ , as a function of  $\{w_i^H, w_i^L\}_{i \in \mathcal{I}}$ 
  - $\{w_{i,s}^M, w_{i,s}^{XD}, w_{i,s}^{XF}\}$  are functions of  $\{w_i^H, w_i^L\}_{i \in \mathcal{I}}$  with IO coef.
- Goods and Labor Markets Clear
- Trade is balanced

# QUANTIFICATION

- Two Exercises:
  - 1. Can changes in  $\Gamma_{i,s,t}^{M}$  (automation) and  $\Gamma_{i,s,t}^{XF}$  (offshoring) explain  $\widehat{\beta}_{t}$ ?
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$$-\Gamma_{i,s,t}^{M} \equiv \frac{p_{i,s,t}^{M}M_{i,s,t}}{\text{Total Cost}_{i,s,t}} \text{ (automation, constructed)}$$

$$p_{i,s,t}^{M} M_{i,s,t} = \underbrace{p_{i,s,t0}^{K} K_{i,s,t0}}_{\text{Capital Income}} \cdot \underbrace{\frac{p_{US,s,t0}^{M} M_{US,s,t0}}{p_{US,s,t0}^{K} K_{US,s,t0}}}_{\text{Machine-Capital Ratio}} \cdot \underbrace{\frac{p_{i,s,t}^{R} R_{i,s,t}}{p_{i,s,t0}^{R} R_{i,s,t0}}}_{\text{Increases in Robots}}.$$

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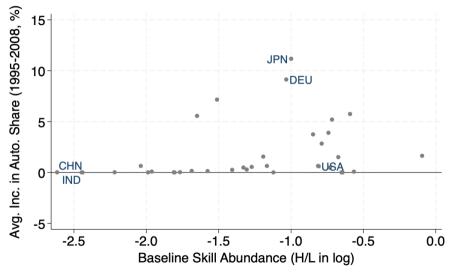
-  $\Gamma_{i,s,t}^{XF}$  (offshoring, just data), fixing  $\Gamma_{i,s,t}^{XD}$  (domestic intermediate share)

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  - $\Gamma_{i,s,t}^{M} \equiv \frac{p_{i,s,t}^{M} M_{i,s,t}}{\text{Total Cost}_{i,s,t}} \text{ (automation, constructed)}$

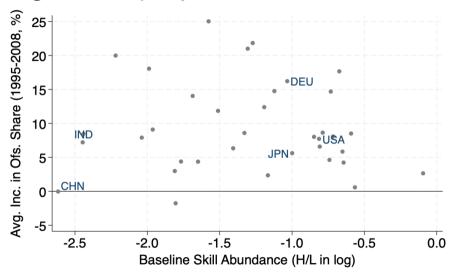
$$p_{i,s,t}^{M}M_{i,s,t} = \underbrace{p_{i,s,t0}^{K}K_{i,s,t0}}_{\text{Capital Income}} \cdot \underbrace{\frac{p_{US,s,t0}^{M}M_{US,s,t0}}{p_{US,s,t0}^{K}K_{US,s,t0}}}_{\text{Machine-Capital Ratio}} \cdot \underbrace{\frac{p_{i,s,t}^{R}R_{i,s,t}}{p_{i,s,t0}^{R}R_{i,s,t0}}}_{\text{Increases in Robots}}.$$

- $\Gamma^{XF}_{i,s,t}$  (offshoring, just data), fixing  $\Gamma^{XD}_{i,s,t}$  (domestic intermediate share)
- Adjust  $\Gamma_{i,s,t}^L$  (low-skilled labor share) to make  $\sum_{F=L,M,XD,XF} \Gamma_{i,s,t}^F = 1$

#### More Automation in Skill-Abundant Countries



## Offshoring is More Equally Distributed



#### CHANGES IN COMPARATIVE ADVANTAGE

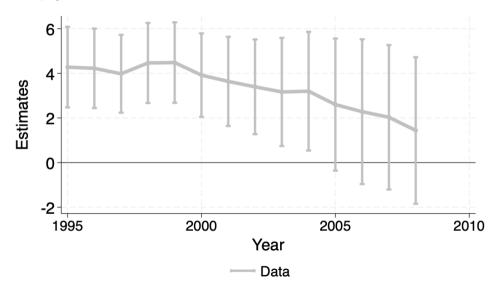
# 1. Automation and Offshoring on Changes in $\widehat{\beta}$

