

Lecture 02 :

Number System & Bitwise Operator

User Input

cin is a predefined variable that takes user input and store it in a variable.

```
1  #include <iostream>
2
3  using namespace std;
4
5  int main()
6  {
7      int x;
8      cout<<"Enter the value you want to store \n ";
9      cin>>x;
10
11     cout<<"you have enter the value of x is "<<x;
12
13     return 0;
14
15 }
```

Declare and initialize variable

Declare a variable means you are specifying the type of variable like integer , character , bool etc.

```
int x;          //declare x
```

```
int x1;         //declare x1
```

Initialize a variable means you are assigning value to that variable.

```
int x;          //declare x
```

```
x=10;          //initialize x
```

```
int y;          //declare y
```

```
y=10;          //initialize y
```

```
int z=10;       //declare and initialize at same time
```

Types of Initialization

1. Static Initialization : initialize the variable in the program

```
int x;          //declare x
```

```
x=10;          //static initialization of x
```

```
int x=10;       //static initialization of x
```

2. Dynamic Initialization : initialize the variable during running time

```
int a;
```

```
cin>>a;        //dynamic initialization of a
```

```
#include <iostream>

using namespace std;

int main(){
    int x;        //declare x
    int y;        //declare y

    x=100;        //initialize x or static inialization
    y=200;        //initialize y or static inialization

    int z;        //declare z

    cout<<"Enter the value of z : ";
    cin>>z;
    cout<<z;

    return 0;
}
```

Memory Table

1 Bit	= Binary Digit (0 or 1)
8 Bits	= 1 Byte = 2 nibble
1024 Bytes	= 1 KB (Kilobyte)
1024 KB	= 1 MB (Megabyte)
1024 MB	= 1 GB (Giga Byte)
1024 GB	= 1 TB (Tera Byte)
1024 TB	= 1 PB (Peta Byte)
1024 PB	= 1 EB (Exa Byte)
1024 EB	= 1 ZB (Zetta Byte)
1024 ZB	= 1 YB (Yotta Byte)
1024 YB	= 1 (Bronto Byte)
1024 Brontobyte	= 1 (Geop Byte)

Memory Of a Program

char = 1 bytes

short int = 2 bytes

int = 4 bytes

long int = 4 bytes

long long int = 8 bytes

float = 4 bytes

double = 8 bytes

Sizeof Operator

Sizeof is used to find the size of a datatype in a program

```
#include <iostream>

using namespace std;

int main(){
    int a;
    char b;
    float c;
    long int d;
    long long int e;
    double f;

    int size=sizeof(a);
    cout<<size;

    int size1=sizeof(b);
    cout<<size1;

    int size2=sizeof(c);
    cout<<size2;

    int size3=sizeof(d);
    cout<<size3;

    int size4=sizeof(e);
    cout<<size4;

    int size5=sizeof(f);
    cout<<size5;

    return 0;
}
```

Typecasting

Converting data type from one type to another is called as type casting in c++

1. Implicit Type Conversion : automatic conversion in c++ is called as implicit type conversion , compiler will automatically convert data type from one to another.
Small data type → large data type

```
#include <iostream>
using namespace std;

int main() {
    short x=20;
    int y = x;        //implicit type casting

    cout<<x;
    cout<<y;

    return 0;
}
```

2. Explicit Type Conversion : when user convert from large data type to small data type
Large data type → small data type

```
#include <iostream>
using namespace std;

int main() {
    double x=1.2;
    int y = (int)x;    //explicit type casting
    cout<<y;
    return 0;
}
```

Scope of a variable : block of code where we can access the variable

```
#include <iostream>

using namespace std;

int main() {

    int x;
    return 0;

}
```

Local and global variable : local variable can only be access in a particular code of block where it is declare while global variable can be used in program anywhere

```
#include <iostream>
int y=10;
using namespace std;

int main() {

    int x;           //local variable
    cout<<y;         //global variable
    return 0;

}
```

Number System

Decimal and binary

Decimal number are numerical value like 1,2,3,4,5,6 etc

And binary are 0 and 1

$$2 = 10$$

$$5 = 101$$

$$10 = 1010$$

$$20 = 10100$$

$$50 = 110010$$

$$100 = 1100100$$

$$200 = 11001000$$

$$500 = 111110100$$

$$1000 = 1111101000$$

Dividend , Remainder , Quotient and divisor in division

$$\begin{array}{r} \text{Divisor } 6 \overline{) 25} \\ \underline{24} \\ 1 \end{array}$$

