covid_tbl.final.R

mac

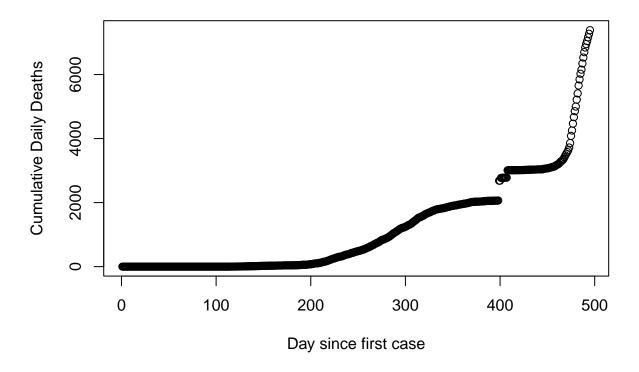
2023-06-02

```
#Shital Bhandary
#2 June 2023
#Based on 21st Lecture of Statistical Computing with R course
#Masters in Data Science program, School of Mathematical Sciences
#Tribhuvan University, Kirtipur, Nepal
covid_tbl_final <- read.csv("~/Documents/covid19_nepal/data/covid_tbl_final.csv")</pre>
str(covid_tbl_final)
## 'data.frame': 495 obs. of 14 variables:
## $ SN
                              : int 1 2 3 4 5 6 7 8 9 10 ...
## $ Date
                                     "23-Jan" "24-Jan" "25-Jan" "26-Jan" ...
                              : chr
## $ Confirmed_cases_total : int 1 1 1 1 1 1 1 1 1 1 ...
## $ Confirmed_cases_new : int 1 0 0 0 0 0 0 0 0 ...
## $ Confirmed._cases_active: int 1 1 1 1 1 1 0 0 0 0 ...
## $ Recoveries_total : int 0 0 0 0 0 1 1 1 1 ...
## $ Recoveries_daily : int 0 0 0 0 0 1 0 0 0 ...
## $ Deaths_total
                            : int 0000000000...
## $ Deaths_daily : int 0 0 0 0 0 0 0 0 0 0 ...
## $ RT.PCR_tests_total : int NA NA NA NA NA NA 3 4 5 5 NA ...
## $ RT.PCR_tests_daily : int NA NA NA NA NA NA NA 1 1 0 NA ...
## $ Test_positivity_rate : num NA NA NA NA NA ...
## $ Recovery_rate : num 0 0 0 0 0 100 100 100 100 ...
## $ Case_fatality_rate : num 0 0 0 0 0 0 0 0 0 ...
mean(covid_tbl_final$Confirmed_cases_total)
## [1] 138125.2
mean(covid_tbl_final$Confirmed_cases_new)
## [1] 1133.943
mean(covid_tbl_final$Confirmed._cases_active)
```

[1] 14243.52

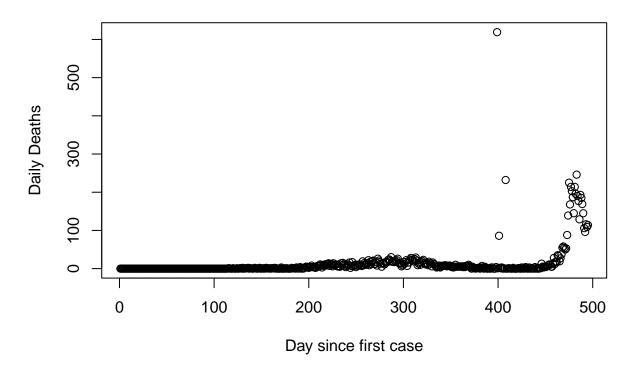
```
mean(covid_tbl_final$Recoveries_total)
## [1] 122680.1
mean(covid_tbl_final$Recoveries_daily)
## [1] 903.9313
mean(covid_tbl_final$Deaths_total)
## [1] 1201.515
mean(covid_tbl_final$Deaths_daily)
## [1] 14.92121
mean(covid_tbl_final$RT.PCR_tests_total)
## [1] NA
mean(covid_tbl_final$RT.PCR_tests_daily)
## [1] NA
#Cumulative Daily deaths
#There is a gap and we need to find why
plot(covid_tbl_final$SN, covid_tbl_final$Deaths_total,
     main = "Daily Deaths: 23 Jan 2020 - 31 May 2021",
     xlab = "Day since first case",
    ylab = "Cumulative Daily Deaths")
```