- Question: How much can  $\Gamma_{i,s,t}^{M}$  and  $\Gamma_{i,s,t}^{XF}$  explain the path of  $\widehat{\beta_t}$ ?
- Calibrate the model to 1995, and hat algebra
- Run the same regression as in data but for counterfactual economies

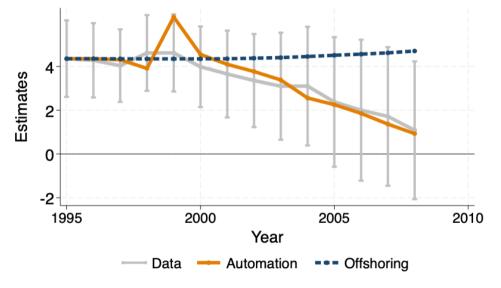
$$\ln(X_{i,j,s,t})' = \beta_t \left[ \alpha_{s,t_0}^H \times \ln\left(\frac{H_{i,t_0}}{L_{i,t_0}}\right) \right] + \eta_{i,j,t} + \eta_{j,s,t} + \varepsilon_{i,j,s,t}.$$

- Counterfactual trade flow:  $(X_{i,i,s,t})'$ 
  - Data (World Input-Output Database)
  - Case 1. Only Automation: Change  $\Gamma^{M}_{i,s,t}$  Case 2. Only Offshoring: Change  $\Gamma^{XF}_{i,s,t}$

# In Data, $\widehat{\beta}_t$ decreases



# Automation, Not Offshoring, Causes the Decline



#### Why Automation?

- Sizes of automation & offshoring similar
  - If any, offshoring is larger
- Why automation, not offshoring, matter?

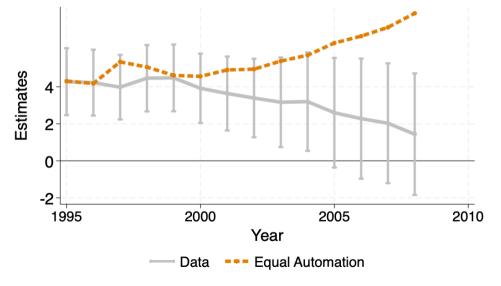
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#### Why Automation?

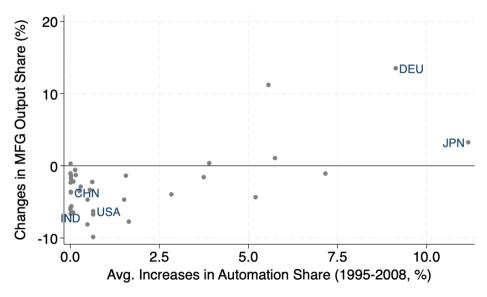
- Sizes of automation & offshoring similar
  - If any, offshoring is larger
- Why automation, not offshoring, matter?
- One observation: Automation happens disproportionately in L- scarce countries
- Experiment: Suppose all the countries increase automation equally...

### Equal Automation Cannot Explain the Decline

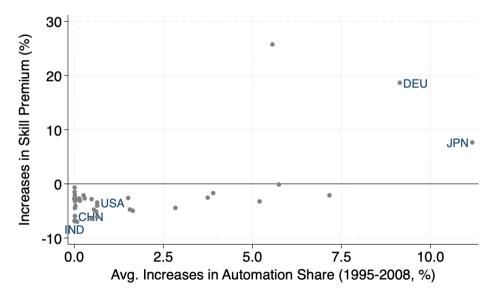


#### MACRO IMPLICATIONS OF AUTOMATION

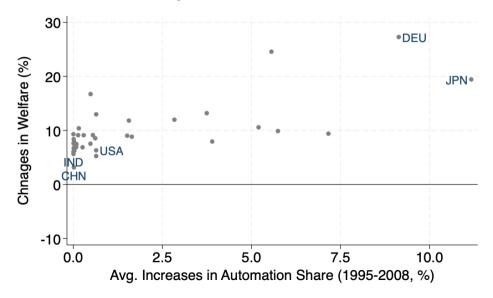
## Manufacturing Shifts to High-Automation Countries



