Relevant Emotion Ranking from Text Constrained with Emotion Relationships

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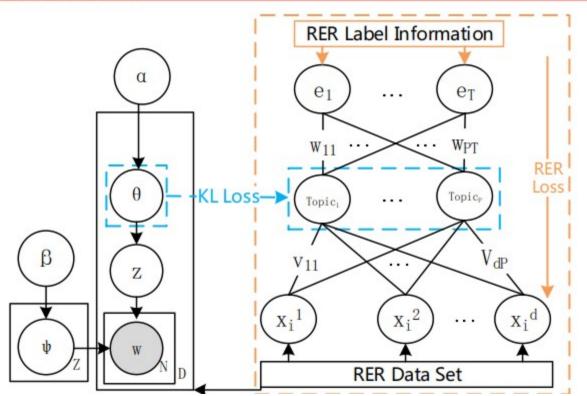
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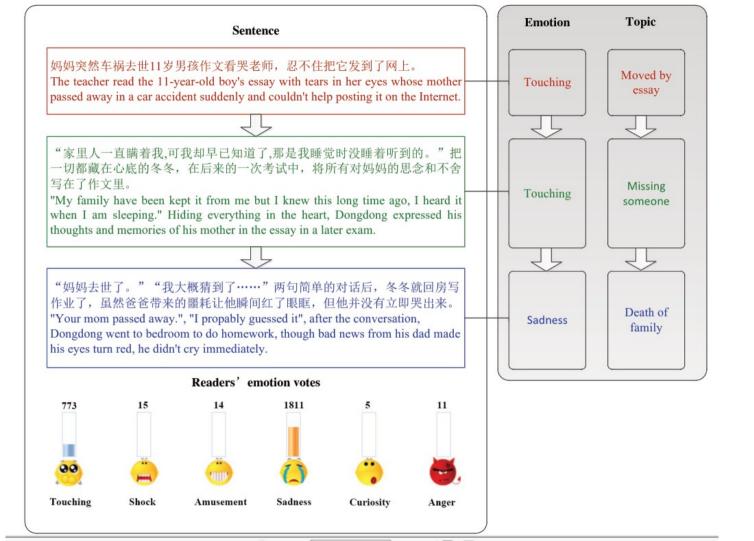
Outline

- Emotion Representations
- Multi-Emotion Detection
- Interpretable Neural Network for Emotion Ranking
- Hidden Topic-Emotion Transition Model
- Emotion Cause Extraction

Interpretable Neural Network for Relevant Emotion Ranking (INN-RER)

(Yang, Zhou and He, EMNLP 2018)





1 Introduction

- https://drive.google.com/file/d/1wS3P042lyHOCYzwbsMIAGaNADtXbGCdT/view?usp=sharing
 - https://drive.google.com/file/d/17MVO_-YgJnWfVlzwz1ygaNv9FKKi43wd/view?usp=sharing

