

Practical Machine Learning

Day 14: Mar23 DBDA

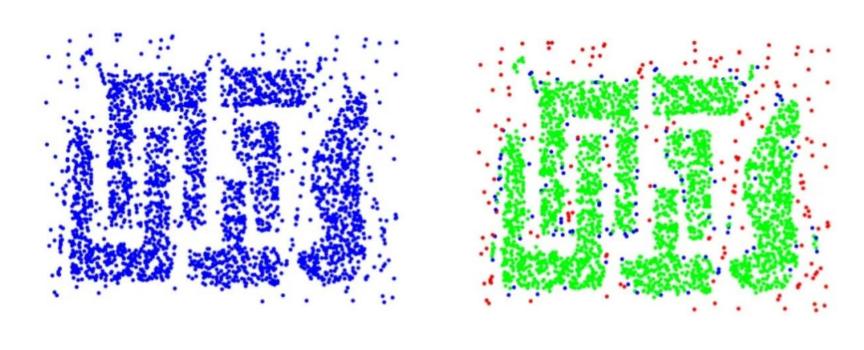
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Agenda

- Clustering
- K-Means
- Hierarchical
- DB-SCAN

- DBSCAN is a density-based algorithm
- DBScan stands for Density-Based Spatial Clustering of Applications with Noise
- Density-based Clustering locates regions of high density that are separated from one another by regions of low density

Density = number of points within a specified radius (Eps)



Original Points

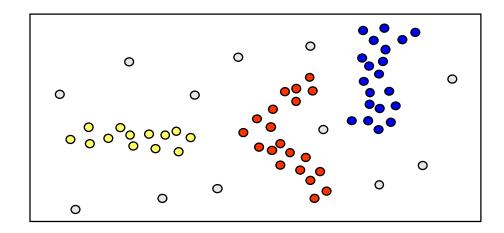
Point types: core, border and noise

$$Eps = 10$$
, $MinPts = 4$

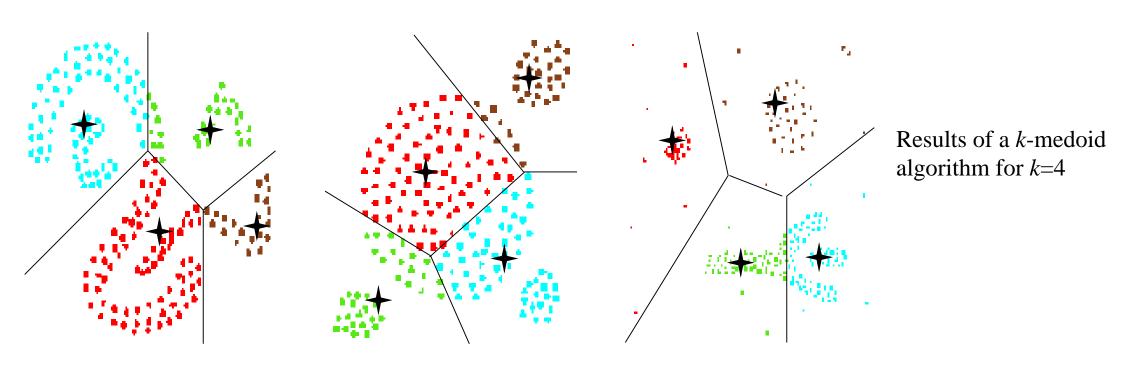
Density-Based Clustering

***** Basic Idea:

Clusters are dense regions in the data space, separated by regions of lower object density