Daily Deaths: 23 Jan 2020 - 31 May 2021



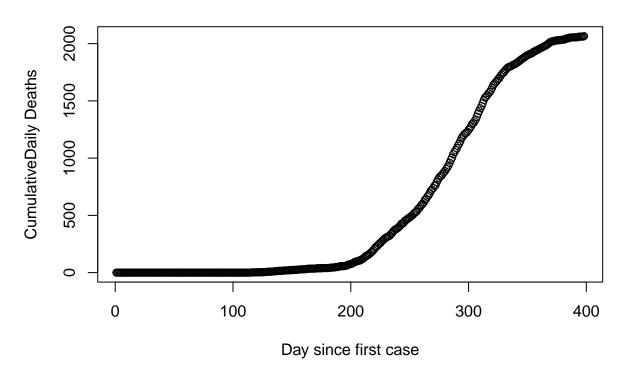
```
#Daily deaths
#There are problems as we can see three daily death values that are way more thann usual
#This happened as the death tally from MoHP and Nepali Army did not match
plot(covid_tbl_final$SN, covid_tbl_final$Deaths_daily,
    main = "Daily Deaths: 23 Jan 2020 - 31 May 2021",
    xlab = "Day since first case",
    ylab = "Daily Deaths")
```

Daily Deaths: 23 Jan 2020 - 31 May 2021



```
#Cumulative deaths upto 398 cases i.e. 23 Feb 2021
#There are the cumulative daily deaths without adding the deaths reported by Army
plot.data <- covid_tbl_final[covid_tbl_final$SN <=398,-15]
plot(plot.data$SN, plot.data$Deaths_total,
    main = "Daily Covid Deaths, Nepal: 23 Jan - 23 Feb 2021",
    xlab = "Day since first case",
    ylab = "CumulativeDaily Deaths")</pre>
```

Daily Covid Deaths, Nepal: 23 Jan - 23 Feb 2021



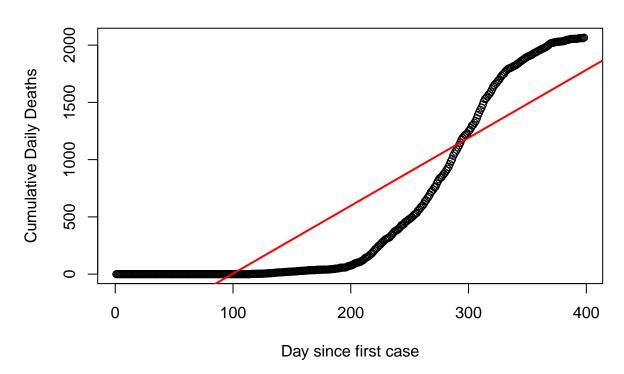
```
#We will fit polynomial models on this data now
#Linear model:
#Linear model:
#R-square = 0.7921, F-test is statistically significant
#Coefficient is also statistically significant
lm <- lm(Deaths_total ~ SN, data = plot.data)
summary(lm)
##
## Call:
## lm(formula = Deaths_total ~ SN, data = plot.data)</pre>
```

```
## lm(formula = Deaths_total ~ SN, data = plot.data)
##
## Residuals:
##
      Min
                1Q Median
                                3Q
                                       Max
                     22.38 351.50
## -537.91 -344.76
                                    582.90
##
## Coefficients:
                Estimate Std. Error t value Pr(>|t|)
## (Intercept) -588.8326
                            35.1575
                                    -16.75
                                              <2e-16 ***
## SN
                  5.9315
                             0.1527
                                      38.84
                                              <2e-16 ***
## ---
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 350 on 396 degrees of freedom
## Multiple R-squared: 0.7921, Adjusted R-squared: 0.7916
```

```
## F-statistic: 1509 on 1 and 396 DF, p-value: < 2.2e-16
```

```
#Plot with linear model
#Clearly shows the underfitting
plot(plot.data$SN, plot.data$Deaths_total,
    main = "Daily Covid Deaths, Nepal: 23 Jan - 23 Feb 2021",
    xlab = "Day since first case",
    ylab = "Cumulative Daily Deaths")
abline(lm(Deaths_total ~ SN, data = plot.data), col = "red", lwd=2)
```

