

## ML Day - 7

## Decision tree

- Random forest
- Xgboost
- Gradient boosting
- Ada Boost

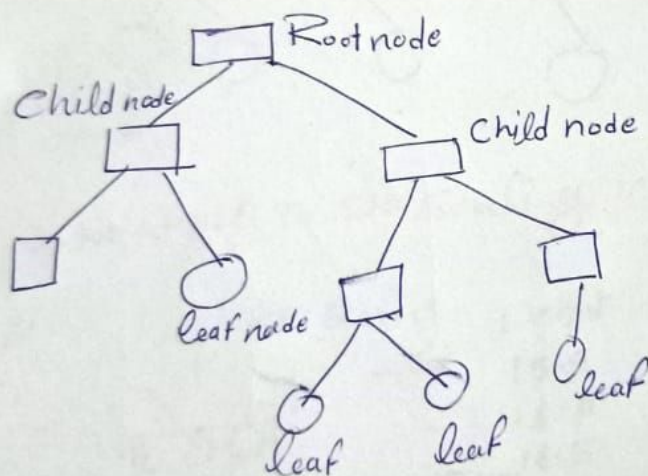
### Ensemble Tech.

↓  
Bagging  
Boosting  
Stacking

### Decision tree (superior algo)

Decision tree classifier

Decision tree regression



Algo for solving Decision tree

1) ID3  $\rightarrow$  (entropy and info gain)

2) CART  $\rightarrow$  (Classification and Regression Tree) which we are build on the basis of Gini impurity Indexing)

3) C4.5  $\rightarrow$  it is Probability

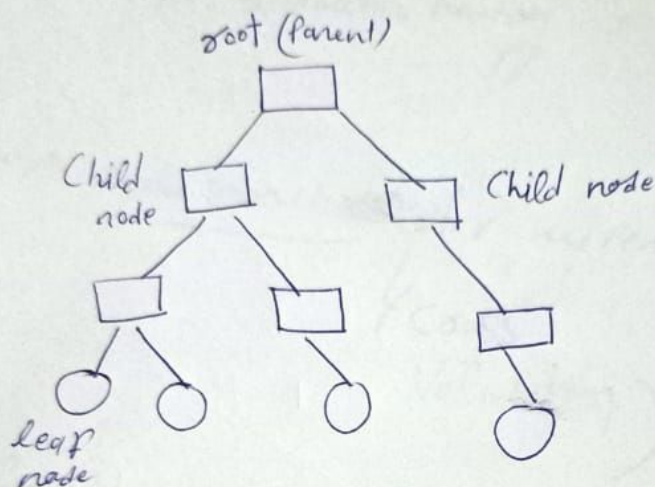
$\rightarrow$  For the regression insted of Gini and entropy we use Standard Deviation (MSE, RMSE) - then decide Root node -

Dataset

Decision tree → classification  
Regression

weight	height	(target) obese/No obese
50	150	0
60	160	No
70	170	0
80	175	No
90	180	0

weight	height	Target BMI
50	150	21
60	167	22
70	170	23
80	175	20
90	180	18



Which column @ feature  
I take. Decide by

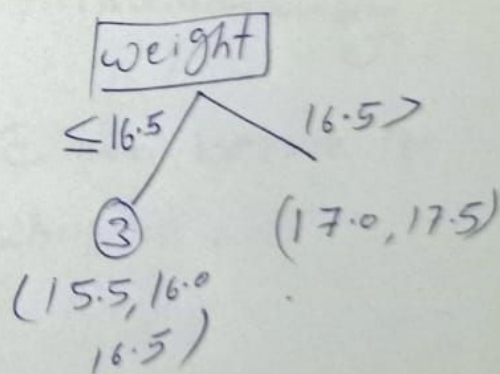
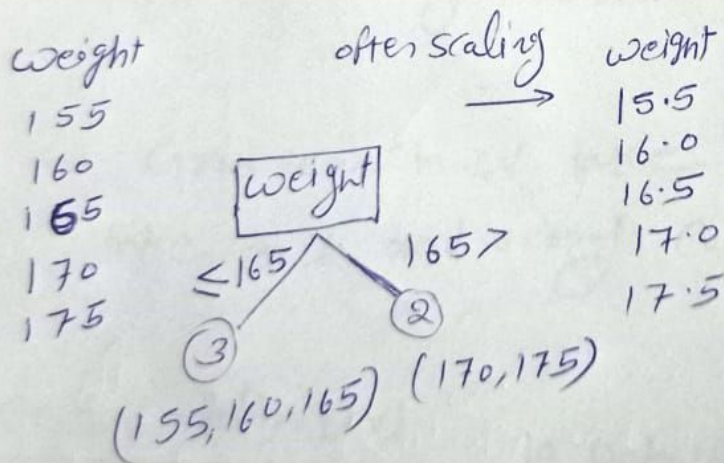
1) entropy → Info gain

2) Gini [indexing  
impurity]

3) Std/mse

↳ Decision tree  
Regressor

→ Need not To Do Scaling in Decision Tree



→ Outlier ~~does~~ does not impact on decision tree

→ sklearn.tree.DecisionTreeClassifier

hyperparameter → it is responsible for creating model  
or model structure.