# Skill Premia Increases Only in High-Automation Countries

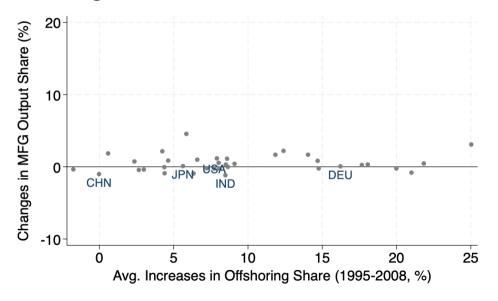


### Welfare Increases Everywhere

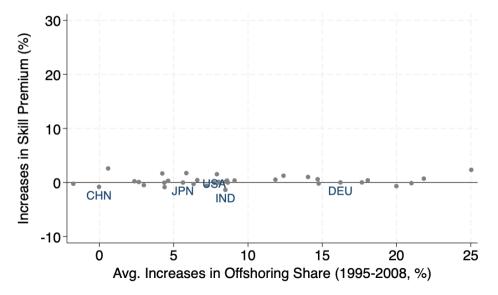


### MACRO IMPLICATIONS OF OFFSHORING

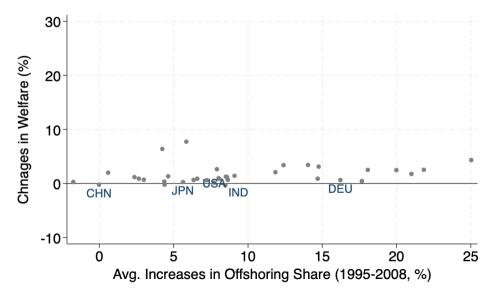
# Manufacturing Shifts Less



# Skill Premia Increases Everywhere, but Less



# Welfare Increases Everywhere, but Less



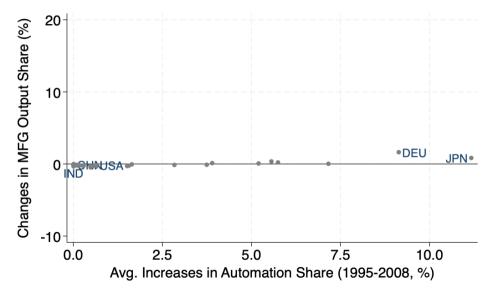
# The Relationship between Automation, Globalization, and Inequality

- Automation → shifts MFG to High-Automation countries
- Demand for H increases in High-Automation countries
- Demand for L increases in Low-Automation countries
  - Move to Service sectors, which are more *L*-intensive

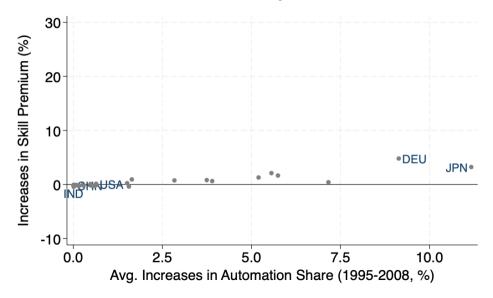
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- Demand for L increases in Low-Automation countries
  - Move to Service sectors, which are more *L*-intensive
- Roles of Trade?
- Now, set the trade elasticity  $\theta$  = 1, instead of  $\theta$  = 4

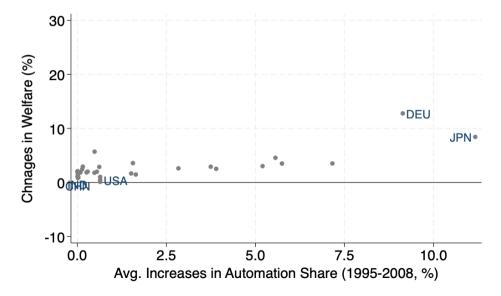
### $\theta$ = 1: Lower Elas. Makes MFG Shifts Less



# $\theta$ = 1: Skill Premia Increases Everywhere



# $\theta$ = 1: Welfare Increases Everywhere, but Less



Have patterns of comparative advantage changed or not?

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  - Labor demand from South's low-skilled to North's high-skilled within MFG
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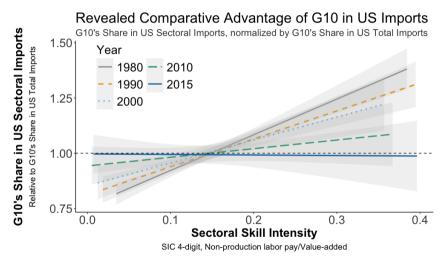
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- Offshoring has a smaller aggregate effect
- NEXT: Policy implications? Clean-dirty tech v.s. oil-rich countries?

