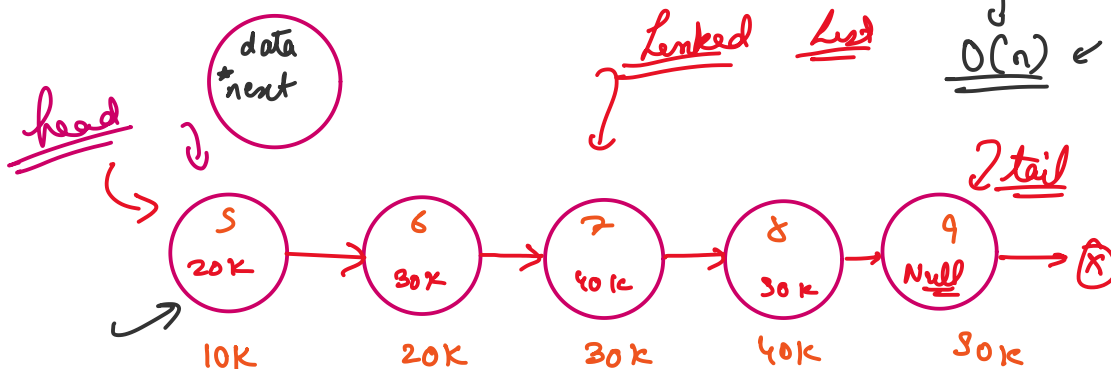
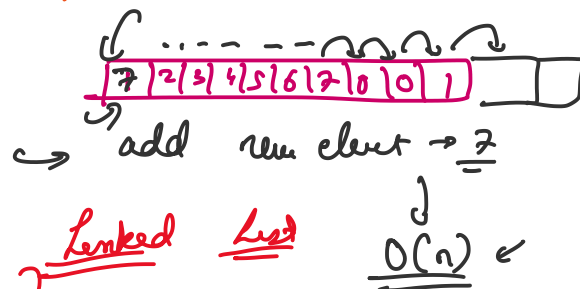
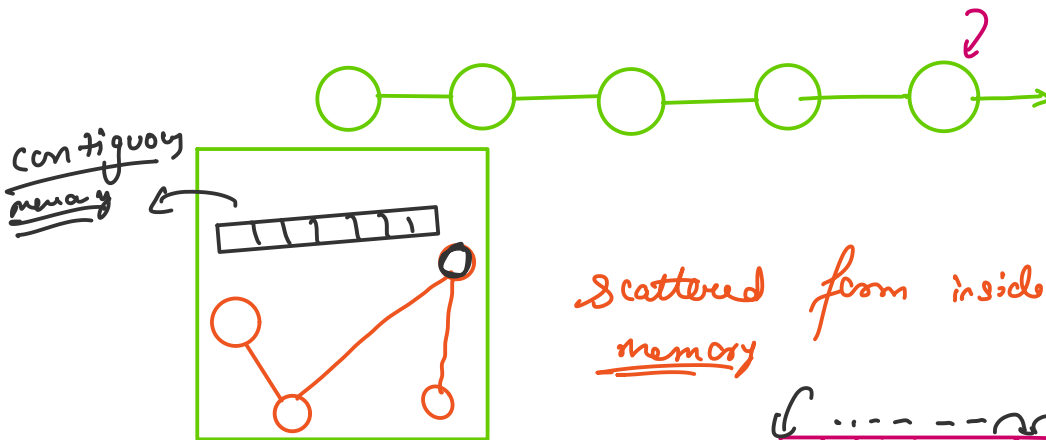
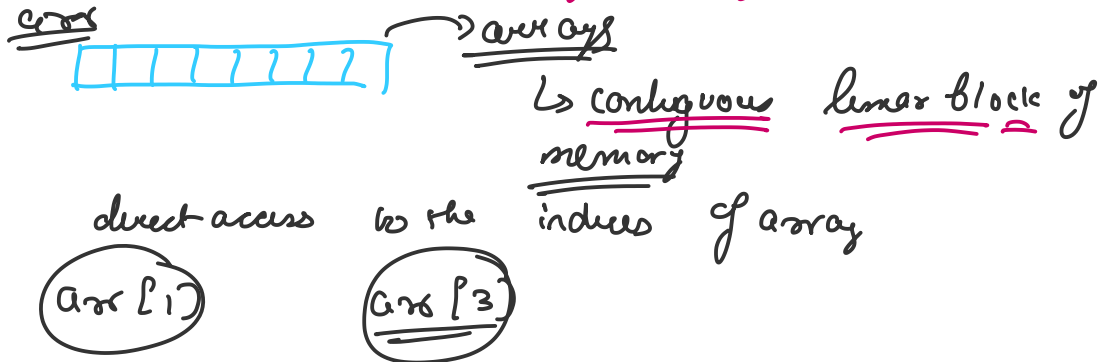


Linked List

→ Linear data structure

→ A linked list is a dynamically allocated DS.