1) Criterion = 'gini'  $\rightarrow$  (gini or entropy)  $\textcircled{2}$

2) max-depth = None  $\rightarrow$  we can take (2, 3, 4, 5, 6, ...)  $\textcircled{3}$   
max-depth = {2, 3, 4, 5, 6}

3) min-sample-leaf = {5, 10, 15, 20, 25}  $\textcircled{5}$

4) min-sample-split = {10, 15, 20, 25, 30}  $\textcircled{5}$

Now do hyper parameter tuning No. of iteration

$$5 \times 5 \times 5 = 125 \times 2 = 250$$

for exp

① use Grid search for hyper parameter Tuning.  
(Cross Validation)

② Random search.cv

means ~~P~~ picking the value for Hyperparameter tuning.

$\rightarrow$  Grid search.cv take more time because it take each and every combination

Cross validation. (cv)

10 Data Point

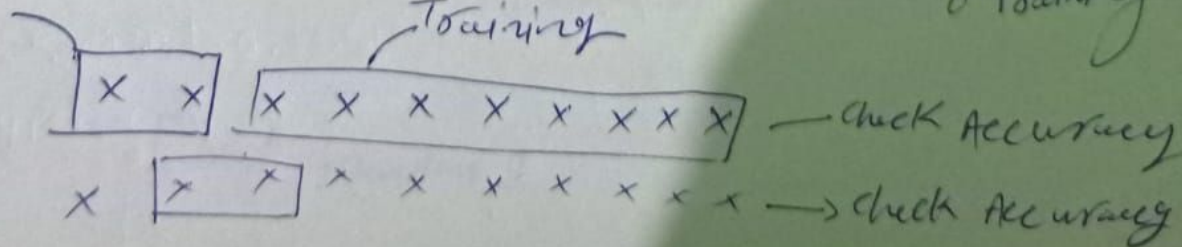
CV=5

$$\frac{10}{5} = 2 \quad \text{Test}$$

Test

Training

8 training



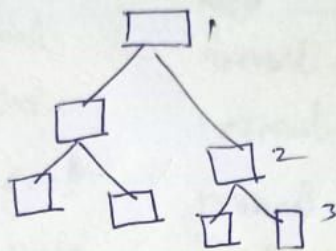
x x x x x x x x x x - then check Accuracy