4 — Quotient
25 — Dividend
1 — Remainder

Decimal to Binary Conversion

Take input as n

Divide n by 2 and write remainder and quotient as following

$$n / 2 = \text{quotient} \quad (\text{remainder})$$

$$\text{quotient} / 2 = \text{quotient}_1 \quad (\text{remainder})$$

$$\text{quotient}_1 / 2 = \text{quotient}_2 \quad (\text{remainder})$$

$$\text{quotient}_2 / 2 = 0 \quad (\text{remainder})$$

stop when n becomes 0

then write from bottom to top as binary number

// Convert $(6)_{10}$ into binary

$$\begin{array}{lcl} 6 \div 2 = 3 & (0) & \\ 3 \div 2 = 1 & (1) & \\ 1 \div 2 = 0 & (1) & \end{array}$$

$(6)_{10} = (110)_2$

Small diagrams showing the division process:

$$\begin{array}{r} 2 \overline{) 6} \quad (3) \\ \underline{6} \\ 0 \end{array}$$
$$\begin{array}{r} 2 \overline{) 3} \quad (1) \\ \underline{2} \\ 1 \end{array}$$
$$\begin{array}{r} 2 \overline{) 1} \quad (0) \\ \underline{0} \\ 1 \end{array}$$

$$(13)_{10} = (1101)_2$$

Decimal Binary

13	%	2	=	6	(1)
6	%	2	=	3	(0)
3	%	2	=	1	(1)
1	%	2	=	0	(1)

↑

~~13 (8)~~

$$13 (\text{decimal}) = 1101 (\text{binary})$$

// convert $(8)_{10}$ into binary

8	%	2	=	4	(0)
4	%	2	=	2	(0)
2	%	2	=	1	(0)
1	%	2	=	0	(1)

↑

$$(8)_{10} = (1000)_2$$

// Convert 5 into binary

$$(5)_{10}$$

$$5 \% 2 = 2 \quad (1)$$

$$2 \% 2 = 1 \quad (0)$$

$$1 \% 2 = 0 \quad (1)$$

$$(5)_{10} = (101)_2$$

// Convert $(20)_{10}$ into binary

$$20 \% 2 = 10 \quad (0)$$

$$10 \% 2 = 5 \quad (0)$$

$$5 \% 2 = 2 \quad (1)$$

$$2 \% 2 = 1 \quad (0)$$

$$1 \% 2 = 0 \quad (1)$$

$$(20)_{10} = (10100)_2$$

Binary to Decimal Conversion

Write the binary code with some space

Now start writing 2 below all of them

Then write power of 2 from 0

Move from left to right when writing power

Count 0 binary as 0

And add remaining

You will get the decimal number

The image shows a handwritten example of converting the binary number $(1101)_2$ to decimal. The steps are as follows:

1	1	0	1
2^3	2^2	2^1	2^0
8	4	0	1
$(8 + 4 + 0 + 1)$			
$(13)_{10}$			

// Convert $(1000)_2$ into decimal

$$\begin{array}{cccc} 1 & 0 & 0 & 0 \\ 2^3 & 2^2 & 2^1 & 2^0 \\ 8 & +0 & +0 & +0 \\ (8)_{10} \end{array}$$