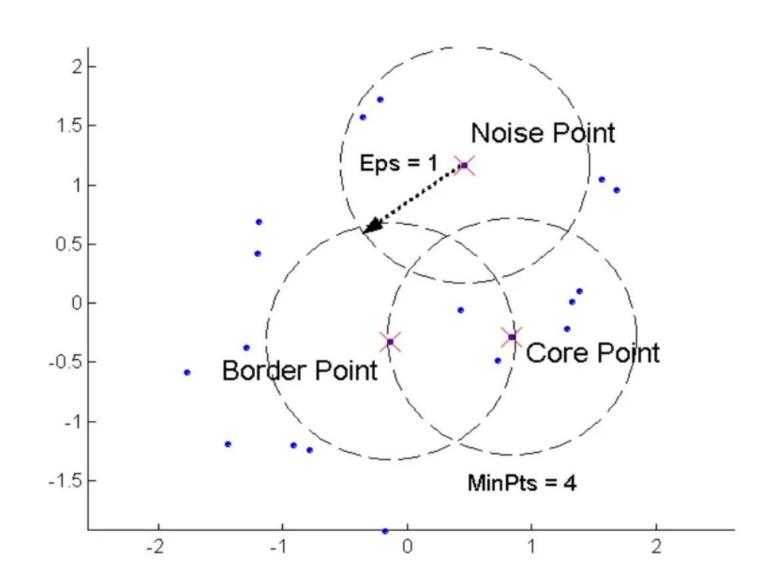
Why Density-Based Clustering?



- A point is a core point if it has more than a specified number of points (MinPts) within Eps
 - These are points that are at the interior of a cluster
- A border point has fewer than MinPts within Eps, but is in the neighborhood of a core point
- A noise point is any point that is not a core point or a border point

- Any two core points are close enough—within a distance
 Eps of one another are put in the same cluster
- Any border point that is close enough to a core point is put in the same cluster as the core point
- Noise points are discarded

Concepts: Core, Border, Noise



Parameter Estimation

parameters must be specified by the user.

ε = physical distance(radius), minPts = desired minimum cluster size

minPts

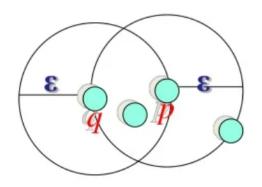
- derived from the number of dimensions D in the data set, as minPts $\geq D + 1$
- minPts = 1 does not make sense, as then every point on its own will already be a cluster
- minPts must be chosen at least 3. larger is better.
- larger the data set, the larger the value of minPts should be chosen.

3

- value can be chosen by using a k-distance graph.
- if ε is chosen much too small, a large part of the data will not be clustered.
- if too high value, majority of objects will be in the same cluster
- In general, small values of ε are preferable.

Concepts: ε-Neighborhood

- ε-Neighborhood Objects within a radius of ε from an object. (epsilon-neighborhood)
- Core objects ε-Neighborhood of an object contains at least MinPts of objects



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ε-Neighborhood of p
ε-Neighborhood of q

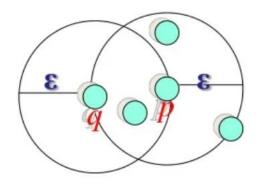
p is a core object (MinPts = 4)

q is not a core object
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DBScan: Reachability

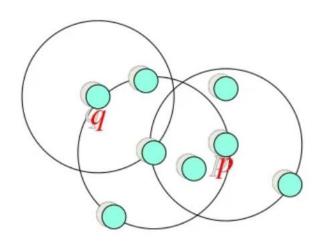
Directly density-reachable

 An object q is directly density-reachable from object p if q is within the ε-Neighborhood of p and p is a core object.



- q is directly densityreachable from p
- p is not directly densityreachable from q.

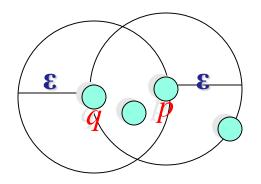
DBScan: Reachability



ε-Neighborhood

• ϵ -Neighborhood – Objects within a radius of ϵ from an object.