like <sup>that</sup> do with that whole data

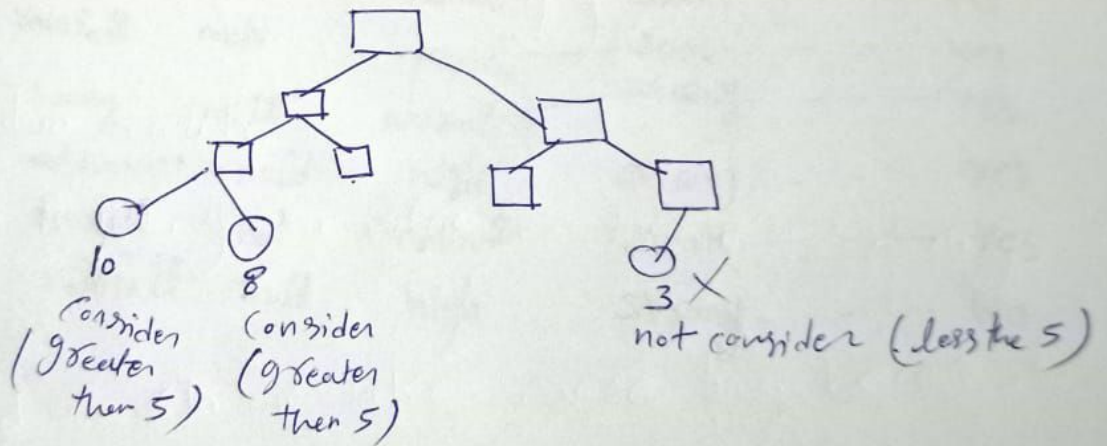
→ we take max Accuracy or avg Accuracy

Decision tree

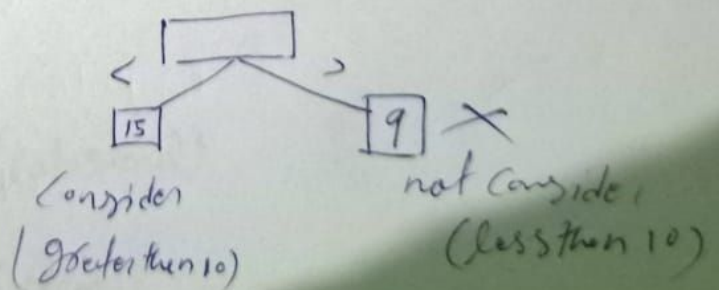
① Max-depth = 3



② min-sample-leaf = 5



③ min-sample-split = 10



4) splitter: ['best', 'random']



Decision tree classifier, Decision Tree regressor

$F_1$ Day	$F_2$ outlook	$F_3$ temp	$F_4$ humidity	$F_5$ Wind	out Put Decision
1	Sunny	hot	high	weak	No
2	Sunny	hot	high	Strong	No
3	overcast	hot	high	weak	Yes
4	rain fall	mild	high	weak	Yes
5	rain fall	cool	normal	weak	Yes
6	rain fall	cool	normal	Strong	No
7	overcast	cool	normal	Strong	Yes
8	Sunny	mild	high	weak	No
9	Sunny	cool	normal	weak	Yes
10	rain fall	mild	normal	weak	Yes
11	Sunny	mild	normal	Strong	Yes
12	overcast	mild	high	Strong	Yes
13	overcast	hot	normal	weak	Yes
14	rain fall	mild	high	Strong	No

take $f_i$ 

(cat, Num)

O/P (cat, Num)

DT Classifier

→  $f_i$  (cat, Num)

O/P (categorical)

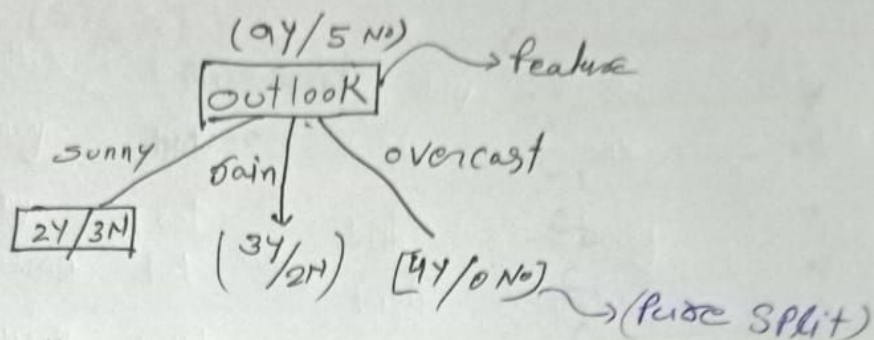
DT Regressor

→  $f_i$  (cat, Num)

O/P (Num)

① ID<sub>3</sub> (Iterative Dichotomiser) (entropy)

② CART (Classification and regression trees (gini impurity))



Check Purity → ① entropy

② gini-coeff, gini impurity.

Entropy  $\Rightarrow$   $H(S) = - \sum_{i=1}^n p_i \times \log_2(p_i)$

we have 2 class

$\left(\frac{Y}{N}\right)$

Binary

$-p_Y \log_2(p_Y) - p_N \log_2(p_N)$

if class 3

$c_1, c_2, c_3$

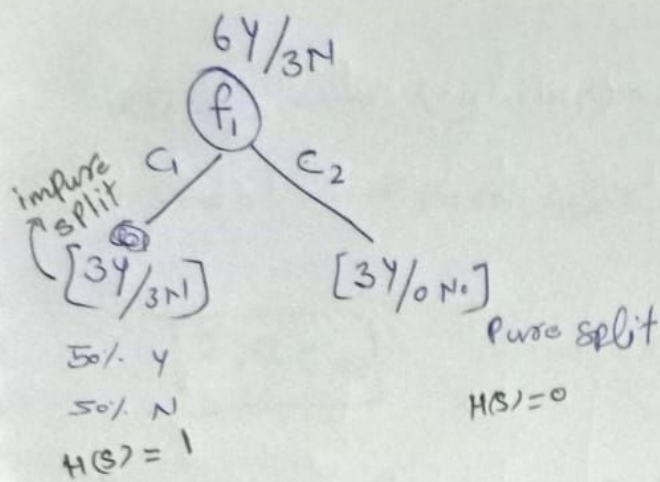
$-p_{c_1} \log(p_{c_1}) - p_{c_2} \log(p_{c_2}) - p_{c_3} \log(p_{c_3})$