Emotion Representations

Sentiment

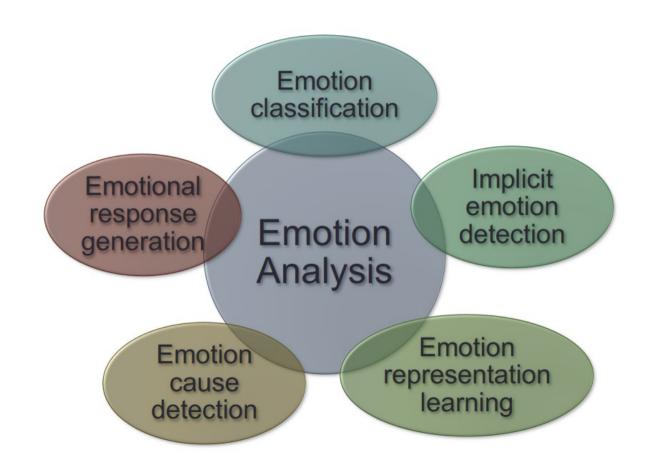


Positive, negative, neutral

Multi-category emotion representations

Multi-dimensional emotion representations

Emotion Analysis Tasks

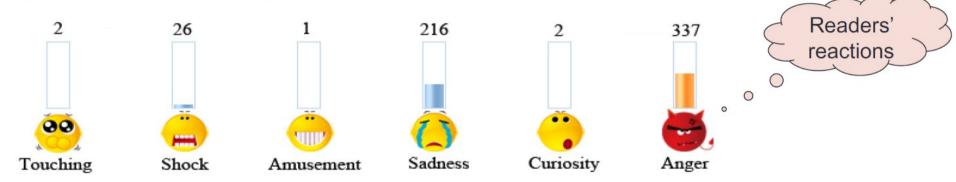


Multi-Emotion Detection

Sina News

妈妈出走爸爸吸毒 2岁娃无人管活在恶臭垃圾堆

近日网友发求助称因母亲离家出走父亲长期吸毒精神不正常,留下2岁的小"臭蛋"独自在家无人照料甚至连吃的都没有。在发布的图片中,小"臭蛋"居住的家里凌乱不堪垃圾地。……

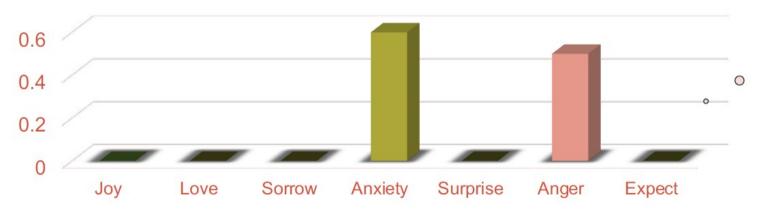


- Readers expressed different emotions with the majority showed "Sadness" and "Anger"
- Emotions receiving very few votes could be considered as irrelevant ones

Chinese Blogs

女儿在学校遭遇不平

昨天下午,女儿一进门就对我说,妈妈,我有重要的事跟你说:"每次管饭菜的人给我的饭菜总是比别人的少很多,她们是不是种族歧视啊?"...



Writer's emotion

2 Related work-Lexicon-based

- Aman and Szpakowicz (2007) classified emotional and non-emotional sentences with a predefined emotion lexicon.
 - Emotional dictionaries constructed from training corpora of news articles were used to predict the readers' emotion of a new articles (Lei et al., 2014; Rao et al., 2012)
 - Use linguistic templates to predict reader's emotions (Chang et al., 2015)
- emotion vector
- (Wang and Pal, 2015) can also output multiple emotions with intensities using non-negative matrix factorization with constraints derived based on an emotion lexicon

2 Related work-Learning-based

- Unsupervised
 - emotion-topic models (Bao et al., 2012, 2009)
 - Latent Dirichlet Allocation (LDA) (Blei et al., 2003)
- Supervised
 - classification problem
 - Single-label
 - knowledge-based and corpus-based
 - Multi-label
 - Quan et al. (2015) proposed a logistic regression model
 - A joint model to co-train a polarity classifier and an emotion classifier (Gao et al., 2013)
 - A multi-task Gaussian-process based classification (Beck et al., 2014)
 - Emotion distribution learning (Zhou et al., 2016)

3 Methodology

- Assuming a set of T emotions $E = \{e_1, e_2, ... e_T\}$
- a set of n instances $X = \{x_1, x_2, x_3, ..., x_n\}$

$$x_i \in \mathbb{R}^d$$

$$R_i \subseteq E$$

$$\overline{R_i} = E - R_i$$

$$\mathbf{g}(x_i) = [g_1(x_i), ..., g_T(x_i)]$$
$$g_t(x_i)$$

 $e_t, (t \in \{1, ..., T\})$

- assigning a score to each emotion
- multi-label learning
- Relevant emotion ranking

Relevant emotion ranking

g1(xn)

Xn

	emotions			
instances	e1	e2	 et	e threshold
X1	g1(x1)	g2(x1)	 gt(x1)	eth(x1)
X2	g1(x2)	g2(x2)	 gt(x2)	eth(x2)

gt(xn)

eth(xn)

g2(xn)

3 Methodology

- define a threshold $g_{\Theta}(x)$ which could be simply set to 0 or learned from data (Furnkranz et al., 2008)
- the predicted relevant emotions of instance x_i are denoted as

$$\hat{R}_i = \{e_t \in E | g_t(x_i) > g_{\Theta}(x_i) \}$$

 Those emotions with scores lower than the threshold will be considered as irrelevant and hence discarded.