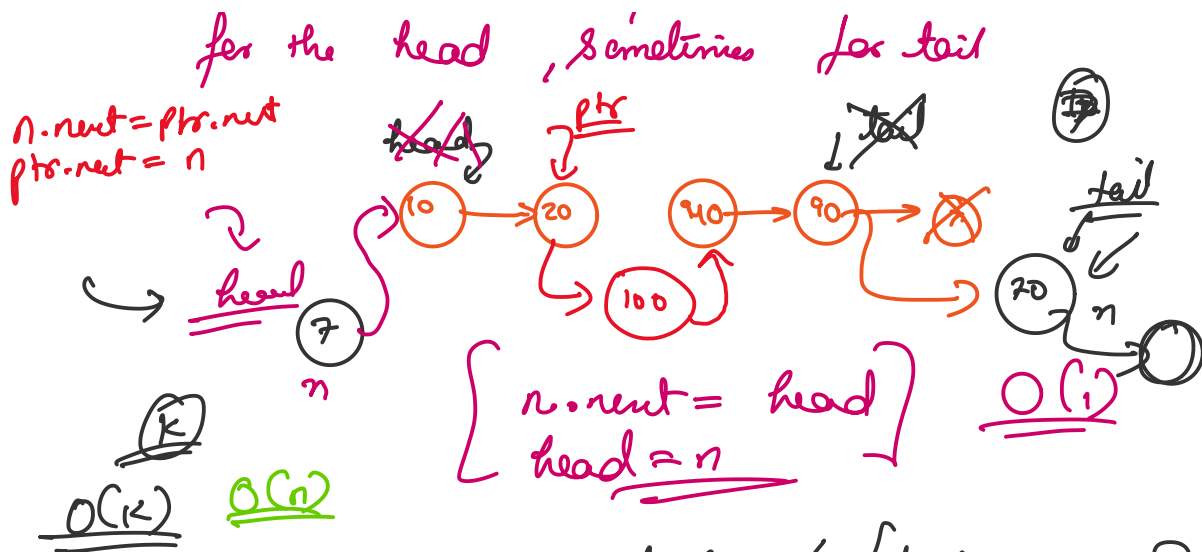
```
class Node {
    int data;
    Node next;
};
```

new object

malloc

new Node()

In a linked list, we have the access

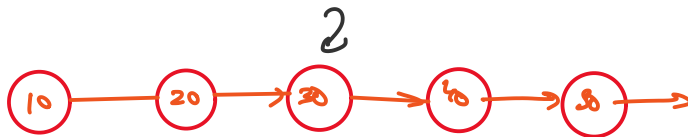


can I add at tail

$\left\{ \begin{array}{l} tail.next = n \\ tail = n \end{array} \right.$

$\left\{ \begin{array}{l} temp = head \\ \text{traverse} \end{array} \right. \left\{ \begin{array}{l} temp.next == null \end{array} \right. \left\{ \begin{array}{l} O(1) \\ \rightarrow O(n) \end{array} \right.$