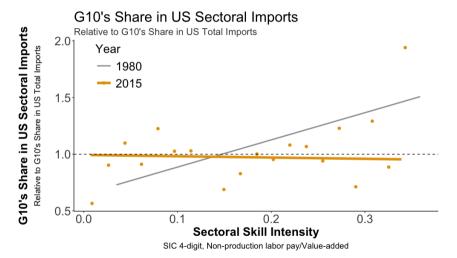
# **APPENDIX**

# **FACTS**

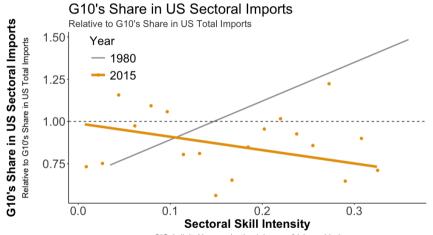
#### It's Not Just 1980 vs 2015. It's the Trend!



## Dropping China Does Not Change the Result

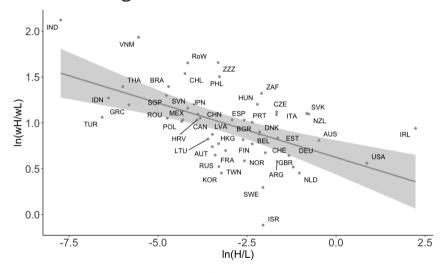


# Dropping Japan Does Not Change the Result (if any, cleaner)



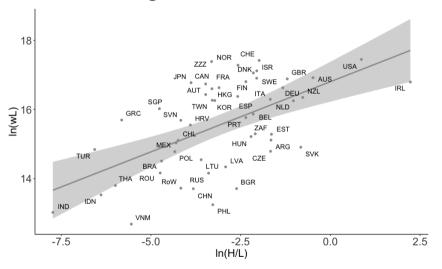
SIC 4-digit, Non-production labor pay/Value-added

## Relative Skilled Wages and Skill Endowment - back



Note: Data from GTAP, 2004

# Levels of Unskilled Wages and Skill Endowment - back



Note: Data from GTAP, 2004

# REGRESSION

# Simplified Structural Interpretation

Gravity Equation + Unit Production Cost

$$X_{i,j,s} = \left( (c_{i,s} \tau_{i,j} \tau_{j,s}) \right)^{1-\sigma} \cdot (P_{j,s})^{\sigma-1} X_{j,s}, \quad \ln X_{i,j,s} = (1-\sigma) \cdot \ln c_{i,s} + \mu_{i,j} + \mu_{j,s}$$

$$c_{i,s} = (w_i^H)^{\alpha_s^H} (w_i^L)^{1-\alpha_s^H}, \quad \ln c_{i,s} = \underbrace{\frac{d \ln(w^H/w^L)}{d \ln(H/L)}}_{\equiv \epsilon^W: \text{ Rel. Wage Elas.} < 0} \cdot \alpha_s^H \cdot \ln \left(\frac{H_i}{L_i}\right) + \ln w_i^L$$

Regression

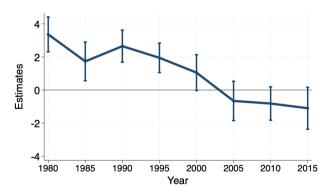
$$\ln X_{i,j,s} = (1 - \sigma)\epsilon^{W} \left[ \alpha_{s}^{H} \times \ln \left( \frac{H_{i}}{L_{i}} \right) \right] + \mu_{i,j} + \mu_{j,s} + \ln w_{i}^{L}$$

▶ back

# **ROBUSTNESS**

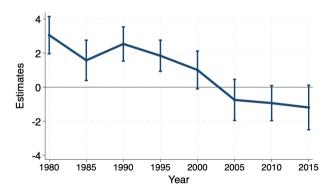
# Controlling Capital Intensity - back

$$X_{i,j,s,t} = \exp\left(\beta_t \left[\alpha_{s,t}^H \times \ln\left(\frac{H_{i,t}}{L_{i,t}}\right)\right] + \beta_t^K \left[\alpha_{s,t}^K \times \ln\left(\frac{K_{i,t}}{L_{i,t}}\right)\right] + \eta_{i,j,t} + \eta_{j,s,t}\right) + u_{i,j,s,t}$$