- The goal of relevant emotion ranking is to learn the parameter of the ranking function g.
- Without loss of generality, we assume that g are linear models $g_t(x_i) = w_t^{\mathsf{T}} \cdot x_i, \ t \in \{1, 2, 3, ..., T\} \cup \{\Theta\}$

- Several evaluation criteria typically used in <u>multi-label learning</u> can also be used to measure the ranking function's ability of distinguishing relevant emotions from irrelevant ones, such as hamming loss, one error, coverage, ranking loss, and average precision as suggested in (Zhang and Zhou, 2014).
- However, these multi-label criteria cannot meet our requirement exactly as none of them considers the ranking among emotions which are considered relevant.

• Therefore, by incorporating PRO loss (Xu et al., 2013), the loss function for the instance x_i is defined as follows:

$$L(x_{i}, R_{i}, \prec, \mathbf{g}) = \sum_{e_{t} \in R_{i} \cup \{\Theta\}} \sum_{e_{s} \in \prec(e_{t})} \frac{1}{norm_{t,s}} l_{t,s}$$

$$l_{t,s} = \begin{cases} 1, & g_{t}(x_{i}) < g_{s}(x_{i}) \\ \frac{1}{2}, & g_{t}(x_{i}) = g_{s}(x_{i}) \\ 0, & \text{otherwise} \end{cases} \Rightarrow = \begin{cases} 0, & \text{otherwise} \end{cases}$$

(e_s, e_t) represents 4 types of emotion pairs:

- (relevant, relevant)
- (relevant, irrelevant)
- (relevant, threshold)
- (irrelevant, threshold)

where e_t refers to the emotion belonging to relevant emotion set R_i or the threshold Θ of instance x_i while e_s refers to the emotion which is less relevant than e_t denoted as \prec . Thus, (e_t, e_s) represents four types of emotion pairs: i.e., (relevant, relevant), (relevant, irrelevant), (relevant, threshold), and (threshold, irrelevant). The normalization term $norm_{t,s}$ is used to balance those four types of emotion pairs to avoid dominated terms by their respective set sizes. The set sizes of the four different types of emotion pairs mentioned

• Note that $l_{t,s}$ is non-convex and difficult to optimize. Thus, a large margin surrogate convex loss (Vapnik and Vapnik, 1998) implemented in hinge form is used instead as follows:

$$\hat{L}(x_i, R_i, \prec, \mathbf{g}) = \sum_{e_t \in R_i \cup \{\Theta\}} \sum_{e_s \in \prec(e_t)} \frac{1}{norm_{t,s}} (1 + g_s(x_i) - g_t(x_i))_+$$

where
$$(u)_{+} = \max\{0, u\}.$$

情緒有差異 > 0 + 整數

無情緒差異 <= 0 - 負數

However, Eq. 2 ignores the relationships between different emotions. As mentioned in Introduction section, some emotions often co-occur such as "joy" and "love" while some rarely co-

exist such as "joy" and "anger". Such relationship information among emotions can provide important clues for emotion ranking. Therefore, we incorporate this information into the emotion loss function as constraints.

• $\hat{L}(x_i, R_i, \prec, \mathbf{g})$ can be redefined as:

$$\hat{L}_{\omega}(x_i, R_i, \prec, \mathbf{g}) = \sum_{e_t \in R_i \cup \{\Theta\}} \sum_{e_s \in \prec(e_t)} \frac{1}{norm_{t,s}} \times \left(1 + g_s(x_i) - g_t(x_i) + \omega_{ts}(w_t - w_s)\right)_+$$

• where the weight ω_{ts} models the relationship between the t-th emotion and the s-th emotion in the emotion set and can be calculated in multiple ways. Since the Pearson correlation coefficient (Nicewander, 1988) is the most familiar measure of relationship between two variables, we use it to measure the relationship of two emotions using their original emotion scores across each corpus.