Q2

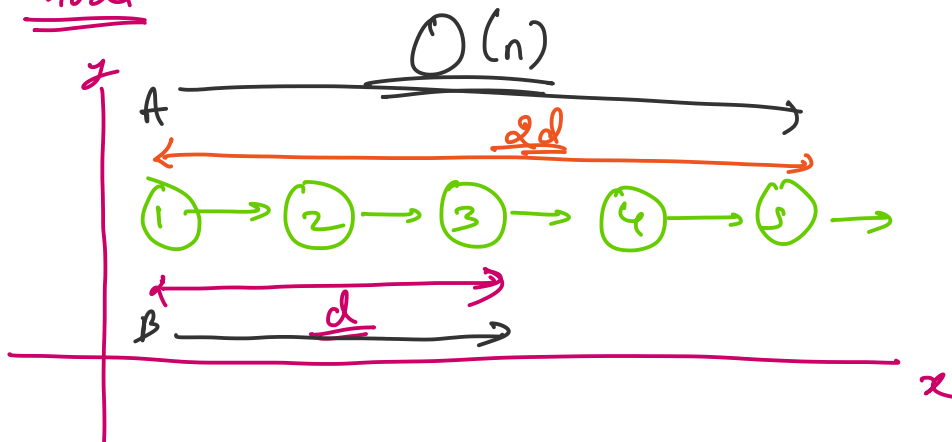


Middle Node of Linked List

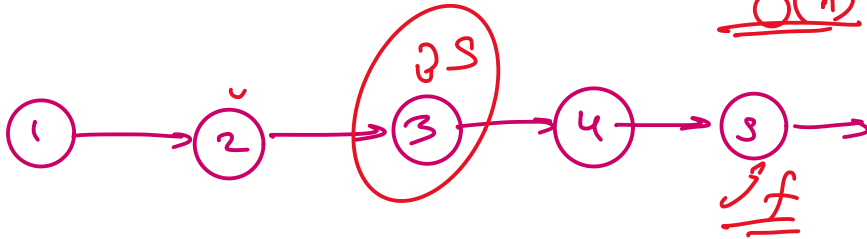
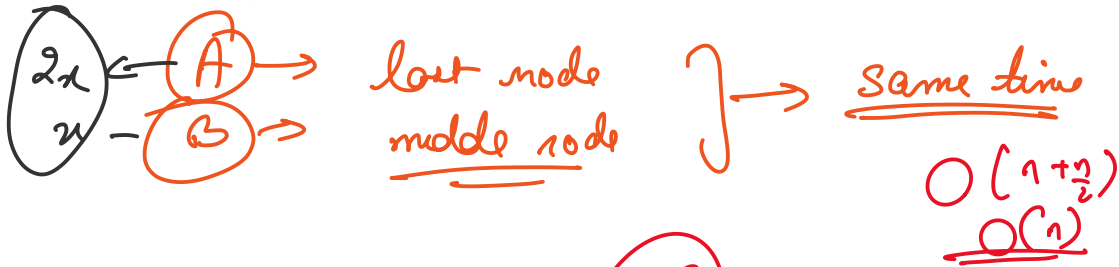
Q4m

Solⁿ \rightarrow calculate the length of the linked list in one pass

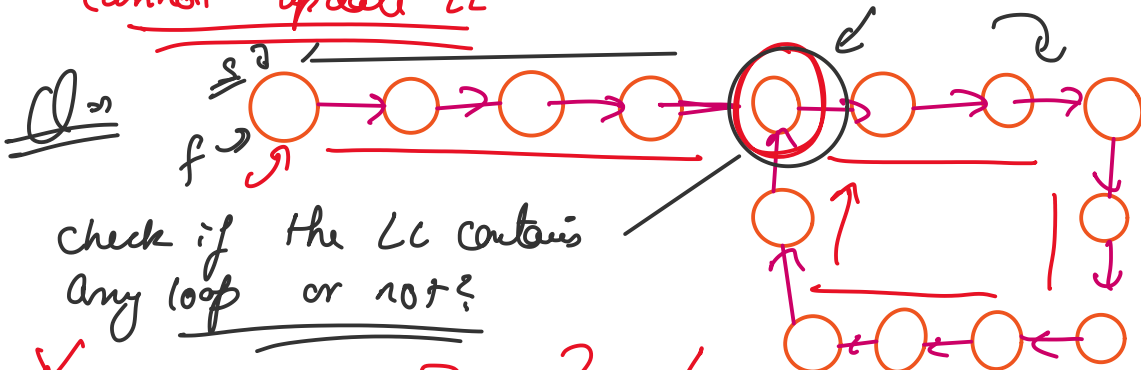
Do one more traversal, but only $\frac{1}{2}$ time & the enclosed node, will be middle node