for multi class

Gini-coeff  $\Rightarrow$   $1 - \sum_{i=1}^n p_i^2$

$1 - [p_Y^2 + p_N^2]$





$f_i$	$O/P$
$C_1$	Y
$C_2$	Y
$C_1$	Y
$C_2$	Y
$C_1$	Y
$C_1$	N
$C_1$	N
$C_2$	Y
$C_1$	N
$C_1$	N

Entropy

$$H(S) = - \sum_{i=1}^n p_i \log_2(p_i)$$

for  $C_1$

$$= -p_Y \log_2(p_Y) - p_N \log_2(p_N)$$

$$= -\frac{3}{6} \log_2\left(\frac{3}{6}\right) - \frac{3}{6} \log_2\left(\frac{3}{6}\right) \Rightarrow -\frac{1}{2} \log_2\left(\frac{1}{2}\right) - \frac{1}{2} \log_2\left(\frac{1}{2}\right)$$

$$H(S) = 1$$

$$= -\frac{1}{2} [\log_2(1) - \log_2(2)] - \frac{1}{2} [\log_2(1) - \log_2(2)]$$

$$= -\frac{1}{2} [0 - 1] - \frac{1}{2} [0 - 1]$$

$$= +\frac{1}{2} + \frac{1}{2} = 1$$

for  $C_2$

$$= -\frac{3}{3} \log_2\left(\frac{3}{3}\right) - \frac{0}{3} \log_2\left(\frac{0}{3}\right)$$

$$H(S) = 0$$

$H(S)$

1

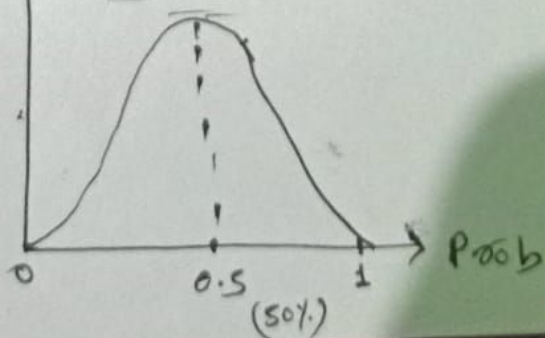
0

0.5 (50%)

1

Prob

entropy graph wrt probability



$H(S) = 1 \rightarrow$  Very impure split

$H(S) = 0 \rightarrow$  Pure split

$$\boxed{2Y_{es}/3N_{o}}$$

$$H(S) = -\frac{2}{5} \log_2\left(\frac{2}{5}\right) - \frac{3}{5} \log_2\left(\frac{3}{5}\right)$$

$$\boxed{H(S) = 0.97}$$

② Gini-Coff or Gini-impurity

$$\boxed{1 - \sum_{i=1}^n (P_i)^2}$$

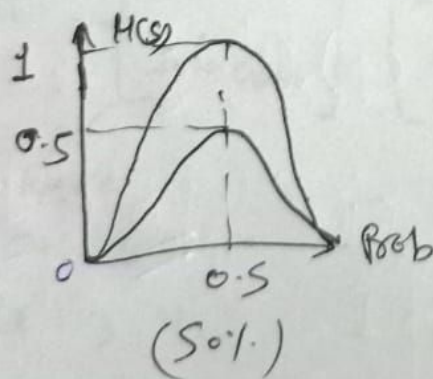
①  $3Y/3N \rightarrow$  Entropy  $\rightarrow H(S) = 1$  (very impure split)

②  $3Y/0N \rightarrow 0$

③  $2Y/3N$

$$= 1 - \left[\left(\frac{3}{6}\right)^2 + \left(\frac{3}{6}\right)^2\right]$$

$$= 1 - \left[\left(\frac{1}{2}\right)^2 + \left(\frac{1}{2}\right)^2\right] \Rightarrow 1 - \left[\frac{1}{4} + \frac{1}{4}\right] \Rightarrow 1 - \left[\frac{2}{4}\right] \Rightarrow 1 - \frac{1}{2} = \frac{1}{2} = 0.5$$