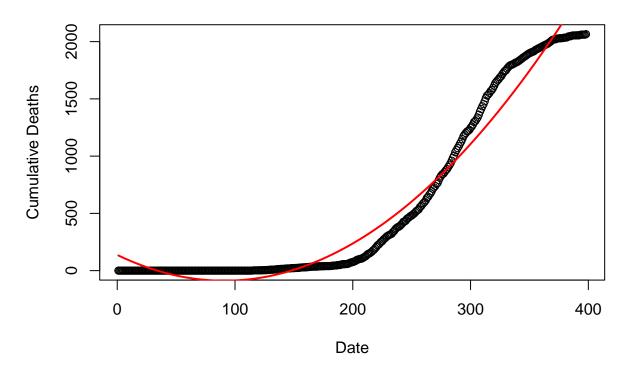
Daily Covid Deaths, Nepal: 23 Jan - 23 Feb 2021



```
#Quadratic Linear model
#R-squared = 0.9692, F-test is statistically significant
\# Coefficients are also statistically significant
qlm <- lm(Deaths_total ~ poly(SN, 2, raw=T), data = plot.data)</pre>
summary(qlm)
##
## lm(formula = Deaths_total ~ poly(SN, 2, raw = T), data = plot.data)
##
## Residuals:
       Min
                1Q Median
                                3Q
                                        Max
## -422.04 -110.87
                      8.94
                             81.97 282.94
```