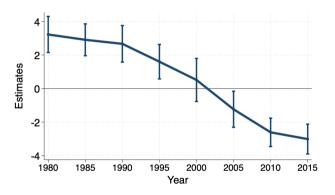


# Controlling Capital Intensity and Institutions - back

$$X_{i,j,s,t} = \exp\left(\beta_t \left[\alpha_{s,t}^H \times \ln\left(\frac{H_{i,t}}{L_{i,t}}\right)\right] + \sum_{f \in \{K,f\}} \beta_t^F \left[\alpha_{s,t}^F \times \ln\left(\frac{F_{i,t}}{L_{i,t}}\right)\right] + \eta_{i,j,t} + \eta_{j,s,t}\right) + u_{i,j,s,t}$$

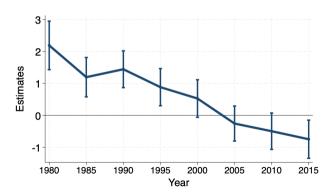


# Weighted by Country Export → back



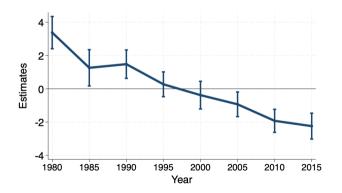
## Pool and control Origin-Sector FEs - back

$$X_{i,j,s,t} = \exp\left(\beta_t \left[\alpha_{s,t}^H \times \ln\left(\frac{H_{i,t}}{L_{i,t}}\right)\right] + \eta_{i,s} + \eta_{i,j,t} + \eta_{j,s,t}\right) + u_{i,j,s,t}$$



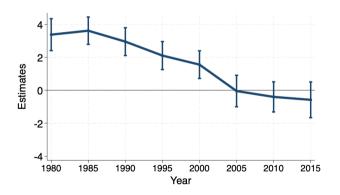
#### Use 1980's Factor Endowment → back

$$X_{i,j,s,t} = \exp\left(\beta_t \left[\alpha_{s,t}^H \times \ln\left(\frac{H_{i,1980}}{L_{i,1980}}\right)\right] + \eta_{i,j,t} + \eta_{j,s,t}\right) + u_{i,j,s,t}$$



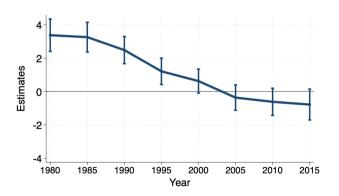
## Use 1980's Factor Intensity → back

$$X_{i,j,s,t} = \exp\left(\beta_t \left[\alpha_{s,1980}^H \times \ln\left(\frac{H_{i,t}}{L_{i,t}}\right)\right] + \eta_{i,j,t} + \eta_{j,s,t}\right) + u_{i,j,s,t}$$



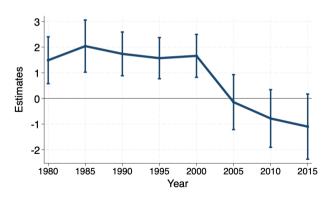
# Use 1980's Factor Endowment and Intensity - back

$$X_{i,j,s,t} = \exp\left(\beta_t \left[\alpha_{s,1980}^H \times \ln\left(\frac{H_{i,1980}}{L_{i,1980}}\right)\right] + \eta_{i,j,t} + \eta_{j,s,t}\right) + u_{i,j,s,t}$$



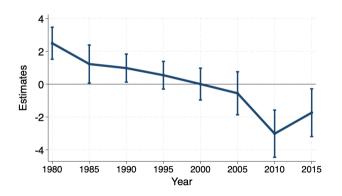
## Use 2015's Factor Intensity → back

$$X_{i,j,s,t} = \exp\left(\beta_t \left[\alpha_{s,2015}^H \times \ln\left(\frac{H_{i,t}}{L_{i,t}}\right)\right] + \eta_{i,j,t} + \eta_{j,s,t}\right) + u_{i,j,s,t}$$



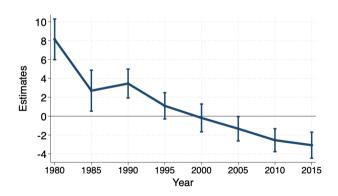
## High-school Graduates as Skilled → back

$$X_{i,j,s,t} = \exp\left(\beta_t \left[\alpha_{s,t}^H \times \ln\left(\frac{HS_{i,t}}{NHS_{i,t}}\right)\right] + \eta_{i,j,t} + \eta_{j,s,t}\right) + u_{i,j,s,t}$$