Suppose I want to have 2 runners



speed of fast = 2x speed of slow
cannot update LL



value
address

unordered-map

visited

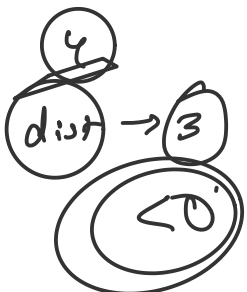
Object

HashMap

$O(1)$

space $O(n)$

Floyd cycle algorithm

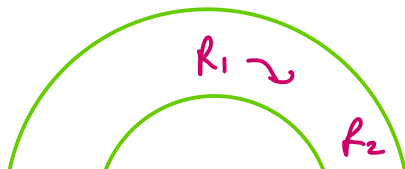


$S \rightarrow S.next$

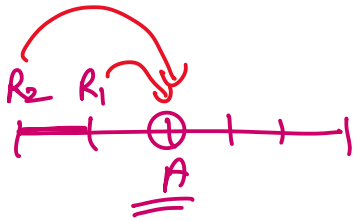
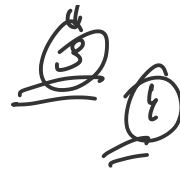
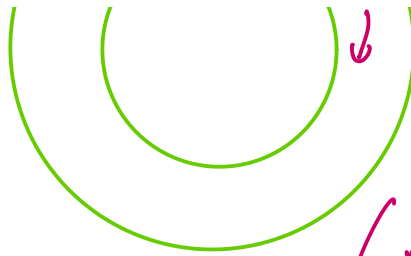
$f \rightarrow f.next.next$

why?

speed of fast = 2x speed of slow

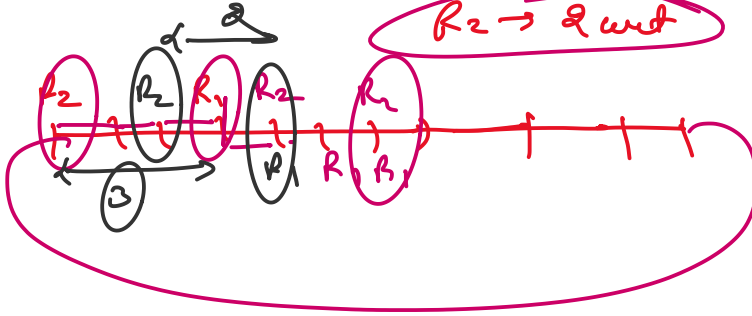
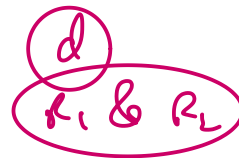


$$R_2 = 2 \times R_1$$



R_2 will either overlap R_1 or cross R_1

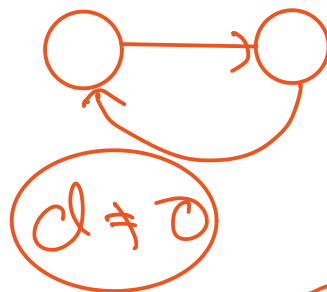
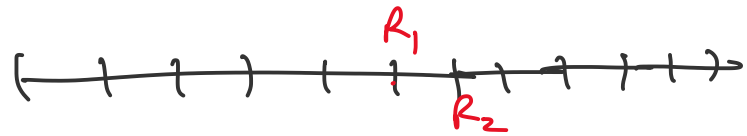
$R_1 \rightarrow 1 \text{ unit}$
 $R_2 \rightarrow 2 \text{ unit}$



Speed of $R_2 = 3 \times \text{speed } R_1$

Speed \approx twice

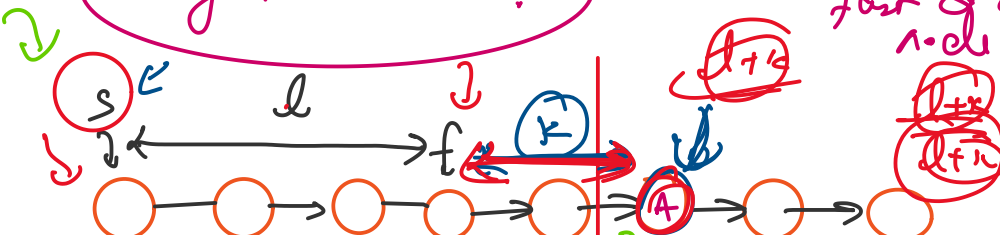
$d =$ decrease $\rightarrow \underline{\underline{1}}$



< 0

why this works?

$K \rightarrow$ distance between fast & slow loop
 $n = d$



if now both slow & fast moves by 1, will they meet

$f = f.next$

length of cycle of LL is 'l'