$$(1000)_2 = (8)_{10}$$

// Convert $(101010)_2$ into decimal

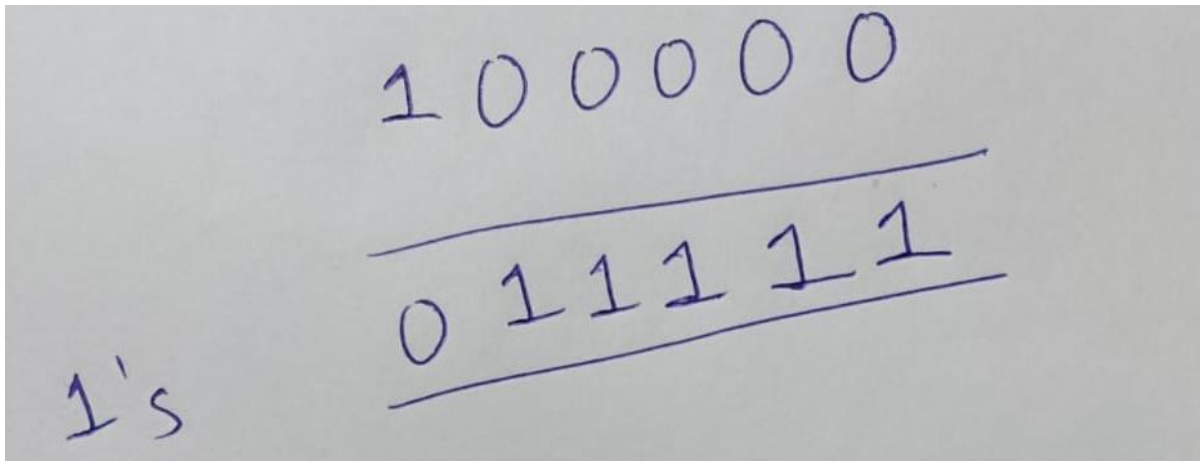
$$\begin{array}{cccccc} 1 & 0 & 1 & 0 & 1 & 0 \\ 2^5 & 2^4 & 2^3 & 2^2 & 2^1 & 2^0 \\ 32 & +0 & +8 & +0 & +2 & +0 \\ (42)_{10} \end{array}$$

$$(101010)_2 = (42)_{10}$$

One's & Two's Complement

For 1's complement : reverse the digits

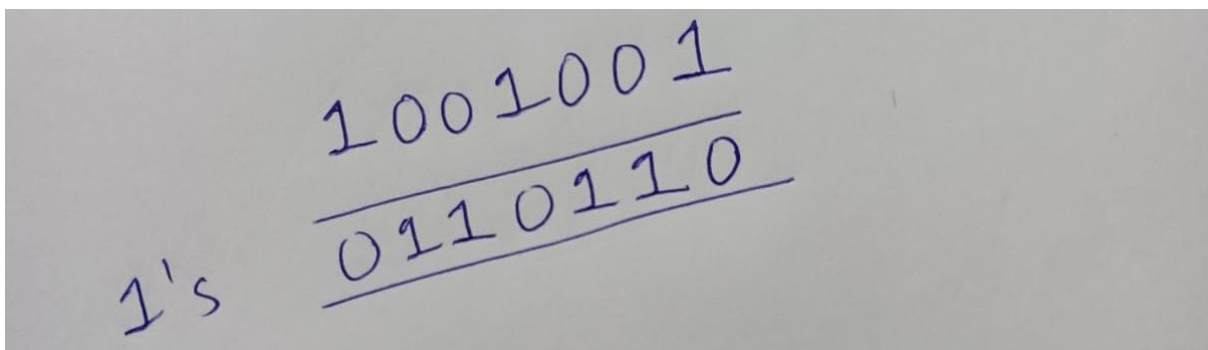
//find 1's complement of 100000



Handwritten calculation showing the 1's complement of 100000. The original number 100000 is written above a horizontal line. Below the line, the 1's complement 011111 is written and underlined. The label "1's" is written to the left of the result.