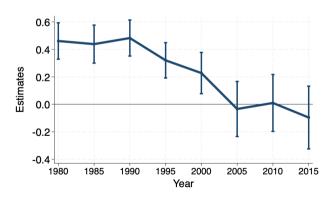
## Instrument Skill Endowment by Cohort IV - back

$$X_{i,j,s,t} = \exp\left(\beta_t \left[\alpha_{s,t}^H \times \ln\left(\frac{H_{i,t}}{L_{i,t}}\right)\right] + \eta_{i,j,t} + \eta_{j,s,t}\right) + u_{i,j,s,t}$$



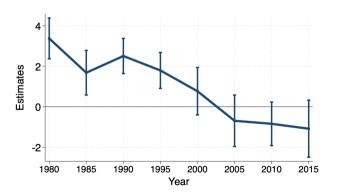
# Chor (2011): Num of Workers as Factor Intensity - back

$$X_{i,j,s,t} = \exp\left(\beta_t \left[\ln\left(\frac{H_{s,t}}{L_{s,t}}\right) \times \ln\left(\frac{H_{i,t}}{L_{i,t}}\right)\right] + \eta_{i,j,t} + \eta_{j,s,t}\right) + u_{i,j,s,t}$$



## Romalis (2004): Total Export → back

$$X_{i,s,t} = \exp\left(\beta_t \left[\alpha_{s,t}^H \times \ln\left(\frac{H_{i,t}}{L_{i,t}}\right)\right] + \eta_{i,t} + \eta_{s,t}\right) + u_{i,s,t}$$

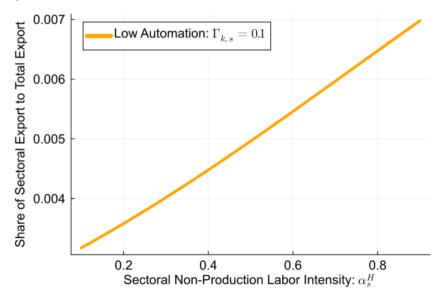


### TWO COUNTRY ILLUSTRATION: AUTOMATION

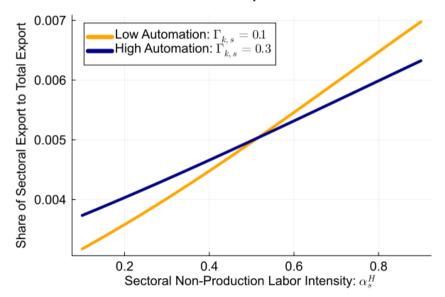
# Two Country Illustration: Automation

- North (40% are H) and South (25% are H)
- Actual factor intensity across 397 SIC sectors
- Set  $\alpha_s^G = \alpha_s^M = 0$  (focus on value-added)
- Exogenous changes in factor intensity common across sectors & countries
  - Automation: Increase  $\Gamma_{i,s}^{K} = 0.1$  to 0.3
- Show export share of each sector in North against  $\alpha_s^H$  Slope is  $\beta^H$

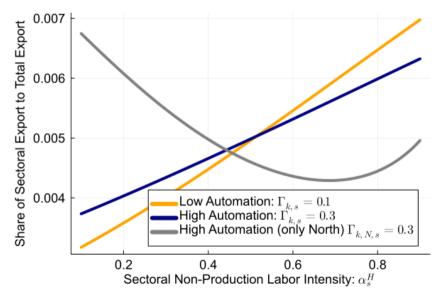
## North Specialize in Skill-Intensive Sectors



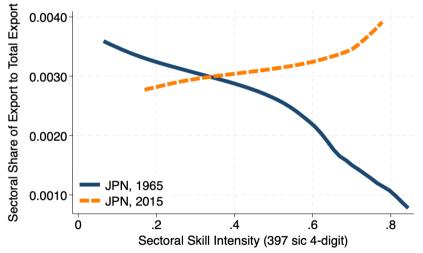
## Automation Makes Skills Less Important