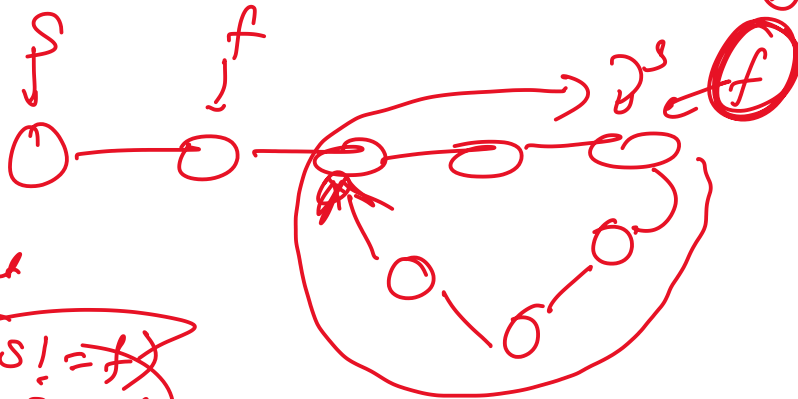
slow is at right of axis
fast is at left of axis

Dist by slow = $\frac{l-k}{2}$

$O(n)$

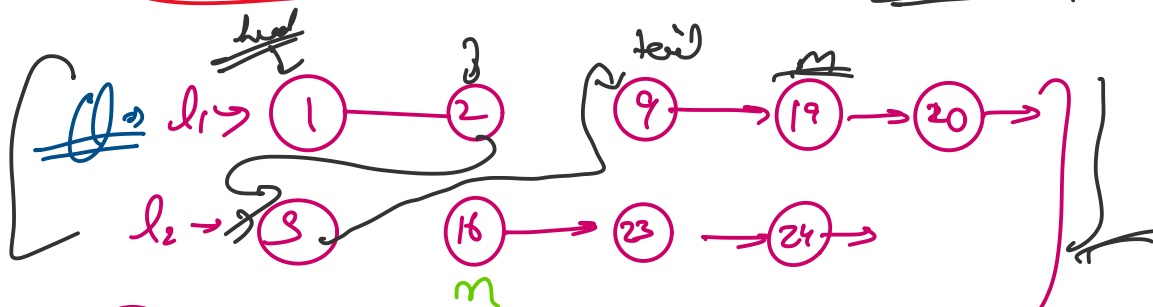
Dist by fast = $(l-k)$

$O(1)$



$s = s.next$
 $f = f.next$
while (s != f)
 $s = s.next$

head head



sorted

merge sort

Quis

$O(1)$

$O(1)$

$O(n+m)$

ascend

decreasing order

He

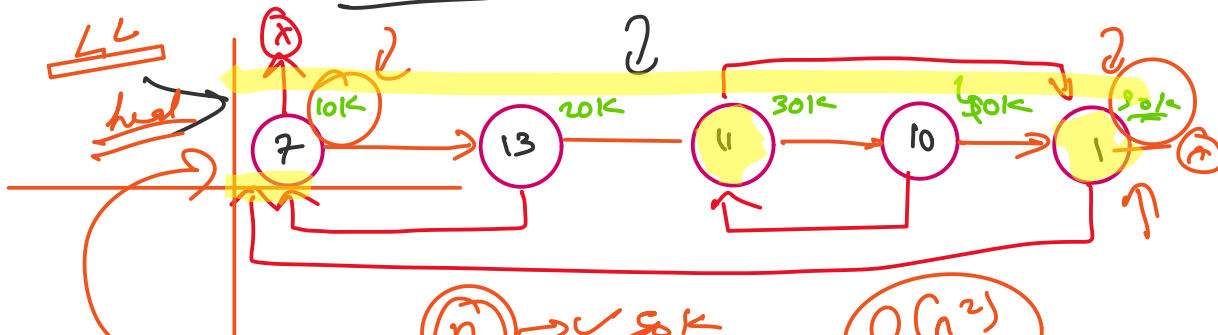
1 -> 2 -> 3 -> 4 -> 5 -> 6 -> 7 -> 8 -> 9 -> 10