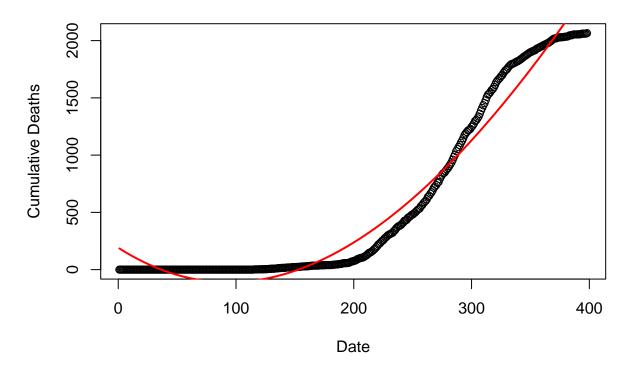
Coefficients:

```
##
                          Estimate Std. Error t value Pr(>|t|)
                         1.372e+02 2.039e+01
## (Intercept)
                                                6.727 6.11e-11 ***
## poly(SN, 2, raw = T)1 -4.959e+00 2.360e-01 -21.009 < 2e-16 ***
## poly(SN, 2, raw = T)2 2.729e-02 5.728e-04 47.646 < 2e-16 ***
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1
## Residual standard error: 134.9 on 395 degrees of freedom
## Multiple R-squared: 0.9692, Adjusted R-squared: 0.969
## F-statistic: 6211 on 2 and 395 DF, p-value: < 2.2e-16
#Plot with quadratic linear model
#Clearly shows the good fit but can we do it better
plot(Deaths_total ~ SN, data=plot.data,
    main = "Cumulative Covid Deaths, Nepal: 23 Jan - 23 Feb 2021",
    xlab = "Date",
    ylab = "Cumulative Deaths")
lines(fitted(qlm) ~ SN, data=plot.data, col="red", lwd=2)
```



```
#Cubic Linear model
#R-squared = 0.9699, F-test is statistically significant
#Coefficients are also statistically significant
clm <- lm(Deaths_total ~ poly(SN, 3, raw=T), data = plot.data)
summary(clm)</pre>
```

```
## Call:
## lm(formula = Deaths_total ~ poly(SN, 3, raw = T), data = plot.data)
## Residuals:
      Min
               1Q Median
                               3Q
                                      Max
## -369.58 -123.49 12.82 99.36 267.65
## Coefficients:
##
                          Estimate Std. Error t value Pr(>|t|)
                         1.912e+02 2.704e+01
                                              7.073 6.95e-12 ***
## (Intercept)
## poly(SN, 3, raw = T)1 -6.574e+00 5.861e-01 -11.217 < 2e-16 ***
## poly(SN, 3, raw = T)2 3.740e-02 3.411e-03 10.966 < 2e-16 ***
## poly(SN, 3, raw = T)3 -1.689e-05 5.620e-06 -3.006 0.00282 **
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 133.6 on 394 degrees of freedom
## Multiple R-squared: 0.9699, Adjusted R-squared: 0.9696
## F-statistic: 4228 on 3 and 394 DF, p-value: < 2.2e-16
#Plot with cubic linear model
#Clearly shows the good fit but can we do it better?
plot(Deaths_total ~ SN, data=plot.data,
    main = "Cumulative Covid Deaths, Nepal: 23 Jan - 23 Feb 2021",
    xlab = "Date",
    ylab = "Cumulative Deaths")
lines(fitted(clm) ~ SN, data=plot.data, col="red", lwd=2)
```

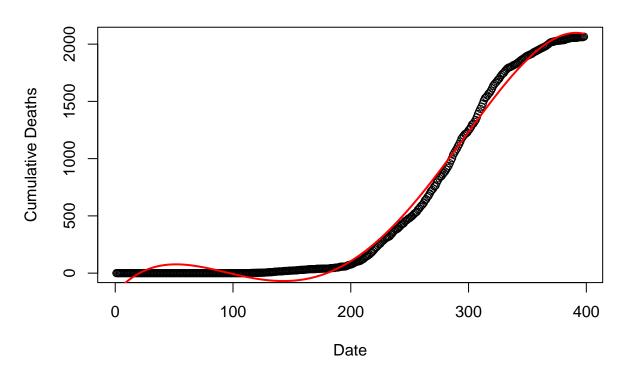


```
#Double quadratic or 4th order linear model
#R-squared = 0.9934, F-test is statistically significant
#All the coefficients are also significant
dqlm <- lm(Deaths_total ~ poly(SN, 4, raw=T), data = plot.data)
summary(dqlm)</pre>
```

```
##
## Call:
## lm(formula = Deaths_total ~ poly(SN, 4, raw = T), data = plot.data)
## Residuals:
      Min
               1Q Median
                               3Q
                                      Max
## -105.44 -53.22 -12.50
                            53.61
                                   159.13
## Coefficients:
##
                          Estimate Std. Error t value Pr(>|t|)
## (Intercept)
                        -1.703e+02
                                    1.589e+01
                                               -10.72
                                                        <2e-16 ***
## poly(SN, 4, raw = T)1 1.135e+01
                                    5.504e-01
                                                20.61
                                                         <2e-16 ***
## poly(SN, 4, raw = T)2 -1.641e-01
                                    5.599e-03
                                               -29.31
                                                        <2e-16 ***
## poly(SN, 4, raw = T)3 7.681e-04
                                    2.107e-05
                                                36.45
                                                        <2e-16 ***
## poly(SN, 4, raw = T)4 -9.837e-07 2.620e-08
                                               -37.55
                                                        <2e-16 ***
## ---
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1
##
## Residual standard error: 62.45 on 393 degrees of freedom
## Multiple R-squared: 0.9934, Adjusted R-squared: 0.9934
```

```
## F-statistic: 1.486e+04 on 4 and 393 DF, p-value: < 2.2e-16
```

