G. H. RAISONI COLLEGE OF ENGG., NAGPUR (An Autonomous Institute under UGC Act 1956) Department of Computer Science & Engg.

Date: 20/08/2020

Practical Subject: Design and Analysis of Algorithms Session: 2020-21

Student Details:

Roll Number	58
Name	Shivam Tawari
Semester	3
Section	A
Branch	Artificial Intelligence

Practical Details: Practical Number- 10

Practical Aim	To implement and analyze time complexity of Single Source shortest path Algorithm: Bellman-ford.
Theory & Algorithm	Theory: Bellman-Ford Algorithm: The Bellman-Ford algorithm is a graph search algorithm that finds the shortest path between a given source vertex and all other vertices in the graph. This algorithm can be used on both weighted and unweighted graphs. It is slower than Dijkstra's algorithm for the same problem, but more versatile, as it is capable of handling graphs in which some of the edge weights are negative numbers.

Algorithm:

Step 1: START

Step 2: Initialize distances from the source to all vertices as infinite and distance to the source itself as 0.

Step 3: For each edge a->b of the graph

If dis[b] > dis[a] + weight of edge (a->b) then

dis[b] = dis[a] + weight of edge (a->b)

Step 4: Repeat step 2 for nv-1 times (nv is no. of vertices).

Step 5: If dis[b] > dis[a] + weight of edge (a->b) then report a negative cycle in the graph.

Step 6: STOP

Complexity

Time Complexity of Bellman-Ford Algorithm is **O(VE)**.

Program

```
#include "iostream"

#include "vector"

using namespace std;

struct edge

{
    int a, b, cost;
};

int n, m, v;

vector edge e;

const int INF = 1000000000;

void solve()

{
    vector int od (n, INF);

    d[v] = 0;
    while (true) {
        bool any = false;

    for (int j=0; j < m; ++; j)
        if (d[e[j].a] < INF)
        if (d[e[j].b] > d[e[j].a] + e[j].cost)
        {
            d[e[j].b] = d[e[j].a] + e[j].cost;
            any = true;
    }
}
```

Output

```
Name: Shivam Tawari
Roll no: A-58 Section: A
Enter Total Vertices: 2
Enter Total Edges: 4
Enter start, end and cost of edge 1: 2
3
6
Enter start, end and cost of edge 2: 4
9
2
Enter start, end and cost of edge 3: 6
2
6
Enter start, end and cost of edge 4: 3
7
8
Enter starting vertex: 2
Final Cost of Vertices from Starting Vertice 2: 1000000000 1000000000
```