

Assignment #6

Exercise 6.26

The proof starts with two premises: $A \vee (B \wedge C)$ and $\neg B \vee \neg C \vee D$. The conclusion is $A \vee D$. From this we have conjunction so we can evaluate by proof by cases. Starting under proving $\neg B$ we know A is true so next, we evaluate $B \wedge C$. This gives us the subproof to a premise of $\neg A$ and the conclusion of B based on elimination. We can also then conclude $\neg \neg A$ and A . Next, we look at proving the premise $\neg C$ and start with A being true again and then we evaluate the same order of $B \wedge C$ concluding this time C and then we still end up with $\neg \neg A$ and A . So now we know that A is true and we can also conclude that D is true based on the initial premises thus proving the conclusion of $A \vee D$.