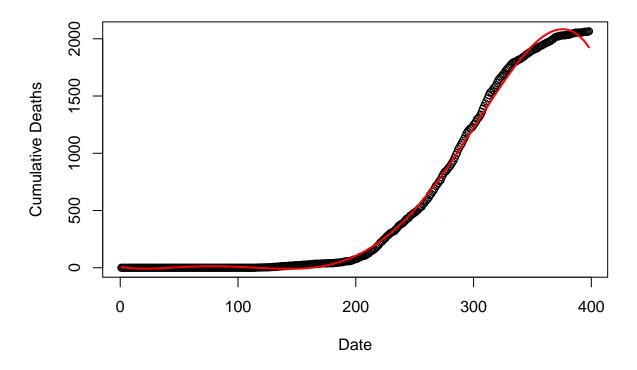
```
#Plot with fourth order polynomial model
#Clearly shows the good fit but can we do it better?
plot(Deaths_total ~ SN, data=plot.data,
    main = "Cumulative Covid Deaths, Nepal: 23 Jan - 23 Feb 2021",
    xlab = "Date",
    ylab = "Cumulative Deaths")
lines(fitted(dqlm) ~ SN, data=plot.data, col="red", lwd=2)
```



```
#Fifth order polynomial fit
#R-squared = 0.998, F-test is statistically significant
#All the coefficients are also statistically significant
folm <- lm(Deaths_total ~ poly(SN, 5, raw=T), data = plot.data)
summary(folm)</pre>
```

```
##
## Call:
## lm(formula = Deaths_total ~ poly(SN, 5, raw = T), data = plot.data)
##
## Residuals:
## Min 1Q Median 3Q Max
## -77.300 -16.980 -3.571 19.199 140.089
##
## Coefficients:
```

```
##
                          Estimate Std. Error t value Pr(>|t|)
## (Intercept)
                         8.510e+00 1.053e+01
                                                0.808 0.419427
## poly(SN, 5, raw = T)1 -1.867e+00 5.309e-01
                                              -3.517 0.000488 ***
## poly(SN, 5, raw = T)2 6.653e-02 8.219e-03
                                               8.095 7.31e-15 ***
## poly(SN, 5, raw = T)3 -7.705e-04 5.216e-05 -14.773 < 2e-16 ***
## poly(SN, 5, raw = T)4 3.352e-06 1.440e-07 23.270 < 2e-16 ***
## poly(SN, 5, raw = T)5 -4.346e-09 1.437e-10 -30.251 < 2e-16 ***
## ---
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 34.24 on 392 degrees of freedom
## Multiple R-squared: 0.998, Adjusted R-squared: 0.998
## F-statistic: 3.973e+04 on 5 and 392 DF, p-value: < 2.2e-16
#Plot with fourth order polynomial model
#Clearly shows the good fit but can we do it better?
#Is this a overfitting?
#Does the cumulative death declined? NO!
plot(Deaths_total ~ SN, data=plot.data,
    main = "Cumulative Covid Deaths, Nepal: 23 Jan - 23 Feb 2021",
    xlab = "Date",
    ylab = "Cumulative Deaths")
lines(fitted(folm) ~ SN, data=plot.data, col="red", lwd=2)
```



```
#Based on the results obtained above the most likely/plausible model is the 4th order polynomial model
#Let us use the validation set approach in this model
#Creating partition variable ind with 70% and 30% probabilities
ind <- sample(2, nrow(plot.data), replace=T, prob=c(0.7,0.3))</pre>
#Creating training data with 70% cases
train.pd <- plot.data[ind==1,]</pre>
trest.pd <- plot.data[ind==2,]</pre>
#Fifth order polynomial fit on train data
#R-squared = 0.9931, F-test is statistically significant
#All the coefficients are also statistically significant
dqlm.train <- lm(Deaths_total ~ poly(SN, 4, raw=T), data = train.pd)</pre>
(dqlm.train.summary <- summary(dqlm.train))</pre>
##
## lm(formula = Deaths_total ~ poly(SN, 4, raw = T), data = train.pd)
##
## Residuals:
     Min
              10 Median
                            3Q
## -99.05 -52.31 -12.98 54.50 171.16
## Coefficients:
                           Estimate Std. Error t value Pr(>|t|)
## (Intercept)
                         -1.828e+02 1.956e+01 -9.348 <2e-16 ***
## poly(SN, 4, raw = T)1 1.182e+01 6.911e-01 17.099 <2e-16 ***
## poly(SN, 4, raw = T)2 -1.684e-01 7.041e-03 -23.913 <2e-16 ***
## poly(SN, 4, raw = T)3 7.811e-04 2.648e-05 29.503 <2e-16 ***
## poly(SN, 4, raw = T)4 -9.964e-07 3.289e-08 -30.299 <2e-16 ***
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 63.54 on 273 degrees of freedom
## Multiple R-squared: 0.9928, Adjusted R-squared: 0.9927
## F-statistic: 9431 on 4 and 273 DF, p-value: < 2.2e-16
#Plot with fourth order polynomial model of train data
plot(train.pd$Deaths_total ~ train.pd$SN,
    main = "Cumulative Covid Deaths, Nepal",
     xlab = "Date",
     ylab = "Cumulative Deaths")
lines(fitted(dqlm.train) ~ SN, data=train.pd, col="red", lwd=2)
#MSE and RMSE
(MSE.dqlm.train <- mean(dqlm.train$residuals^2))</pre>
## [1] 3964.652
(RMSE.dqlm.train <- sqrt(MSE.dqlm.train))</pre>
```