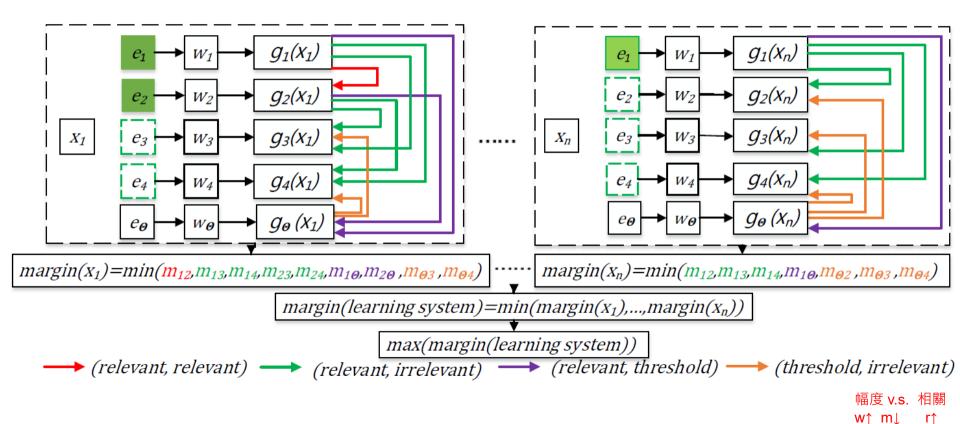
- minimize the empirical error measured by the appropriate loss function
- control the complexity of the resulting model

- a label ranking method (Elisseeff andWeston, 2001)
 - The margin of the (relevant, relevant) label pair needs to be dealt with carefully

relevant emotion ranking (RER)

$$\min_{e_t \in R_i \cup \{\Theta\}, e_s \in \prec(e_t)} \frac{\langle w_t - w_s, x_i \rangle}{||w_t - w_s||} \tag{4}$$

Various Margins-(RER)



• the hyperplane $\langle w_t - w_s, x_i \rangle = 0$.

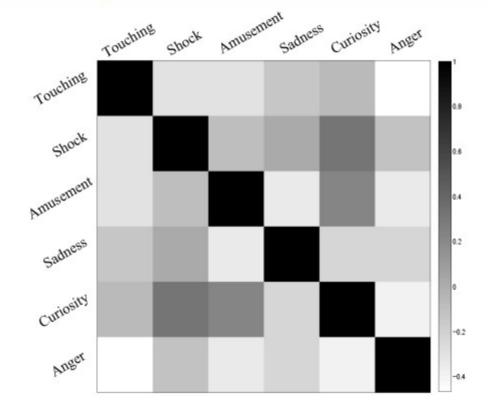
$$\min_{x_i \in G} \min_{e_t \in R_i \cup \{\Theta\}, e_s \in \prec(e_t)} \frac{\langle w_t - w_s, x_i \rangle}{||w_t - w_s||}$$

a positive margin

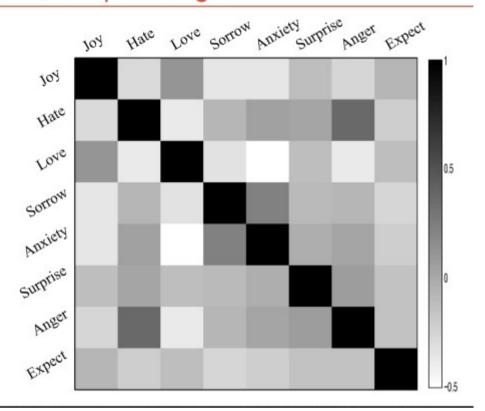
$$\max_{w_j} \min_{x_i \in G} \min_{e_t \in R_i \cup \{\Theta\}, e_s \in \prec(e_t)} \frac{1}{||w_t - w_s||}$$

$$s.t. \langle w_t - w_s, x_i \rangle \ge 1, 1 \le i \le n, 1 \le j \le T + 1$$

Emotion Relationships - Sina News



Emotion Relationships - Blogs



 to overcome the complexity brought in by the max operator, the objective of the <u>optimization problem</u> can be re-written by approximating the max operator with the sum operator.

