

# Matrix theory Assignment 10

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**Abstract**—This document contains the concept of vector space  $V$  over a field  $F$ .

Download all python codes from

[https://github.com/shivangi-975/EE5609-Matrix\\_Theory/tree/master/Assignment10/Codes](https://github.com/shivangi-975/EE5609-Matrix_Theory/tree/master/Assignment10/Codes)

Download latex-tikz codes from

[https://github.com/shivangi-975/EE5609-Matrix\\_Theory/blob/master/Assignment10/Assignment\\_10.tex](https://github.com/shivangi-975/EE5609-Matrix_Theory/blob/master/Assignment10/Assignment_10.tex)

## 1 PROBLEM

If  $V$  is a vector space over field  $F$ , verify that:

$$(\alpha_1 + \alpha_2) + (\alpha_3 + \alpha_4) = [\alpha_2 + (\alpha_3 + \alpha_1)] + \alpha_4$$

## 2 SOLUTION

Using property of commutativity of  $(+)$  in  $V$

$$(\alpha_1 + \alpha_2) + (\alpha_3 + \alpha_4) = (\alpha_2 + \alpha_1) + (\alpha_3 + \alpha_4) \quad (2.0.1)$$

Using property of associativity of  $(+)$  in  $V$

$$(\alpha_2 + \alpha_1) + (\alpha_3 + \alpha_4) = \alpha_2 + [\alpha_1 + (\alpha_3 + \alpha_4)] \quad (2.0.2)$$

Using property of commutativity of  $(+)$  in  $V$

$$\alpha_2 + [\alpha_1 + (\alpha_3 + \alpha_4)] = \alpha_2 + (\alpha_3 + \alpha_1) + \alpha_4 \quad (2.0.3)$$

Using property of associativity of  $(+)$  in  $V$

$$\alpha_2 + (\alpha_3 + \alpha_1) + \alpha_4 = [\alpha_2 + (\alpha_3 + \alpha_1)] + \alpha_4 \quad (2.0.4)$$