-	D	-
-	1 RORIEM	15

coefficients  $\rightarrow$  2's comprehent values on 3 bits:  $-2^2 \le N \le 2^2 - 1 \equiv [-4, +3]$ 

 $\Delta \neq 0$ 

" Number of bits to represent the determinants:

WORSE CASE: 1 = [-4+(-4)-0]=16

To represent number 16, you need 6 bits:

5 bits are not enough because you can only represent a maximum value equal to  $2^4-1=15$  (as positive value).

LD Variables to those determinants:

DET 68 0 : A

×Δ; O 80 x 770

DETLY DB O ; AY

" Number of bits to represent the results

WORSE CASE:  $\Delta = 1$ 

= D X int = Ax or y int = Ay

Same analysis performed above = 6 bits needes (variable on 8 bits)

To compute the result you need a 16/8 division, so that the integer part will be represented on 8 bits.

· Compute Jeterminants:

- 2 IMUL 8 x 8 ... but only the smallest 8 bits are taken

- 1 sub 16-16 (because of the analysis performed above)

```
. Input part : read coefficient's values and store them in the corresponding variables.
. Assuming that: the input is correct, coefficient E I-4, +3 ], positive numbers are written without "+".
 Reading a coefficient (the code is always the same for all coefficients)
   MOV AH, OIH , read one that from keyboard
  INT 21H
  CHP AL '-
   JE negative number
   SUB AL 10'
   MOV COEFF_A AL
   JMP exit1
   INT 21H
   SUB AL, 'O'
   NEG AL
   MOV COEFF_A, AL
; compute the determinants (only \Delta, for the other ones the code is the same)
 MOV AL COEFF_A
 MOV CL, COEFF_E
                     ; AL = axe
                                                 (credition because of signed numbers)
 IMUL CL
 MOV DET AL
 MOV AL COEFF B
 MOV CL, COEFF_D
 IMUL CL
                       , AL = b + d
 SUB DET, AL
                          DET = 0 = axe - bxd
```

1	Compute the final value of $X$ -INT and $Y$ -INT (actually, only if $\Delta \neq 0$ )
- ;	Compute X-INT (Y-INT is computed in the same way)
	MOV AL, DET-X
	CBW
TO DESCRIPTION OF THE PARTY OF	MOV CL DET
And the second of the second o	IAW CL
	MOV X-INT AL
20 m	1 DB
	Feature A $(\Delta = 0)$
	if $\Delta x \neq 0$ and $\Delta_y \neq 0 \Rightarrow$ impossible else if $\Delta x = 0$ and $\Delta_y = 0 \Rightarrow$ undetermined
1	CMP DET O
	JE verifyType
	; otherwise $(\Delta \neq 0)$ compute x int and y int as above
	CMP DET_X, O
	JE undetermined
	; otherwise print "impossible" and return to user menu
	etermined:
	print "undetermined", and return to over menu

```
Feature B -> compute alerall squared emon
Assume to define so ERR DW? and TMP DW?
MOV AL CORFE A
MOV CL, X-INT
IMUL CL
                     : AX = a. XINT
MON 20 FOR AX
MOV AL, COEFF_B
MOV OH, Y-INT
IMUL CH
                       : AX = b . YINT
ADD SQ_ERR AX
                        , a - XINT + by INT
MOV AL COEFF-C
CBW
SUB SQ ERR AX
                           a. xint + b. Yint -
MOV AX 50 GRR
PUSH CX
MOV CX, SQ LERR
IMUL CX
MOV SQLERR, AX
POP CX
MOV AL, COEFF- D
IMUL CL
MOV THP, AX
MOV AL COEFF E
IMUL OH
ADD THP AX
MOV AL COEFF F
CBW
SUB TMP, AX
MOV AX, THP
MOV CX, THP
IMUL CX
ADD SQ - ERR, AX
```