$$\min_{w_j} \sum_{t=1}^{T+1} ||w_t||^2
s.t. \langle w_t - w_s, x_i \rangle \ge 1, 1 \le i \le n,$$

$$1 \le j \le T + 1, e_t \in R_i \cup \{\Theta\}, e_s \in \langle e_t \rangle$$

To accommodate real-world scenarios

$$\min_{w_{j},\xi_{its}} \sum_{t=1}^{T+1} ||w_{t}||^{2} + \lambda \sum_{i=1}^{n} \sum_{e_{t} \in R_{i} \cup \{\Theta\}} \sum_{e_{s} \in \prec(e_{t})} \frac{1}{norm_{t,s}} \xi_{its}$$

$$s.t. \langle w_{t} - w_{s}, x_{i} \rangle \geq 1 - \xi_{its}, 1 \leq j \leq T + 1, \xi_{its} \geq 0$$

- Since ξ_{its} does not need to be optimized since it can be easily determined by wt, ws.
- two parts balanced by the trade-off parameter λ.

$$\min_{w_t, \hat{L}} \sum_{t=1}^{T+1} ||w_t||^2 + \lambda \sum_{i=1}^n \hat{L}(x_i, R_i, \prec, \mathbf{g})$$

SVM-type

$$\min_{\mathbf{w}, \boldsymbol{\xi}} \frac{1}{2} ||\mathbf{w}||^2 + \lambda C^{\top} \boldsymbol{\xi}$$

$$s.t. \ A\mathbf{w} \ge \mathbf{1}_p - \xi, \xi \ge \mathbf{0}_p$$

\$ does not need to be optimized since it can be easily determined by w.

- Alternating Direction Method of Multipliers (ADMM)
- (Bertsekas and Tsitsiklis, 1989)

$$\min_{\mathbf{w}} F(\mathbf{w}, G) = \frac{1}{2} ||\mathbf{w}||^2 + \lambda C^{\top} (1_p - A\mathbf{w})_+$$

ADMM

$$\min_{\mathbf{w}^0, \mathbf{w}^1, \mathbf{w}^m} \sum_{m=1}^{M} F(\mathbf{w}^m, G^m),$$

$$s.t. \ \mathbf{w}^m = \mathbf{w}^0, \forall m = 1, ..., M$$

- Lagrangian Function (LF)
- 數學最優化問題中,拉格朗日乘數法(以數學家約瑟夫•拉格朗日命名)是一種尋找變數受一個或多個條件所限制的多元函數的極值的方法。

$$LF(\{\mathbf{w}^0, \mathbf{w}^1, ..., \mathbf{w}^m\}, \{\alpha^m\}_{m=1}^M, \beta) =$$

$$\sum_{m=1}^{M} F(\mathbf{w}^{m}, G^{m}) + \sum_{m=1}^{M} (\alpha^{m})^{\top} (\mathbf{w}^{m} - \mathbf{w}^{0}) + \frac{\beta}{2} \sum_{m=1}^{M} ||\mathbf{w}^{m} - \mathbf{w}^{0}||^{2}$$

Algorithm 1 Parameter updating process. 1: Decompose data set G into M disjoint subsets

- i.e., $\{G_1, G_2, ..., G_M\}$. Set iteration i = 0.
- 2: Initialize $\{\mathbf{w}_{0}^{0}, \mathbf{w}_{0}^{1}, ..., \mathbf{w}_{0}^{M}, \alpha_{0}^{1}, ..., \alpha_{0}^{M}\}$ as zeros.
- 3: while not converged do
 - Set i = i + 1
- 5: Update \mathbf{w}_i^0 , $\{\mathbf{w}_i^m, \alpha_i^m\}_{m=1}^M$ as:
 - $\{\mathbf{w}_{i}^{m}\}_{m=1}^{M} =$
 - $\operatorname{argmin} LF(\mathbf{w}_{i-1}^0, \{\mathbf{w}_{i-1}^m, \alpha_{i-1}^m\}_{m-1}^M, \beta)$
 - $\mathbf{w}^1 \dots \mathbf{w}^m$ $\mathbf{w}_i^0 = \operatorname{argmin} LF(\mathbf{w}^0, \{\mathbf{w}_{i-1}^m, \alpha_{i-1}^m\}_{m-1}^M, \beta$
 - $\alpha_i^m = \alpha_{i-1}^m + \beta (\mathbf{w}_i^m \mathbf{w}_i^0)^\top, \forall m =$ 1, 2, ..., M
- 6: end while
 - **Output:** Final \mathbf{w}^0