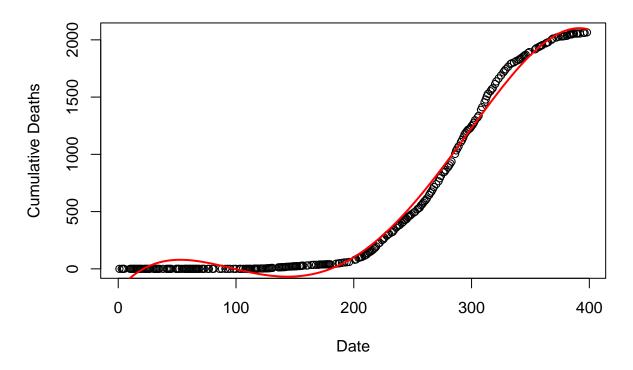
[1] 62.96548

#Prediction with test data prediction <- predict(dqlm.train, trest.pd) library(caret)</pre>

Loading required package: ggplot2

Loading required package: lattice

Cumulative Covid Deaths, Nepal



(R2.test.pd <- R2(prediction, trest.pd\$Deaths_total))

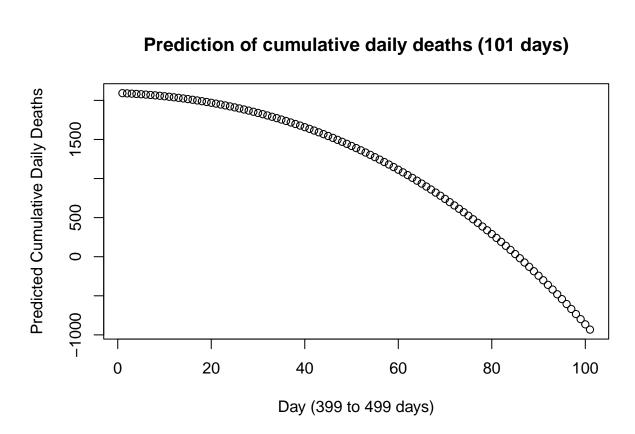
[1] 0.9945643

(RMSE.test.pd <- RMSE(prediction, trest.pd\$Deaths_total))

