COML Estimatos for gaussians distributions M = Zni (provid in) (6) Prior distribution = Gaussian. Using mout provid in class! ei = 7 50° + Mo 6°2  $60^2 + 6^2$ when n = sample mon. Por = vandance of prior distribution Mo = moon of prior distribution n' = no. of data points. or = invaniance of the sample.

Part-12 (MAD) M = moon of the Gaussia PM (m) = 1 11.5-9.5 = 1  $p(x|M) = \frac{1}{6\sqrt{2}\pi}e^{-\frac{(N-m)^2}{2}}$ P(\{\frac{2}{2}\times\frac{3}{2}\times\frac{1}{2}\times\f  $-\left(\frac{1}{6\pi n}\right)^{n} \times \frac{1}{2} \cdot \left(\frac{2}{2} \frac{2}{2} \frac{n}{n}\right)$ 

D(W/x): b(x/w)xb(m)  $= \left(\frac{1}{2\sqrt{2}}\right)^{n} e^{-\frac{1}{2\sqrt{2}}\left(\frac{m_{i} - m_{i}}{2}\right)^{2}} \times \frac{1}{2}$ ( Trat ) 1 x 1 ( Zni ) 5 - 1 ( nm - 2mEni)

dm e - to tom² - 2mzni)

11.5

- to (mn² - 2mzni)

ohn.

9.5 of the state of the tone in A LAGRED AN Denominator is independent of m. 30 to And mode, i.v. the value of M of which P(M/x) is maximum

we have to maxi mise numerator. e-tor (nm²-2mzni) = g(m) Ajos Min de variances,  $\frac{dg(m)}{dm} = 2mn - 2 \sum ni = 0$ 

Thompsetation!

De la mase for all the three estimators.

Dethi estimatos outre with prior
distribution = Gaussian (moun=10.5,
variance=1) is proffind, as
the modern corror is less than
the other estimator by a Jacker
of 0010 (approx).