4 Experiments

4.1 Setup

Sina Soci	al News	Ren-CECps Corpus			
Category	#Votes	Category	#Scores		
Touching	694,006	Joy	1,349.6		
Shock	572,651	Hate	6,103.9		
Amusement	869,464	Love	2,911.1		
Sadness	837,431	Sorrow	2,042.5		
Curiosity	212,559	Surprise	3,873.9		
Anger	1,109,315	Anger	7,832.1		
		Anxiety	5,006.4		
		Expect	610.4		
All	4,295,426	All	29,729.9		

Table 1: Statistics for the two corpora used in our experiments.

4.1 Setup

- the single layer long short-term memory (LSTM) networks (Hochreiter and Schmidhuber, 1997)
- the dimension of each text representation to 100
- a learning rate of 0.001
- a dropout rate of 0.3
- categorical cross-entropy as the loss function
- The mini batch (Cotter et al., 2011) size is set to 32.

4.2 Comparison with Baselines

- previously achieved the state-of-the-art performances on multi-emotion detection
- Emotion Distribution Learning (EDL) (Zhou et al., 2016)
- EmoDetect (Wang and Pal, 2015)

4.2 Comparison with Baselines

- Θ which is initialized as 0.15 after normalization
- RERc
- ML-KNN (Zhang and Zhou, 2007),
- LIFT (Zhang, 2011)
- CLR (F"urnkranz et al., 2008)
- Rank-SVM (Zhang and Zhou, 2014) ,
- MLLOC(Huang and Zhou, 2012),
- BP-MLL (Zhang and Zhou, 2006),
- ECC (Read et al., 2009)
- ML-RBF(Zhang, 2009).

Name	Definition
PRO Loss	$\frac{1}{n} \sum_{i=1}^{n} \sum_{e_t \in R_i \cup \{\Theta\}} \sum_{e_s \in \prec(e_t)} \frac{1}{norm_{t,s}} l_{t,s}$
y	$l_{t,s}$ is a modified 0-1 error; $norm_{t,s}$ is the set size of label pair (t,s)
Hamming Loss	$\frac{1}{nT} \sum_{i=1}^{n} \hat{R}_i \triangle R_i $
Ranking Loss	$\frac{1}{n} \sum_{i=1}^{n} \left(\sum_{(e_t, e_s) \in R_i \times \overline{R_i}} \delta[g_t(x_i) < g_s(x_i)] \right) / (R_i \times \overline{R_i})$
	where δ is the indicator function.
One Error	$\frac{1}{n} \sum_{i=1}^{n} \delta[\operatorname*{argmax} g_{t}(x_{i}) \notin R_{i}]$
Average Precision	$\frac{1}{n}\sum_{i=1}^{n}\frac{1}{ R_i }\times$
	$\left(\sum_{t:e_t \in R_i} \{e_s \in R_i g_s(x_i) > g_t(x_i)\}) / (\{e_s g_s(x_i) > g_t(x_i)\})\right)$
Coverage	$\frac{1}{n} \sum_{i=1}^{n} \max_{t:e_t \in R_i} \{e_s g_s(x_i) > g_t(x_i)\} $
Subset Accuracy	$\frac{1}{n}\sum_{i=1}^{n}\delta[\hat{R}_{i}=R_{i}]$
$F1_{exam}$	$\frac{1}{n} \sum_{i=1}^{n} 2 R_i \cap \hat{R}_i /(R_i + \hat{R}_i)$
MicroF1	$F1(\sum_{t=1}^{T} TP_t, \sum_{t=1}^{T} FP_t, \sum_{t=1}^{T} TN_t, \sum_{t=1}^{T} FN_t)$
MacroF1	$\frac{1}{T} \sum_{t=1}^{T} F1(TP_t, FP_t, TN_t, FN_t)$