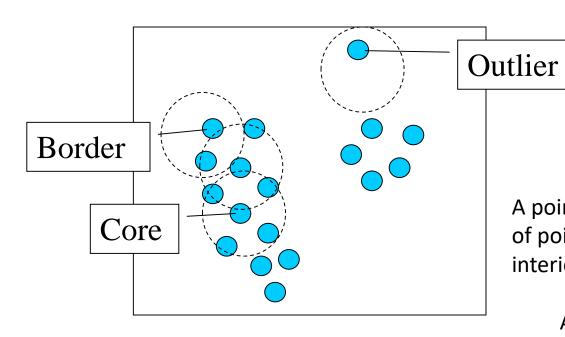
• "High density" - ε -Neighborhood of an object contains at least *MinPts* of objects.



 ϵ -Neighborhood of p ϵ -Neighborhood of qDensity of p is "high" (MinPts = 4)

Density of q is "low" (MinPts = 4)

Core, Border & Outlier



 $\varepsilon = 1$ unit, MinPts = 5

Given ε and *MinPts*, categorize the objects into three exclusive groups.

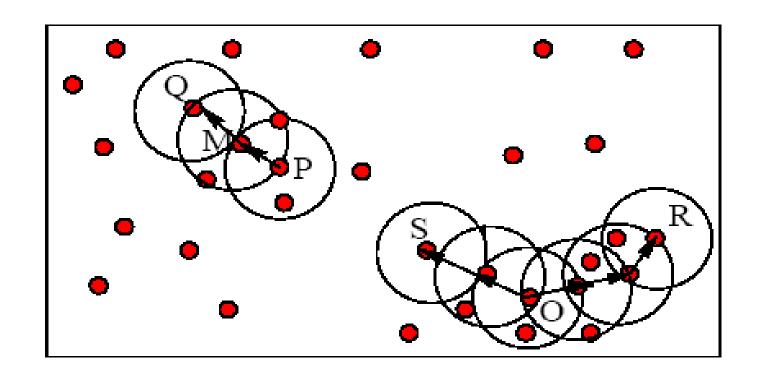
A point is a core point if it has more than a specified number of points (MinPts) within Eps These are points that are at the interior of a cluster.

A border point has fewer than MinPts within Eps, but is in the neighborhood of a core point.

A noise point is any point that is not a core point nor a border point.

Example

 M, P, O, and R are core objects since each is in an Eps neighborhood containing at least 3 points

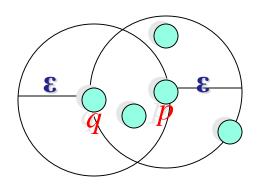


Minpts = 3

Eps=radius of the circles

Density-Reachability

- **■** Directly density-reachable
 - \Box An object q is directly density-reachable from object p if p is a core object and q is in p's ϵ -neighborhood.

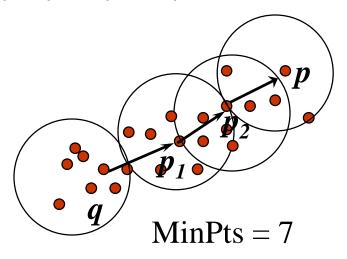


- **q** is directly density-reachable from **p**
- **p** is not directly density- reachable from q?
- **■** Density-reachability is asymmetric.

MinPts = 4

Density-reachability

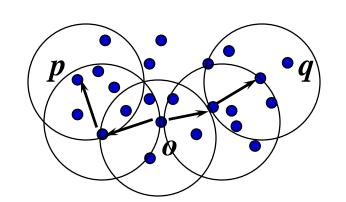
- Density-Reachable (directly and indirectly):
 - A point p is directly density-reachable from p2;
 - p2 is directly density-reachable from p1;
 - p1 is directly density-reachable from q;
 - $p \leftarrow p2 \leftarrow p1 \leftarrow q$ form a chain.



- p is (indirectly) density-reachable from q
- **q** is not density- reachable from p?

Density-Connectivity

- **■**Density-reachable is not symmetric
 - □ not good enough to describe clusters
- Density-Connected
 - □A pair of points p and q are density-connected if they are commonly density-reachable from a point o.



■ Density-connectivity is symmetric