[1] 60.37892

```
#Comparing R-square and RMSE
fit_indices_train <- c(R2 = dqlm.train.summary$r.squared, RMSE = RMSE.dqlm.train)
fit_indices_test <- c(R2 = R2.test.pd, RMSE = RMSE.test.pd)
(fit_indices <- cbind(train=fit_indices_train, test=fit_indices_test))</pre>
```

```
##
             train
## R.2
         0.9928153 0.9945643
## RMSE 62.9654787 60.3789186
#Prediction for new data
new death <- data.frame(SN=seg(399,499,1))
predicted_cd <- predict(dqlm.train, newdata = new_death)</pre>
predicted cd
                                                                                7
##
                       2
                                  3
                                              4
                                                         5
            1
## 2092.15536 2089.32268 2086.11485 2082.52696 2078.55411 2074.19135 2069.43373
            8
                       9
                                 10
                                                        12
                                                                   13
                                            11
## 2064.27625 2058.71391 2052.74166 2046.35446 2039.54723 2032.31484 2024.65219
                                                                   20
                      16
                                 17
                                             18
                                                        19
## 2016.55410 2008.01541 1999.03091 1989.59538 1979.70356 1969.35019 1958.52996
                      23
                                 24
                                             25
                                                        26
                                                                   27
## 1947.23756 1935.46764 1923.21483 1910.47374 1897.23895 1883.50502 1869.26649
           29
                      30
                                 31
                                             32
                                                        33
                                                                   34
## 1854.51786 1839.25363 1823.46825 1807.15617 1790.31181 1772.92955 1755.00377
           36
                      37
                                 38
                                             39
                                                        40
                                                                   41
  1736.52880 1717.49897 1697.90857 1677.75188 1657.02314 1635.71658 1613.82640
           43
                      44
                                  45
                                             46
                                                        47
                                                                   48
## 1591.34678 1568.27186 1544.59578 1520.31264 1495.41653 1469.90150 1443.76157
##
           50
                      51
                                 52
                                             53
                                                        54
                                                                   55
  1416.99077 1389.58308 1361.53246 1332.83284 1303.47814 1273.46226 1242.77904
                      58
                                 59
                                             60
                                                        61
   1211.42235 1179.38599 1146.66376 1113.24942 1079.13673 1044.31941 1008.79116
##
                      65
                                 66
                                             67
                                                        68
##
   972.54564
               935.57652 897.87741
                                     859.44192 820.26364
                                                           780.33610 739.65285
                                 73
                      72
                                             74
                                                        75
##
   698.20739
               655.99320
                          613.00375
                                     569.23247
                                                524.67277 479.31803
                                                                       433.16163
##
           78
                      79
                                 80
                                             81
                                                        82
##
    386.19689
               338.41715
                          289.81568
                                    240.38576
                                                190.12063 139.01351
                                                                        87.05759
##
           85
                      86
                                 87
                                            88
                                                        89
                                                                   90
              -19.42795
                          -73.97131 -129.39092 -185.69369 -242.88659 -300.97658
##
     34.24606
##
           92
                      93
                                 94
                                            95
                                                        96
                                                                   97
## -359.97065 -419.87583 -480.69915 -542.44769 -605.12853 -668.74880 -733.31562
           99
                     100
## -798.83616 -865.31761 -932.76718
#Plot
SNN = seq(1,101,1)
```



 $\#The\ question\ is\ "Does\ it\ make\ sense?"$ #Did it happen like this in Nepal between 399 and 499 days since the first COVID19 case? #Can we improve it further with cross-validation methods?