Datacate	Evaluation Criterion				
Datasets	Evaluation Criterion	RER RERc		EDL	EmoDetect
	PRO loss(↓)	0.1992	0.1913	0.2596	0.2465
	Hamming Loss(↓)	0.2318	0.2277	3 0.2596 0.2465 7 0.2671 0.2696 5 0.1689 0.1769 2 0.2115 0.1903 9 0.8028 0.7865 6 2.1595 2.2348 2 0.2026 0.2243 3 0.6503 0.6469 1 0.6346 0.6375 1 0.2739 0.2912 4 0.2102 0.2202 2 0.2589 0.2781 0 0.5227 0.5352	0.2696
	Ranking Loss(↓)	0.1477	0.1405	0.1689	0.1769
News	One-error(↓)	0.1579	0.1562	0.2115	0.1903
News	Average Precision(†)	0.8775	0.8789	0.8028	0.7865
	Coverage(↓)	2.1398	2.1316	2.1595	2.2348
	Subset Accuracy(↓)	0.1899	0.1822	0.2026	0.2243
	$F1_{exam}(\uparrow)$	0.7062	0.7143	0.6503	0.6469
	MicroF1(↑)	0.7086	0.7171	0.6346	0.6375
	MacroF1(↑)	0.6244	0.6291	0.5641	0.5767
	PRO loss(↓)	0.2354	0.2321	0.2739	0.2912
	Hamming Loss(↓)	0.2054	0.2014	0.2102	0.2202
	Ranking Loss(↓)	0.2137	0.2102	0.2589	0.2781
	One-error(↓)	0.4556	0.4550	0.5227	0.5352
Blogs	Average Precision(†)	0.6749	0.6803	0.6411	0.5663

2.1269

0.1663

0.5080

0.5093

0.4102

2.1268

0.1663

0.5114

0.5116

0.4161

2.1699

0.2116

0.4606

0.4620

0.3923

2.8956

0.2321

0.4650

0.4552

0.3622

Evaluation Criterion

Coverage(↓)

 $F1_{exam}(\uparrow)$

MicroF1(↑)

MacroF1(↑)

Subset Accuracy(↓)

Datasets

Methods

Anger	Anxiety	Expect	Hate	
生气(angry)	害怕(fear)	祝福(blessing)	讨厌(hate)	
愤怒(rage)	失去(lose)	幸福(happy)	虚伪(hypocrisy)	
抱怨(complain)	孤独(lonely)	美好(fine)	炒作(hype)	
批评(criticize)	压力(pressure)	梦想(dream)	无耻(shameless)	
利益(interest)	现实(reality)	自由(freedom)	手段(means)	
歧视(discriminate)	陌生(strange)	渴望(long for)	愚蠢(silly)	
制止(stop)	心灵(heart)	希望(hope)	浪费(waste)	
指责(accuse)	痛苦(pain)	学习(learn)	背后(behind)	
懊恼(annoy)	想象(imagine)	信念(faith)	肮脏(dirty)	
无耻(shameless)	伤害(hurt)	家里(home)	欺骗(lie)	
Joy	Love	Sorrow	Surprised	
快乐(happy)	美丽(beautiful)	孤独(lonely)	好奇(curious)	
高兴(joyful)	爱情(love)	眼泪(tears)	惊讶(surprise)	
朋友(friend)	朋友(friend)	爱情(love)	震惊(shock)	
感动(touching)	幸福(happiness)	寂寞(solitude)	惊奇(wonder)	
心情(mood)	孩子(child)	痛苦(pain)	惊人(amazing)	
温暖(warm)	生命(life)	感情(feeling)	意外(accident)	
享受(enjoy)	阳光(sunshine)	伤害(hurt)	惊吓(fright)	
兴奋(excited)	温暖(warmth)	失去(lose)	惊呼(scream)	
收获(harvest)	思念(miss)	思念(miss)	不经意(accidently)	
微笑(smile)	可爱(lovely)	生活(life)	诧异(amazed)	