Entropy =  $[0, 1]$

Gini-coff =  $[0, 0.5]$



$$[44/8N] \Rightarrow \text{Gini-coff value}$$

$$[84/2M] \Rightarrow \quad \quad "$$

$$= 1 - \left[ \left( \frac{4}{12} \right)^2 + \left( \frac{8}{12} \right)^2 \right]$$

$$= 1 - \left[ \left( \frac{1}{3} \right)^2 + \left( \frac{2}{3} \right)^2 \right]$$

$$G.I = \underline{\underline{0.444}}$$

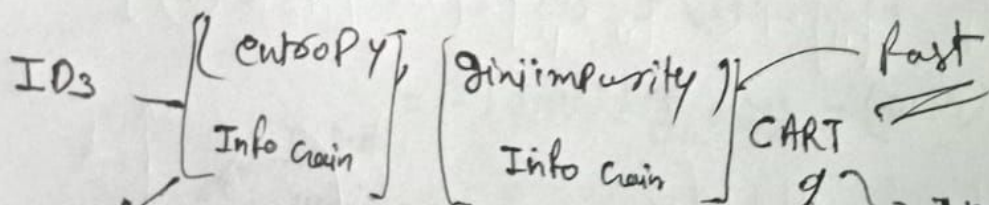
$$\Rightarrow = 1 - \left[ \left( \frac{8}{10} \right)^2 + \left( \frac{2}{10} \right)^2 \right]$$

$$G.I = 1 - 0.68$$

$$G.I = \underline{\underline{0.32}}$$

Features 1, feature 2, feature 3

↳ Purity



it can have  
more than 2 split  
like 3, 4

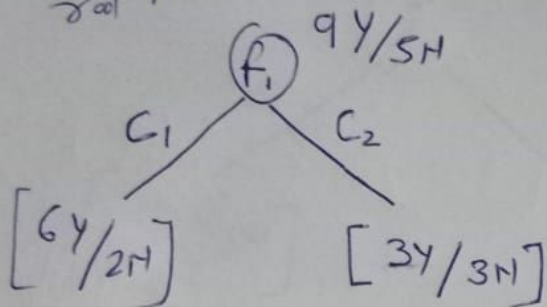
→ This for Binary Approach

# Information Gain

$$Gain(S, f_i) = H(S) - \sum \frac{|S_v|}{|S|} H(S_v)$$

root Node

value



$H(S) \Rightarrow$  root feature entropy

$$= -P_Y \log_2(P_Y) - P_N \log_2(P_N)$$

$$= -\left(\frac{9}{14}\right) \log_2\left(\frac{9}{14}\right) - \frac{5}{14} \log_2\left(\frac{5}{14}\right)$$

$$= -(0.64) \log_2(0.64) - (0.35) \log_2(0.35)$$

(f1) root feature

$$H(S) \approx 0.94$$

$$6y/2N \Rightarrow -\frac{6}{8} \log_2\left(\frac{6}{8}\right) - \frac{2}{8} \log_2\left(\frac{2}{8}\right) = \underline{\underline{0.81}}$$

$$3y/3N \Rightarrow H(S) = \underline{\underline{1}}$$



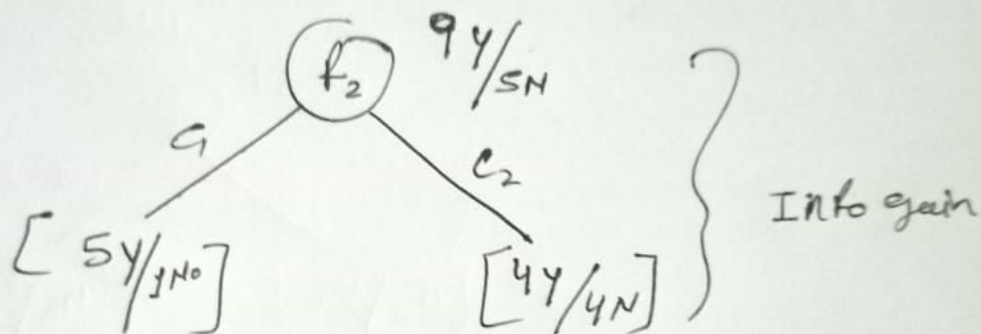
→ This Approach called ID<sub>3</sub> Approach → No of Split

$$\text{Info Gain}(S, f_1) = 0.94 - \left[ \frac{8}{14} \times 0.81 + \frac{6}{14} \times 1 \right]$$

$$= 0.94 - [0.462 + 0.427]$$

$$\boxed{f_1 = 0.058}$$

Feature 2  
 $f_2 =$



$$\text{Gain} = 0.94 - \left[ \left( \frac{6}{14} \right) \times 0.65 + \left( \frac{8}{14} \right) \times 1 \right]$$

$$\text{Gain}(f_2) = 0.094$$

≈

$$\boxed{\text{Info gain}(f_2) > \text{Info gain } f_1}$$

So we select  $f_2$   
it is providing more information