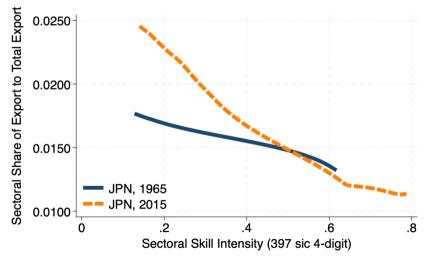
# If Only North Automates, Sign Flips



# Example: Within Low-Automation Sectors, Japan Specializes in Skill Intensive Industries



# Example: Within High-Automation Sectors, Japan Specializes in Low-Skill Intensive Industries



### **CALIBRATION**

# Calibration → back

Description	Parameter	Values	Source
Panel A: Time-Invariant I	Parameters		
Trade Elas.	θ	4	Standard
Expenditure Share	$\mu_{i,s}$	Data	WIOT
Panel B: Time-Variant Pa	rameters		
Factor Endowment	$H_{it}, L_{it}$	Data	WIOT
Factor Share	$\alpha^H_{i,s,t}, \Gamma^F_{i,s,t}$	Data	WIOT

#### TOY MODEL: TASK AND COMPARATIVE ADVANTAGE

#### Model

- Small open economy with two sectors (s = 1, 2)
- Demand

$$q_S = (c_S)^{1-\sigma} \cdot \overline{Q_S}$$

Production (micro-foundation = task framework)

$$Y_S = \zeta \cdot (H_S)^{\alpha_S} \left( (L_S)^{\Gamma} (M_S)^{1-\Gamma} \right)^{1-\alpha_S}, \quad \alpha_1 = 1 - \alpha_2 = \alpha > 1/2$$

- M<sub>s</sub>: machines or foreign factors supplied at a fixed price r
- Factor market clearing

$$\sum_{S=1,2} H_S = H, \quad \sum_{S=1,2} L_S = L$$

# Equilibrium

Wages {w<sup>L</sup>, w<sup>H</sup>} that satisfy

$$w^L L = \Gamma(1-\alpha)(c_1)^{1-\sigma} + \Gamma\alpha(c_2)^{1-\sigma}, \quad w^H H = \alpha(c_1)^{1-\sigma} + (1-\alpha)(c_2)^{1-\sigma}$$

Unit cost

$$c_{s} = \left(w^{H}\right)^{\alpha_{s}} \left(\left(w^{L}\right)^{\Gamma}\left(r\right)^{1-\Gamma}\right)^{1-\alpha_{s}}$$

# Comparative Advantage

- A change in factor endowment  $\hat{H} = -\hat{L}$  (=compare two small countries)
- Up to 1st order, CA in H-intensive sector (s = 1)

$$\widehat{c_2} - \widehat{c_1} = \underbrace{-(2\alpha - 1)\widehat{\omega}}_{\text{Skill Premium}<0} \underbrace{-(1 - \Gamma)(2\alpha - 1)\widehat{w^L}}_{\text{Task Displacement}}$$

• Skill premium  $(\widehat{\omega} \equiv \widehat{w^H} - \widehat{w^L})$  and wages

$$\widehat{\omega} = \underbrace{-2\widehat{H}}_{\text{Labor Supply}} + \underbrace{(2\alpha - 1)(\sigma - 1)(\widehat{c_2} - \widehat{c_1})}_{\text{GE Effect}}, \quad \widehat{w^L} = \frac{(\sigma - 1)(2\alpha - 1) - 1}{2 + (1 - \Gamma)(\sigma - 1)(2\alpha - 1)}\widehat{\omega}$$

# Comparative Advantage if $\Gamma = 1$

#### Proposition 1: Rybczynski (1955)

An increase in skilled labor  $\widehat{H} > 0$  strengthens comparative advantage in a skill-intensive sector.

$$\widehat{c_2} - \widehat{c_1} = \frac{2(2\alpha - 1)}{1 + (2\alpha - 1)^2(\sigma - 1)}\widehat{H}$$

# Comparative Advantage if $\Gamma$ < 1

#### Proposition 2: Acemoglu-Restrepo meets Rybczynski

An increase in skilled labor  $\widehat{H} > 0$  strengthens comparative advantage in a skill-intensive sector. However, the elasticity is lower when labor share  $\Gamma$  is lower.

$$\widehat{c_2} - \widehat{c_1} = \frac{2(2\alpha - 1)}{\frac{1}{\eta(\Gamma)} + (2\alpha - 1)^2(\sigma - 1)}\widehat{H}$$
 (1)

where 
$$\eta(\Gamma)=1-\frac{1-(\sigma-1)(2\alpha-1)}{\frac{2}{1-\Gamma}+(\sigma-1)(2\alpha-1)}\in (0,1)$$
 is increasing in  $\Gamma$ .