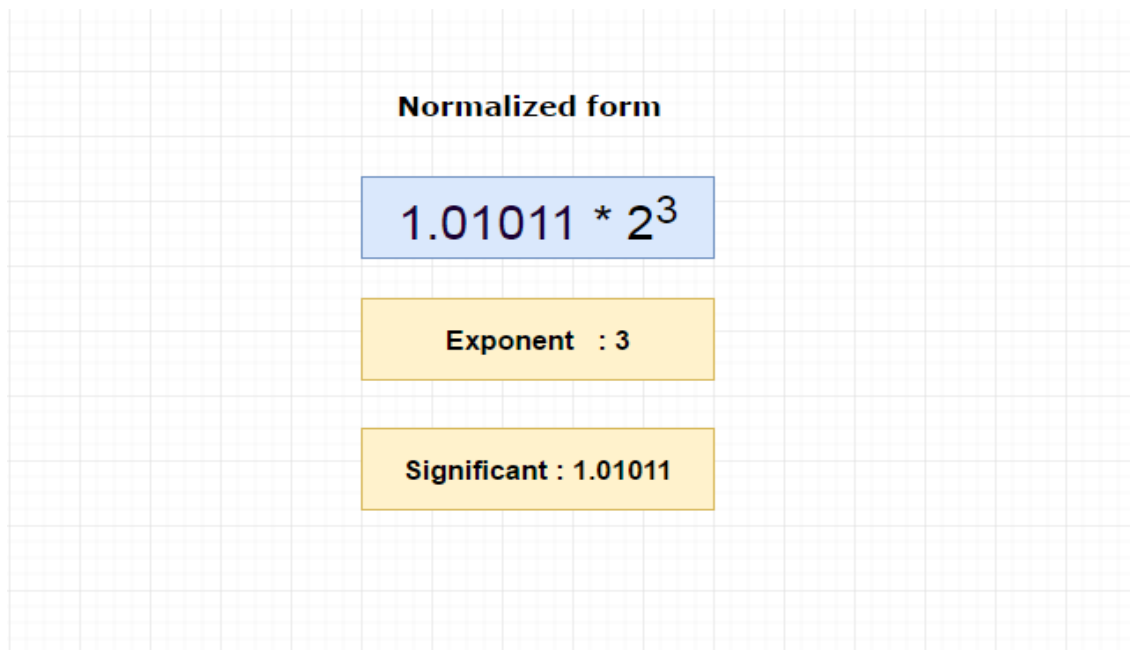


## Storing of Decimal Number

### ➤ float:

- To store a floating-point number, 4-byte (32 bit) memory will be allocated in computer.
  - 1 bit for sign
  - 8 bits for exponent part
  - 23 bits for significant part
- Floating number will be converted to binary number.
  - 10.75 to (1010.11).
- Converted binary number to normalize form.

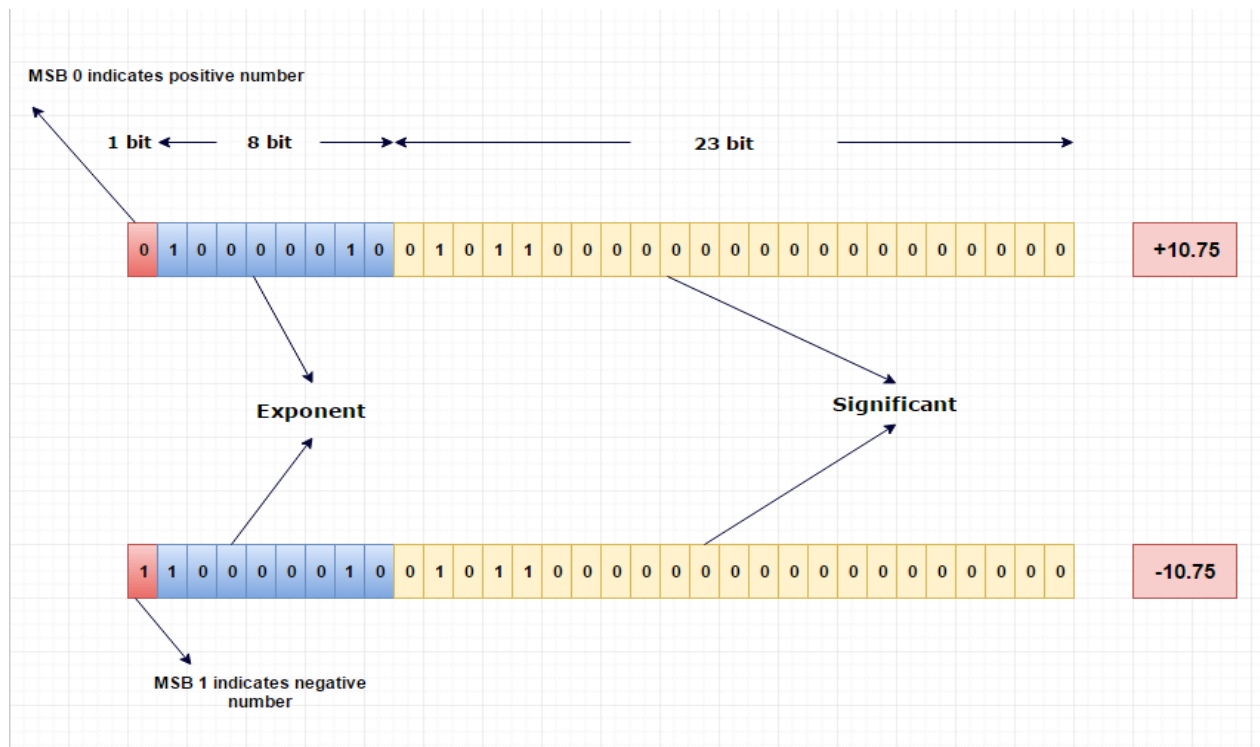


- Add bias to exponent.
  - Formula to calculate bias value is-
    - $\text{bias} = (2^{(n-1)}) - 1$ .
  - Here, we have allocated 8 bits for exponent. So, n will be 8.
    - $(2^{(8-1)}) - 1 = 127$
  - Hence the normalized exponent value will be,
    - Actual exponent + bias value, i.e.  $3 + 127 = 130$ .
    - Binary form of 130 is 10000010.

- Representation
  - Sign bit 0 because 10.75 is positive number.
  - Exponent value is 130 which is 10000010.
  - Significant value is 01011.

✓ **Syntax:** Sign Bit (1 bit) + Exponent Value (8 bits) + Significant Value (23 bits)

❖ **Output:** 0 10000010 01011000000000000000000



## ➤ double:

- To store a double-point number, 8-byte (64 bit) memory will be allocated in computer.
  - 1 bit for sign
  - 11 bits for exponent part
  - 52 bits for significant part
- Formula to calculate bias value is-
  - $\text{bias} = (2^{(n-1)}) - 1$ .
  - $(2^{(11-1)}) - 1 = (2^{10}) - 1 = 1024 - 1 = \mathbf{1023}$ .

✓ **Syntax:** Sign Bit (1 bit) + Exponent Value (11 bits) + Significant Value (52 bits)