1 2 3 4 5 6 7 8 9 10

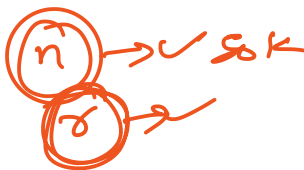
Q.2) New kind of linked list

data
next
random

Node

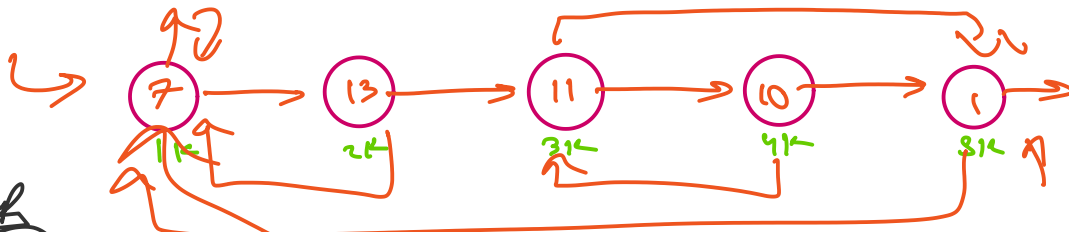


Deep Copy



$O(n^2)$

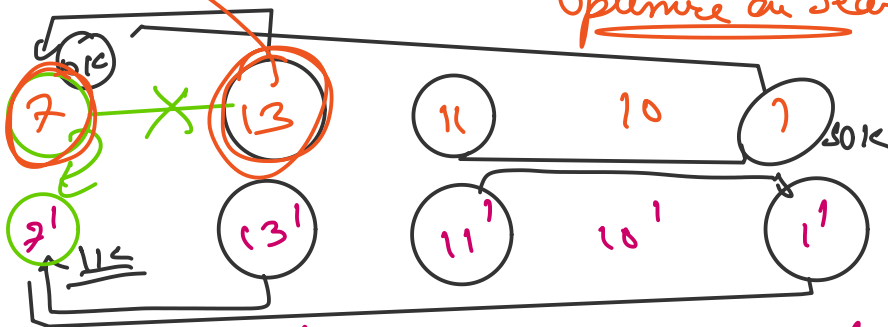
$O(1)$



Optimise on Search

map

10K	1K
20K	2K
30K	3K
40K	4K
50K	5K



mapping

old node \leftrightarrow new node

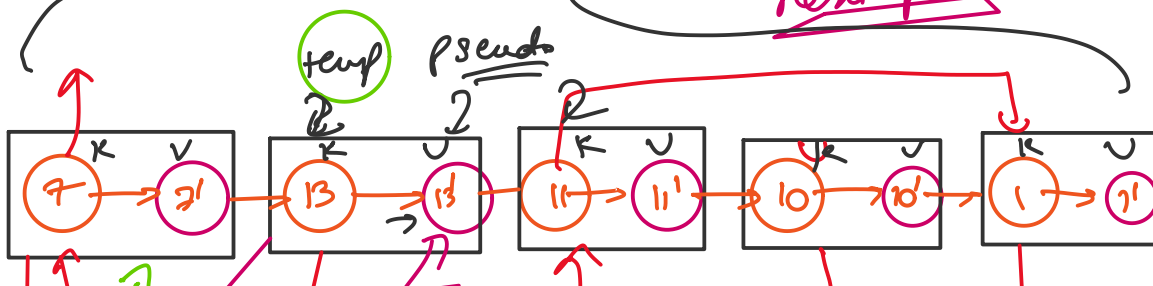
Random of 13' =
value in HM (Random of 13)

value of (30K) \rightarrow 5K

$O(n)$

$O(n)$

value HM
next ptr



Random of pseudo = Next of Random of temp

if (head == null) return null;

Node temp = head;
while (temp != null) {

Node random = temp.random;
Node n = new Node(temp.val)
temp.next = n
n.next = random
temp = temp.next

}

temp = head

while (temp != null) {

Node pseudo = temp.next;

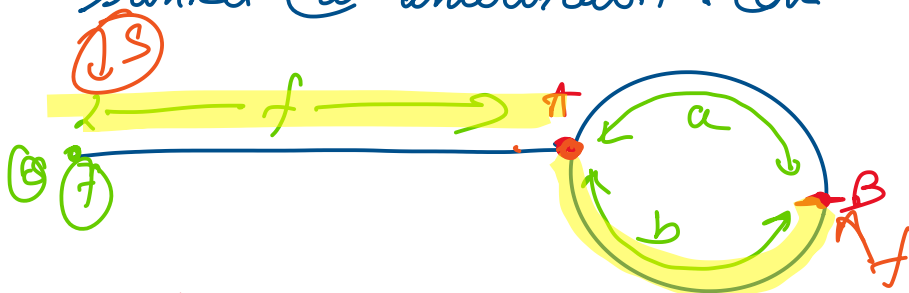
if (temp.random != null) {

pseudo.random = temp.random.next;

}

temp = temp.next;

Sanket @ interviewbit.com



S's dist = $f + a$

$f = b$

✓

$$f's \text{ dist} = f + a + b + a$$

$$f + a + b + a = 2(f + a)$$

$$f + a + b + a = 2f + 2a$$

$$2f = b$$

$$f = b$$

$$(f + a + b + a + b + a)$$