$$\begin{array}{r} 100000 \\ \hline 011111 \end{array}$$

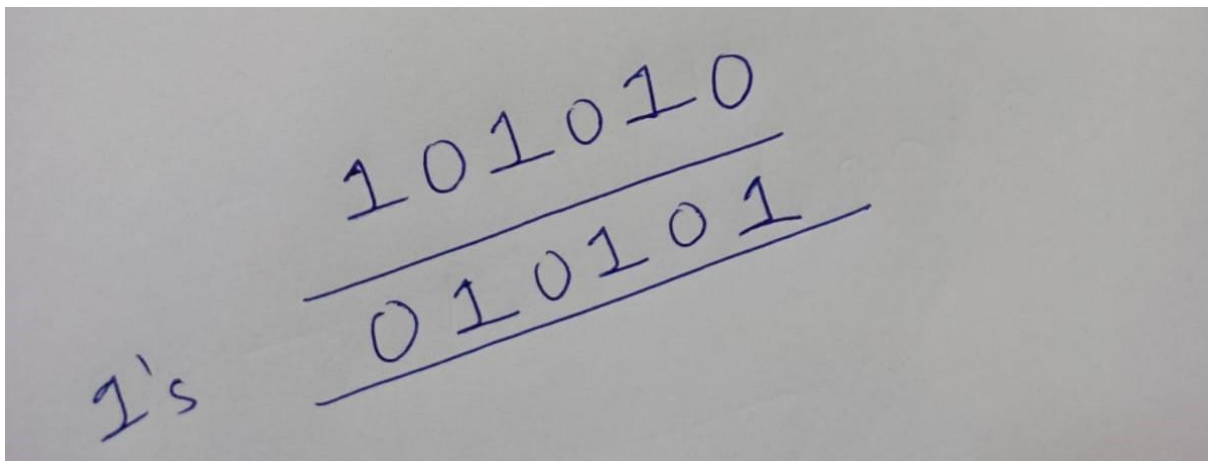
//find 1's complement of 1001001



Handwritten calculation showing the 1's complement of 1001001. The original number 1001001 is written above a horizontal line. Below the line, the 1's complement 0110110 is written and underlined. The label "1's" is written to the left of the result.

$$\begin{array}{r} 1001001 \\ \hline 0110110 \end{array}$$

//find 1's complement of 101010



Handwritten calculation showing the 1's complement of 101010. The original number 101010 is written above a horizontal line. Below the line, the 1's complement 010101 is written and underlined. The label "1's" is written to the left of the result.

$$\begin{array}{r} 101010 \\ \hline 010101 \end{array}$$

For 2's complement : add 1 to 1's complement

In binary

$0 + 0 = 0$, $1 + 0 = 1$, $0 + 1 = 1$, $1 + 1 = 10$

//find 1's and 2's complement of 100000

Handwritten calculation for the 1's and 2's complement of 100000:

1's complement: 100000 is inverted to 011111 .

2's complement: 011111 is added to 1, resulting in 100000 .

//find 1's and 2's complement of 101010

Handwritten calculation for the 1's and 2's complement of 101010:

1's complement: 101010 is inverted to 010101 .

2's complement: 010101 is added to 1, resulting in 010110 .

Decimal to binary or binary to decimal conversion website :

<https://www.rapidtables.com/convert/number/decimal-to-binary.html>

Complement calculator

<https://ncalculators.com/digital-computation/1s-2s-complement-calculator.htm>

Bitwise Operator

bitwise operators perform operations on integer data at the individual bit-level

1.bitwise AND	&
2.bitwise OR	
3.bitwise XOR	^
4.bitwise complement	~
5.bitwise left shift	<<
6.bitwise right shift	>>

1.Bitwise AND operator (&)

Return 1 if and only if both operator are 1

Otherwise it will return 0

For example : a&b

a	b	a & b
0	0	0
0	1	0
1	0	0
1	1	1

```
#include <iostream>
using namespace std;

int main() {
    // declare variables
    int a = 12, b = 25;

    cout << "a = " << a << endl;
    cout << "b = " << b << endl;
    cout << "a & b = " << (a & b) << endl;

    return 0;
}
```

2.bitwise OR operator (|)

Return 1 if any one of two operator are 1

Otherwise it will return 0

For example : a|b

```
#include <iostream>

int main() {
    int a = 12, b = 25;
```

```

cout << "a = " << a << endl;
cout << "b = " << b << endl;
cout << "a | b = " << (a | b) << endl;

return 0;
}

```

3. bitwise XOR operator (^)

returns 1 if and only if one of the operands is 1. However, if both the operands are 0, or if both are 1, then the result is 0.

For example : $a \wedge b$

```

#include <iostream>

int main() {
    int a = 12, b = 25;

    cout << "a = " << a << endl;
    cout << "b = " << b << endl;
    cout << "a ^ b = " << (a ^ b) << endl;

    return 0;
}

```

4. bitwise complement operator (~)

The bitwise complement operator is a unary operator (works on only one operand). It is denoted by `~` that changes binary digits 1 to 0 and 0 to 1.

For example : ~a

```
#include <iostream>

int main() {
    int num1 = 35;
    int num2 = -150;
    cout << "~(" << num1 << ") = " << (~num1) <<
endl;
    cout << "~(" << num2 << ") = " << (~num2) <<
endl;

    return 0;
}
```

5.bitwise left shift operator (<<)

The right shift operator shifts all bits towards the right by a certain number of specified bits.

For example : a<<1

6.bitwise right shift operator (>>)

The left shift operator shifts all bits towards the left by a certain number of specified bits.

For example : a>>1