Datasets	Evaluation Criterion	Methods								
		RERc	ML-KNN	LIFT	CLR	Rank-SVM	MLLOC	BP-MLL	ECC	ML-RBF
News	PRO loss(↓)	0.1913	0.2551	0.2426	0.2487	0.2670	0.3429	0.2603	0.2823	0.2658
	Hamming Loss(↓)	0.2277	0.2876	0.3118	0.3023	0.3127	0.3241	0.3040	0.3079	0.3599
	Ranking Loss(↓)	0.1405	0.1898	0.1987	0.2142	0.2271	0.3234	0.1897	0.2563	0.1949
	One-error(\downarrow)	0.1562	0.2366	0.1881	0.2242	0.2258	0.2025	0.2043	0.2151	0.2240
	Average Precision(↑)	0.8789	0.8095	0.7945	0.7916	0.8001	0.7545	0.8044	0.6245	0.8106
	$Coverage(\downarrow)$	2.1316	2.3602	2.4641	2.3453	2.6093	3.1272	2.4032	2.4122	2.4390
	Subset Accuracy(↓)	0.1822	0.1916	0.1857	0.2386	0.1839	0.2107	0.2765	0.2222	0.2609
	$F1_{exam}(\uparrow)$	0.7143	0.6215	0.6262	0.6032	0.6244	0.5193	0.5879	0.5108	0.6147
	MicroF1(↑)	0.7171	0.6280	0.6131	0.6177	0.6268	0.5389	0.6231	0.5699	0.6160
	MacroF1(↑)	0.6291	0.5587	0.5593	0.5658	0.5613	0.4913	0.5563	0.4573	0.5543
	PRO loss(↓)	0.2321	0.3036	0.2912	0.3041	0.2869	0.3523	0.3429	0.2867	0.2922
	Hamming Loss(↓)	0.2014	0.2409	0.2242	0.2162	0.2585	0.2156	0.2241	0.2301	0.2204
	Ranking Loss(↓)	0.2102	0.2928	0.2881	0.2947	0.3024	0.4532	0.3234	0.3345	0.2364
Blogs	One-error(\downarrow)	0.4550	0.5543	0.5152	0.5229	0.5606	0.6143	0.4625	0.6635	0.4679
Diogs	Average Precision(↑)	0.6803	0.5897	0.5963	0.6370	0.5832	0.4532	0.5545	0.5256	0.6412
	$Coverage(\downarrow)$	2.1268	2.4448	2.4356	2.2671	2.5962	3.5634	3.1272	2.7756	2.5067
	Subset Accuracy(↓)	0.1663	0.1978	0.2116	0.1938	0.2321	0.2251	0.2107	0.2236	0.1803
	$F1_{exam}(\uparrow)$	0.5114	0.4616	0.4620	0.4509	0.4832	0.4931	0.5093	0.4986	0.4997
	MicroF1(↑)	0.5116	0.4720	0.4552	0.4859	0.4962	0.4902	0.4889	0.5003	0.5051
	MacroF1(↑)	0.4161	0.3632	0.3656	0.4056	0.3965	0.3853	0.3813	0.3957	0.4086
		J. 1101	0.0002	3.2020	3.1020	0.2702	3.0000	3,2013	0.0701	011000

4.3 Result Analysis

- the word "happy" delivers the emotion of Joy
- the word "tears" tells Sorrow
- "friend" appears in both Joy and Love

5 Conclusions

- a novel framework based on relevant emotion ranking to identify multiple emotions
 - the rankings of relevant emotions from text
- emotion relationship can provide important cues for emotion detection
 - we observe that some emotions co-occur more often while other emotions rarely coexist.
- the proposed framework can effectively deal with the emotion detection problem
 - better than the state-of-the-art emotion detection methods and multi-label learning methods.

Goal

- Emotions might be evoked by hidden topics
 - Unveil the topical information to understand how the emotions are evoked.
- · A novel interpretable neural network approach for relevant emotion ranking
 - The neural network is initialised to make the hidden layer approximate the behavior of topic models.
 - A novel error function is defined to optimize the whole neural network for relevant emotion ranking.